

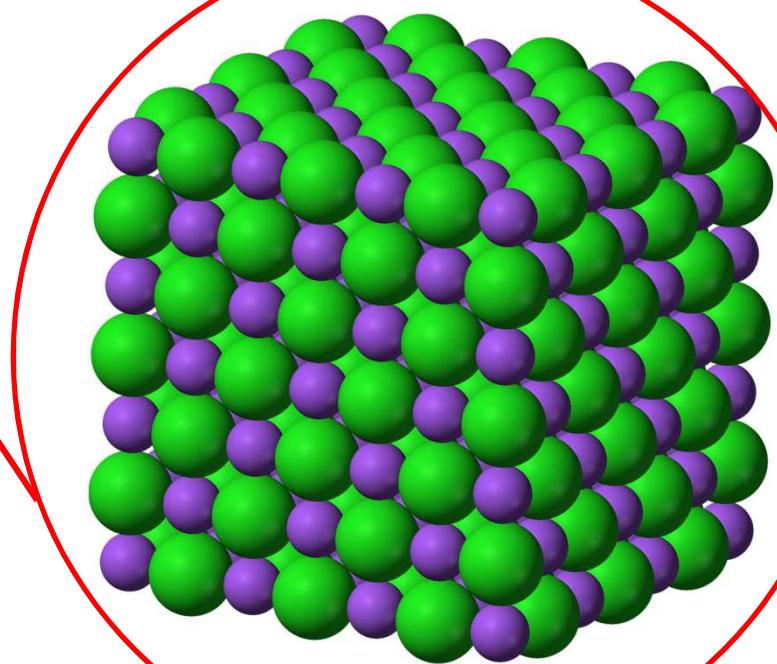
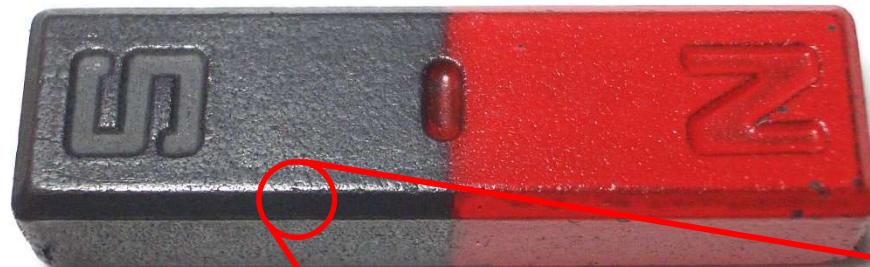


*The versatility of low dimensional molecular magnets on
examples of magnetocaloric effect and magnetic
relaxations.*

Piotr Konieczny
Department of Molecular Magnetism
NZ37

Kraków 8.04.2021







mostly:

3d metals: Fe, Co, Ni, ...

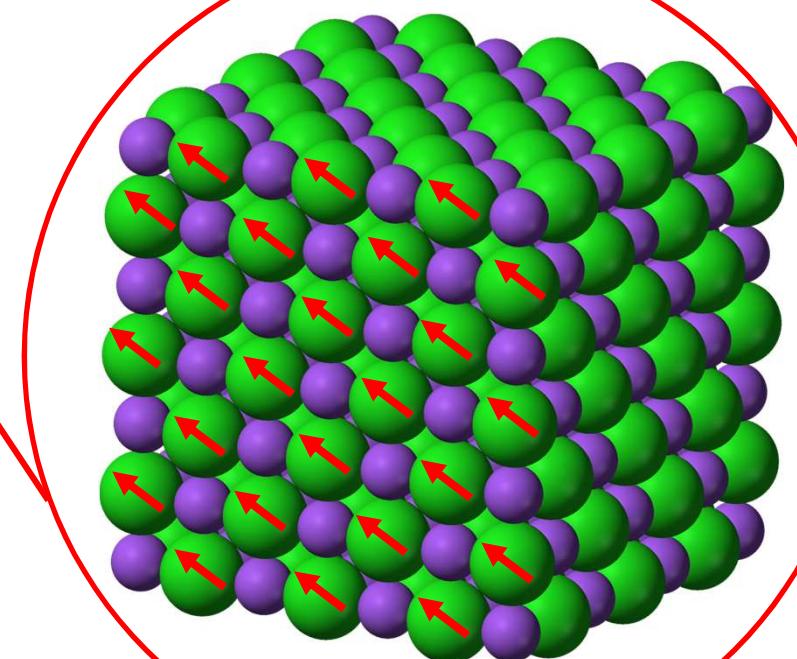
4f rare earth: Dy, Tb, ...



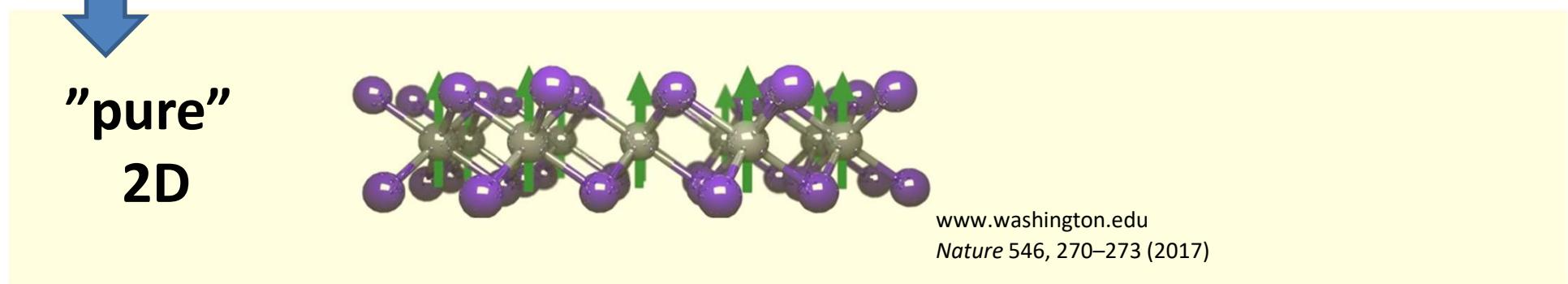
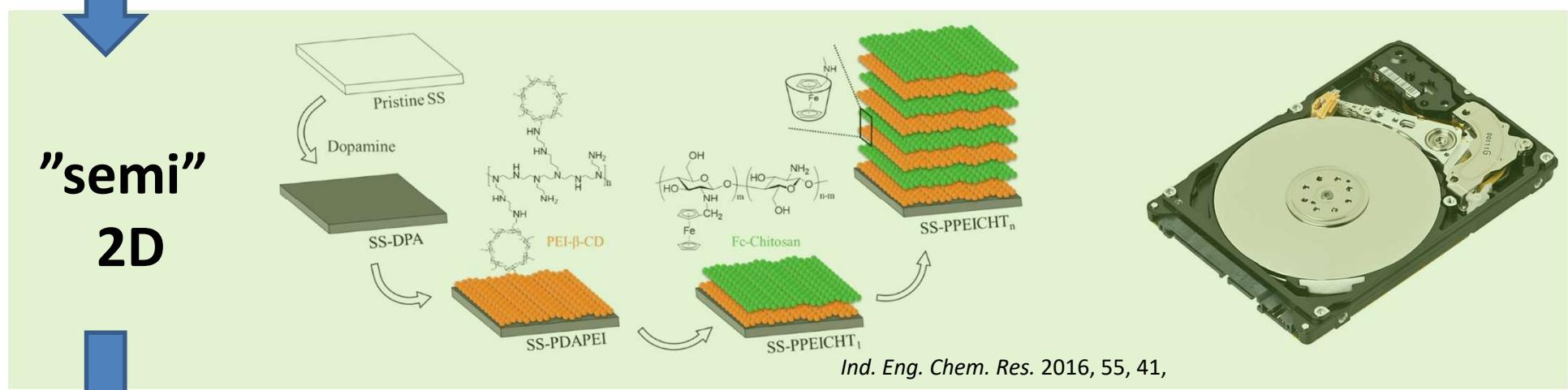
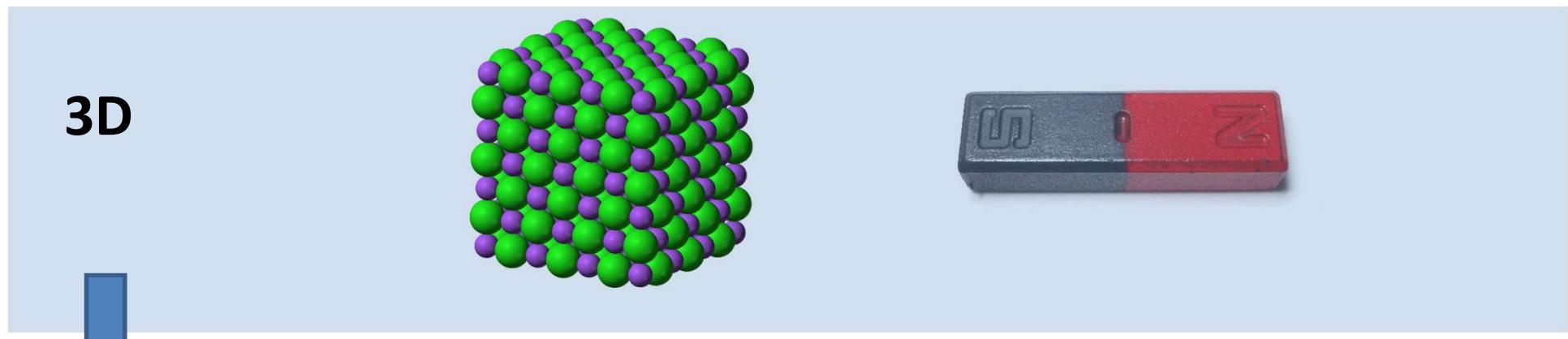
alloys



