

# Rapidity- and azimuthally-dependent femtoscopy in $\sqrt{s_{\text{NN}}} = 5.02 \text{ TeV}$ $p+\text{Pb}$ collisions with ATLAS

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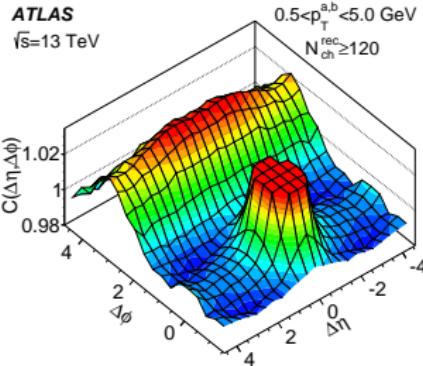
On behalf of the ATLAS collaboration

XIII Workshop on Particle Correlations and Femtoscopy  
Kraków, Poland

22 May, 2018

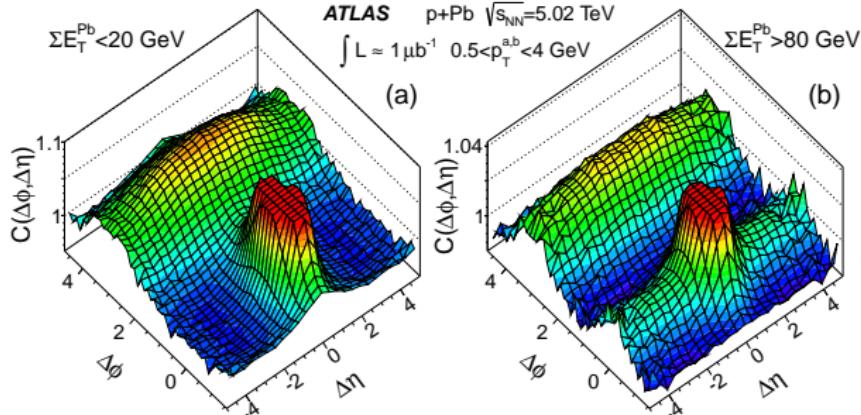


# Motivation



- ▶ “ridge” is observed in  $p+Pb$  (below) and  $pp$  (left) collisions – near-side long-range angular correlation; explained by hydrodynamics
- ▶ the applicability of hydro in small systems is controversial
- ▶ useful to measure source size as function of centrality, momentum, azimuthal angle

Phys. Rev. Lett. **116**, 172301  
Phys. Rev. Lett. **110**, 182302



# Introduction

- ▶ Momentum-space 2-particle correlation functions,

$$C(\mathbf{p}_1, \mathbf{p}_2) \equiv \frac{\frac{dN_{12}}{d^3\mathbf{p}_1 d^3\mathbf{p}_2}}{\frac{dN_1}{d^3\mathbf{p}_1} \frac{dN_2}{d^3\mathbf{p}_2}},$$

are sensitive to the 2-particle source density function  $S_{\mathbf{k}}(\mathbf{r})$ :

$$C_{\mathbf{k}}(\mathbf{q}) = \int d^3r S_{\mathbf{k}}(\mathbf{r}) |\psi_{\mathbf{q}}(\mathbf{r})|^2.$$

$\mathbf{r}$  is the displacement between the 2 particles at freezeout,  
 $\mathbf{k} = (\mathbf{p}_1 + \mathbf{p}_2)/2$  is the average pair momentum, and  $\mathbf{q} = (\mathbf{p}_1 - \mathbf{p}_2)$  is the relative momentum.

- ▶ Background  $\frac{dN_1}{d^3\mathbf{p}_1} \frac{dN_2}{d^3\mathbf{p}_2}$  is formed by event-mixing within intervals of centrality and longitudinal position of the collision vertex.

# Introduction

- ▶ Bose-Einstein correlations between identical pions provide particularly good resolution of the source function.
  - For identical non-interacting bosons,  $C_{\text{BE}}(\mathbf{q}) = 1 + \mathcal{F}[S(\mathbf{r})]$ .
- ▶  $C(\mathbf{q})$  is fit to some function to extract characteristic length scales of  $S(\mathbf{r})$ , which are referred to as the *HBT radii*.
- ▶ Bowler-Sinyukov form is used for the full correlation function:

$$C_{\text{full}}(\mathbf{q}) = [(1 - \lambda) + \lambda K(q_{\text{inv}}) C_{\text{BE}}(\mathbf{q})] \Omega(\mathbf{q}) ,$$

- $K(q_{\text{inv}})$ : Coulomb interactions between the pions
- $\Omega(\mathbf{q})$ : non-femtoscopic background features (jet fragmentation)
- $\lambda$ : parameter  $0 \leq \lambda \leq 1$  that accounts for mis-identified pions, coherent emission, and long-lived decays ( $\lambda = 1$  in an idealized limit; typically 0.8–1)

# Introduction

The Bertsch-Pratt coordinate system is used, which is boosted to the longitudinal co-moving frame (LCMF) of each pair.

$R_{\text{out}}$ : along  $k_T$

$R_{\text{side}}$ : other transverse direction

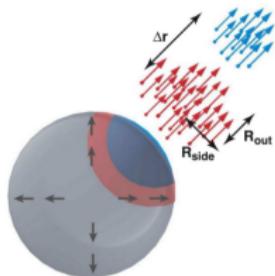
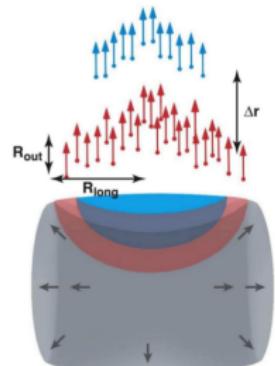
$R_{\text{long}}$ : longitudinal (boosted to LCMF)

The Bose-Einstein part of the correlation function is fit to an quasi-ellipsoid exponential:

$$C_{\text{BE}}(\mathbf{q}) = 1 + \exp(-\|\mathbf{R}\mathbf{q}\|)$$

$$\mathbf{R} = \begin{pmatrix} R_{\text{out}} & R_{\text{os}} & R_{\text{ol}} \\ R_{\text{os}} & R_{\text{side}} & 0 \\ R_{\text{ol}} & 0 & R_{\text{long}} \end{pmatrix}$$

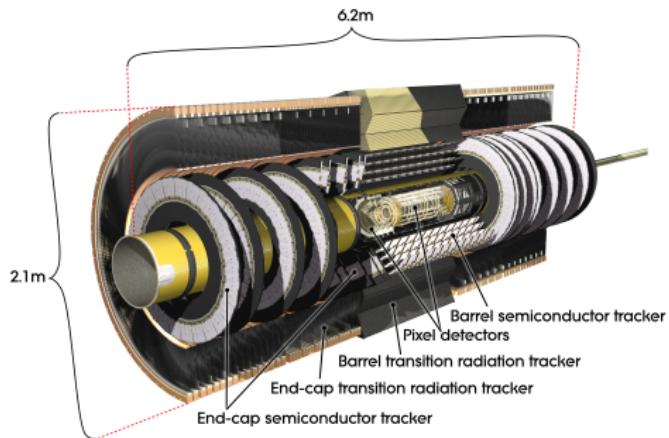
with either  $R_{\text{os}} = 0$  or  $R_{\text{ol}} = 0$ .



Ann. Rev. Nucl. Part. Sci. 55  
(2005) 357

# ATLAS inner detector

- ▶ pixel detector - 82 million silicon pixels
- ▶ semiconductor tracker - 6.2 million silicon microstrips
- ▶ transition radiation tracker - 350k drift tubes
- ▶ 2 T axial magnetic field



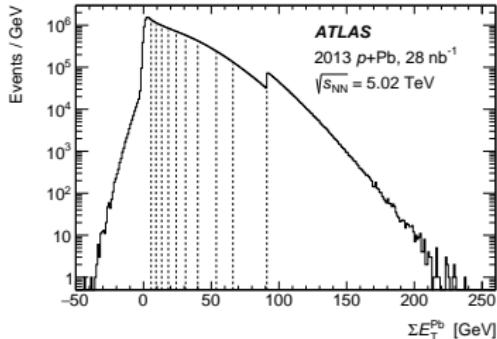
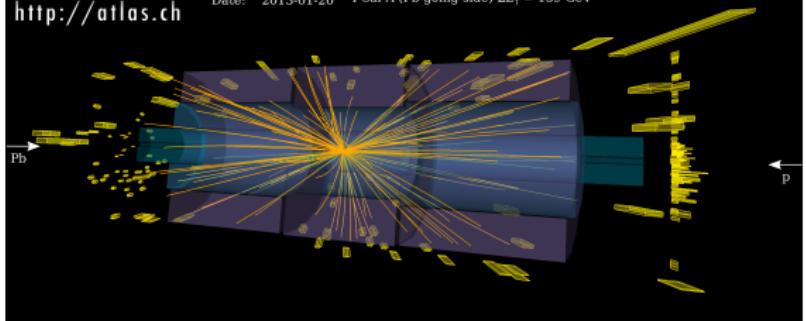
Reconstructed tracks from  $|\eta| < 2.5$  and  $p_T > 0.1$  GeV

# Data selection



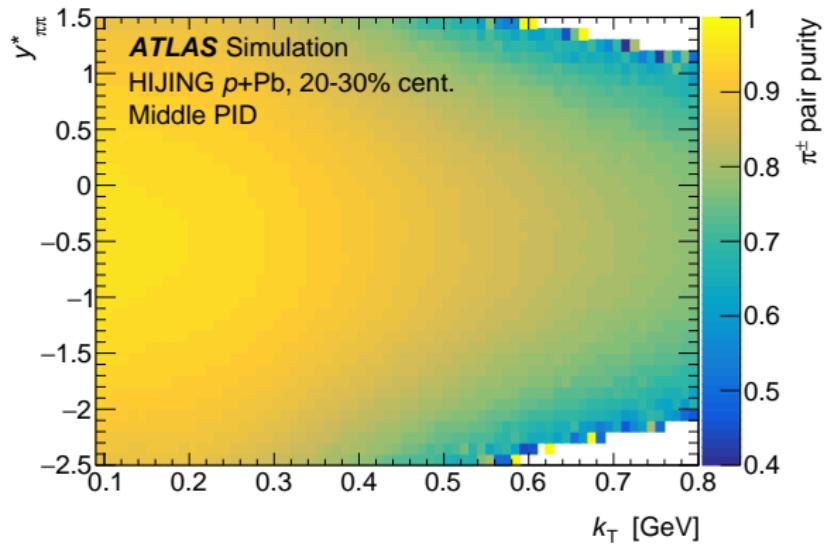
High multiplicity p+Pb event

Run: 217946  $N_{\text{ch}}(p_t > 0.4 \text{ GeV}) = 273$ ,  
Event: 32291041  $N_{\text{ch}}(p_t > 1.0 \text{ GeV}) = 106$  (shown)  
Date: 2013-01-20 FCal A (Pb going side)  $\Sigma E_T = 139 \text{ GeV}$



- ▶ 2013  $p+\text{Pb}$  run from the LHC at  $\sqrt{s_{\text{NN}}} = 5.02 \text{ TeV}$
- ▶  $28 \text{ nb}^{-1}$  minimum bias data sample
- ▶ centrality, experimental proxy for impact parameter, determined from  $\sum E_T$  in the Pb-going side of forward calorimeter (right) at  $-4.9 < \eta < -3.1$  ( $y_{\text{Pb}} < 0$ ,  $y_p > 0$ )

