

# Measurement of long range azimuthal correlations in proton-proton and protonlead collisions with ATLAS

#### Arabinda Behera

Stony Brook University

For the ATLAS Collaboration

23rd May, 2018





### Large vs Small system



- N+N QGP formation and collective expansion
- Will the picture be same in small system???

Phys.Rev. C 86 (2012) 014907

-4



- Relatively very small created medium in p+Pb and pp
- Expectation No QGP and collective expansion in small system!!!

# **Ridge in Small System**



- Long-range azimuthal correlation observed in both pp and p+Pb
- Both system show near-side and away-side ridge

# **Ridge in Small System**



- Long-range azimuthal correlation observed in both pp and p+Pb
- Both system show near-side and away-side ridge

Is QGP droplet present in small system? How to turn off QGP? What's the underlying physics?

# Non-flow in Ridge



- Non-Flow can contribute to both SRC(decays,single jets,HBT,etc) and LRC(dijets)
- Detailed investigation of the correlation and non-flow is very important

# Non-flow in Ridge



- Non-Flow can contribute to both SRC(decays,single jets,HBT,etc) and LRC(dijets)
- Detailed investigation of the correlation and non-flow is very important

How to remove non-flow? Is there collectivity in small system?









#### • Flow fluctuates from event to event -

- Initial geometry
   Hadronic interactions
- Hydro-evolution



#### Flow fluctuates from event to event -

- Initial geometry
- Hydro-evolution

#### • Cumulants

- Global nature of correlation
- Suppress non-flow
- Measure  $p(v_n)$



 $L_{int} = 7 \mu b^{-1}$ 

- $v_n\{4\} = \sqrt{-c_n\{4\}}$ • Reference flow :
- For Gaussian flow fluctuations :

$$v_n\{2\} = \sqrt{\bar{v}_n + \sigma^2} \qquad v_n\{4\} = \sqrt{\bar{v}_n - \sigma^2} = v_n\{6\} = v_n\{8\}, \dots$$

#### • Flow fluctuates from event to event -

- Initial geometry
- Hydro-evolution

#### • Cumulants

- Global nature of correlation
- Suppress non-flow
- Measure  $p(v_n)_{c}$

• Reference flow :



• For Gaussian flow fluctuations :

$$v_n\{2\} = \sqrt{\bar{v}_n + \sigma^2} \qquad v_n\{4\} = \sqrt{\bar{v}_n - \sigma^2} = v_n\{6\} = v_n\{8\}, \dots$$

#### Flow fluctuates from event to event -

- Initial geometry
- Hydro-evolution

#### • Cumulants

- Global nature of correlation
- Suppress non-flow
- Measure  $p(v_n)$



Negative

- Reference flow :  $v_n\{4\} = \sqrt{-c_n\{4\}}$
- For Gaussian flow fluctuations :

$$v_n\{2\} = \sqrt{\bar{v}_n + \sigma^2} \qquad v_n\{4\} = \sqrt{\bar{v}_n - \sigma^2} = v_n\{6\} = v_n\{8\}, \dots$$

#### • Signature of Collectivity :

 $c_n\{4\} < 0 \quad \& \quad v_n\{2\} > v_n\{4\} \approx v_n\{6\} \approx v_n\{8\}$ 

#### **Cumulant Observables**

- 4-particle cumulant :  $\langle \{4\}_n \rangle = \langle e^{in(\phi_1 + \phi_2 \phi_3 \phi_4)} \rangle \quad c_n\{4\} = \langle \langle \{4\}_n \rangle \rangle 2\langle \langle \{2\}_n \rangle \rangle^2$
- Mixed harmonics Correlation : correlation among different flow harmonics

#### **Symmetric Cumulant**

#### Asymmetric Cumulant

$$\langle \{4\}_{n,m} \rangle = \langle e^{in(\phi_1 - \phi_2) + im(\phi_3 - \phi_4)} \rangle \qquad \langle \{3\}_n \rangle = \langle e^{i(n\phi_1 + n\phi_2 - 2n\phi_3)} \rangle$$
$$sc_{n,m}\{4\} = \langle \langle \{4\}_{n,m} \rangle \rangle - \langle \langle \{2\}_n \rangle \rangle \langle \langle \{2\}_m \rangle \rangle \qquad ac_n\{3\} = \langle \langle \{3\}_n \rangle \rangle$$

$$sc_{n,m}\{4\} = \langle v_n^2 v_m^2 \rangle - \langle v_n^2 \rangle \langle v_m^2 \rangle$$

$$ac_n\{3\} = \langle v_n^2 v_{2n} \cos 2n(\Phi_n - \Phi_{2n}) \rangle$$

### **Cumulant Observables**

- 4-particle cumulant :  $\langle \{4\}_n \rangle = \langle e^{in(\phi_1 + \phi_2 \phi_3 \phi_4)} \rangle \quad c_n\{4\} = \langle \langle \{4\}_n \rangle \rangle 2\langle \langle \{2\}_n \rangle \rangle^2$
- Mixed harmonics Correlation : correlation among different flow harmonics