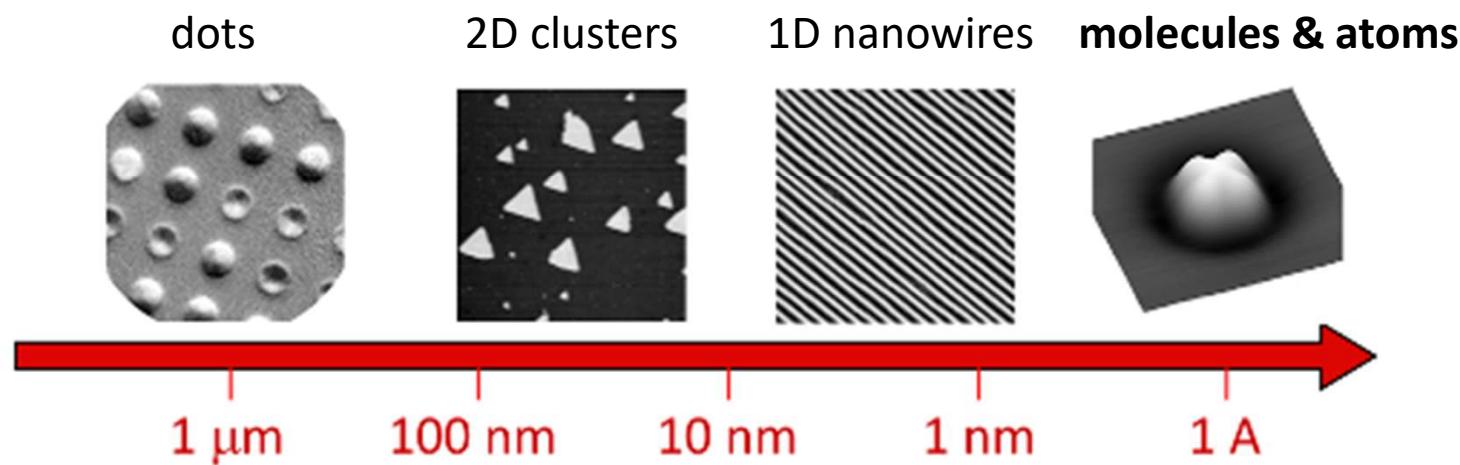
ceramics



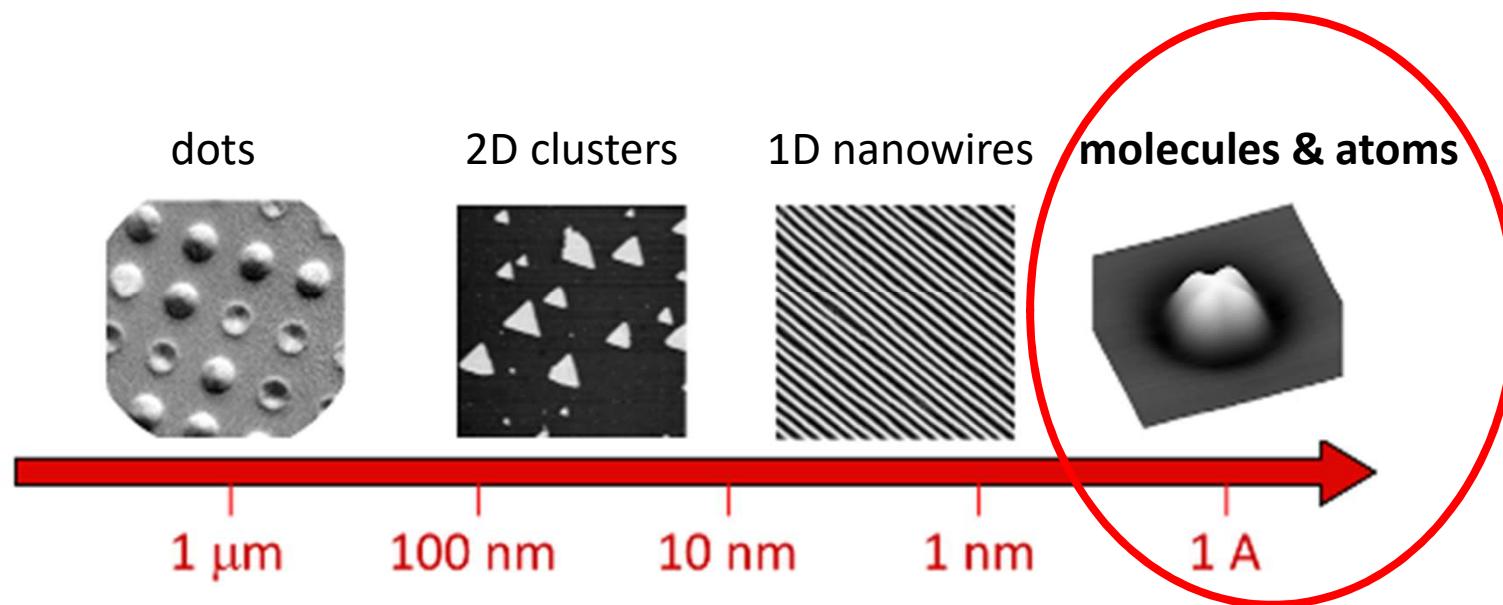
vertical confinement



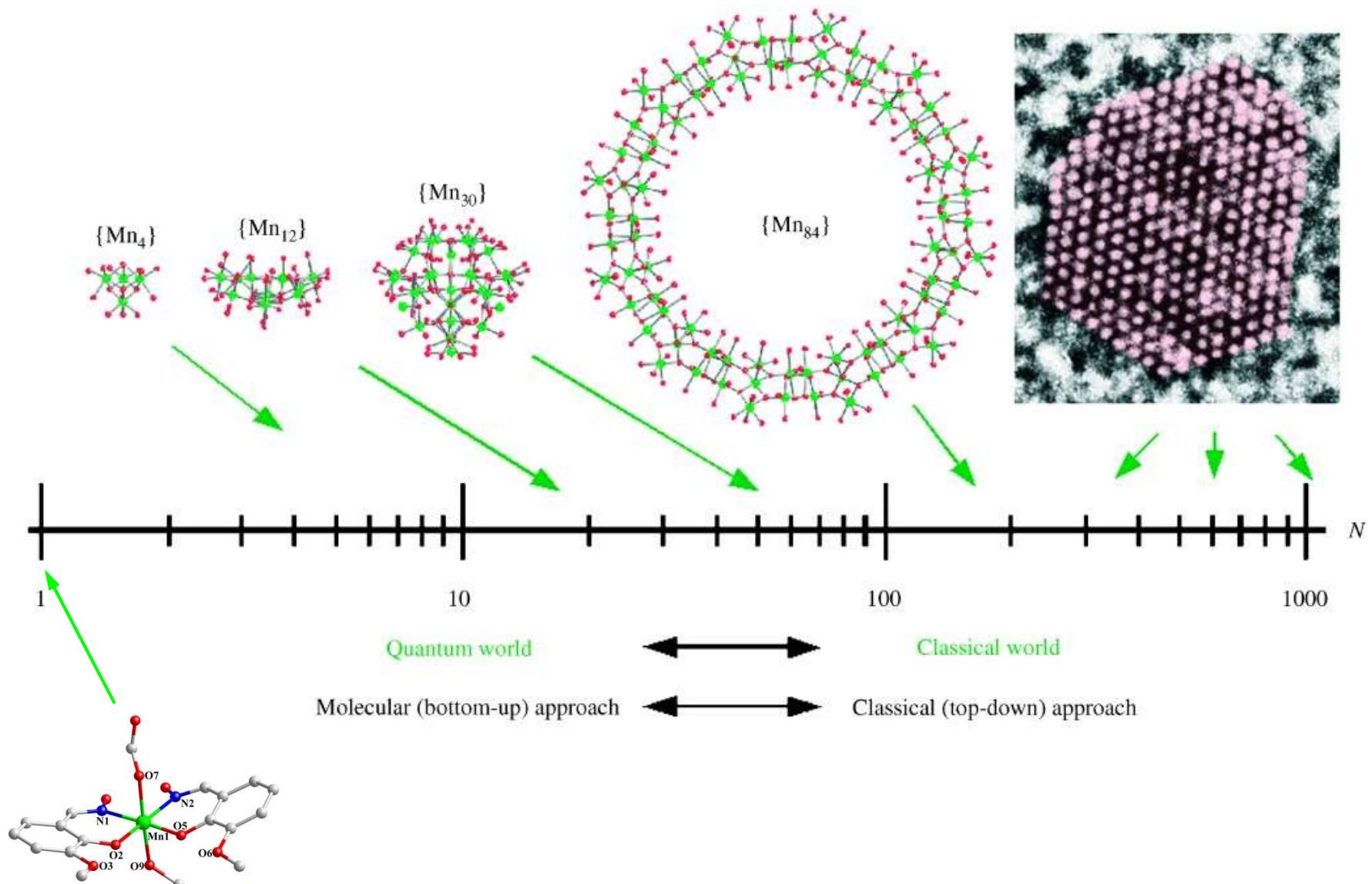
lateral confinement



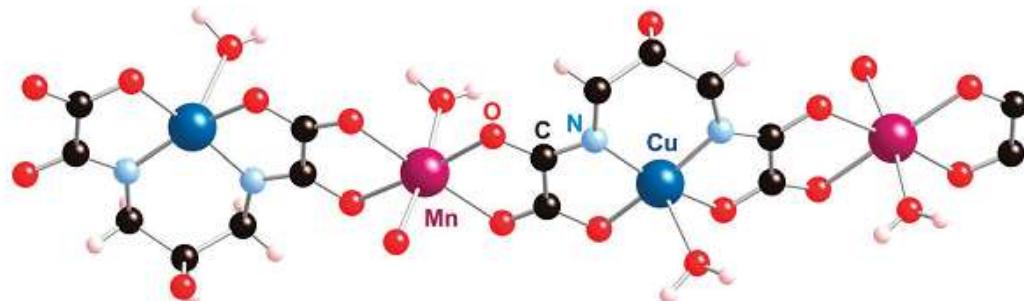
lateral confinement



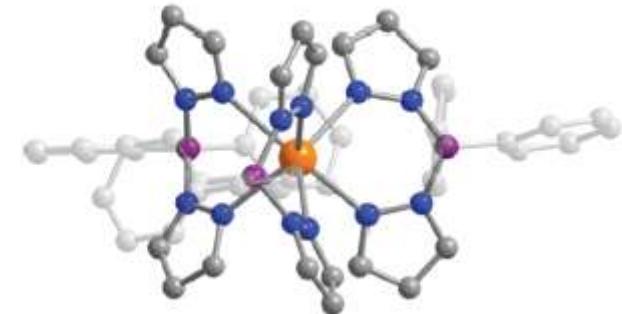
variety of size



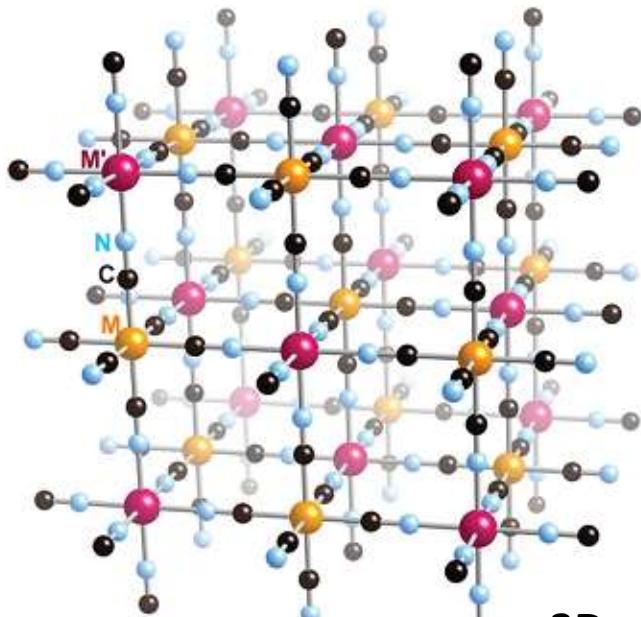
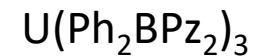
variety of dimensionality



1D:

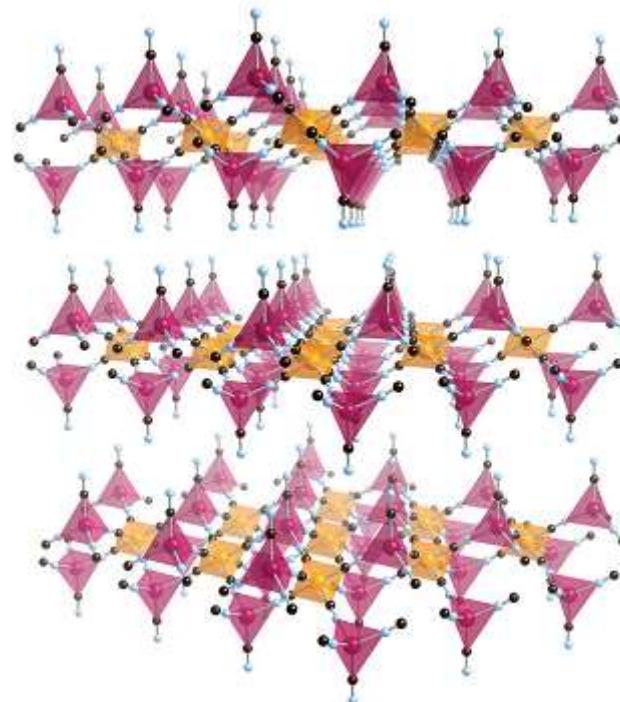


0D:



3D:

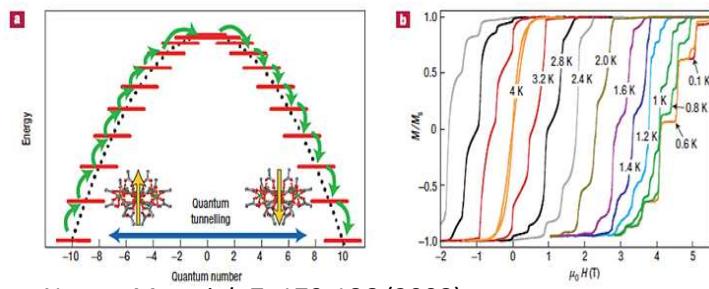
Prussian blue analogues



2D:

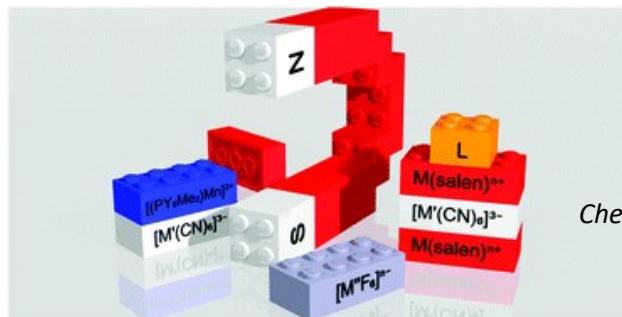


Magnetic relaxations

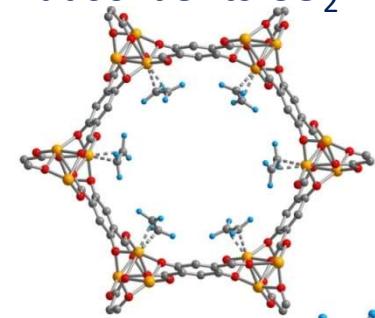


Building-block approaches

Chem. Commun. 50, 4396-4415 (2014)

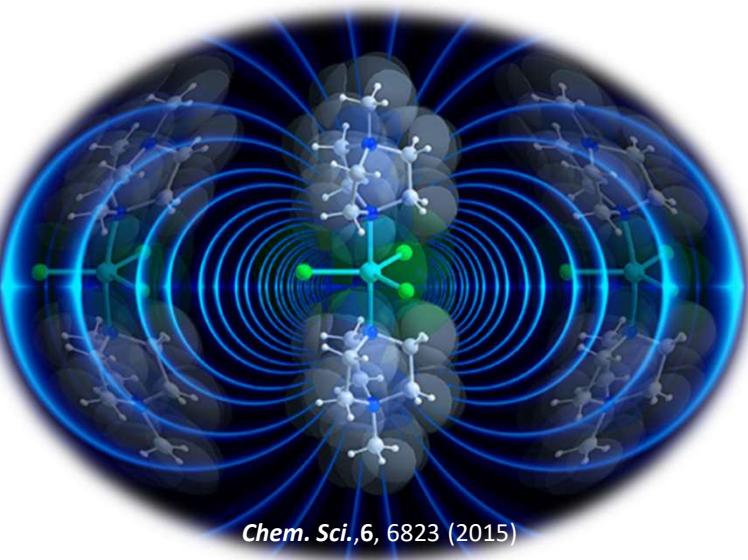


Selective solid adsorbents CO₂



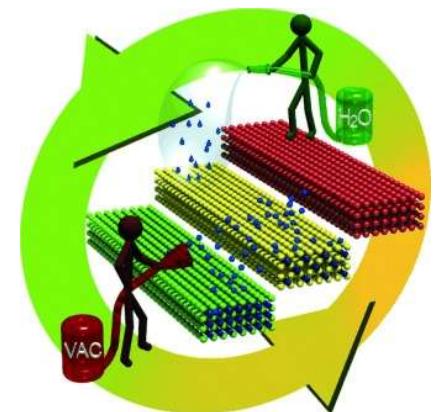
Science 2012, 335, 1606-1610

Molecular Magnets



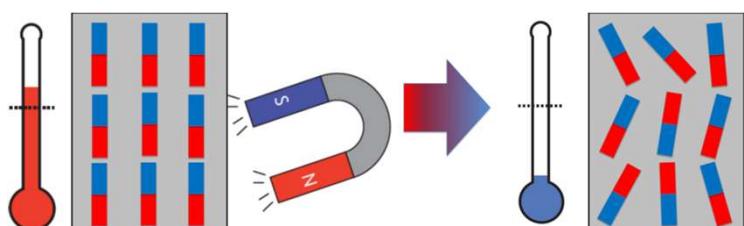
Chem. Sci., 6, 6823 (2015)

Magnetic sponge



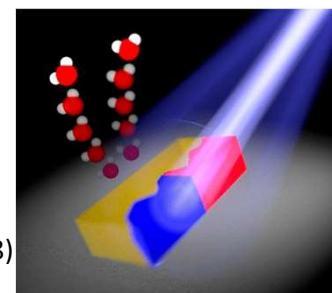
Angewandte Chemie 50,17 (2011)

Magnetocaloric effect

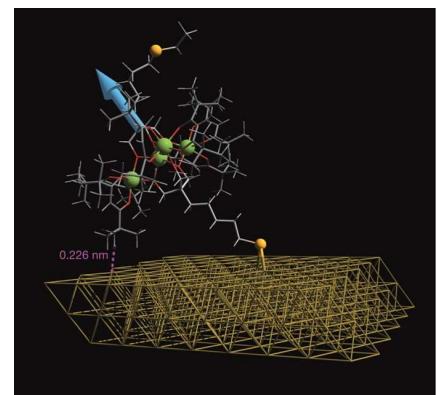


J. Am. Chem. Soc. 140, 46, 15876-15882 (2018)

Photomagnetism



Nanoscale



Nature 468, 417–421 (2010)

The Henryk Niewodniczański Scientific Award

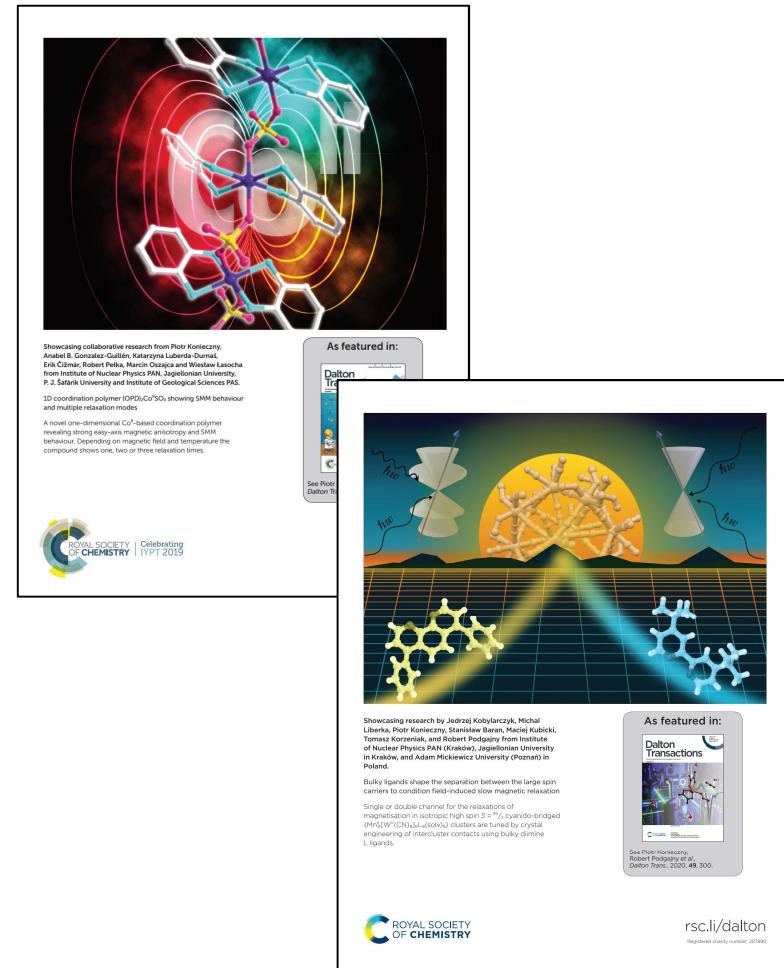
Magnetism of low dimensional molecular magnets

Conventional and rotating magnetocaloric effect

1. P. Konieczny*, S. Chorazy, et al., *Inorg. Chem.*, 56 (2017) 7089-7098;
2. P. Konieczny*, Ł. Michalski, et al., *Inorg. Chem.*, 56 (2017) 2777-2783;
3. P. Konieczny*, R. Pełka, et al., *Inorg. Chem.*, 56 (2017) 11971-980;
4. M. Fitta*, R. Pełka, P. Konieczny, M. Bałanda, *Crystals*, 9 (2019) 9;

Magnetic relaxations

5. P. Konieczny*, R. Pełka, et al., *Acta Phys. Pol. A*, 131 (2017) 884-886;
6. P. Konieczny*, A.B. Gonzalez-Guillén, et al., *Dalton T.*, 48 (2019) 7560-7570;
7. Ł. Laskowski, I. Kityk, P. Konieczny, O. Pastukh, M. Schabikowski, M. Laskowska*, *Nanomaterials*, 9 (2019) 764;
8. J. Kobylarczyk, M. Liberka, P. Konieczny*, et al., *Dalton T.*, 49 (2020) 300-311;
9. P. Konieczny*, R. Pełka, et al., *J. Phys. Chem. C*, 124 (2020) 7930-7937 ;
10. M. Laskowska, O. Pastukh*, P. Konieczny, et al., *Materials* (2020), 13, 2624.