# Pion identification



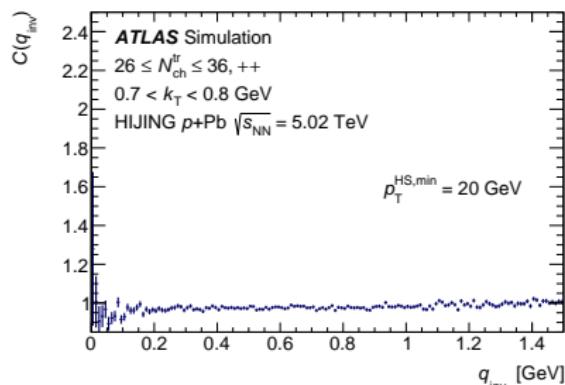
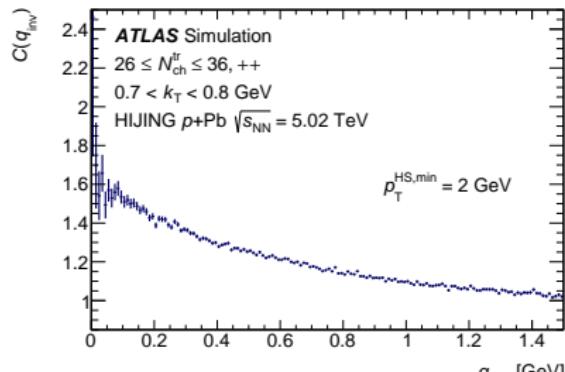
- ▶ Charged pions are identified using  $dE/dx$  measured from the charge deposited in pixel hits.
- ▶ The pair purity estimated from HIJING simulation is shown (left) as a function of pair  $k_T$  and  $y^*_{\pi\pi}$ .

$k_T$ : transverse component of the pair's average momentum

$y^*_{\pi\pi} = y_{\pi\pi} - 0.465$ : rapidity in the nucleon-nucleon centre-of-momentum frame

# Jet fragmentation correlation

- ▶ significant background observed in the two-particle correlation function, also in HIJING which has no femtoscopic signal (top)
- ▶ suppressing hard processes by turning up minimum hard-scattering  $p_T$  ( $p_T^{\text{HS,min}}$ ) in HIJING causes the correlation to disappear (bottom)
- ▶ opposite-charge correlations also contain jet fragmentation correlations, but no BE enhancement



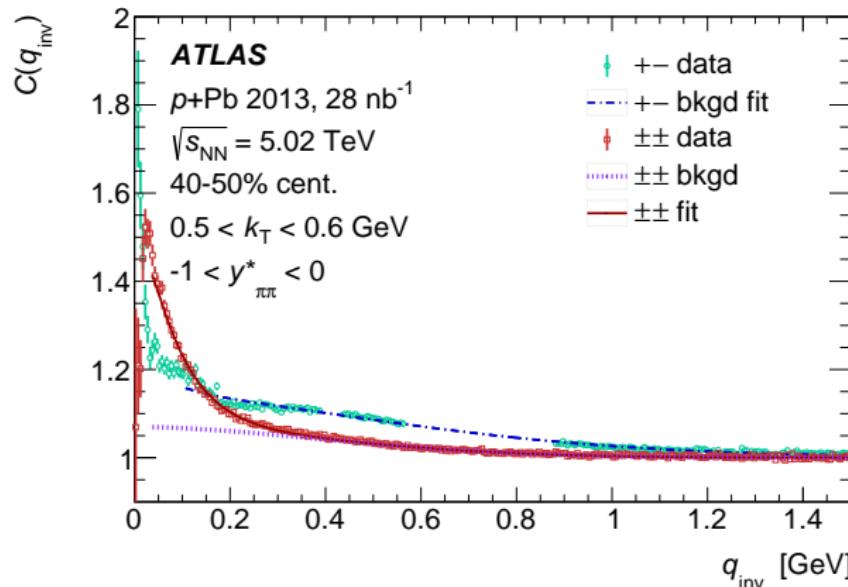
# Jet fragmentation correlation

Common methods to account for this background include:

1. Using a double ratio, dividing by correlation function in Monte Carlo simulation:  $C(q) = C^{data}(q)/C^{MC}(q)$ .
  - ▶ MC tends to over-estimate the magnitude of the effect, skewing results significantly.
2. Partially describing the background shape using simulation and allowing additional free parameters in the fit.
  - ▶ Additional free parameters can bias the fits.

In this analysis the jet fragmentation is measured in opposite-charge pair data and a mapping is derived in Pythia 8 to predict the form in same-charge correlations (see PRC **96** (2017) 064908).

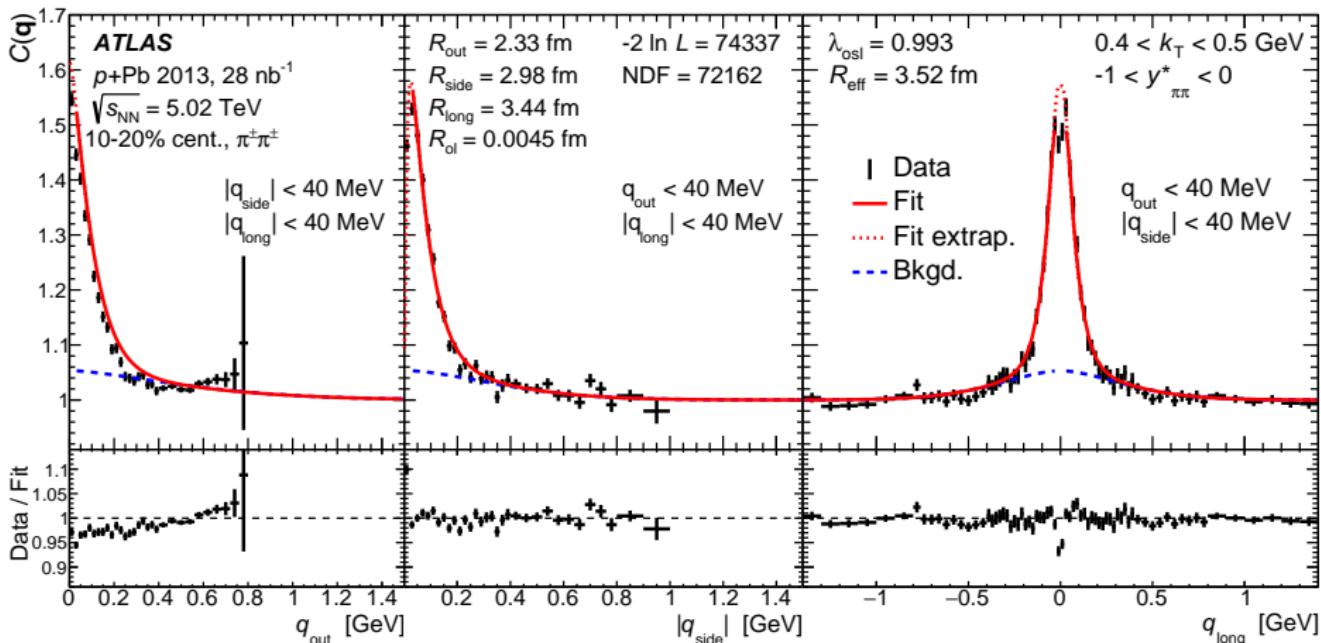
# Summary of fitting procedure



1. amplitude and width of opposite-charge correlation function are fit (blue dashed) from the opposite-charge pair distribution with resonances removed by mass cuts (teal points)

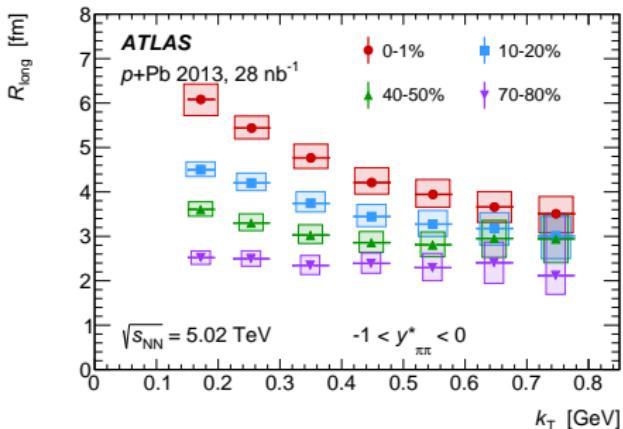
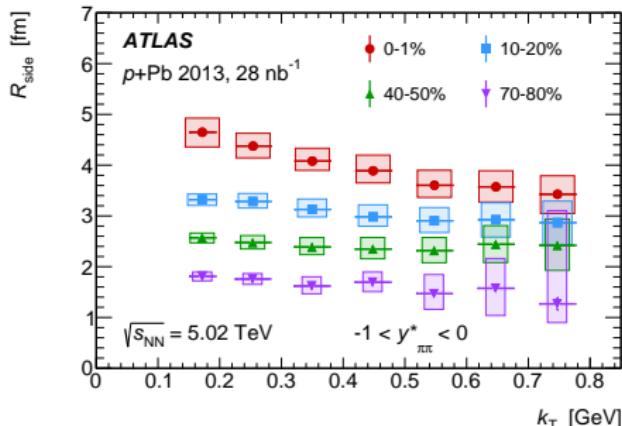
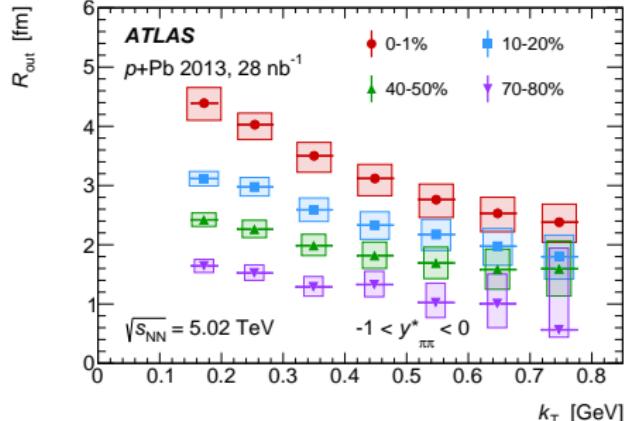
2. the results from +− are used to fix ±± background (violet dotted)
3. source radii are extracted by fitting full correlation function ±± (dark red) taking into account jet background

