



# Prospects of the inclusive $B \rightarrow D_s^{(*)} X$ decays at Belle (II)

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13.11.2024

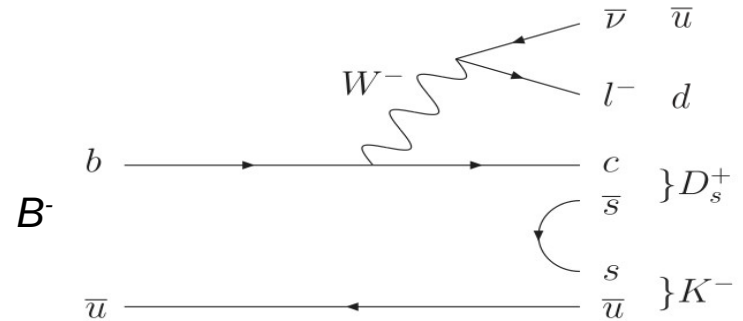
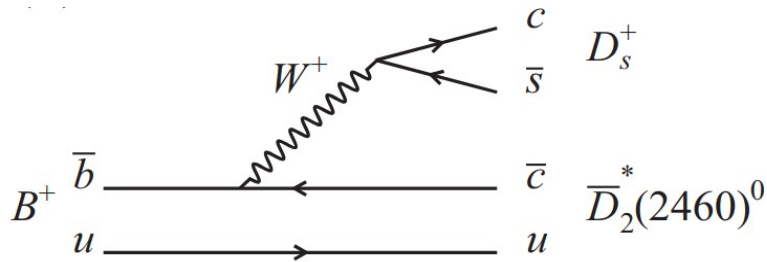
# Plan of the talk

- Motivation
- My past work on Belle 1
- Initial studies on B2BII
  - signal MC
  - generic MC
    - comparison of two FEL's

# Motivation

Studying inclusive  $D_s$  X production in both upper and lower  $D_s$  vertex:

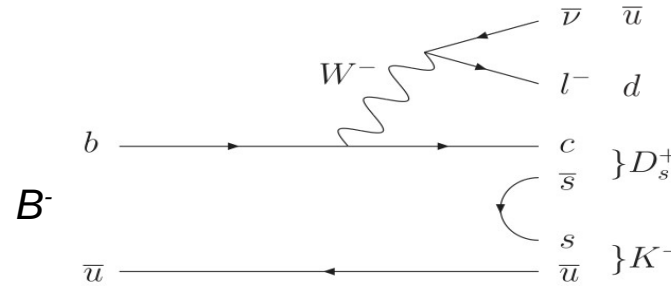
$$B^+ \rightarrow D_s^+ X^0 \quad \text{and} \quad B^- \rightarrow D_s^+ X^{--}$$



- Very accurate theoretical predictions for the inclusive decay rates  
→ precise tests of the Standard Model
- $B \rightarrow D_s^{(*)} X$  decays account for a large background contribution to the semileptonic channels (like  $b \rightarrow s \ell \ell$  transitions)

# Motivation

lower  $D_s$  vertex



Experimentally measured the most common **exclusive** B decays do not fill out the **inclusive** value!

inclusive:

$$B^+ \rightarrow D_s^- X \quad (1.10^{+0.40}_{-0.32}) \times 10^{-2}$$

Phys.Rev.D 75 (2007) 072002

231 million BB-bar events recorded with the BABAR

exclusive:

$$B^+ \rightarrow D_s^- D_s^+ K^+ \quad (1.2 \pm 0.4) \times 10^{-4}$$

$$B^+ \rightarrow D_s^- \pi^+ K^+ \quad (1.80 \pm 0.22) \times 10^{-4}$$

$$B^+ \rightarrow D_s^{*-} \pi^+ K^+ \quad (1.45 \pm 0.24) \times 10^{-4}$$

$$B^+ \rightarrow D_s^- K^+ K^+ \quad (9.7 \pm 2.1) \times 10^{-6}$$

$$B^+ \rightarrow D_s^{(*)-} K^+ \ell^+ \nu_\ell \quad (6.1 \pm 1.0) \times 10^{-4}$$

Physical Review D, 108(3) – LHCb (2023)

J.Wiechczynski et al Phys.Rev.D 80 (2009) 052005

Phys.Rev.Lett. 100 (2008) 171803 (BaBAR)