Other aspects of low dimensional magnetism

11. F. Setifi*, P. Konieczny*, et al., *J. Mol. Struct.*, 1149 (2017) 149-154;
12. P. Konieczny*, R. Pełka*, et al., *Dalton T.*, 47 (2018) 11438-1144;
13. K. Lubera-Durnaś, P. Konieczny, et al., *New J. Chem.*, 42 (2018) 18225-35
14. F. Setifi*, Z. Setifi, P. Konieczny, et al., *Polyhedron*, 157 (2019) 558-566;

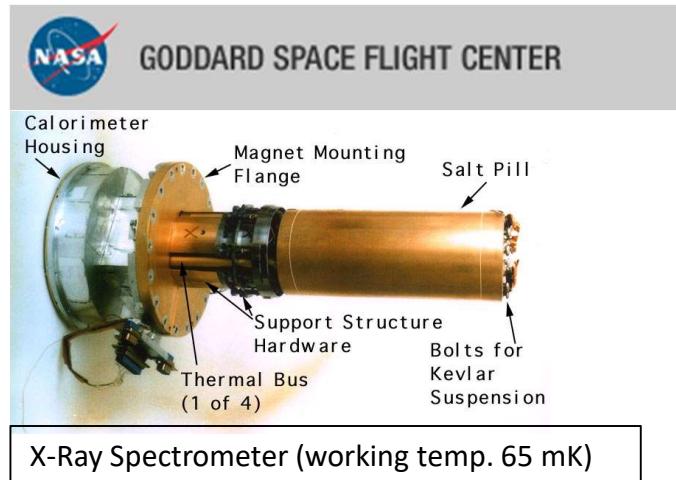
Magnetocaloric Effect

*heating or cooling of magnetic material as a consequence of
changing magnetic field*

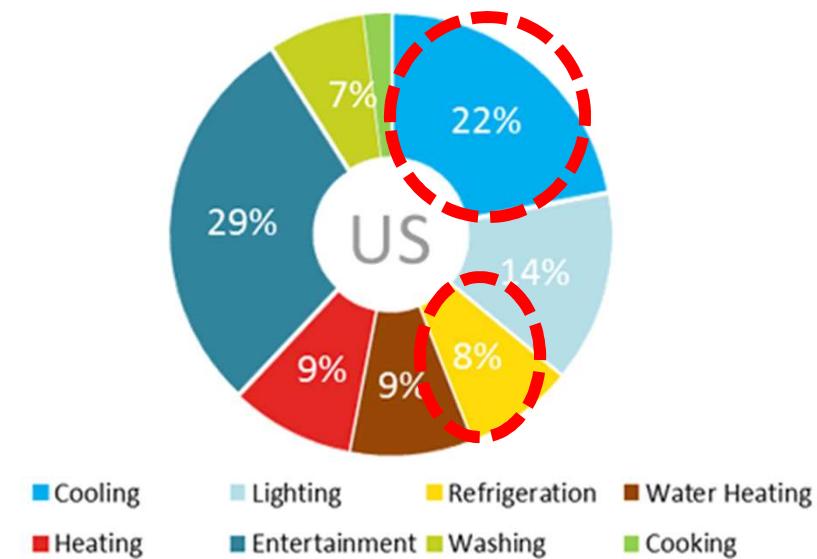
Why magnetocaloric effect is important?

4 K

300 K



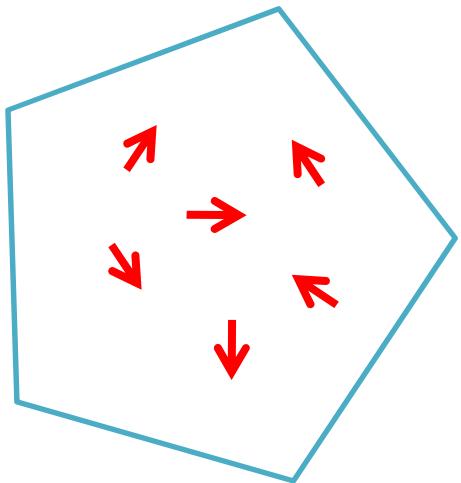
US Residential Power Usage (%)



Source: EIA and DEFRA

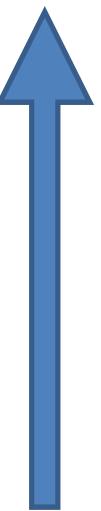
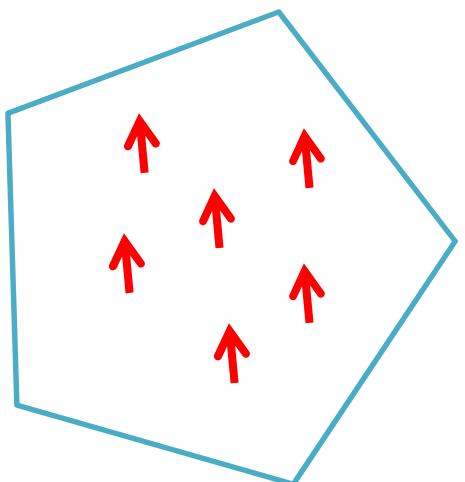
Shrink That Footprint

conventional MCE



B=0

$S_m = S_1$

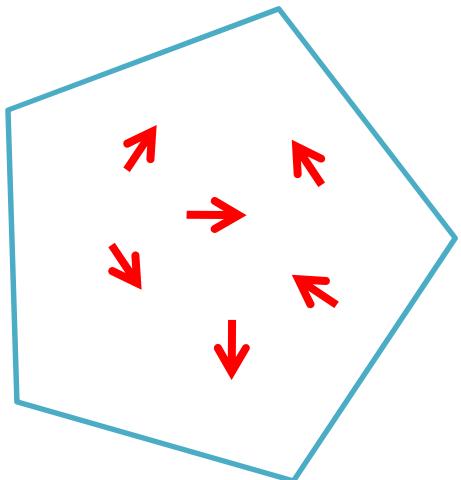


B \neq 0

$S_m = S_2$

$S_2 < S_1$

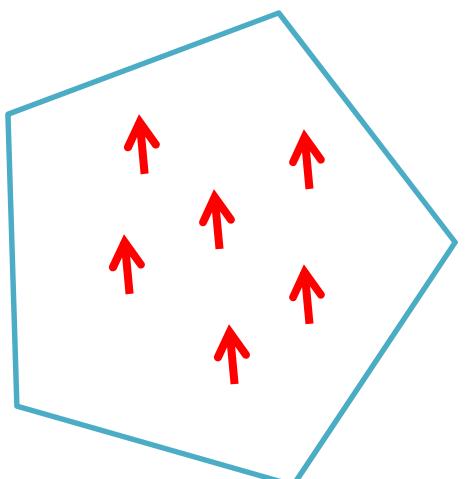
conventional MCE



B=0

$S_m = S_1$

$$S(T,H) = S_{\text{lat}}(T,H) + S_m(T,H)$$

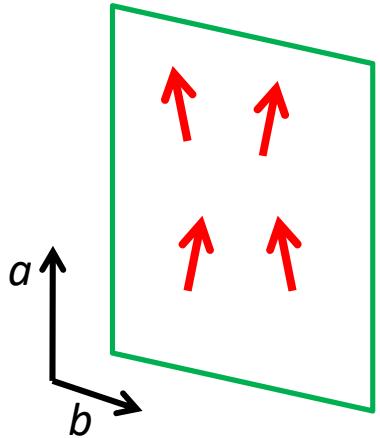


B≠0

$S_m = S_2$

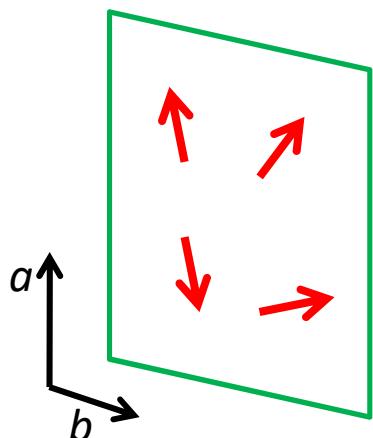
$$S_2 < S_1$$

Rotating Magnetocaloric Effect (RMCE)

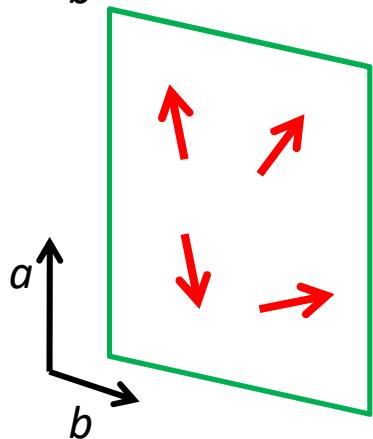


$B=0$

$$S_m = S_1$$

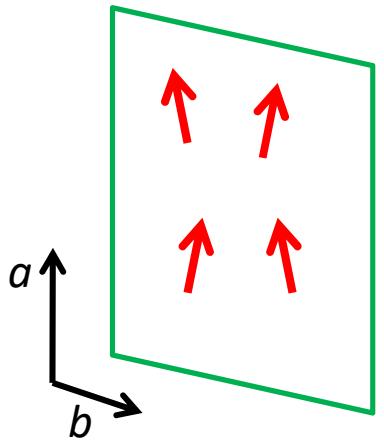


$B \neq 0$



$$S_1 < S_2$$

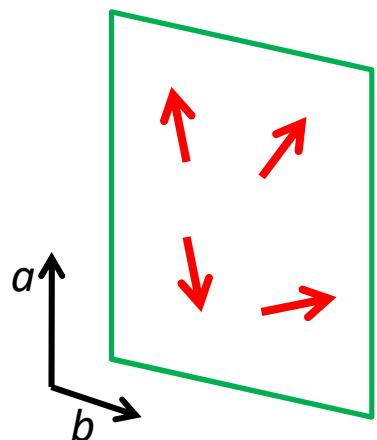
$$S_m = S_2$$



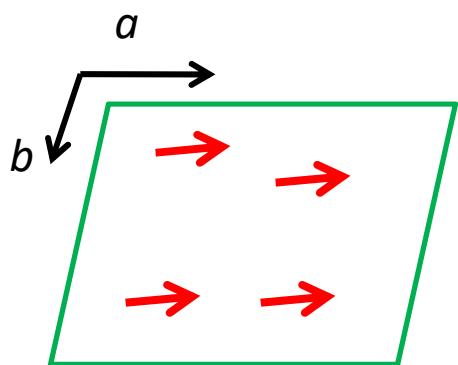
RMCE

$B=0$

$$S_m = S_1$$



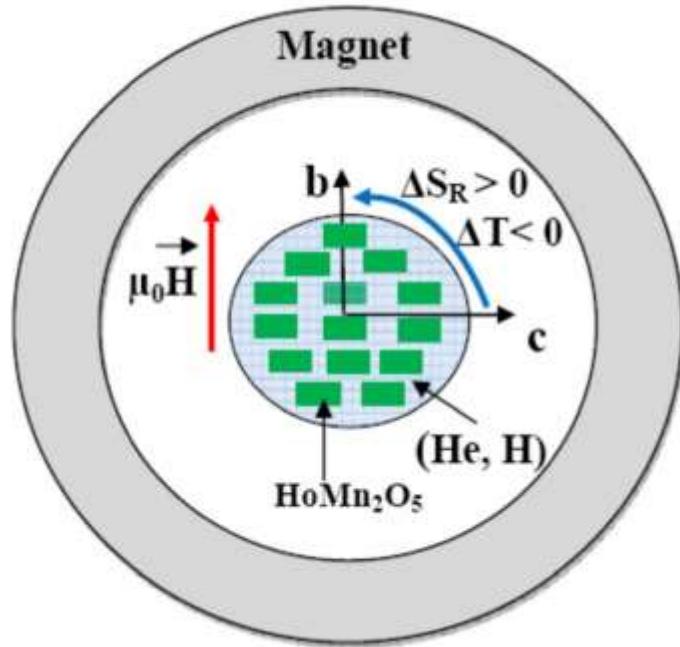
$B \neq 0$



$$S_m = S_2$$

$$S_m = S_3$$

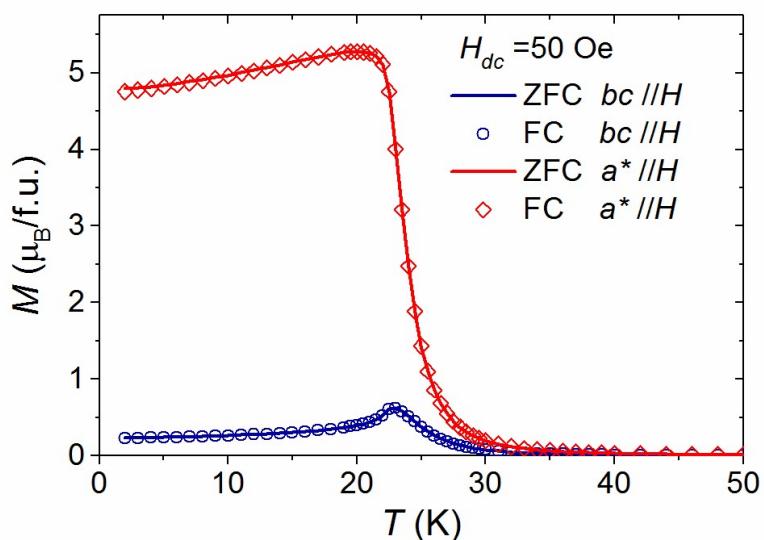
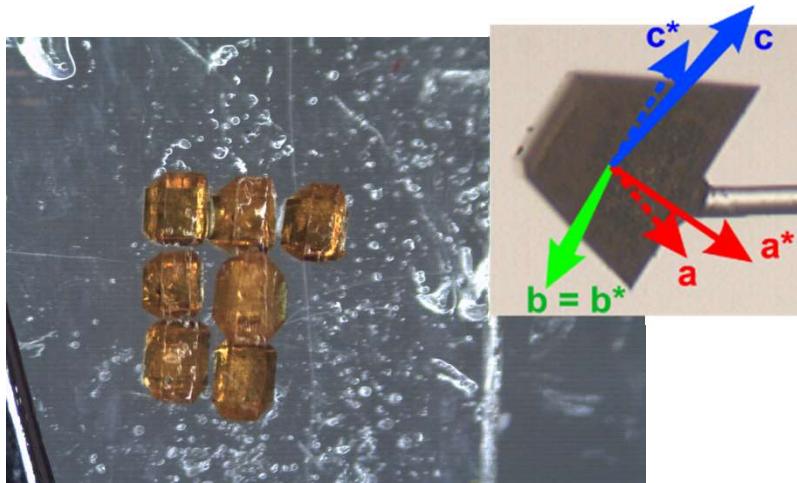
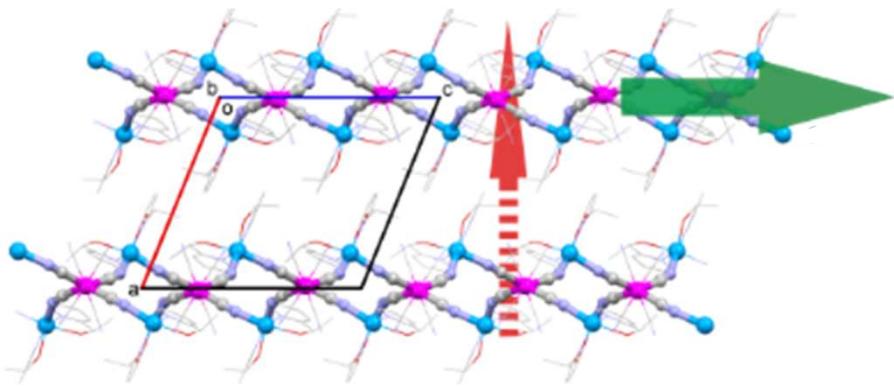
$$S_3 < S_1 < S_2$$



Scheme of rotating MCE
cooling device for
liquefaction of helium

Why RMCE is interesting?