# Example fit to 3D correlation function



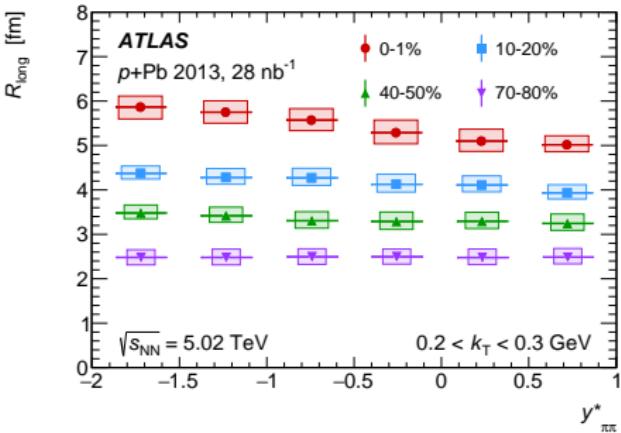
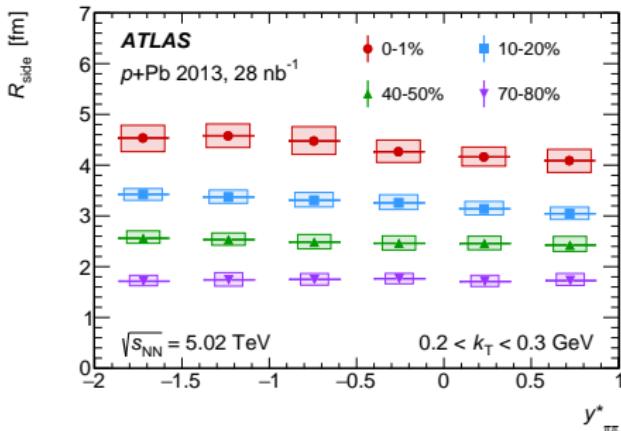
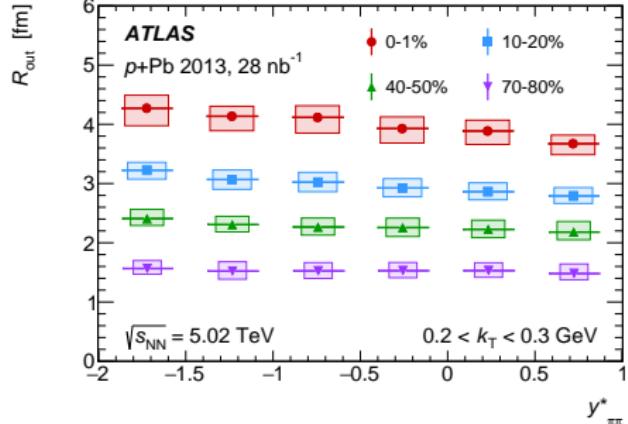
Fit works well globally ( $\chi^2/\text{d.o.f.} = 1.03$ ) but appears poor along  $q_{\text{out}}$  axis, where the tracks have the same outgoing angle. Moving just 1 or 2 bins along  $q_{\text{side}}$  or  $q_{\text{long}}$  helps significantly.

## HBT radii vs. $k_T$



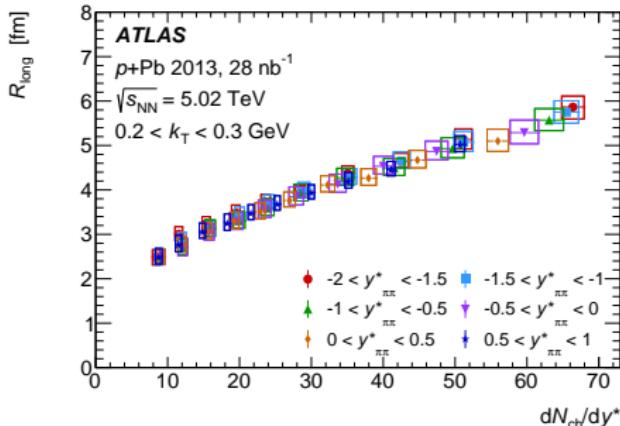
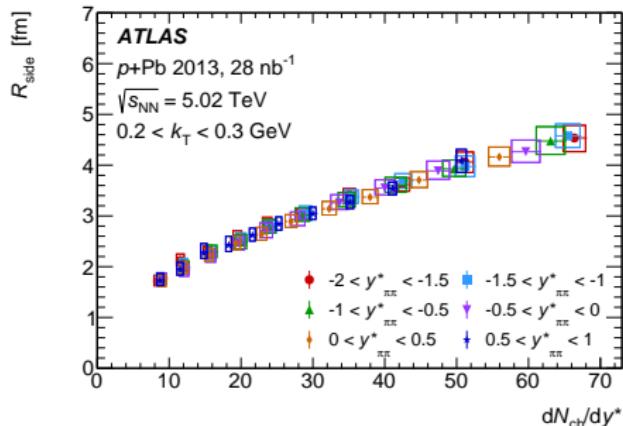
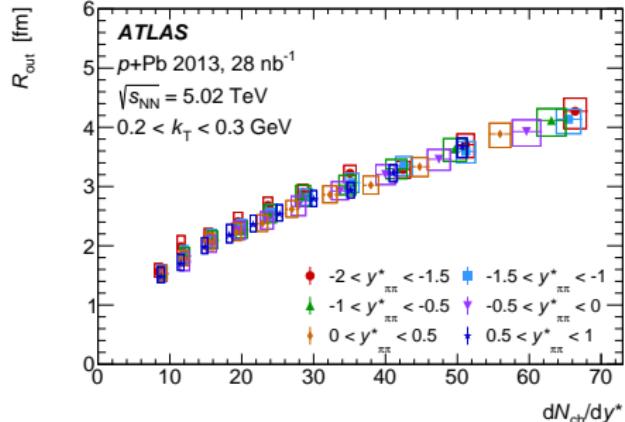
- ▶ decreasing size with rising  $k_T$  indicates collective expansion
  - ▶ visible in central events; trend is diminished in peripheral
  - ▶  $R_{\text{out}} < R_{\text{side}} < R_{\text{long}}$

## HBT radii vs. $y_{\pi\pi}^*$



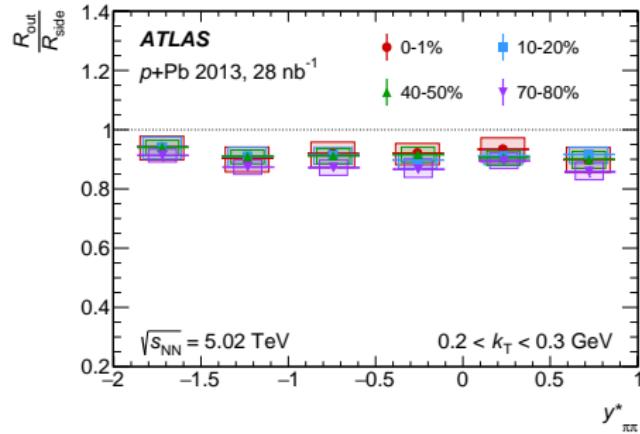
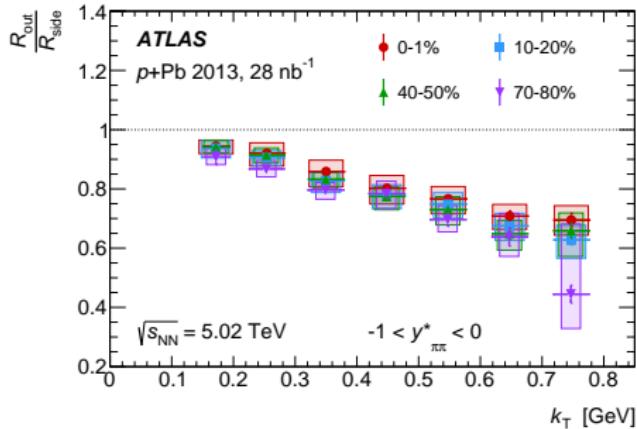
- ▶  $p$  beam has positive rapidity;  
Pb beam has negative
  - ▶ radii vs.  $y_{\pi\pi}^*$  are flat in peripheral, and larger on Pb-going side of central

## HBT radii vs. local multiplicity



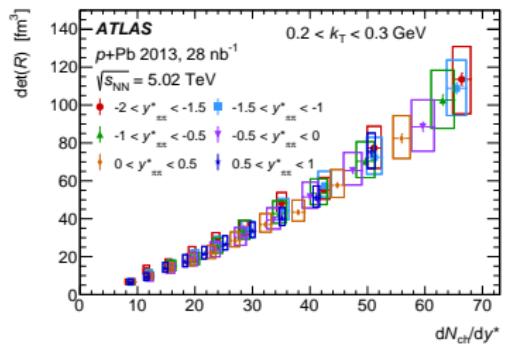
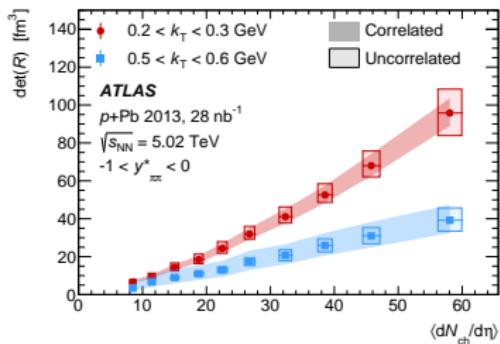
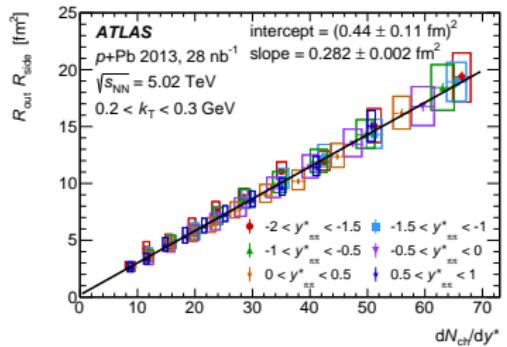
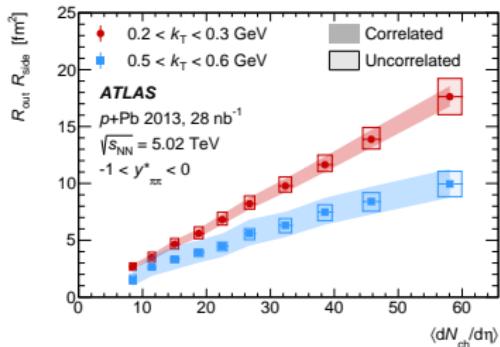
- ▶ radii are plotted against the local single-particle multiplicity in each centrality/rapidity interval
  - ▶ HBT radii are tightly correlated with local multiplicity

# Ratio of $R_{\text{out}} / R_{\text{side}}$



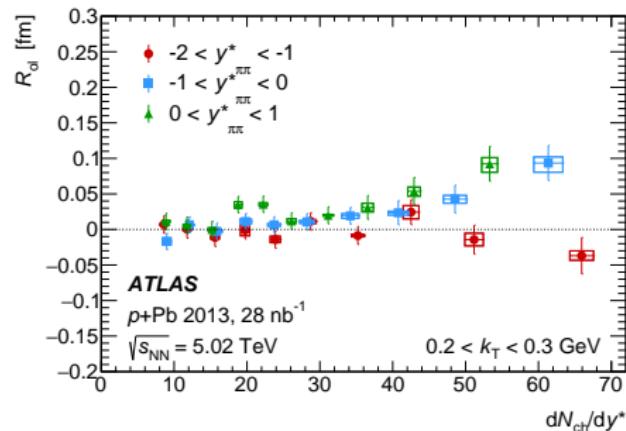
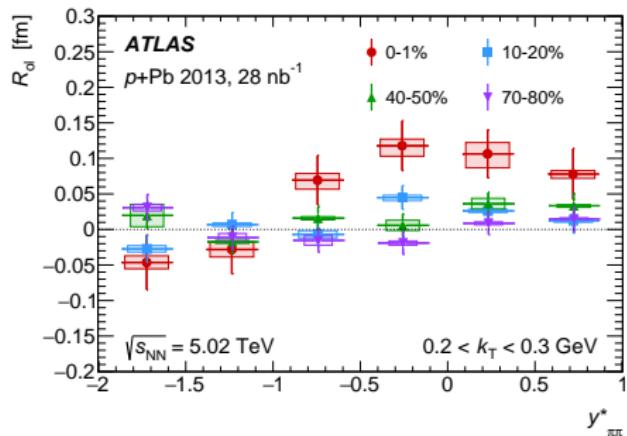
- ▶ in hydro models,  $R_{\text{out}}$  depends on the lifetime while  $R_{\text{side}}$  does not
- ▶ small ratio  $R_{\text{out}}/R_{\text{side}}$  is indicative of “explosive” event
- ▶ steadily decreases with rising  $k_{\text{T}}$  and is constant over rapidity
- ▶ marginally larger in central events, but not significant