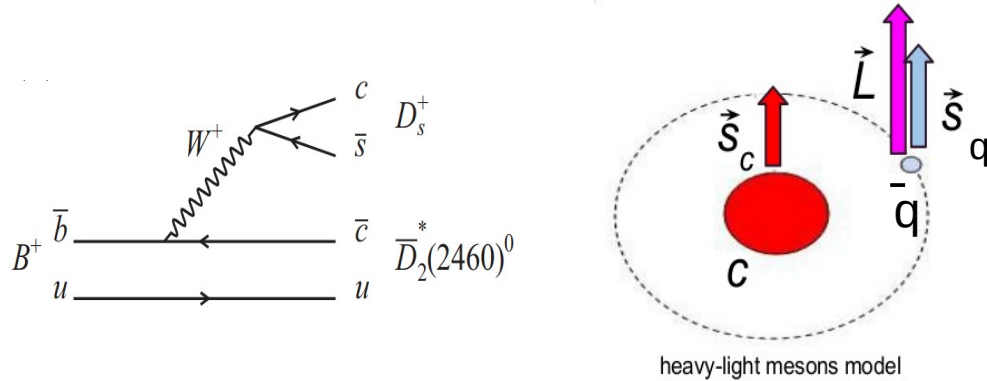
J.Stypula et al, Phys.Rev.D 86 (2012) 072007

Phys.Rev.Lett. 107 (2011) 041804 (BaBar)

→ sum of low  $D_s^-$  vertex  $\sim 1 \times 10^{-3}$

# Motivation

upper  $D_s$  vertex  $\rightarrow$  spectroscopy of  $cq$  ( $q= u,d$ ) states



- For  $L=0 \rightarrow$  well known  $D$  and  $D^*$  mesons  $\vec{j}_q = \vec{L} + \vec{s}_q$
- For  $L=1 \rightarrow$  four  $D^{**}$  states  
broad  $D_0^*$  and  $D_1'$  states ( $j_q=1/2$ )  
narrow  $D_1$  and  $D_2^*$  states ( $j_q=3/2$ )

Radial excitation states ( $n=2$ ):  
For  $L=0 \rightarrow D'$  and  $D^{*1}$

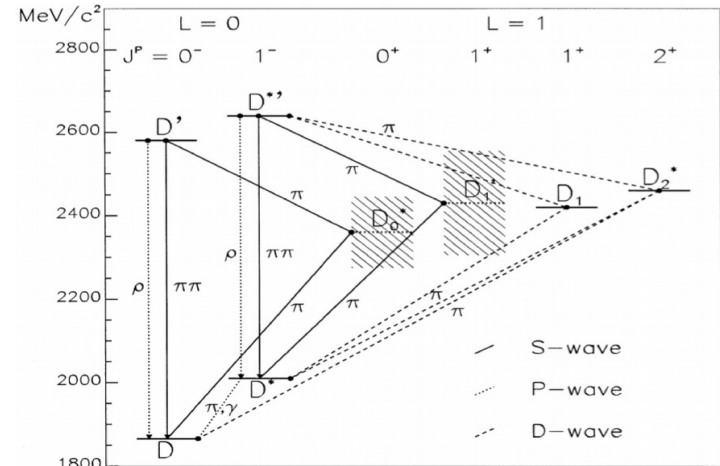
Inclusive study of charmed mesons  
 $\rightarrow$  missing mass ( $m_X$ ) analysis:

- orbital excited  $D^{**}$  production – seen in  $m_X$
- potential observation of radial excited states

Current values:

$$B^+ \rightarrow D_s^{(*)+} \bar{D}^{**0} \quad (2.7 \pm 1.2) \times 10^{-2} \quad \text{Phys.Rev.D 62 (2000) 112003}$$

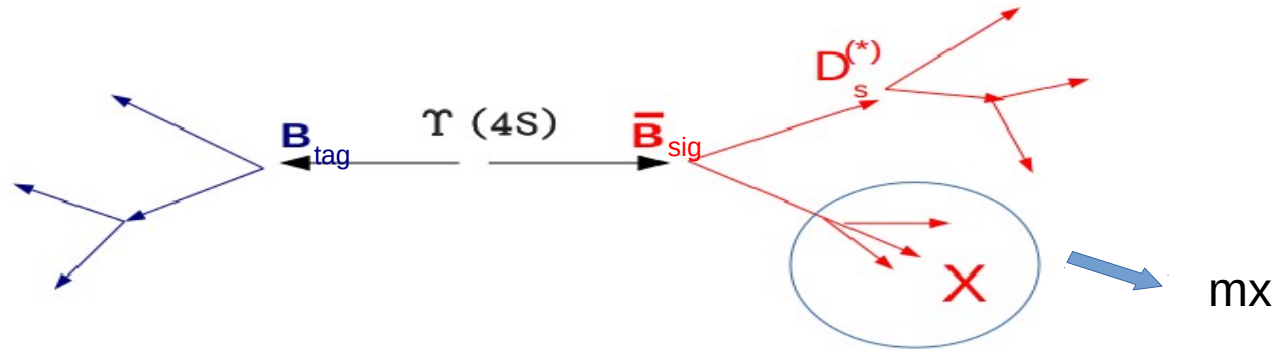
$$B^+ \rightarrow D_s^+ X \quad (7.9^{+1.4}_{-1.3}) \times 10^{-2} \quad \text{Phys.Rev.D 75 (2007) 072002}$$