#### **Symmetric Cumulant**

#### **Asymmetric Cumulant**

$$\langle \{4\}_{n,m} \rangle = \langle e^{in(\phi_1 - \phi_2) + im(\phi_3 - \phi_4)} \rangle$$

$$sc_{n,m}\{4\} = \langle \langle \{4\}_{n,m} \rangle \rangle - \langle \langle \{2\}_n \rangle \rangle \langle \langle \{2\}_m \rangle \rangle$$

$$ac_n\{3\} = \langle \langle \{3\}_n \rangle \rangle$$

$$sc_{n,m}\{4\} = \langle v_n^2 v_m^2 \rangle - \langle v_n^2 \rangle \langle v_m^2 \rangle$$

$$ac_n\{3\} = \langle v_n^2 v_{2n} \cos 2n(\Phi_n - \Phi_{2n}) \rangle$$

#### • Results :

- $\bullet$  p+Pb low Nch  $c_2\{4\}$  has wrong sign
- pp  $c_2\{4\}$  dominated by non-flow
- No Collectivity in pp?



### **Subevent Method for Cumulants**

• Subevents in pseudorapidity used to remove non-flow correlations

30-



• 2-subevent removes intra-jet and 3-subevent removes inter-jet correlations

### **Subevent Method for Cumulants**

• Subevents in pseudorapidity used to remove non-flow correlations



• 2-subevent removes intra-jet and 3-subevent removes inter-jet correlations

8

 Performance in Pythia - standard method fails to suppress non-flow

PHYSICAL REVIEW C 96, 034906 (2017)



- Standard cumulant has positive  $c_2{4}$ 
  - residual non-flow



- Standard cumulant has positive  $c_2{4}$ 
  - residual non-flow

3 Subevent has the highest non-flow suppression and measures 4% flow down to 70 tracks



- Standard cumulant has positive  $c_2{4}$ 
  - residual non-flow

3 Subevent has the highest non-flow suppression and measures 4% flow down to 70 tracks

System comparison - 3-Subevent

- Non-flow suppression in both pp and p+Pb
- Correct sign both pp and p+Pb
- Weak energy dependence for pp



- Standard cumulant has positive  $c_2{4}$ 
  - residual non-flow

3 Subevent has the highest non-flow suppression and measures 4% flow down to 70 tracks

System comparison - 3-Subevent

- Non-flow suppression in both pp and p+Pb
- Correct sign both pp and p+Pb
- Weak energy dependence for pp

pp also shows signs of collectivity



ch'

### Symmetric Cumulant (2,3)



### Symmetric Cumulant (2,3)



### Symmetric Cumulant (2,3)



### Symmetric Cumulant (2,4)

 $\mathbf{sc_{2,4}}{4} = \langle \mathbf{v_2^2 v_4^2} 
angle - \langle \mathbf{v_2^2} 
angle \langle \mathbf{v_4^2} 
angle$ pp ×10<sup>-6</sup> sc<sub>2,4</sub>{4} Standard method non-flow dominated — Two-subevent method Three-subevent method — Four-subevent method Residual non-flow in 2SE 5 Positive correlation between  $v_2$  and  $v_4$  is observed in all methods 8 Ř  $\bigcirc$ 0 **ATLAS** Preliminary Manifestation of non-linear 0.3<p\_<3 GeV pp 13 TeV, 0.9 pb<sup>-1</sup> effects  $v_4 = v_{4L} + \chi_2 v_2^2$ 50 150 100 0  $\langle {\sf N}_{\rm ch} \rangle$ ATLAS-CONF-2018-012

# Symmetric Cumulant (2,4)



#### **Asymmetric Cumulant**



- Positive correlation is observed in all systems and all methods
- Residual non-flow in 2SE

### **Asymmetric Cumulant**



- Positive correlation is observed in all systems and all methods
- Residual non-flow in 2SE
- Standard and subevents dont converge even at high  $N_{ch}$  Flow decorrelation? Eur. Phys. J. C 76 (2018) 142
- Higher signal thus better statistical precision than symmetric cumulants