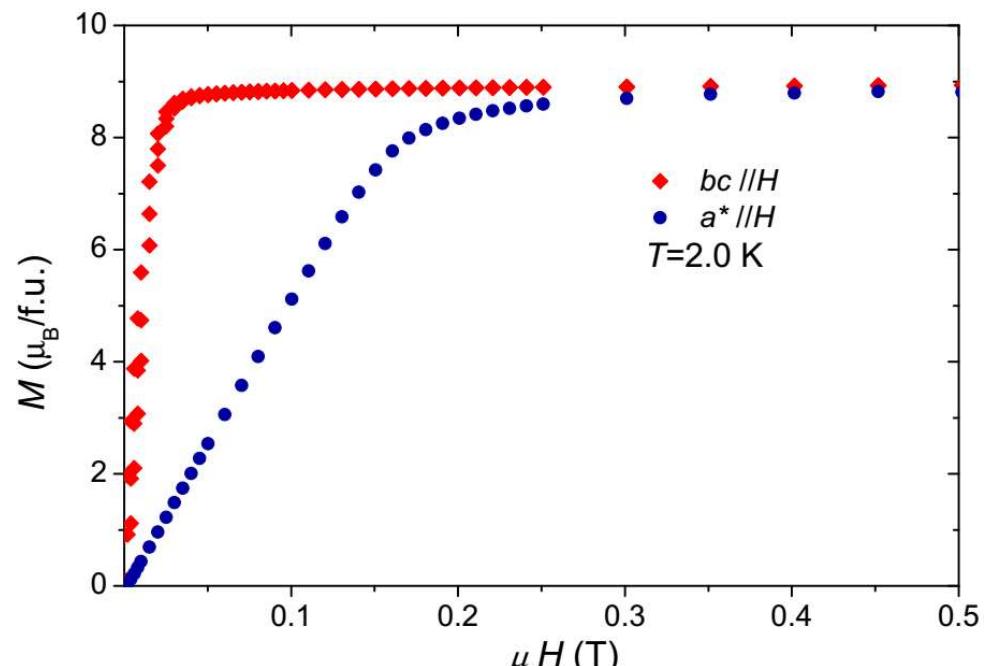
- simple construction of refrigerator
- no change of magnetic field
- high efficient
- permanent magnets as field source

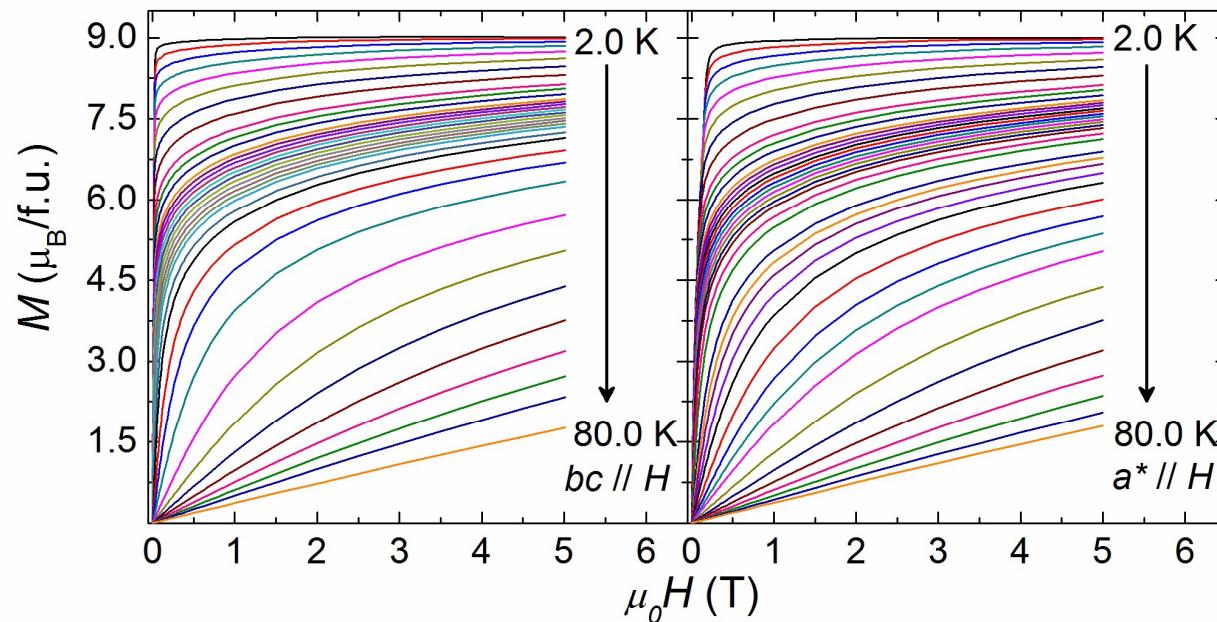


MCE and RMCE: low anisotropy



- magnetically soft
- ferrimagnet, saturation: $8.99 \mu_B/\text{f.u.}$
($\text{Mn}\uparrow \rightarrow \downarrow \text{Nb} \rightarrow \uparrow \text{Mn}$)
- weak easy plane (bc) type anisotropy
- a^* is the hard axis





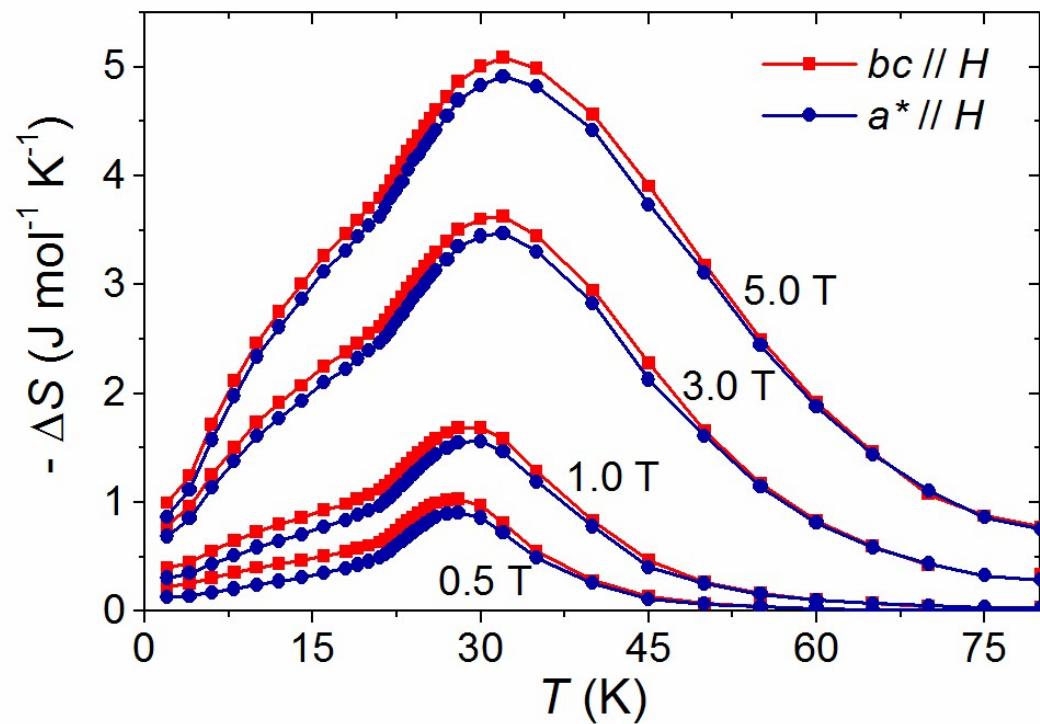
High field MCE

Indirect
method

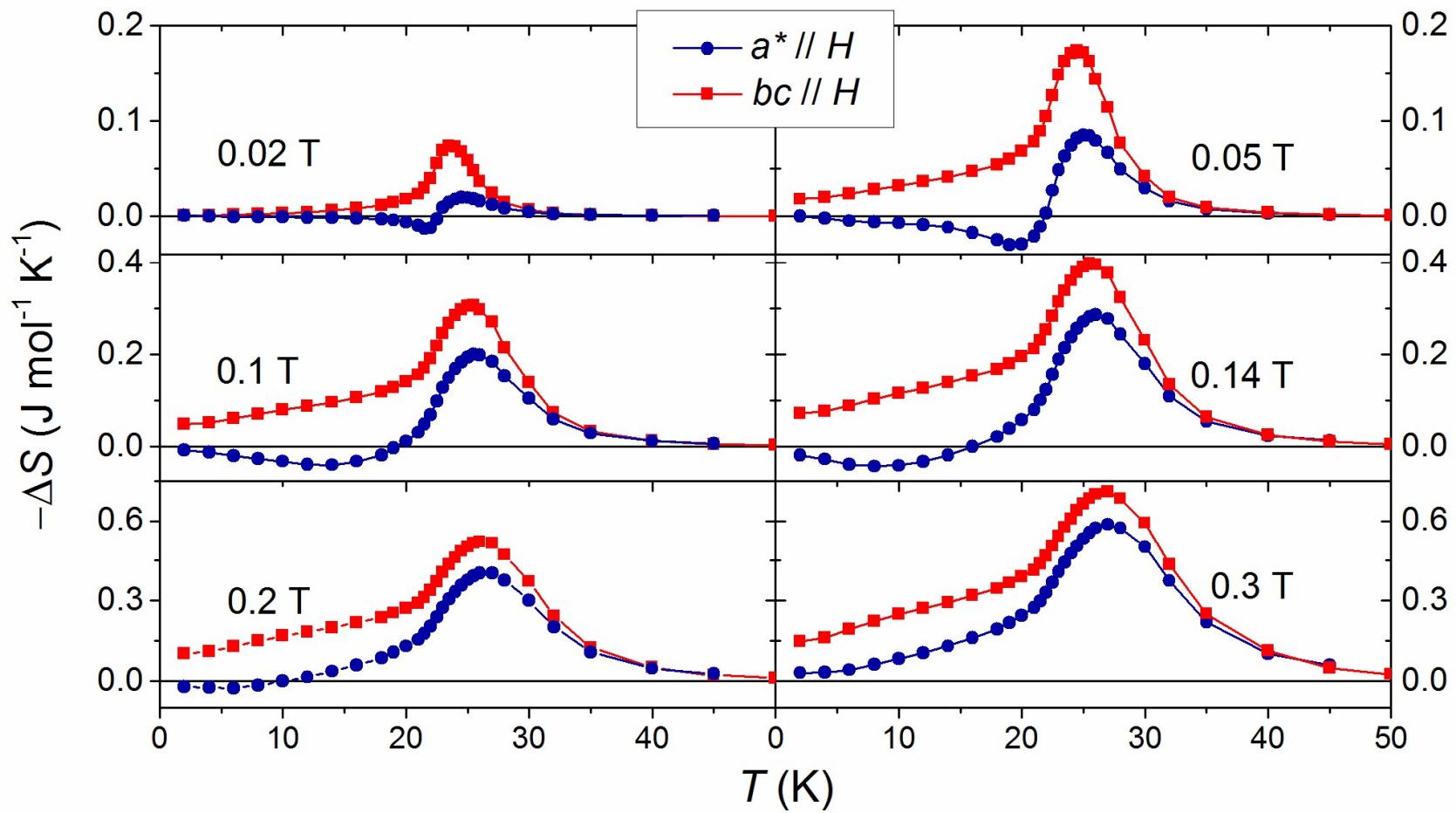
$$\left(\frac{\partial M}{\partial T} \right)_H = \left(\frac{\partial S}{\partial H} \right)_T$$

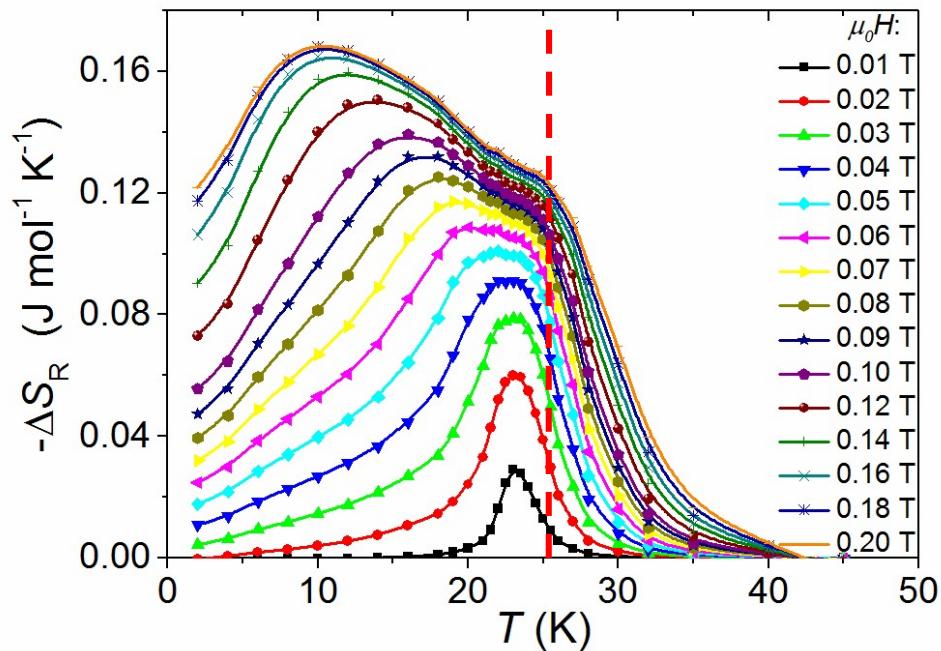


$$\Delta S = \int_0^{H_{\max}} \left(\frac{\partial M}{\partial T} \right)_H dH$$



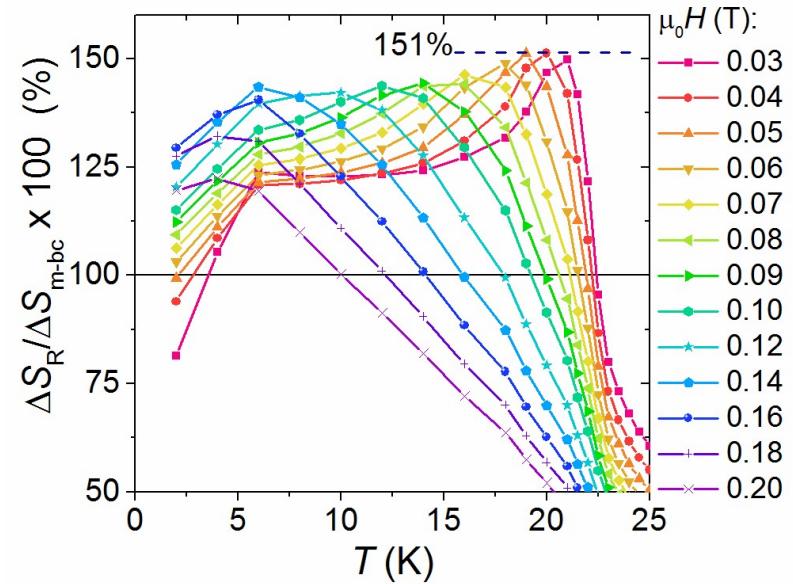
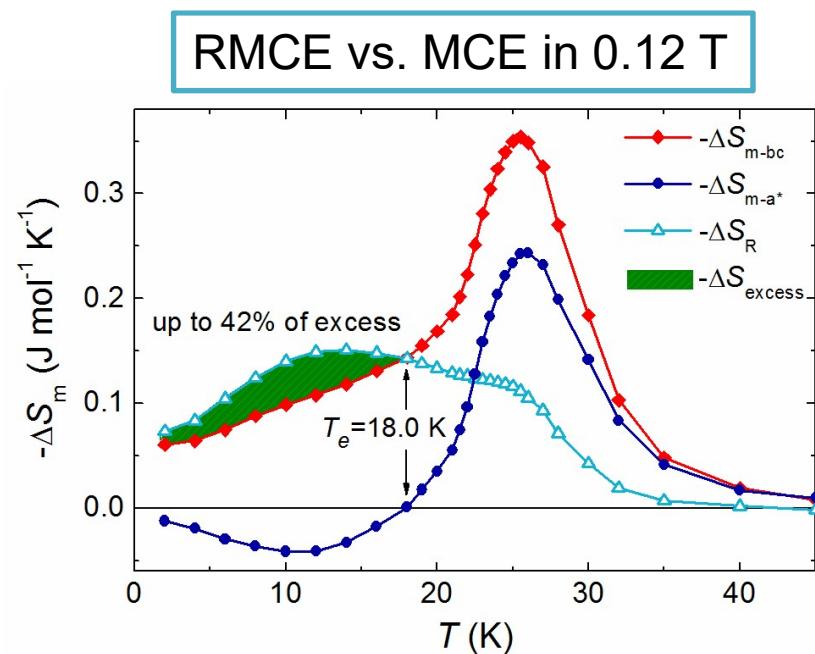
Low field MCE