# Method of the analysis and PLANS

1. Full reconstruction of  $B_{tag}$  meson in hadronic mode

2. Reconstruction of the  $D_s^{(*)}$  meson from the remaining tracks



3.  $\rightarrow$  BF calculation for different charge configurations

Oliwia Krasowska  
PHD student, Krakow

$\rightarrow$  Study of the missing mass ( $mx$ )

$$mx = \sqrt{p_{miss}^2} = \sqrt{(p(\Upsilon(4S)) - p(B_{tag}) - p(D_s^{(*)}))^2}$$

- Spektroskopia of  $cq$   $\rightarrow$  Inclusive method, independent on the charm meson decay!  
Jarek Wiechczyński

# Quick overview from my past work at Belle:

→ missing mass (mx) analysis for  $B^+ \rightarrow D_s^{(*)+} X$

- Analysis was performed using Belle1 software (**basf1**)  
→ my own modules module in C++
- Utilization of **FullRecon** package (NeuroBayes based - hadronic tagging) for  $B_{\text{tag}}$  reconstruction
- The analysis was already at the stage of internal Belle referring process ...

**A lot of offline tools have been prepared for this study!**



### Searching for excited charm mesons in the inclusive $B^+ \rightarrow D_s^{(*)+} X$ measurement

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#### Abstract

The inclusive  $B^+ \rightarrow D_s^{(*)+} X$  decays are studied using the ON  $\Upsilon(4S)$  data sample of  $772 \times 10^6$  pairs of  $B\bar{B}$  mesons, collected by the Belle detector at KEKB, an asymmetric  $e^+e^-$  collider. The hadronic tagging and missing mass method are used to search for the orbital/radial excitation of the charm states, independently of their decay modes. In addition, the characteristics of inclusive  $D_s^{(*)+} X$  final states can be compared for upper and lower vertex for the  $D_s$  production.

## 1 Introduction

The mechanism of the production of the charm resonances of the masses above  $2.4 \text{ GeV}/c^2$  in B meson decays is still not well known. This is related to the main source of the uncertainty in the determination of the  $V_{cb}$  element of the CKM matrix [?]. To date we still observe some discrepancies between theoretical predictions and experiment results on this field [?].

The  $c\bar{q}$  spectra is very reach and still in case of interest of many theoretical and experimental groups. The well established  $D$  and  $D^*$  mesons correspond to the ground state ( $L=0$ ) of the  $c\bar{u}$  system. The first orbital excitations ( $L=1$ ), called jointly as  $D^{**}$ , comprises of four states. Two of them,  $D_1$  and  $D_2^*$  characterized by total spin of the quark  $j_c = 3/2$ , are relatively narrow and have been experimentally observed many times. The other two,  $D_1^*$  and  $D_0^*$  with  $j_c = 1/2$ , are broad ( $\sim 300 \text{ MeV}$ ) and thus more difficult to detect. Resonances with  $L>1$  are also expected.

Except for the angular excitations, we also expect radially excited states. The lightest candidates with  $L=0$  are called  $D^*$  and  $D^{*'}$ , where the second one was firstly observed in  $D^* \pi \pi$  mode by DELPHI [1]. However, some other studies did not see such state [2]. Figure 1 shows masses of  $c\bar{u}$  spectrum predicted by Godfrey-Isgur model [3].