# Transverse area and volume elements



At low  $k_T$ , the transverse area element  $R_{\text{out}} R_{\text{side}}$  scales linearly with multiplicity, indicating constant transverse areal density

# out-long cross term: $R_{\text{ol}}$



In central events on the *forward* side, there is strong evidence of a positive  $R_{\text{ol}}$  ( $5.1\sigma$  combined significance in 0–1% centrality)

- ▶ demonstrates breaking of boost invariance: z-asymmetry is manifest in proton-going side.
- ▶ requires both longitudinal and transverse expansion in hydrodynamic models

- first time this has been observed at RHIC/LHC

see theory comparison (agrees well): [previous talk by Sebastian Bysiak](#)

## Azimuthal analysis

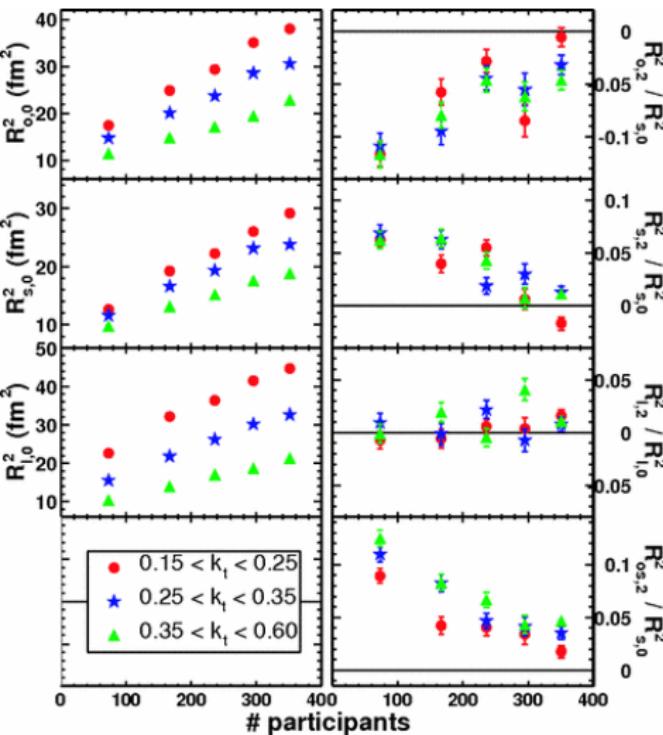
- ▶ HBT radii are also measured in central events (0–1%) as function of flow vector magnitude  $|\vec{q}_2|$  and angle w.r.t. the 2nd-order event plane (EP) angle  $\Psi_2$ .

$$\vec{q}_2 \equiv |\vec{q}_2| e^{i2\Psi_2} = \frac{\sum_k E_{T,k} e^{i2\phi}}{\sum_k E_{T,k}}$$

- ▶ The analysis procedure is largely identical, with some exceptions:
  - ▶ high-multiplicity triggers included to improve statistics
  - ▶ inclusive in rapidity; differential in azimuthal angle w.r.t.  $\Psi_2$
  - ▶ EP angles are aligned in event mixing
  - ▶ allowed cross term out-side ( $R_{os}$ ) instead of out-long ( $R_{ol}$ )
- ▶ 0th- and 2nd-order Fourier components are extracted, e.g.:

$$R_i = R_{i,0} + 2R_{i,2} \cos [2(\phi_k - \Psi_2)]$$

# Azimuthal HBT in Au+Au at RHIC

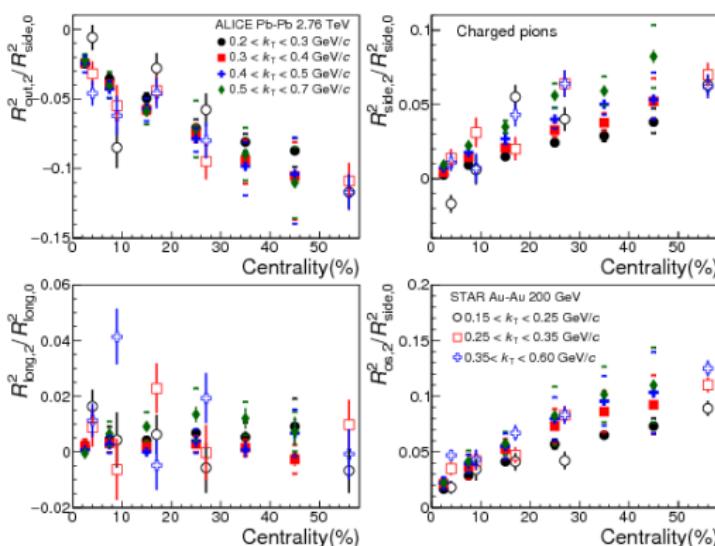


STAR (left) and PHENIX have measured the source size in Au+Au as function of azimuthal angle, and its Fourier components.

- ▶  $R_{out,2} < 0$
- ▶  $R_{side,2} > 0$
- ▶  $R_{long,2} \gtrsim 0$
- ▶  $R_{os,2} > 0$

These results are consistent with short-lived hydro. The source freezes out before its elliptic orientation is reversed by expansion.

# Azimuthal HBT in Pb+Pb at LHC



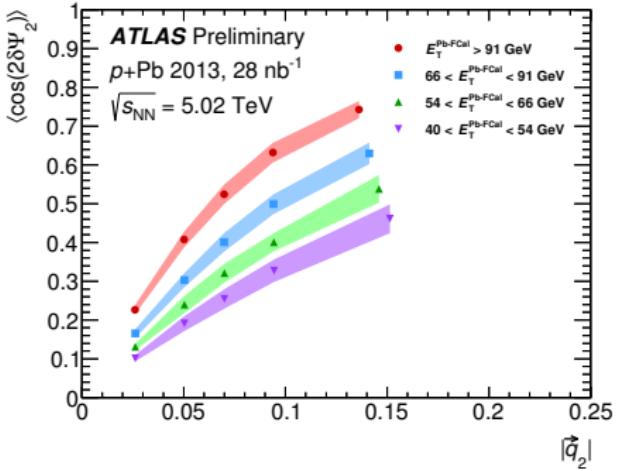
ALICE has recently published a similar azimuthal result in Pb+Pb at the LHC.

- ▶  $R_{\text{out},2} < 0$
- ▶  $R_{\text{side},2} > 0$
- ▶  $R_{\text{long},2} \gtrsim 0$
- ▶  $R_{\text{os},2} > 0$

Results are still consistent with short-lived hydro.

later today: ALICE femtoscopy results by Magorzata Janik

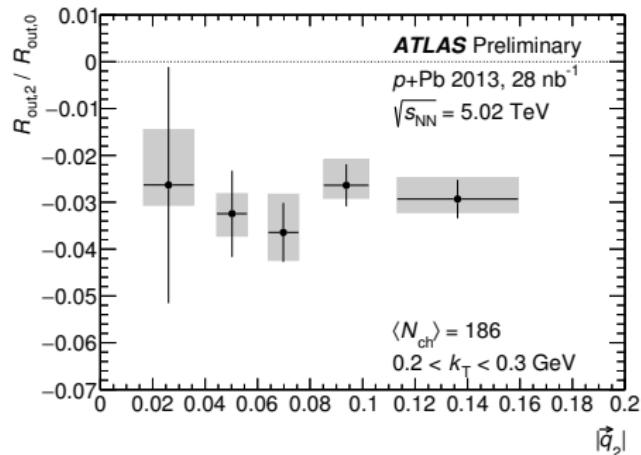
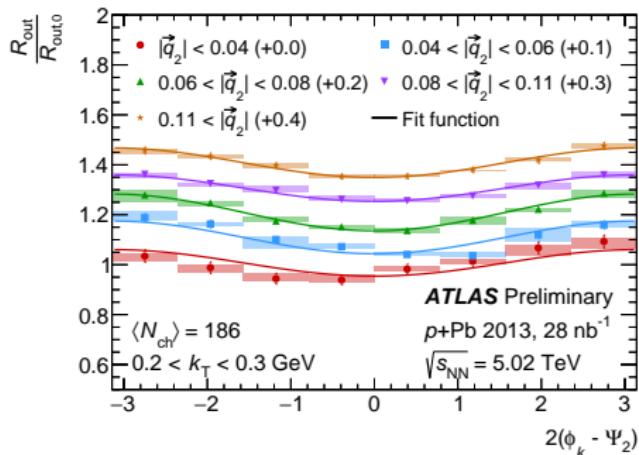
# Event plane resolution



For these azimuthal results, only the points shown as red circles are used. The others are shown only to indicate the centrality dependence of EP resolution.

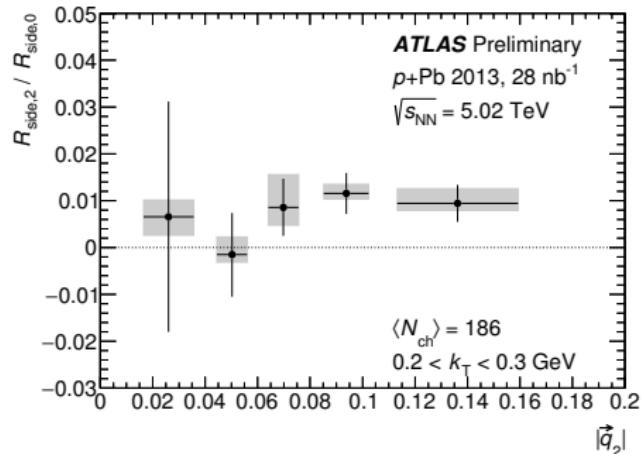
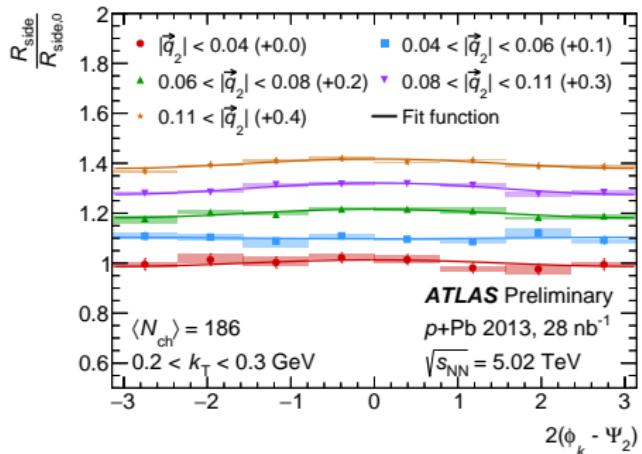
- ▶ The 2nd-order event plane angle  $\Psi_2$  is measured in the forward calorimeter at  $\eta < -2.5$ .
  - ▶ The 2nd-order Fourier components of observables are decreased by factor of  $\langle \cos(2\delta\Psi_2) \rangle$  (left).
  - ▶ This is corrected by increasing bin-by-bin 2nd-order Fourier terms (which induces statistical correlations between radii in different azimuthal bins).
  - \* Event-mixed distributions complicate the matter, but historically, and here, these have been corrected in the same way. (coffee break discussion)