#### System Size Dependence



- Consistent results for symmetric cumulants  $N_{ch}$  range covered by pp
- For  $N_{ch}$  > 150,  $sc_{23}$ {4} and  $sc_{24}$ {4} signals are larger for Pb+Pb than p+Pb

#### **System Size Dependence**



- $\bullet$  Consistent results for symmetric cumulants  $N_{ch}$  range covered by pp
- For  $N_{ch}$  > 150,  $sc_{23}$ {4} and  $sc_{24}$ {4} signals are larger for Pb+Pb than p+Pb
- For  $N_{ch}$  > 100,  $ac_2\{3\}$  in the three systems deviate from each other
- $\bullet$  Comparison not perfect as different cumulants have different  $\mathbf{V}_n$

 Normalised cumulants - remove dependence on harmonics magnitude and focus only on correlation strength

$$nsc_{2,3}\{4\} = \frac{sc_{2,3}\{4\}}{v_2\{2\}^2 v_3\{2\}^2} = \frac{\langle v_2^2 v_3^2 \rangle}{\langle v_2^2 \rangle \langle v_3^2 \rangle} - 1 \quad , \quad nsc_{2,4}\{4\} = \frac{sc_{2,4}\{4\}}{v_2\{2\}^2 v_4\{2\}^2} = \frac{\langle v_2^2 v_4^2 \rangle}{\langle v_2^2 \rangle \langle v_4^2 \rangle} - 1$$
$$nac_2\{3\} = \frac{ac_2\{3\}}{v_2\{2\}^2 \sqrt{v_4\{2\}^2}} = \frac{\langle v_2^2 v_4 cos4(\Phi_2 - \Phi_4) \rangle}{\langle v_2^2 \rangle \sqrt{\langle v_4^2 \rangle}}$$

• "Improved" template fit method - To obtain  $v_n \{2\}^2$ 

#### ATLAS-CONF-2018-012

 $nsc_{2,3}{4}$ 

#### $nsc_{2,4}{4}$

#### $nac_{2}{3}$



- Normalization removes most of the  $N_{ch}$  dependence at  $N_{ch}$  >100!
- Signal strength similar in all systems at high  $N_{ch}$  but 20-30% difference at low  $N_{ch}$



- Normalization removes most of the  $N_{ch}$  dependence at  $N_{ch}$  >100!
- ullet Signal strength similar in all systems at high  $N_{ch}$  but 20-30% difference at low  $N_{ch}$
- •In pp  $nsc_{23}{4}$  is very different than in p+Pb and Pb+Pb  $v_3^2{2}$  in template fit method underestimated significantly



- Normalization removes most of the  $N_{ch}$  dependence at  $N_{ch}$  >100!
- Signal strength similar in all systems at high  $N_{ch}$  but 20-30% difference at low  $N_{ch}$
- •In pp  $nsc_{23}{4}$  is very different than in p+Pb and Pb+Pb  $v_3^2{2}$  in template fit method underestimated significantly



### Summary

- Two-particle Flow :
  - Improved Template Fit corrects for fluctuating  $v_n$  with  $N_{ch}$
  - Significant  $v_2\{2\}$  for small system
- Multi-particle Cumulants :
  - Standard cumulant method dominated by non-flow
  - Three-subevent method removes non-flow
  - Small system shows signs of collectivity
- Mixed Harmonics Correlation :
  - Three-subevent method removes non-flow
  - Anticorrelation  $(v_2, v_3)$  and correlated  $(v_2, v_4)$
  - Normalised cumulants similar strength across all systems
  - Behaviour of small and large systems are similar

### Summary

- Two-particle Flow :
  - Improved Template Fit corrects for fluctuating  $v_n$  with  $N_{ch}$
  - Significant  $v_2\{2\}$  for small system
- Multi-particle Cumulants :
  - Standard cumulant method dominated by non-flow
  - Three-subevent method removes non-flow
  - Small system shows signs of collectivity
- Mixed Harmonics Correlation :
  - Three-subevent method removes non-flow
  - Anticorrelation  $(v_2, v_3)$  and correlated  $(v_2, v_4)$
  - Normalised cumulants similar strength across all systems
  - Behaviour of small and large systems are similar

Strong evidence for long-range correlation and collectivity in small system. Can help constrain theoretical models.



#### p+Pb Collectivity

Eur. Phys. J. C 77 (2017) 428



#### System dependence



#### **Normalised Cumulants**