# Decay channels:

$D_s$  was reconstructed in three decay modes:

$$D_s \rightarrow \phi\pi$$

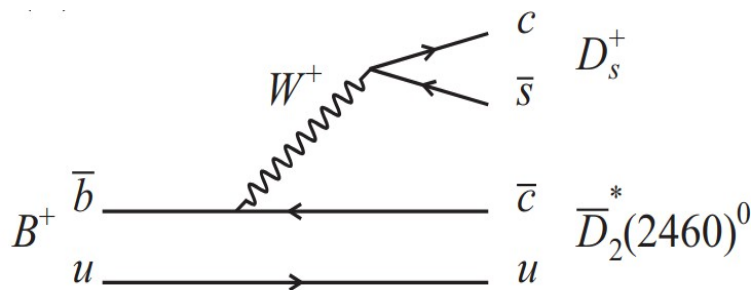
$$D_s \rightarrow K^{*0}K \quad \text{and} \quad D_s^* \rightarrow D_s\gamma$$

$$D_s \rightarrow K_s^0 K$$

**So far, only charged B decays were considered!**

## Reference channels:

$B^+ \rightarrow D_s D^0$	$B^+ \rightarrow D_s^* D^0$
$B^+ \rightarrow D_s D^{*0}$	$B^+ \rightarrow D_s^* D^{*0}$



## Simulated data samples:

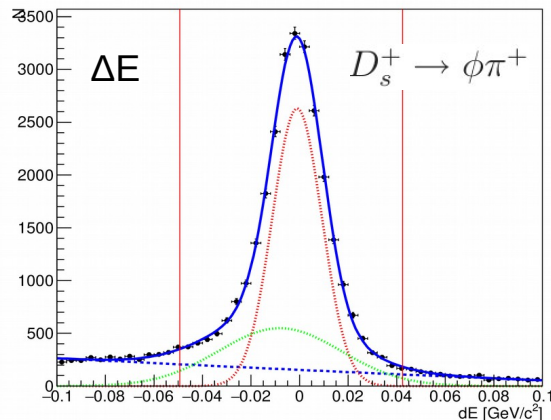
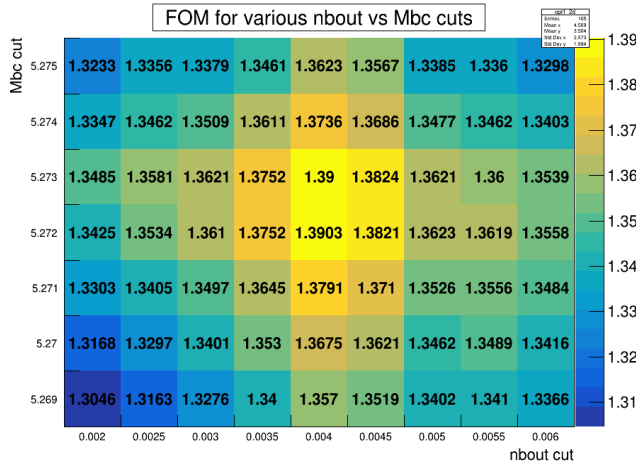
generic MC	# of sample
mixed	10 streams
charged	10 streams
charm	6 streams
uds	6 streams

dedicated $B \rightarrow D_s^{(*)} D^{(*)0}$	# of events
$B \rightarrow D_s D^0$	1 milion
$B \rightarrow D_s D^{*0}$	1 milion
$B \rightarrow D_s^* D^0$	1 milion
$B \rightarrow D_s^* D^{*0}$	1 milion

dedicated $B \rightarrow D_s^{(*)} D^{**}$	fraction of 2M (5M) events
$B \rightarrow D_s^{(*)} D_1^0$	0.2128
$B \rightarrow D_s^{(*)} D_2^{*0}$	0.5746
$B \rightarrow D_s^{(*)} D_1'^0$	0.1063
$B \rightarrow D_s^{(*)} D_0^{*0}$	0.1063