$R_{\text{out}}$ : azimuthal dependence



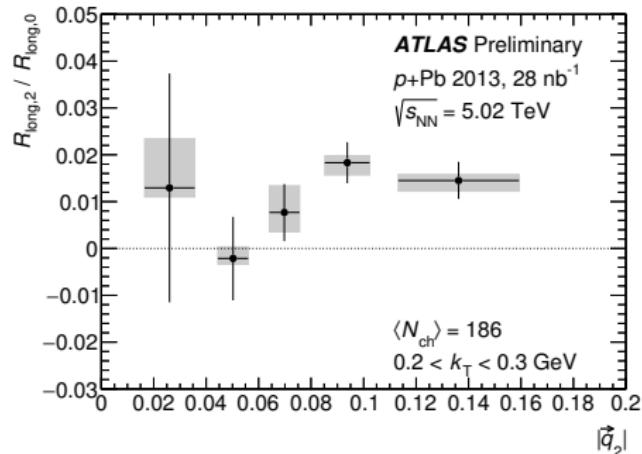
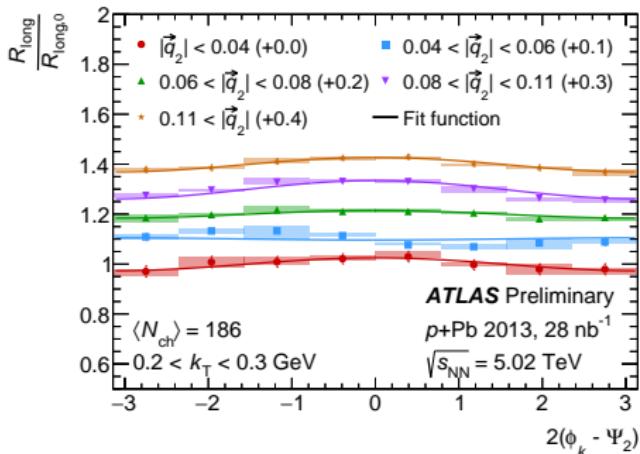
- ▶ in hydro,  $R_{\text{out}}$  couples to the lifetime directly
  - ▶ sign of modulation indicates smaller in-plane size:  $R_{\text{out},2} < 0$
  - ▶ same orientation observed in A+A  
(note ATLAS uses  $-\pi$  to  $\pi$  convention for  $\phi_k$ )

## $R_{\text{side}}$ : azimuthal dependence



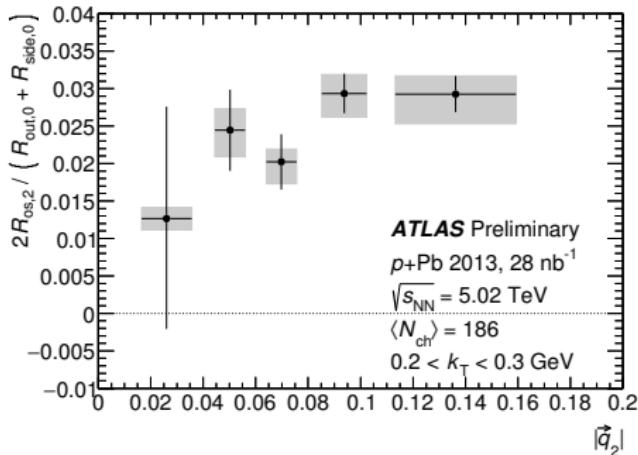
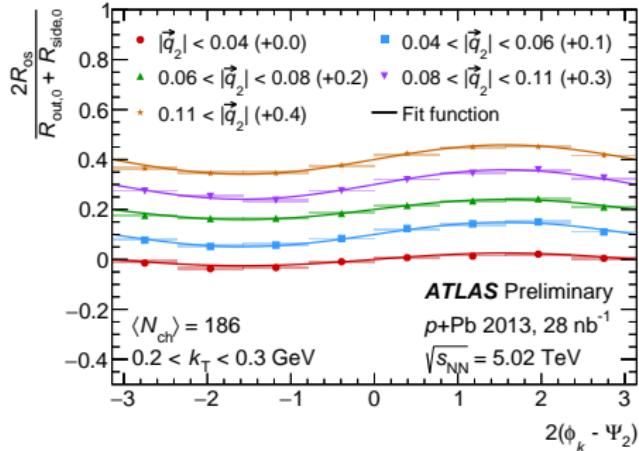
- ▶  $R_{\text{side}}$  more purely geometrical radius
  - ▶ sign of modulation also indicates smaller in-plane size:  $R_{\text{side},2} > 0$

## $R_{\text{long}}$ : azimuthal dependence



- enhanced longitudinal expansion in-plane:  $R_{\text{long},2} > 0$

$R_{\text{os}}$ : azimuthal dependence

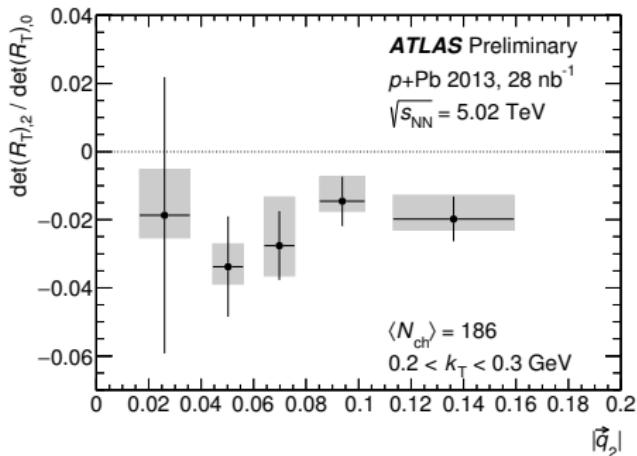
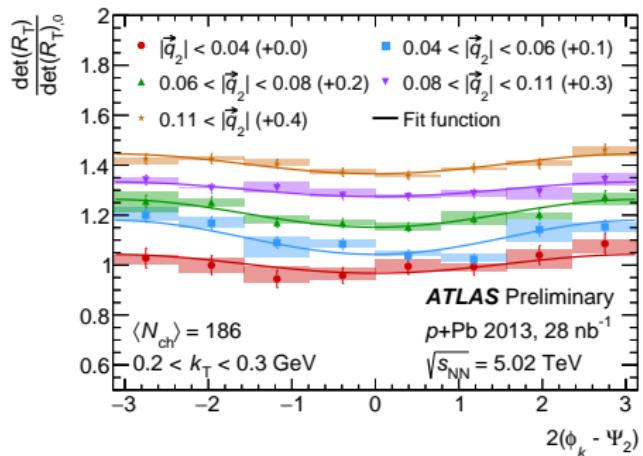


- ▶ fit to sine instead of cosine; no 0th-order term

$$R_{\text{os}} = 2R_{\text{os},2} \sin [2(\phi_k - \Psi_2)]$$

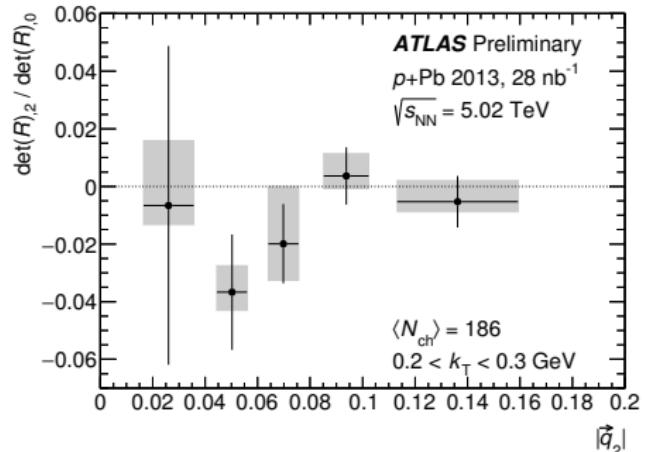
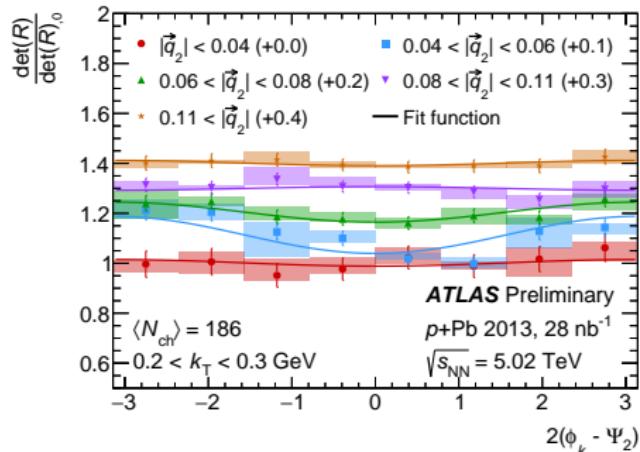
- ▶ normalized by 0th component of mean transverse radii
  - ▶ also consistent with A+A observations:  $R_{os,2} > 0$

# $\det(R_T)$ : azimuthal dependence



- ▶  $\det(R_T) = R_{\text{out}} R_{\text{side}} - R_{\text{os}}^2$
- ▶ transverse area of homogeneity region is slightly suppressed in-plane

# $\det(R)$ : azimuthal dependence



- modulation of volume element not able to be distinguished from zero

## Summary

- ▶ The freeze-out source size is measured in proton-lead collisions at 5 TeV, differential in centrality, transverse momentum, rapidity, and azimuthal angle from event plane.
- ▶ HBT radii in central events show a decrease with increasing  $k_T$ , which is qualitatively consistent with collective expansion. This trend is diminished in peripheral events.
- ▶ The source size is larger on Pb-going side of central events, but independent of rapidity (up to  $|\eta| < 1.5$ ) in peripheral events.
- ▶ Azimuthal results in central collisions are consistent with short-lived hydrodynamic evolution.
- ▶ These include first observations of:
  - tight correlation between source size and local (rapidity-differential) multiplicity
  - positive  $R_{\text{ol}}$  on the proton-going side of central events
  - azimuthal modulation of source in central  $p+A$

Thank you!