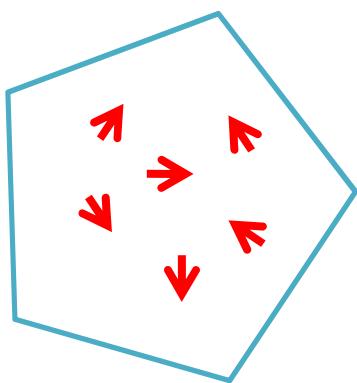


◀ Rotating MCE related to the rotation of crystal around b axis by 90° from $a^*/\|H$ to $bc/\|H$ in **constant field**

Excess of RMCE compared to MCE easy plane

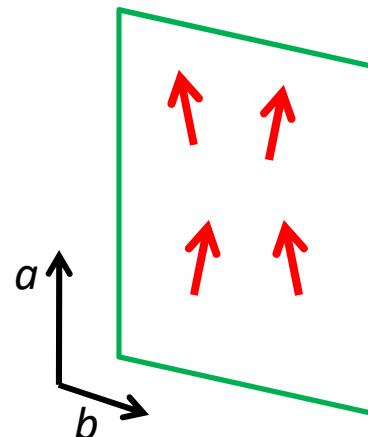


MCE

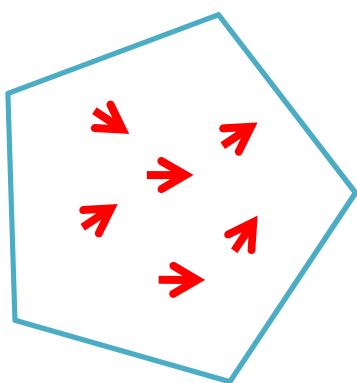


$B=0$

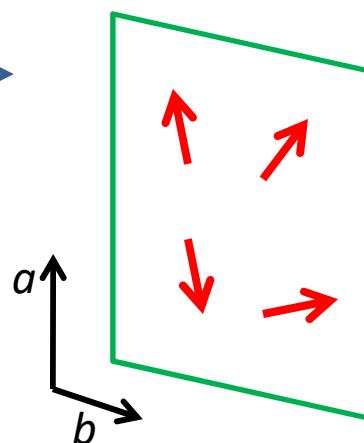
inverse MCE



$S_m = S_1$



$B \neq 0$



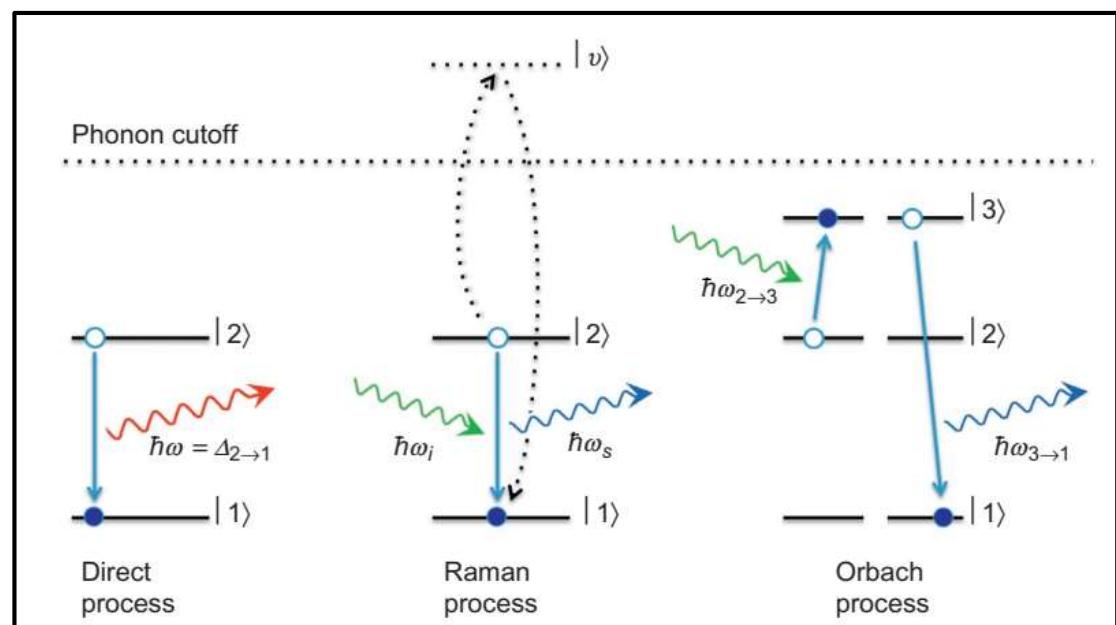
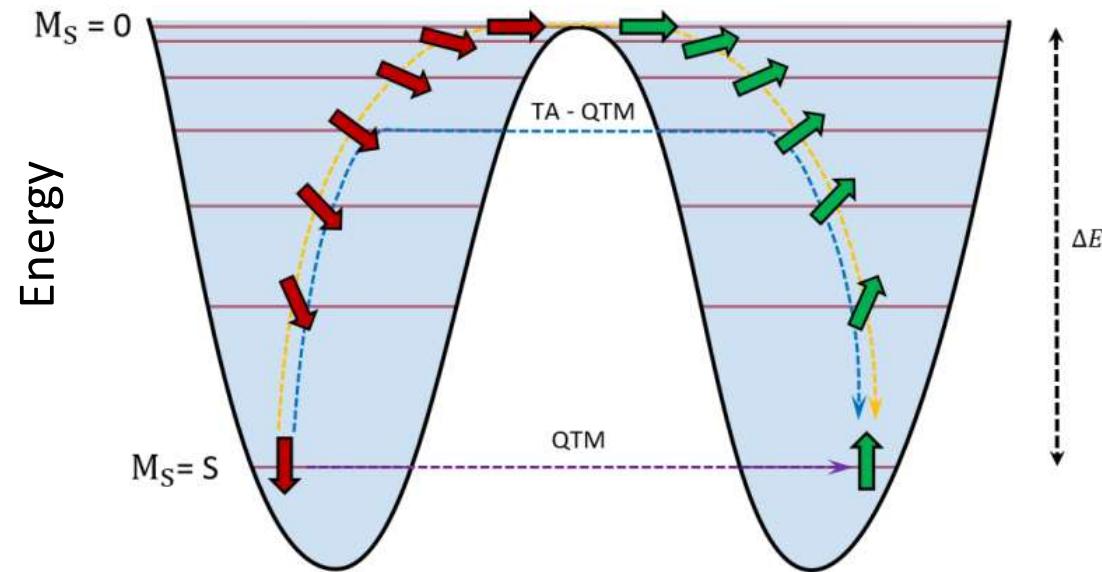
Entropy is **decreasing** with magnetic field

Entropy is **increasing** with magnetic field

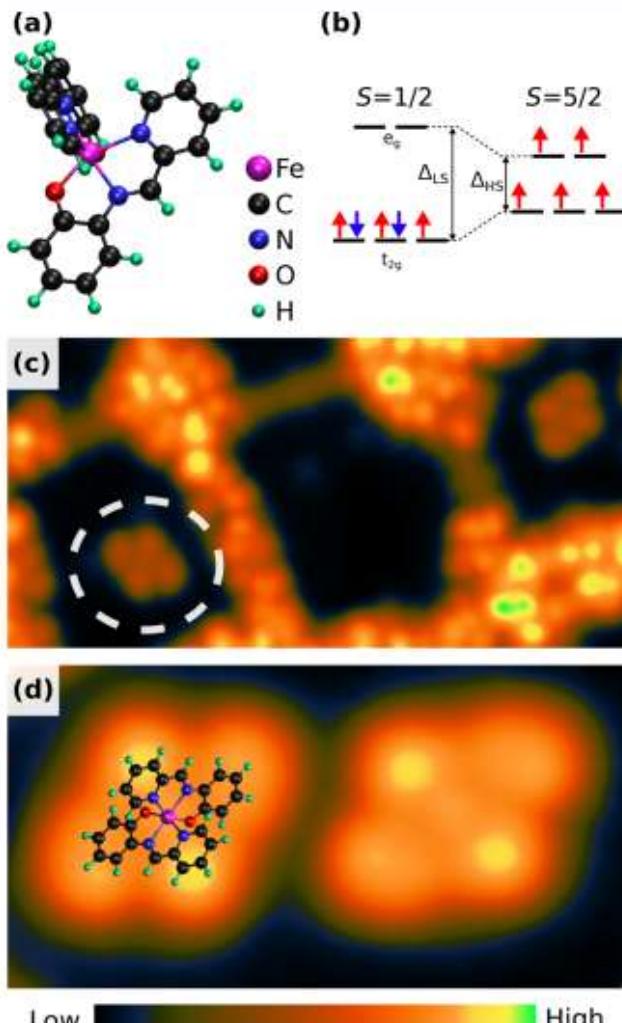
$S_m = S_2$

Magnetic relaxations

Spin-lattice relaxation



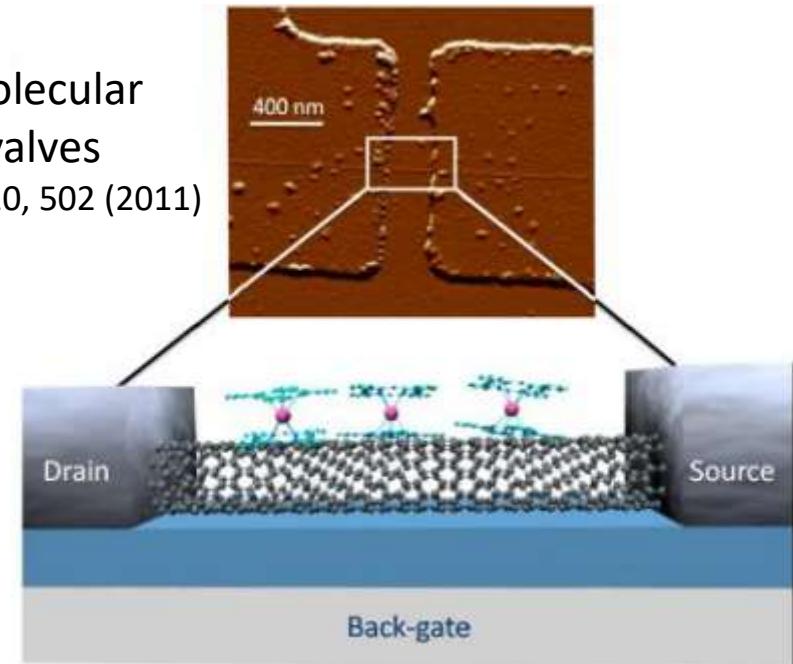
Examples



Nano. Lett. 17, 6613 (2017)

Supramolecular spin valves

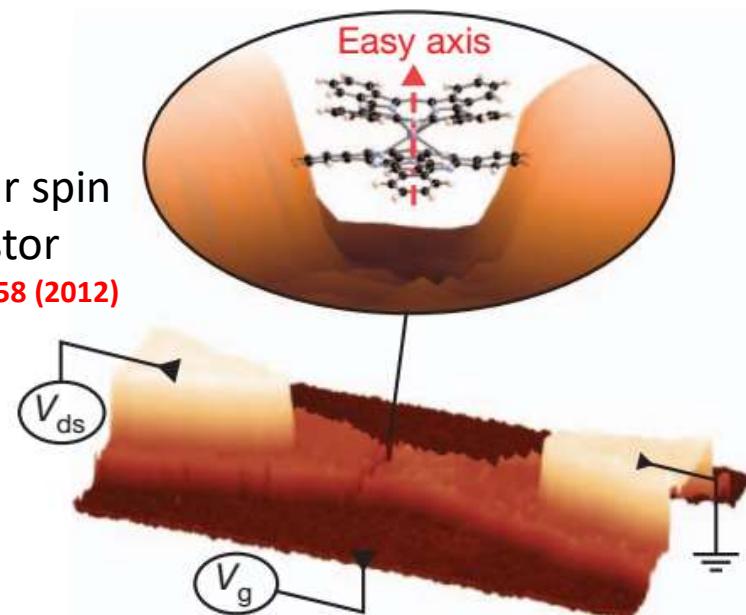
Nature Mat. 10, 502 (2011)



Memory units

Molecular spin transistor

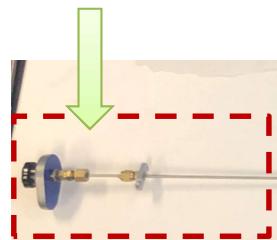
Nature 488, 358 (2012)



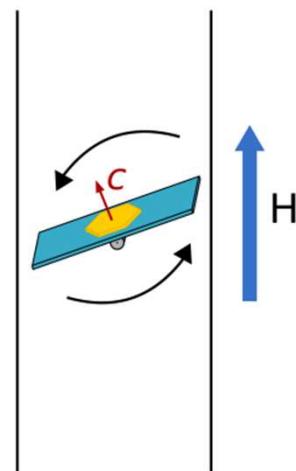
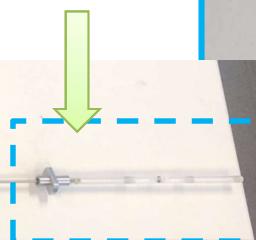
Anisotropy of magnetic relaxations