ATLAS

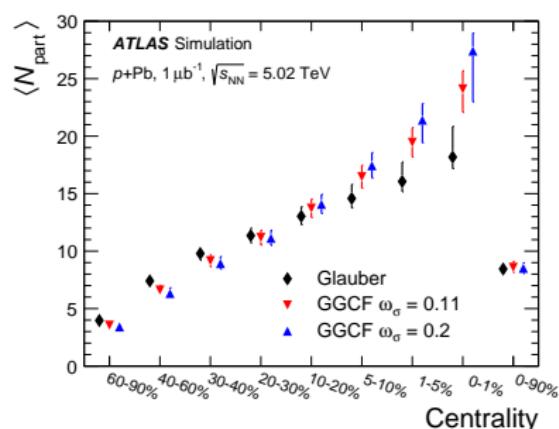
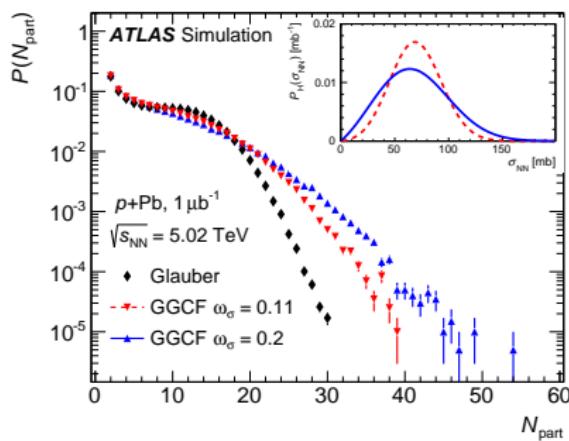
# BACKUP SLIDES

## Aside: Glauber-Gribov colour fluctuations (GGCF)

Number of nucleon participants  $N_{\text{part}}$  calculated with:

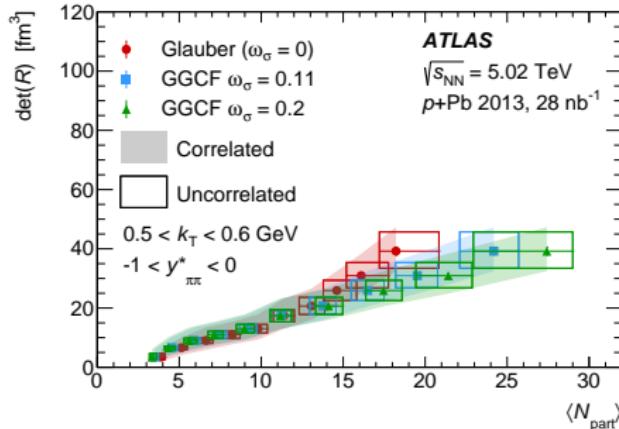
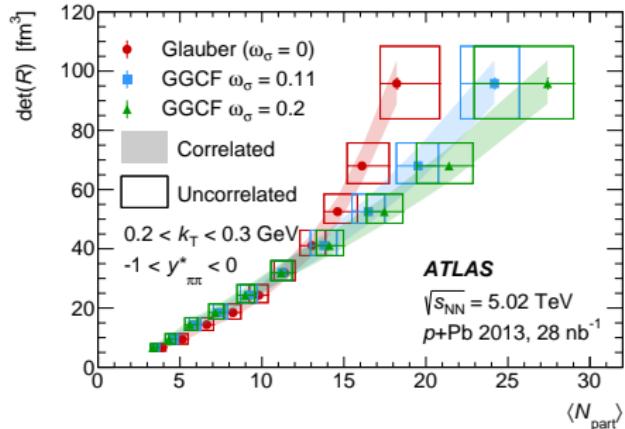
- ▶ Glauber model with constant cross section  $\sigma_{NN}$
  - ▶ Glauber-Gribov color fluctuation (GGCF) model, which allow  $\sigma_{NN}$  to fluctuate event-by-event

$\omega_\sigma$  parameterizes width of fluctuations



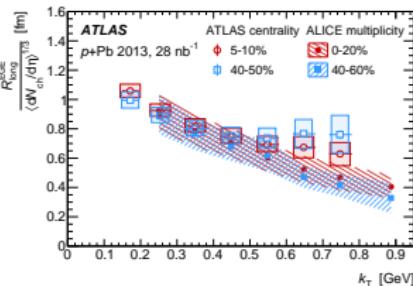
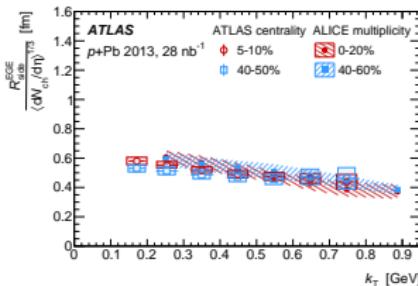
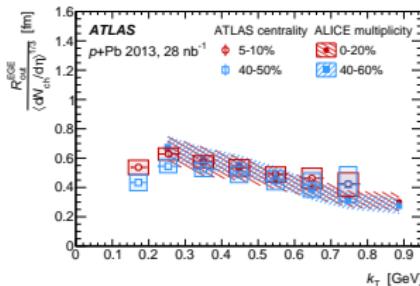
(above:  $N_{\text{part}}$  distributions and corresponding centrality)

# Volume– $N_{\text{part}}$ scaling including color fluctuations



- volume scaling curvature with  $N_{\text{part}}$  is more modest when fluctuations in the proton's cross-section are accounted for
- exact linear scaling not necessary, but extreme deviations are difficult to explain
- shows that fluctuations in the nucleon-nucleon cross-section are crucial for understanding initial geometry of  $p+\text{Pb}$  collisions

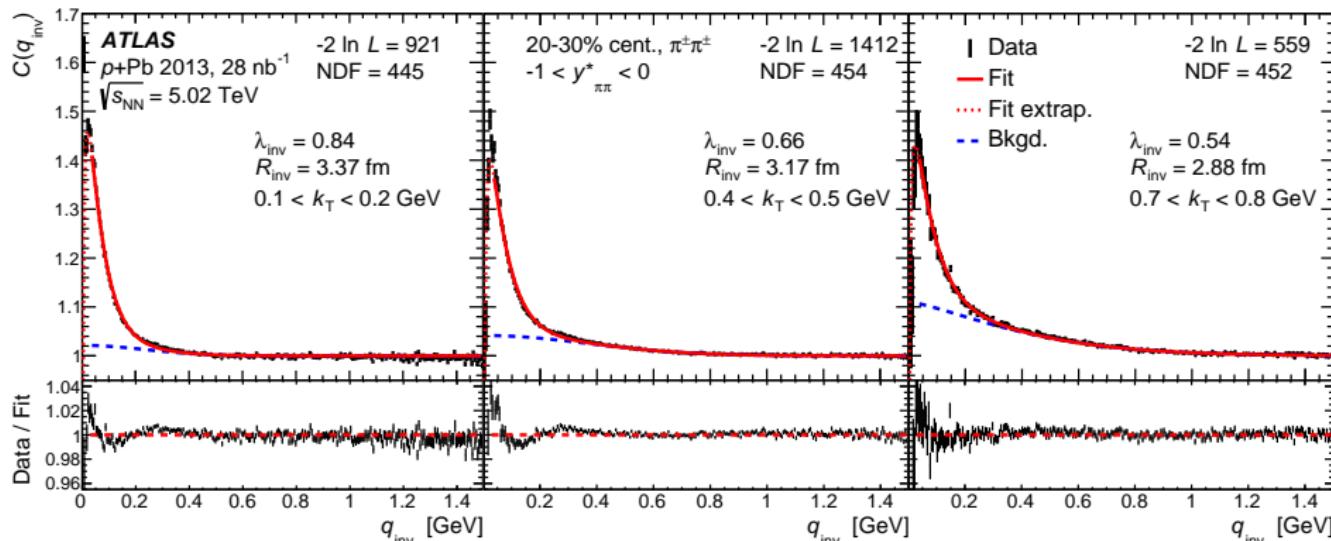
# Comparison to ALICE $p+\text{Pb}$ results



“EGE” (exponential-gauss-exponential) results compared between ATLAS and ALICE. This form is not used for the main ATLAS results, and is shown here for comparison only.

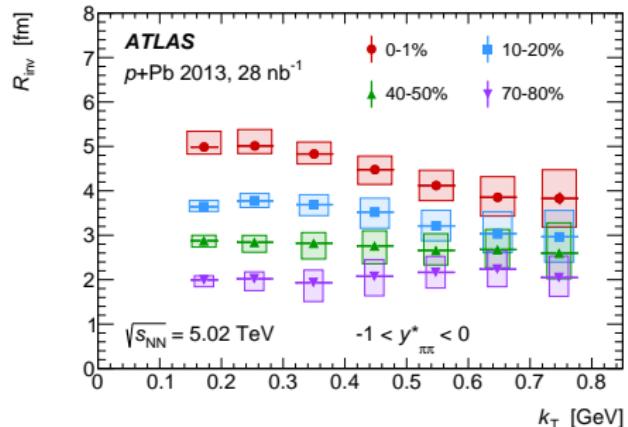
Comparable rapidity windows are used, and they are scaled by  $\langle dN_{\text{ch}}/d\eta \rangle^{1/3}$  to scale out differences in centrality definition.

# Example fit to invariant correlation function

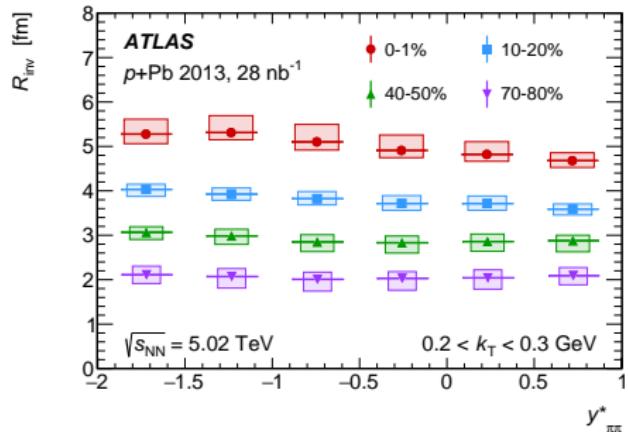


fit and background estimation typically describe  $C(q_{\text{inv}})$  quite well

# Results for invariant radius $R_{\text{inv}}$



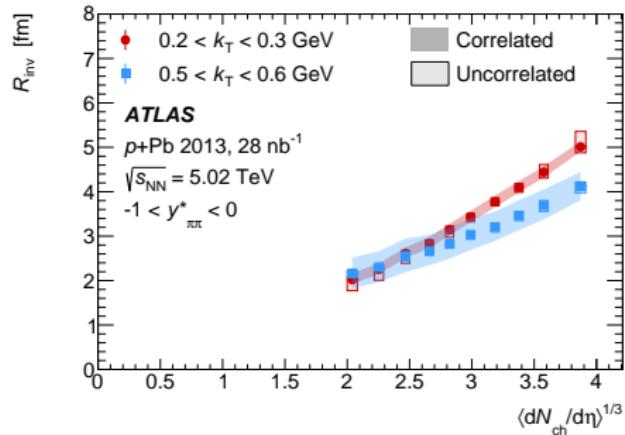
Decrease with rising  $k_T$  in central collisions, consistent with collective behavior. This feature disappears in peripheral collisions.



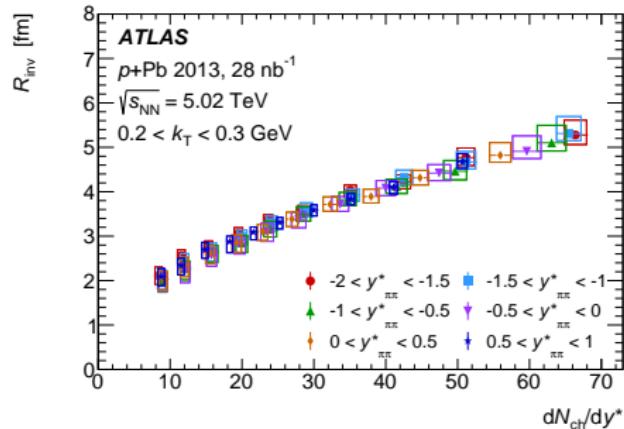
Radii increase in Pb-going direction of central events. Peripheral are constant with rapidity.

N.B. Widths of boxes in these plots vary only for visual clarity.