Experimental setup

Room Temp.
Ambient pressure

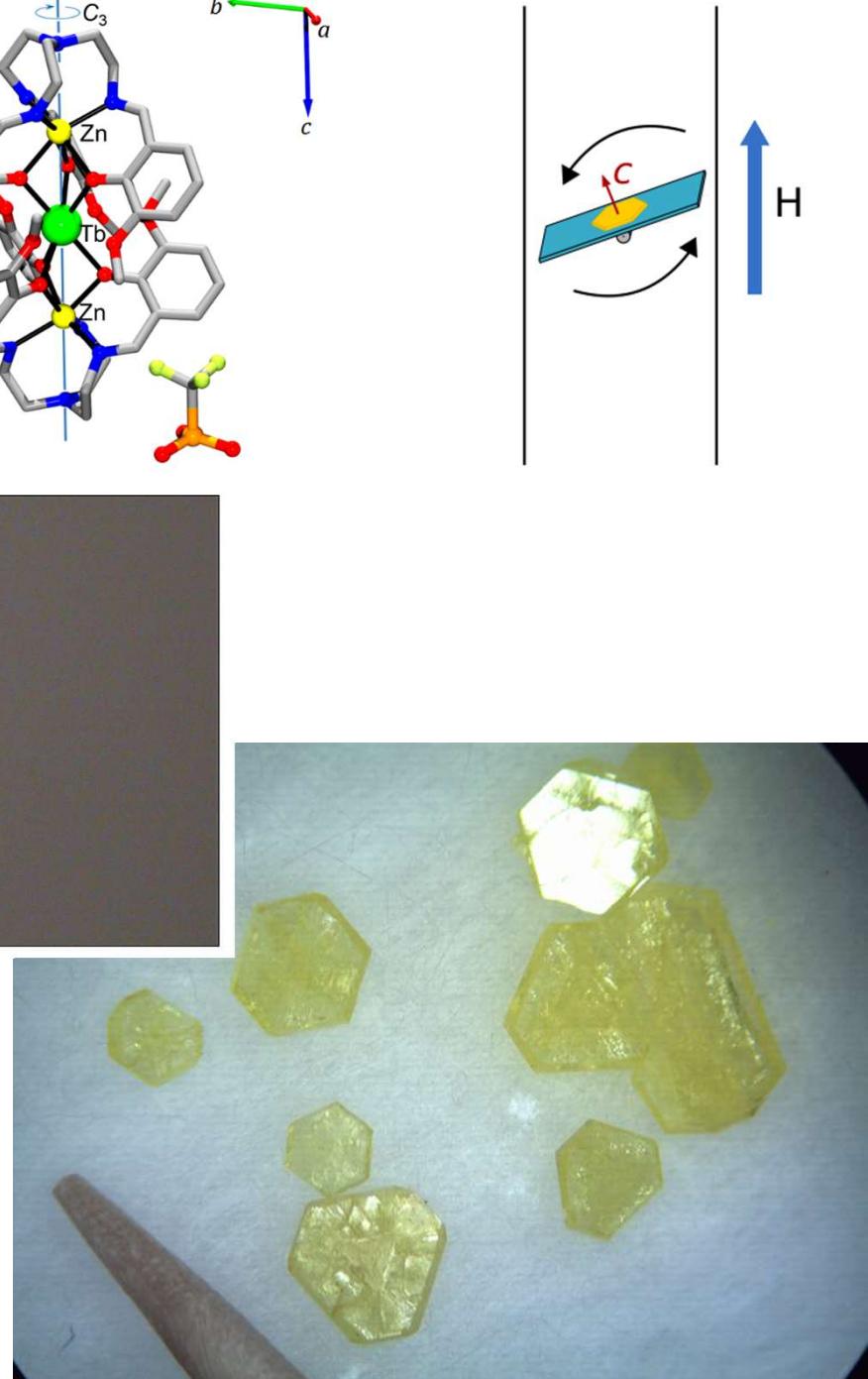
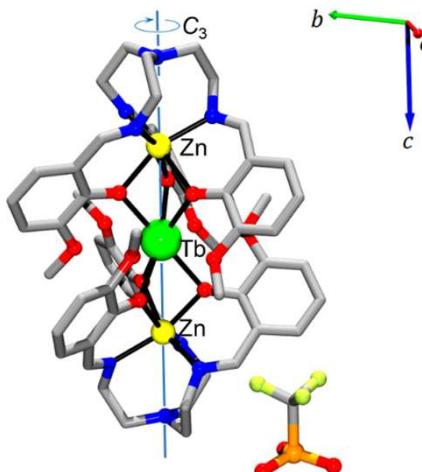
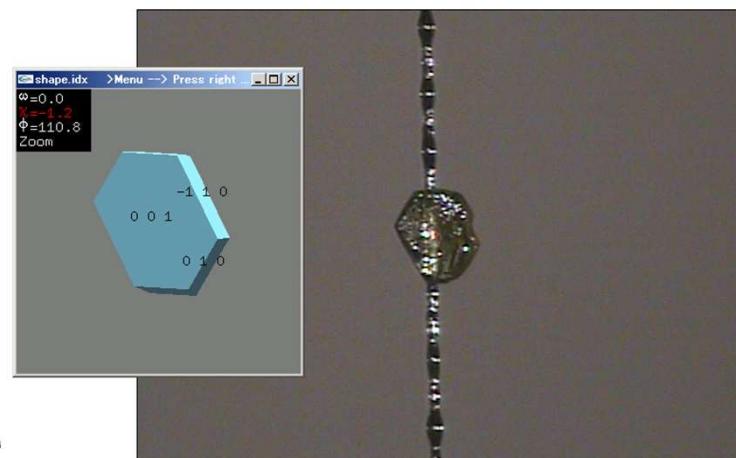
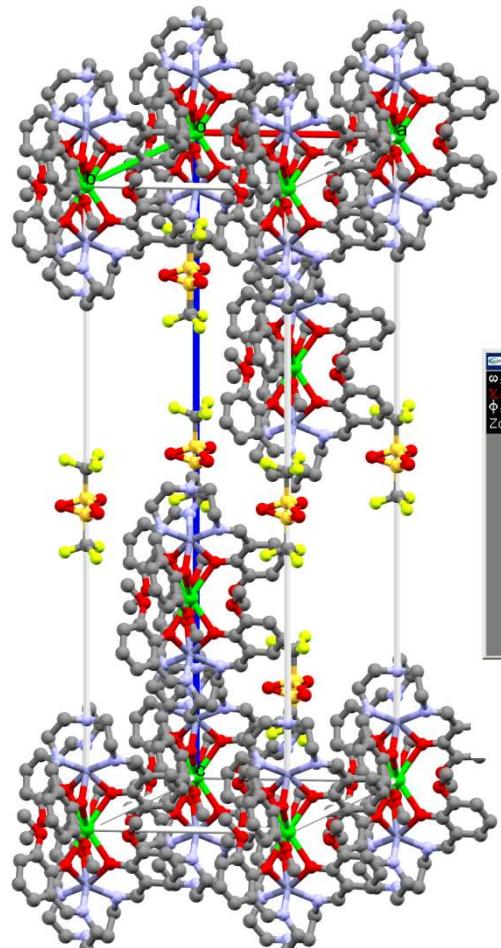


T=2.0 K
Low vacuum



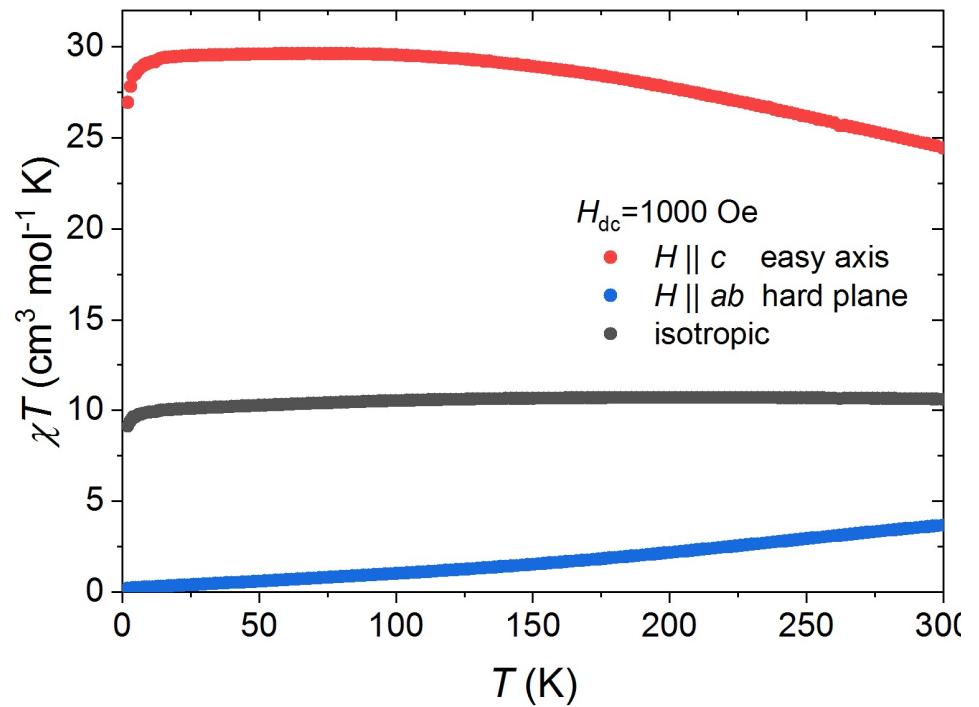
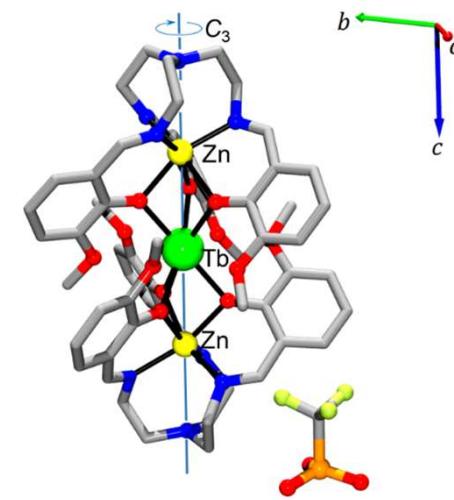
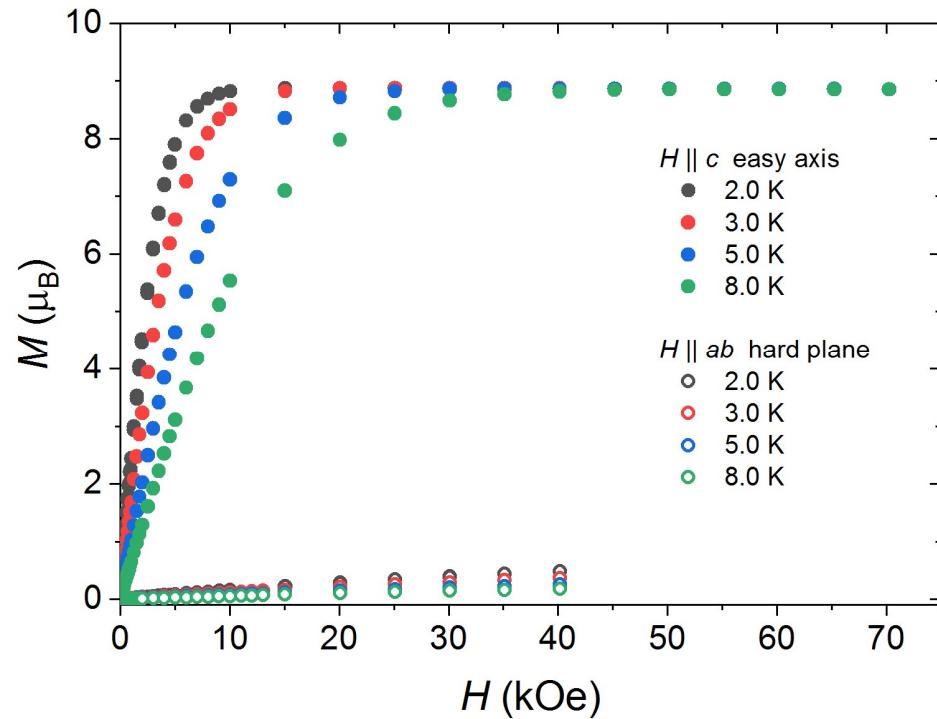
Anisotropy of magnetic relaxations

Sample



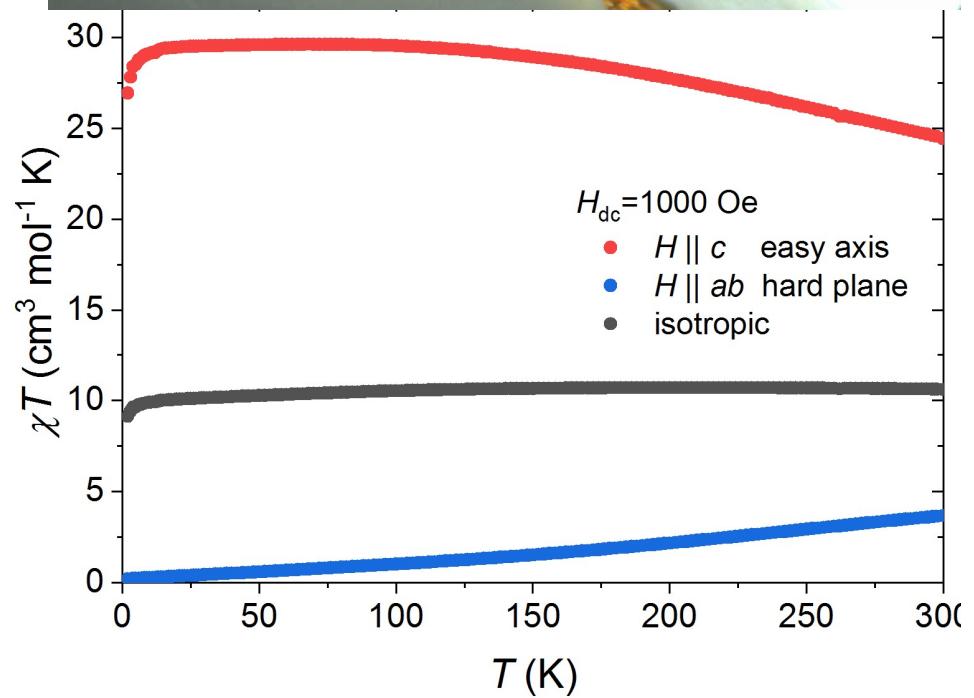
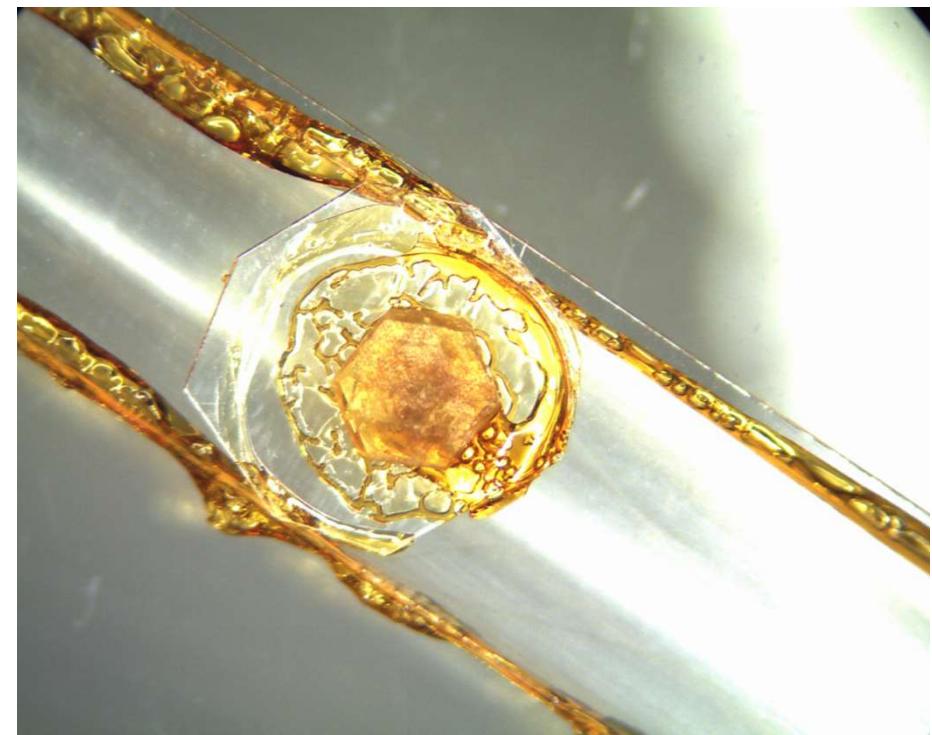
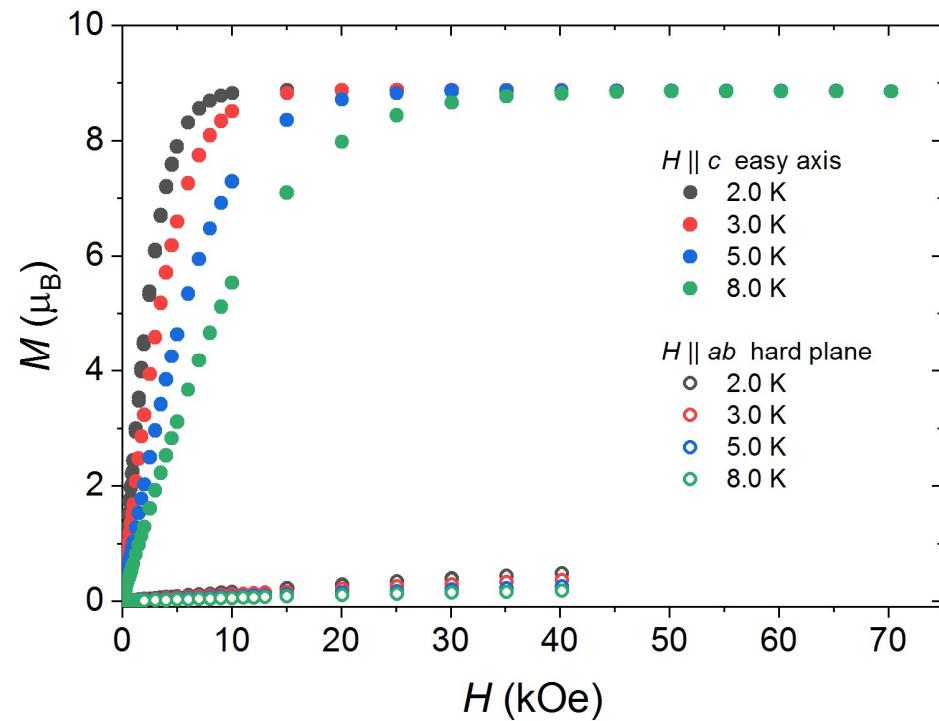
Anisotropy of magnetic relaxations