# Results for invariant radius $R_{\text{inv}}$

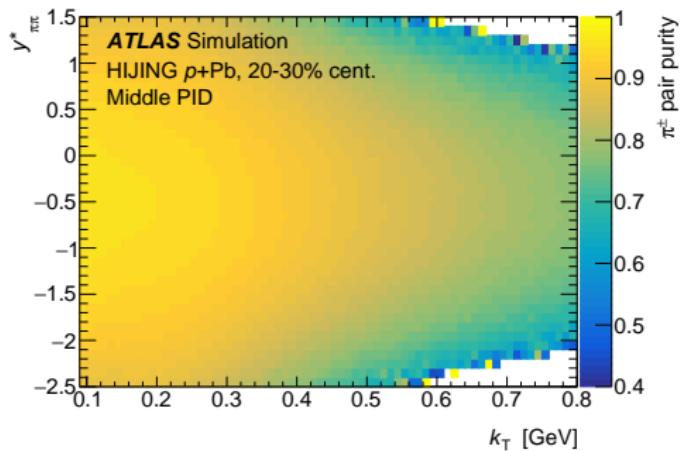
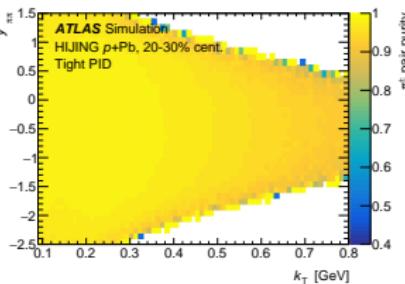
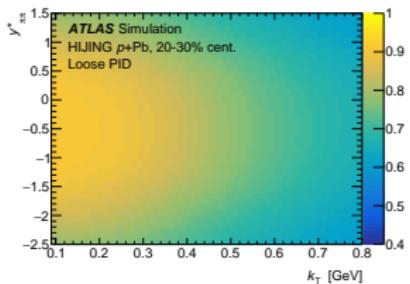


Scaling of  $R_{\text{inv}}$  with the cube root of average multiplicity curves slightly upward.



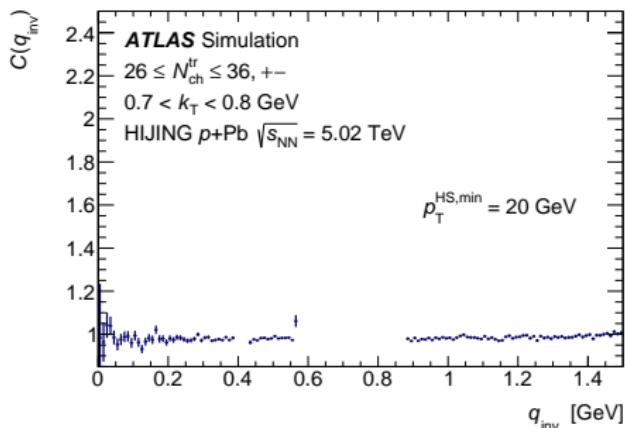
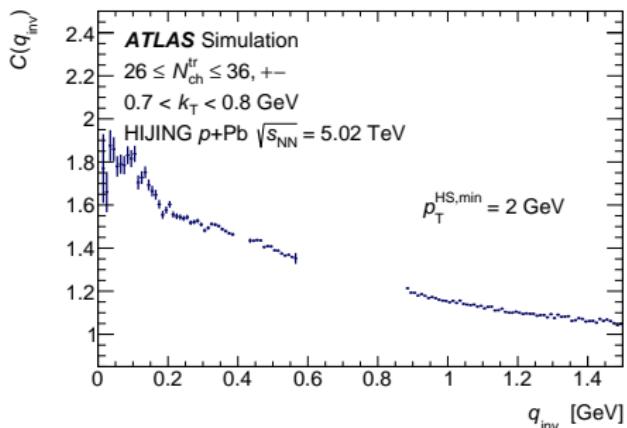
Across centrality and rapidity intervals, the source size is tightly correlated with the local multiplicity.  
- First such observation

# Pion identification



Three PID selection criteria are defined, and a variation from the nominal selection to a looser and tighter definition is used as a systematic variation.

# Jet fragmentation in opposite-charge HIJING



Wide correlation disappears in opposite-charge too when turning off hard processes

# Jet fragmentation correlation

A data-driven method is developed to constrain the effect of hard processes. Fits to the opposite-charge correlation function are used to constrain the fragmentation correlation in same-charge. This has its own challenges.

1. Resonances appear in the opposite-charge correlation functions
  - ▶ mass cuts around  $\rho$ ,  $K_S$ , and  $\phi$
  - ▶ cut off opposite-charge fit below 0.2 GeV
2. Fragmentation has different effect on the opposite-charge correlation function than on the same-charge
  - ▶ a mapping is derived from opposite- to same-charge using simulation
  - ▶ opposite-charge fit results in the data are used to fix the background description in the same-charge

# Jet fragmentation correlation

The jet fragmentation is modeled as a stretched exponential in  $q_{\text{inv}}$ :

$$\Omega(q_{\text{inv}}) = 1 + \lambda_{\text{bkgd}}^{\text{inv}} e^{-|R_{\text{bkgd}}^{\text{inv}} q_{\text{inv}}|^{\alpha_{\text{bkgd}}^{\text{inv}}}}$$

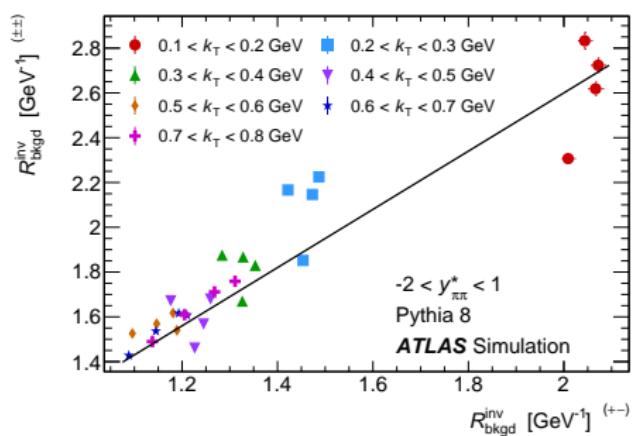
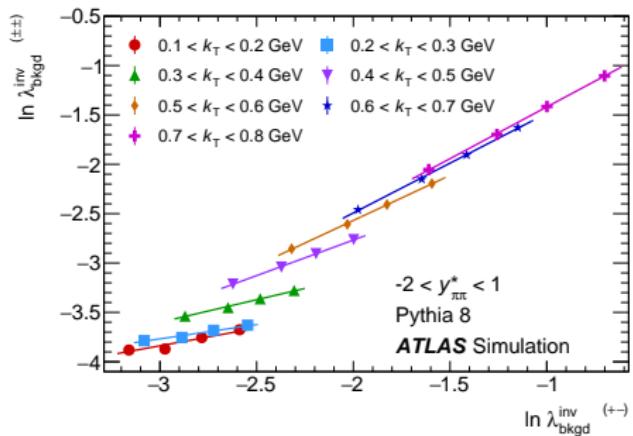
In 3D it is factorized into components parallel and perpendicular to jet axis

$$\Omega(\mathbf{q}) = 1 + \lambda_{\text{bkgd}}^{\text{osl}} e^{-|R_{\text{bkgd}}^{\text{out}} q_{\text{out}}|^{\alpha_{\text{bkgd}}^{\text{out}}} - |R_{\text{bkgd}}^{\text{sl}} q_{\text{sl}}|^{\alpha_{\text{bkgd}}^{\text{sl}}}}$$

with  $q_{\text{sl}} = \sqrt{q_{\text{side}}^2 + q_{\text{long}}^2}$ .

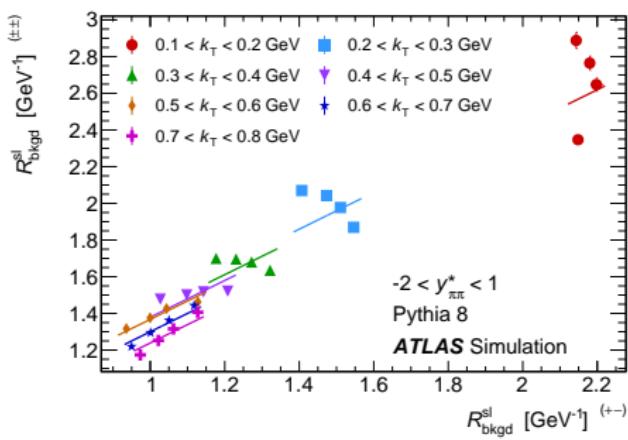
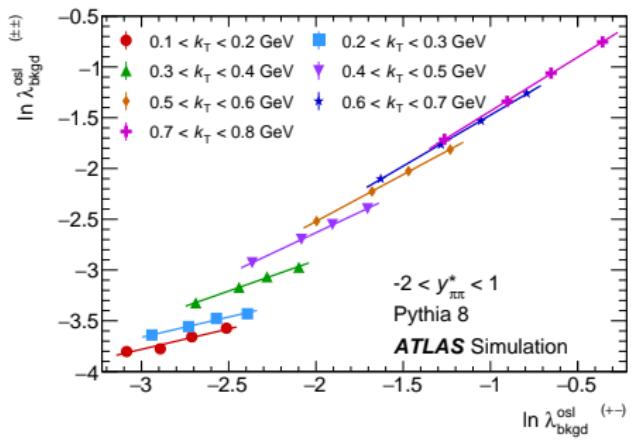
These parameters are studied in Pythia, and a mapping from opposite-charge to same-charge values is derived.

# Jet fragmentation mapping (invariant)

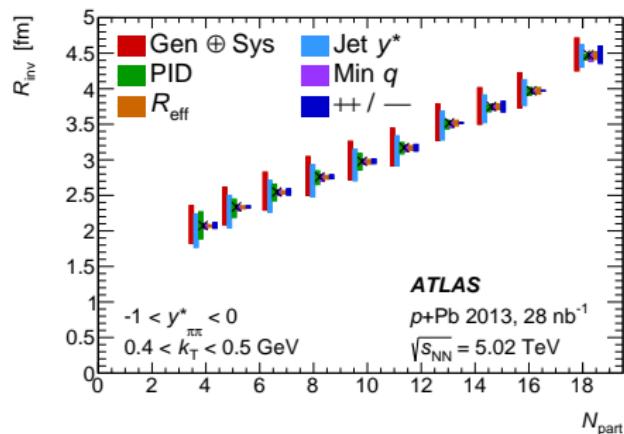
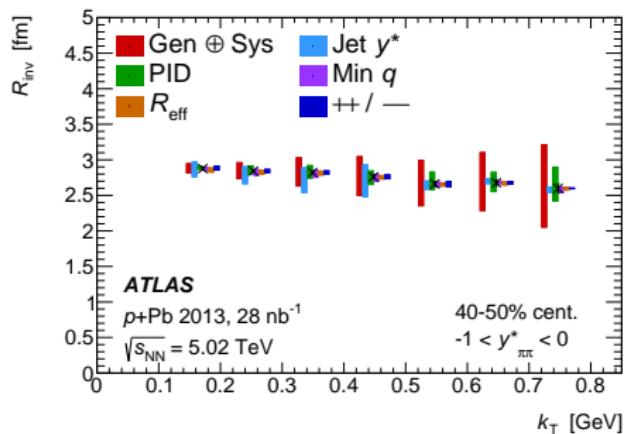


model  $R_{\text{inv}}^{\pm\pm}$  as proportional to  $R_{\text{inv}}^{+-}$  (right). Then with constant fixed, do  $k_T$ -dependent comparison of background amplitude in  $\pm\pm$  and  $+-$  (left). Does not work perfectly but does increasingly well at high  $k_T$ , where the effect is relevant.

# Jet fragmentation mapping (3D)

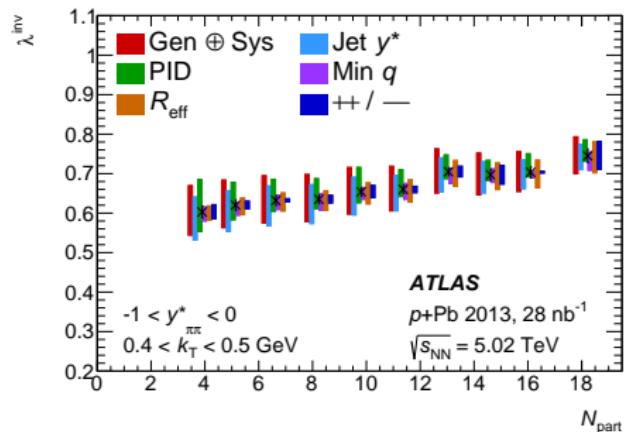
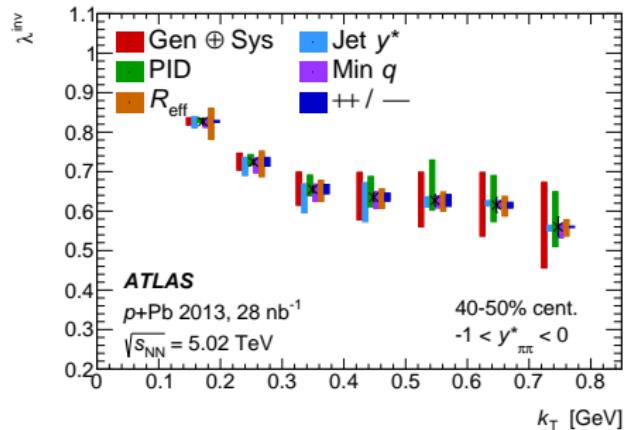


# Systematics example ( $R_{\text{inv}}$ )



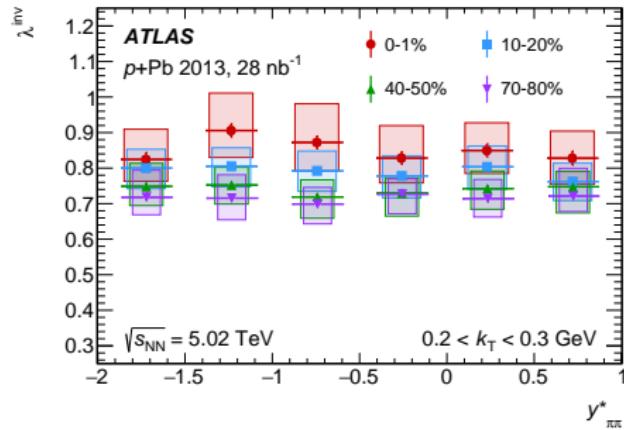
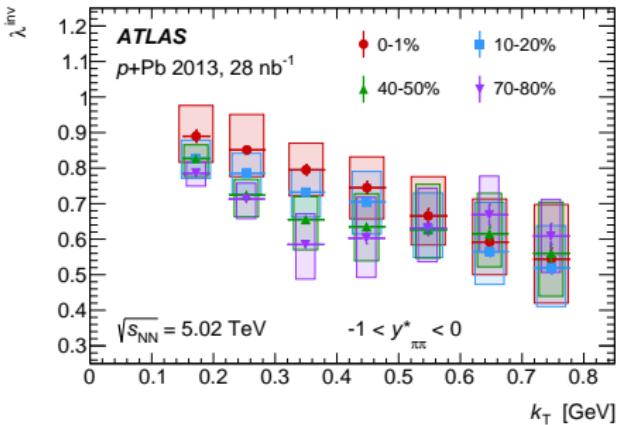
The above plots show the contributions of each systematic uncertainty on  $R_{\text{inv}}$  as a function of  $k_T$  and  $N_{\text{part}}$ .

# Systematics example ( $\lambda_{\text{inv}}$ )

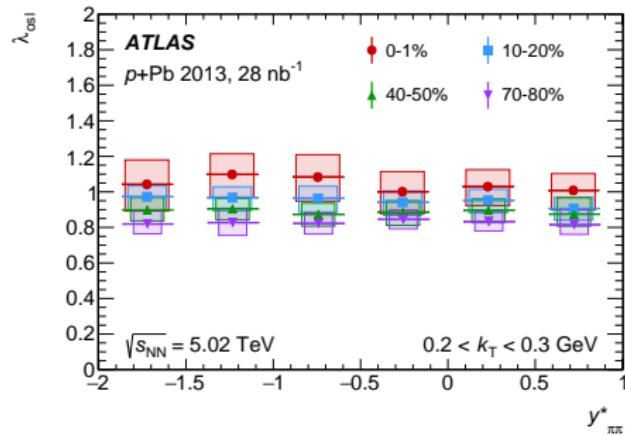
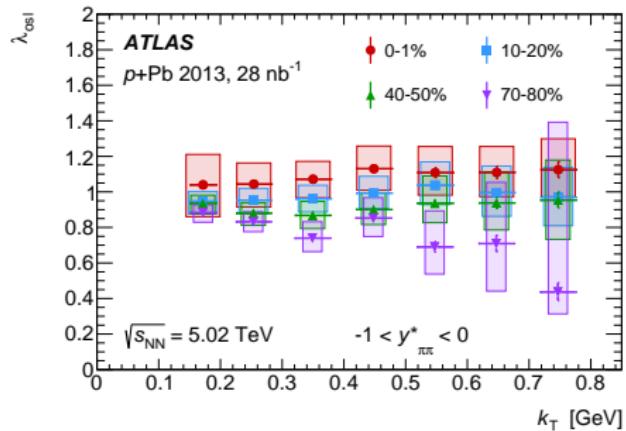


The above plots show the contributions of each systematic uncertainty on  $\lambda_{\text{inv}}$  as a function of  $k_T$  and  $N_{\text{part}}$ .

# Invariant $\lambda$

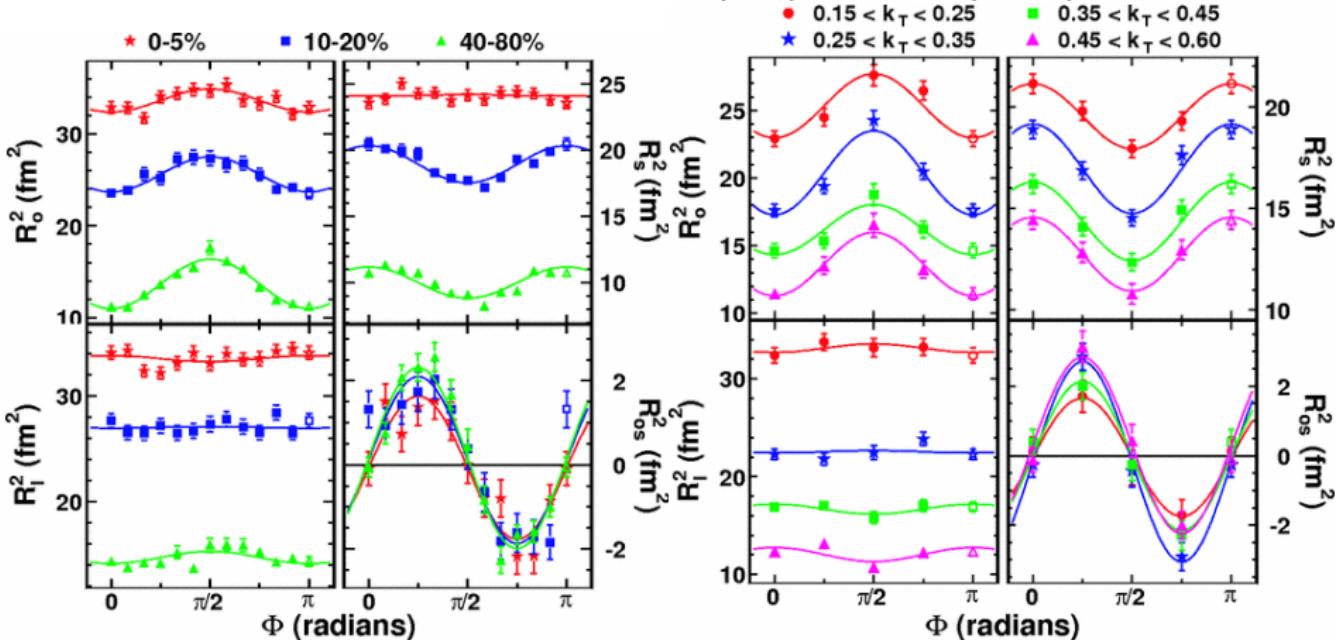


# 3D $\lambda$

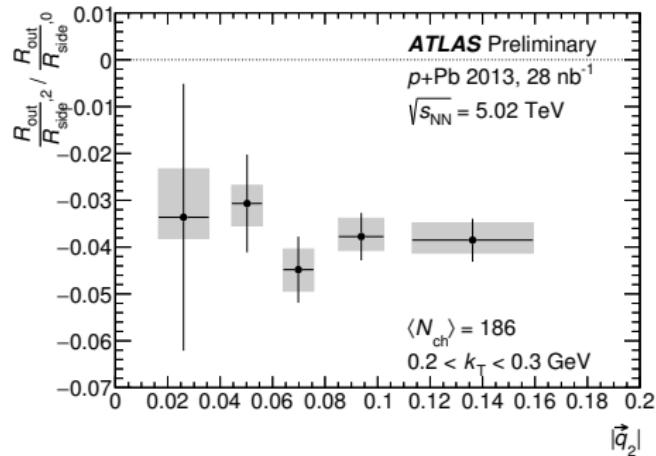
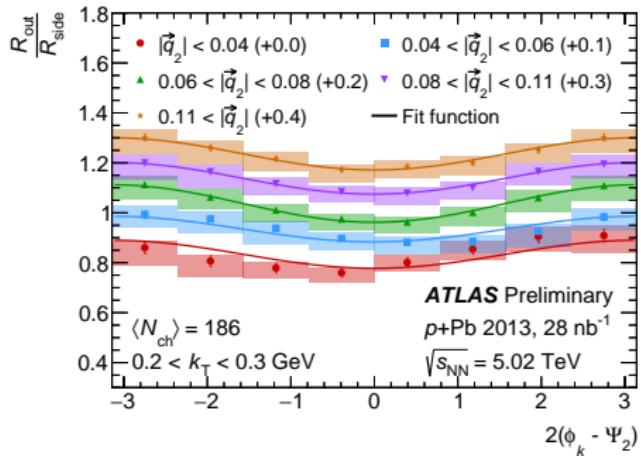


# Azimuthal HBT at RHIC

STAR results as function of centrality (left) and  $k_T$  (right):



## $R_{\text{out}}/R_{\text{side}}$ : azimuthal dependence



$$\rightarrow \frac{(R_{\text{out}}/R_{\text{side}})_{,2}}{(R_{\text{out}}/R_{\text{side}})_{,0}} \approx \frac{R_{\text{out},2}}{R_{\text{out},0}} - \frac{R_{\text{side},2}}{R_{\text{side},0}}$$

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