Dc magnetic properties - measurements



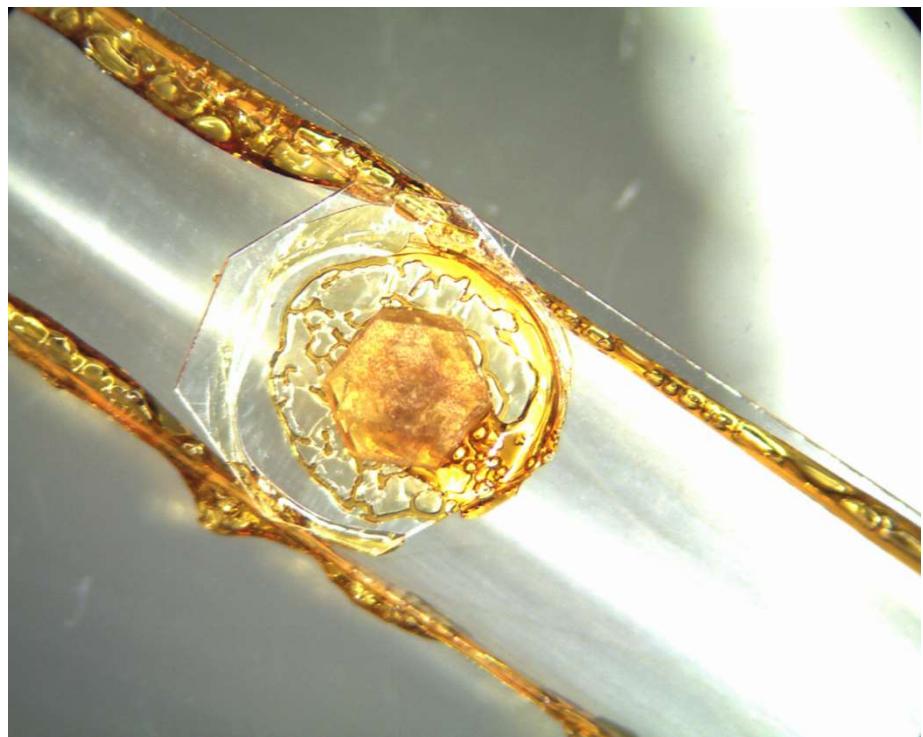
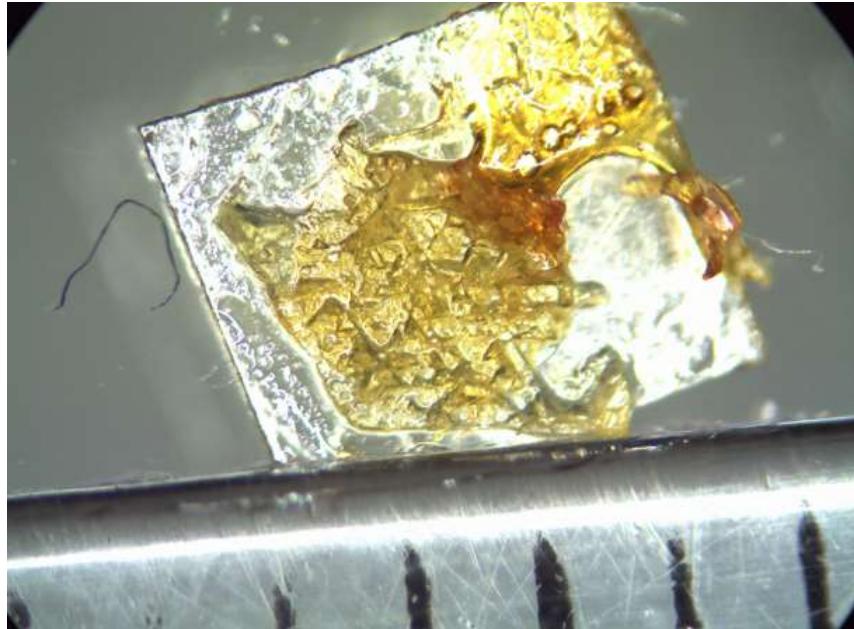
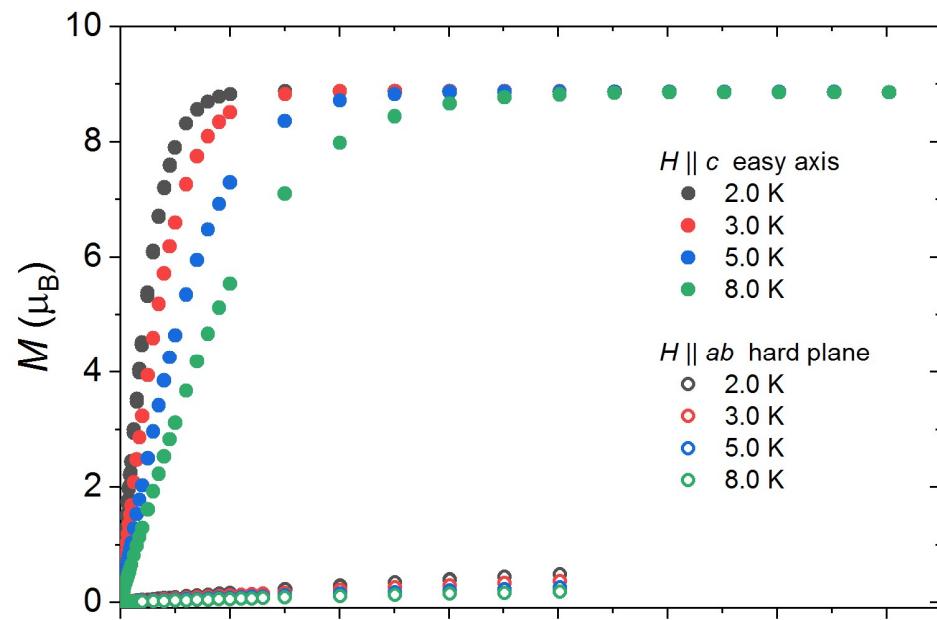
Anisotropy of magnetic relaxations

Dc magnetic properties - measurements

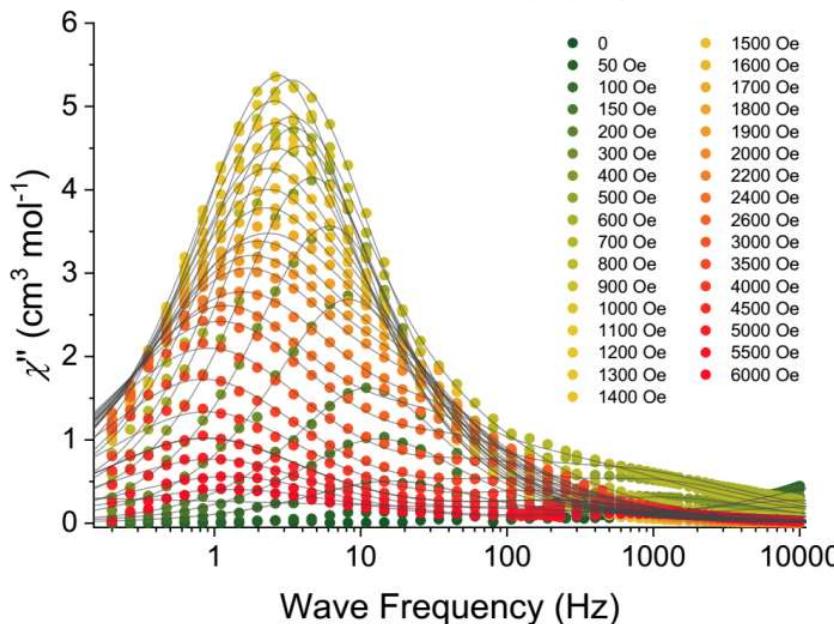
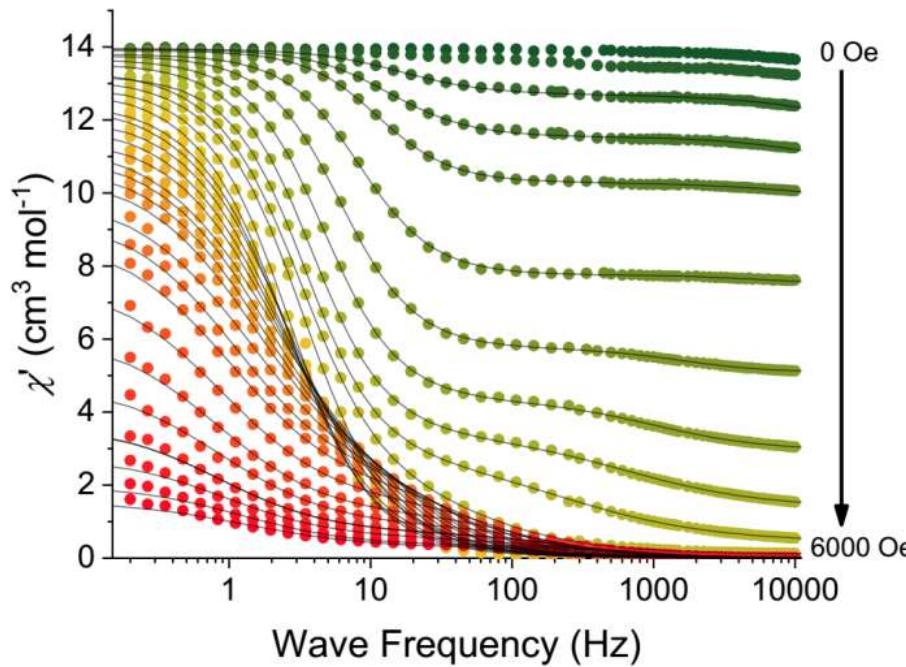


Anisotropy of magnetic relaxations

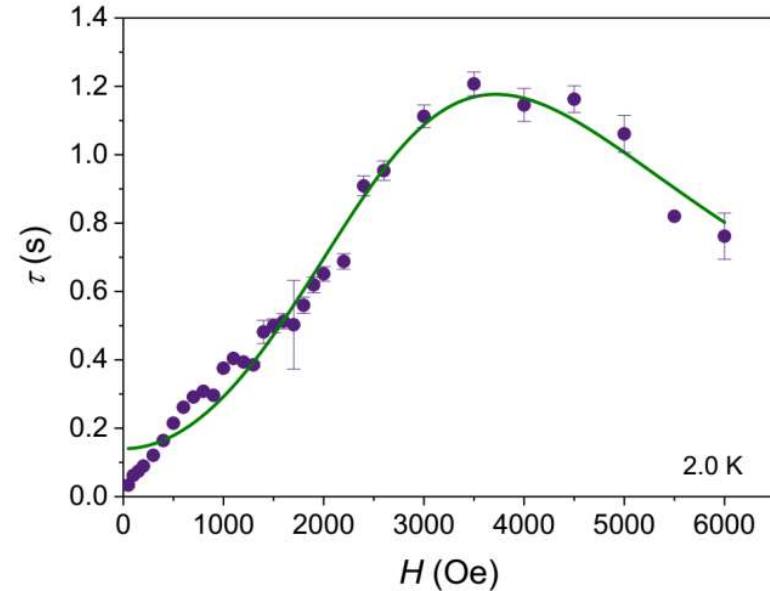
Dc magnetic properties - measurements



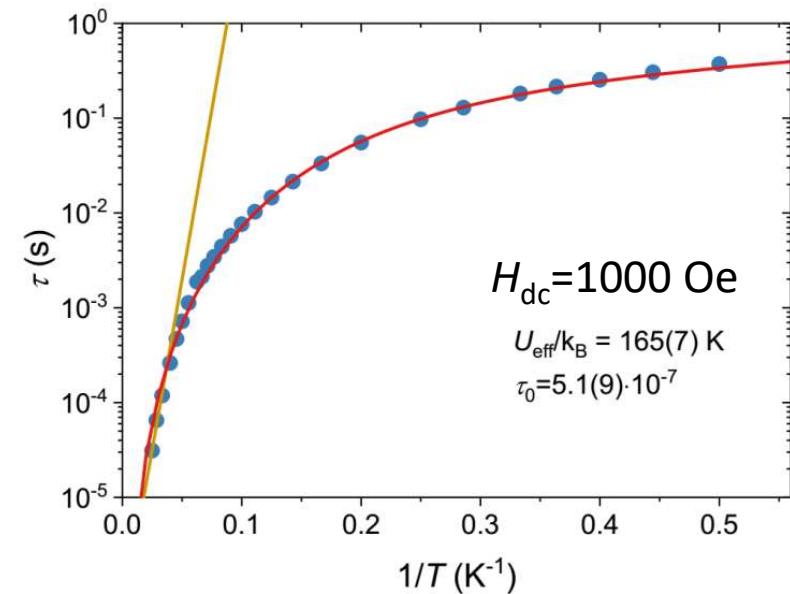
Anisotropy of magnetic relaxations



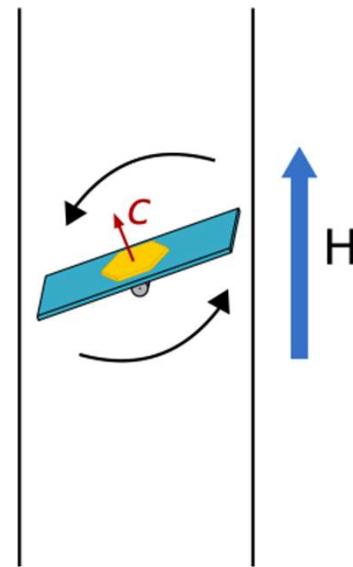
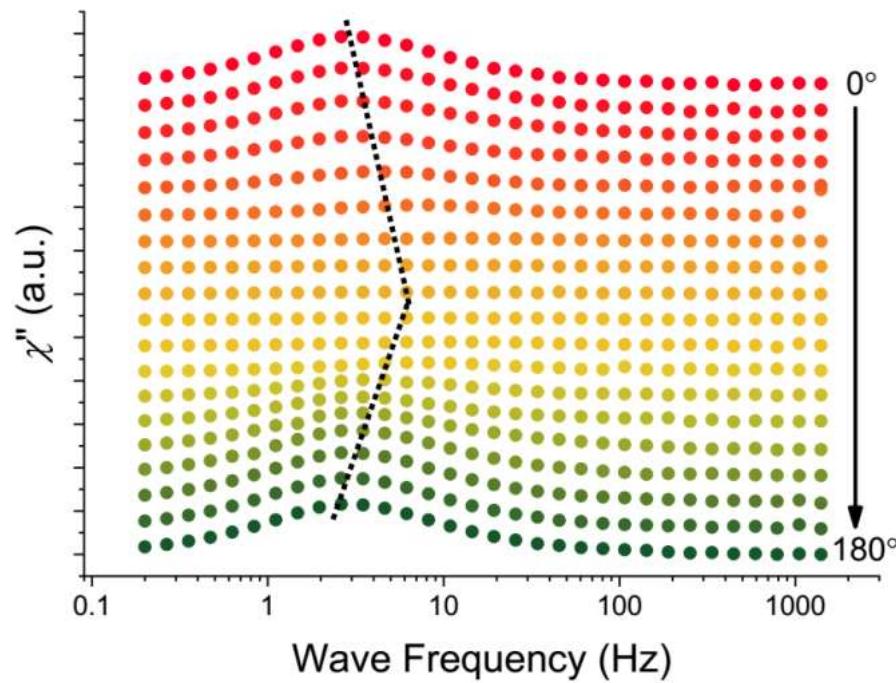
Dc field dependence



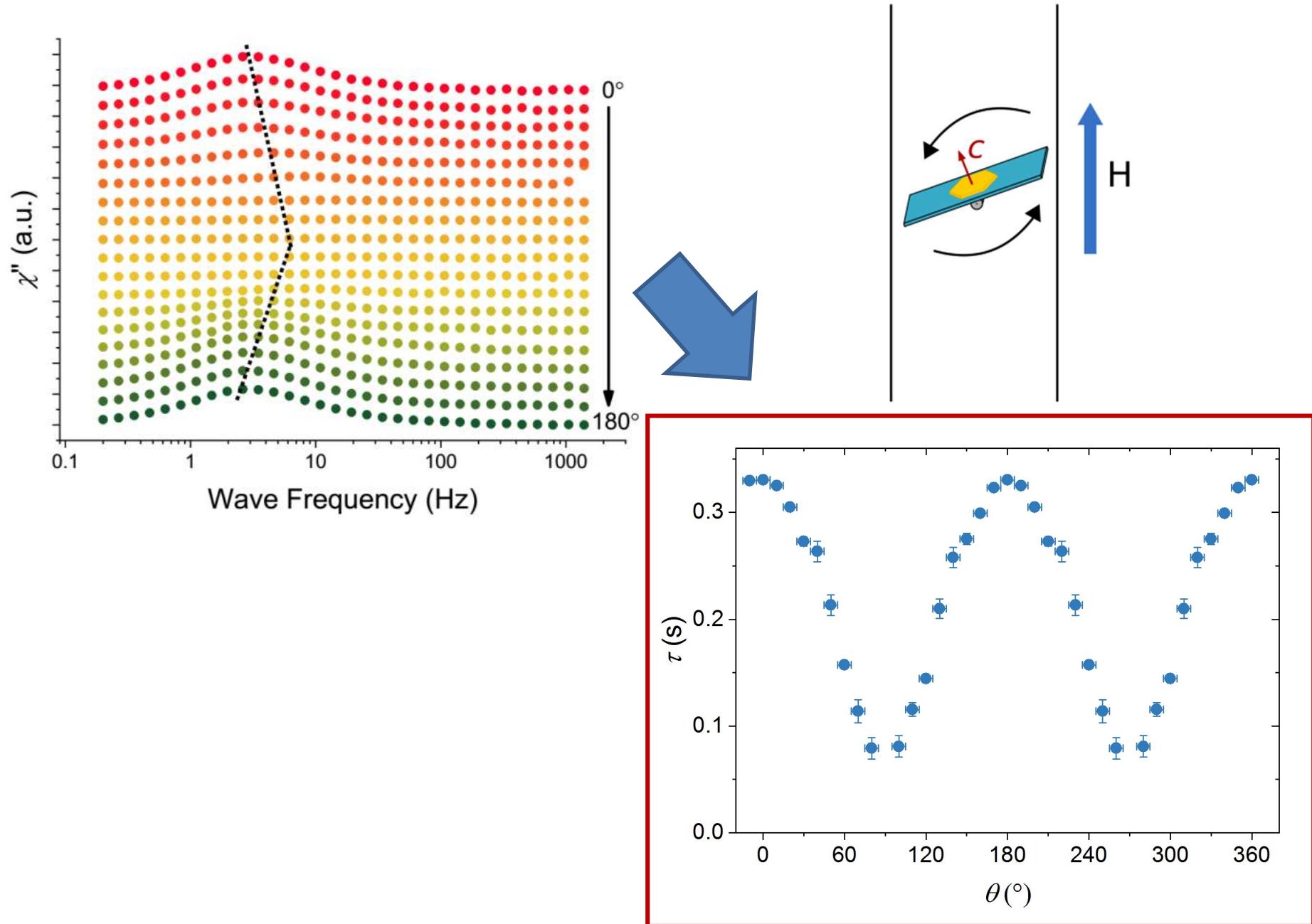
Temperature dependence



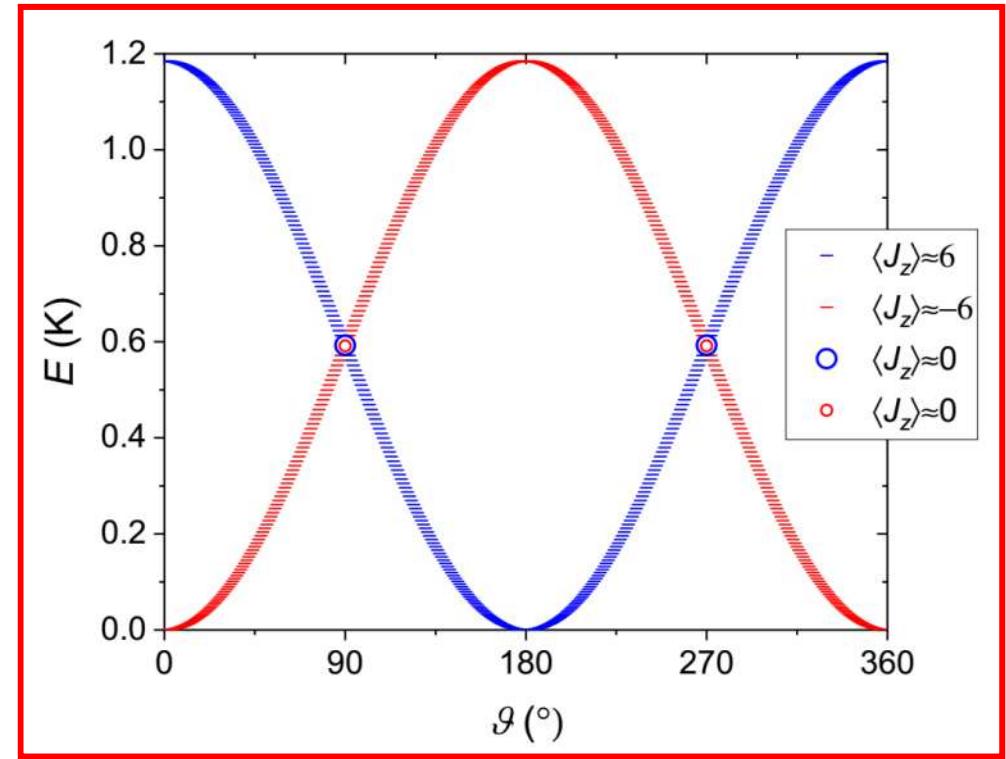
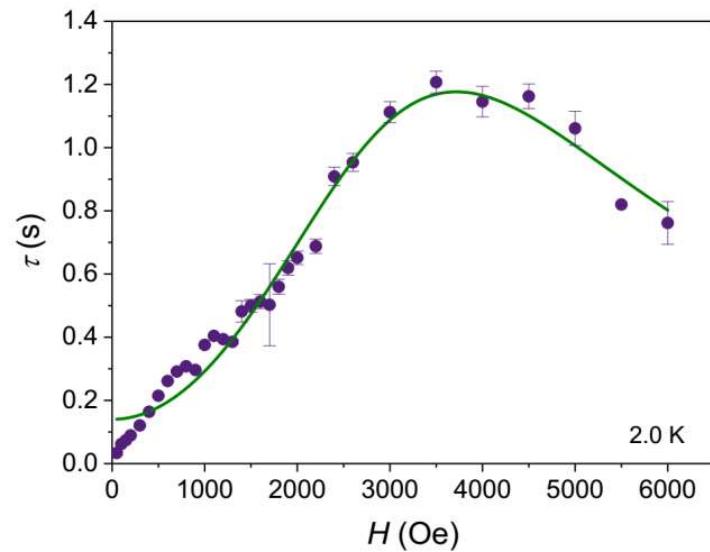
Anisotropy of magnetic relaxations



Anisotropy of magnetic relaxations



Anisotropy of magnetic relaxations

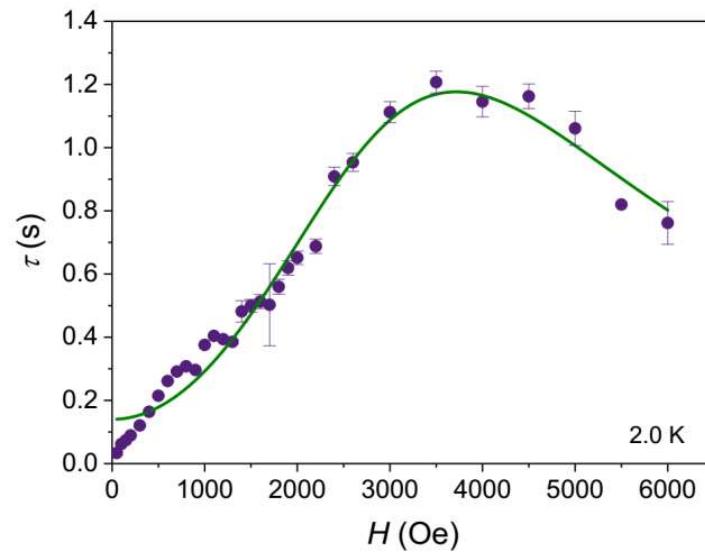


$$\tau^{-1} = \frac{A_1}{1 + A_2 H^2} + B_H H^2 T$$

$$\tau_{\text{QTM}}^{-1} = \frac{4\omega^2\eta}{1 + \eta^2(E_6 - E_{-6})^2 \hbar^{-2}}$$

$$\boxed{\tau_{\text{QTM}} = \frac{1 + \eta^2 \Delta E^2 \hbar^{-2}}{4\omega^2\eta} = \frac{1 + Q_2 (H_0 \cos \vartheta)^2}{Q_1}}$$

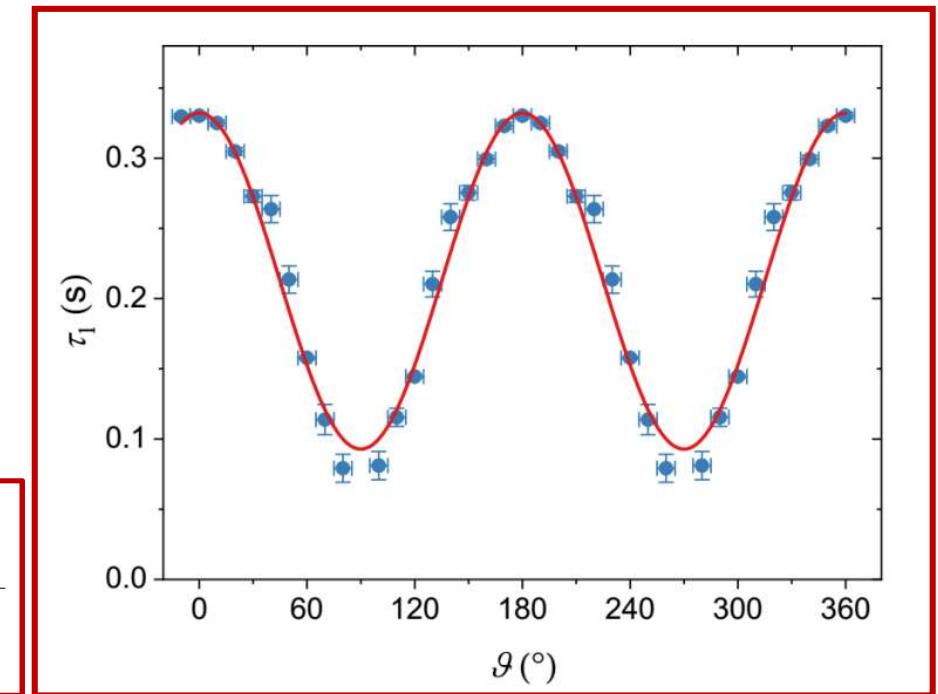
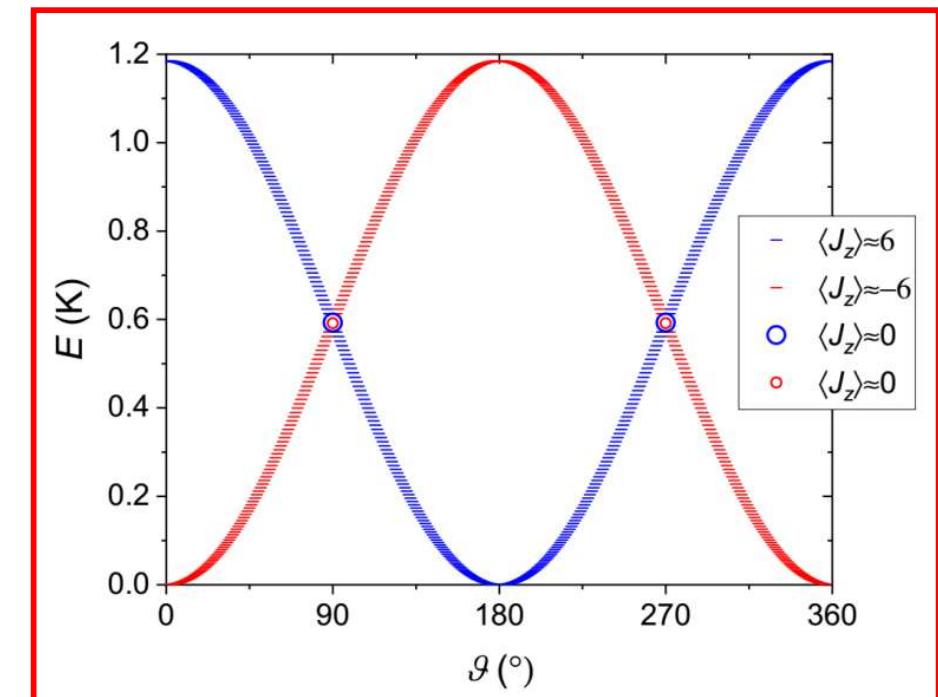
Anisotropy of magnetic relaxations



$$\tau^{-1} = \frac{A_1}{1 + A_2 H^2} + B_H H^2 T$$

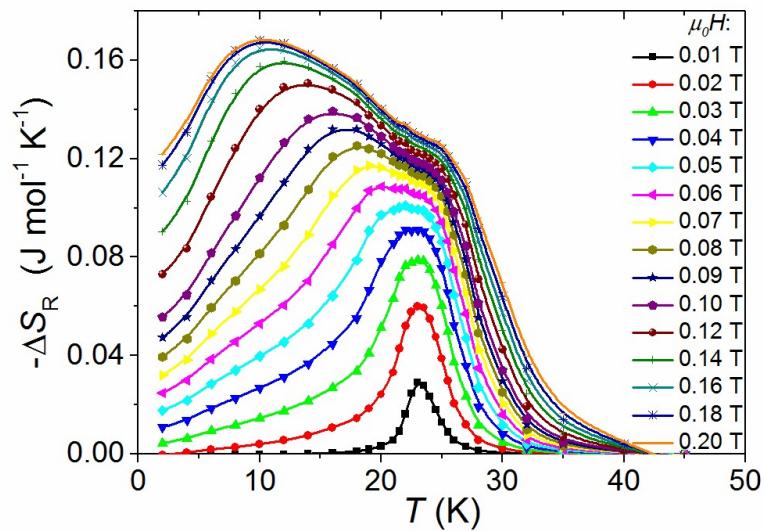
$$\tau_{\text{QTM}}^{-1} = \frac{4\omega^2\eta}{1 + \eta^2(E_6 - E_{-6})^2 \hbar^{-2}}$$

$$\tau_{\text{QTM}} = \frac{1 + \eta^2 \Delta E^2 \hbar^{-2}}{4\omega^2\eta} = \frac{1 + Q_2(H_0 \cos \vartheta)^2}{Q_1}$$



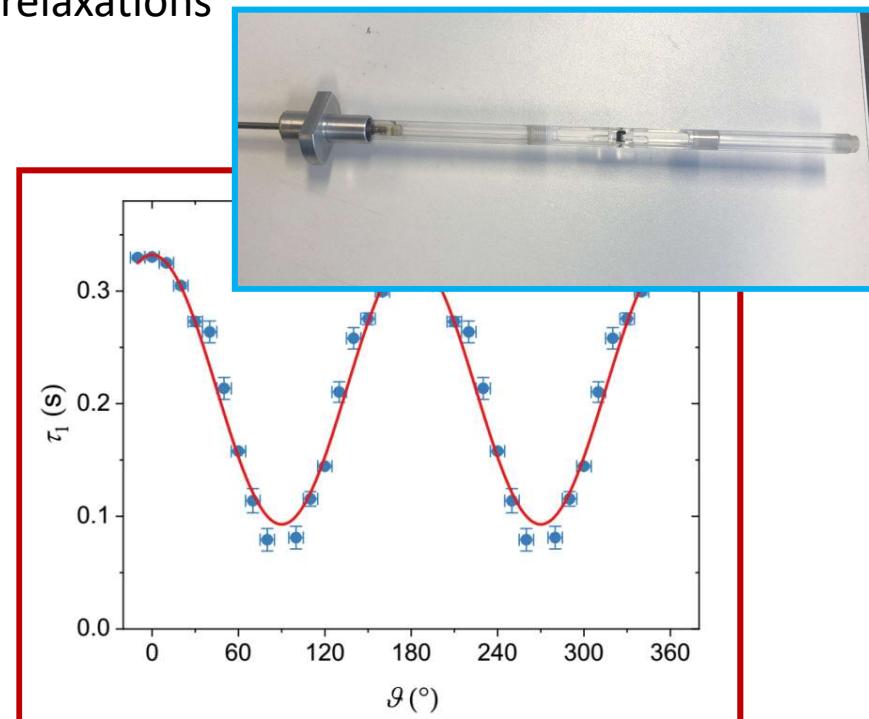
Conclusions

- RMCE between easy plane and hard axis
- Inverse MCE can enhance RMCE
- Crucial role of magnetic anisotropy



Inorg. Chem. 2017, 56, 2777-2783
Inorg. Chem. 2017, 56, 11971-11980
Crystals, 9 (2019) 9

- Design and construction of a setup for angle-resolved ac susceptibility measurements
- Angle evolution of the relaxation time for an SMM
- Evidence of the anisotropy of magnetic relaxations



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Dalton T., 49 (2020) 300-311
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THANK YOU FOR YOUR ATTENTION

Pauli's "Hidden Rotation" and the Spinning Electron