# $M_{bc}$ & 'nbout' cut optimization



$$|\Delta E + 3.4 \text{ MeV}| < 45.9 \text{ MeV}$$

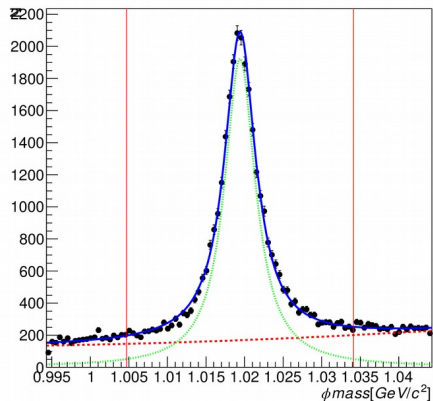
$B_{tag}$  →

→  $B_{sig}$

## Cuts on intermediate resonances

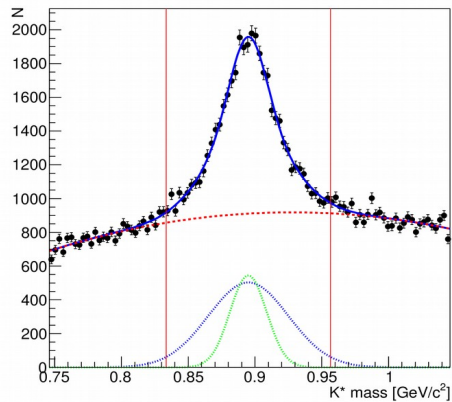
$$|m_{KK} - m_\phi| < 14.7 \text{ MeV}$$

( $3\sigma$  of the Breit-Wigner's width)

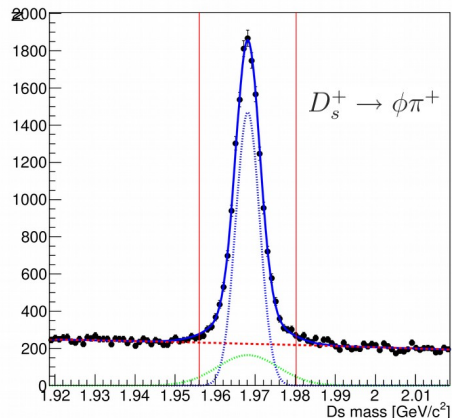


$$|m_{K\pi} - m_{K^*}| < 61.5 \text{ MeV}$$

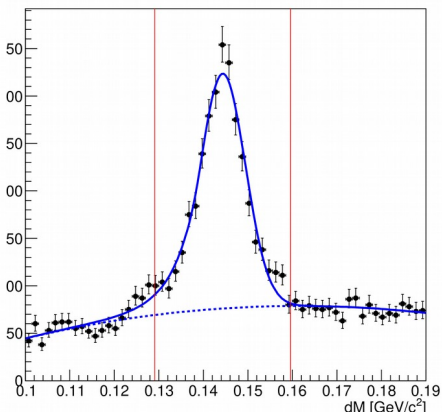
( $2.5\sigma$  of weighted width)



## $m_{D_s}$ and $\Delta M$ (for $D_s^*$ ) cuts:



$$|m_{\phi\pi} - m^{D_s}| < 12.1 \text{ MeV}$$



$$|\Delta M - 0.1438 \text{ GeV}| < 0.0145 \text{ GeV}$$

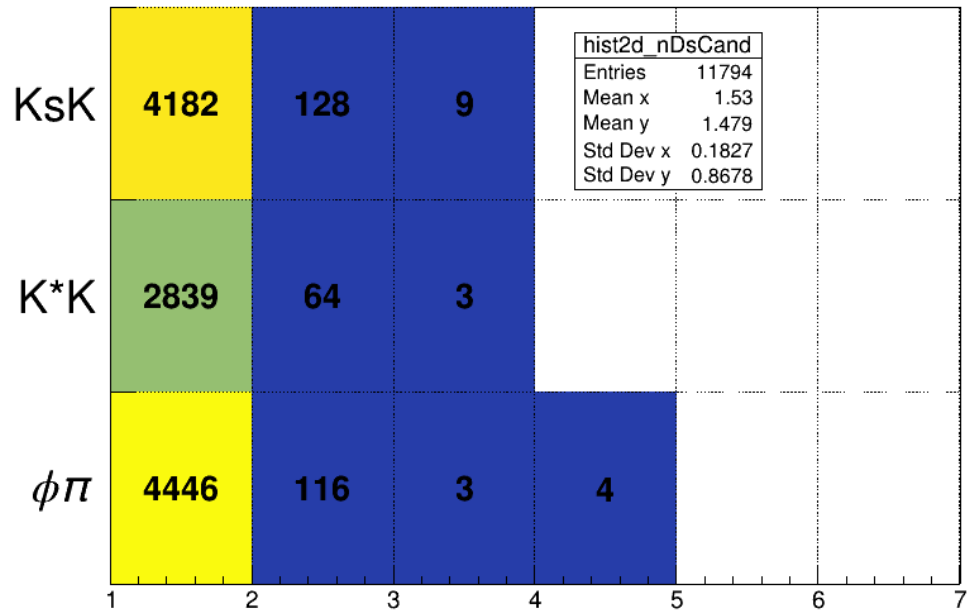
# Best candidate selection

→ performed after applying all the cuts

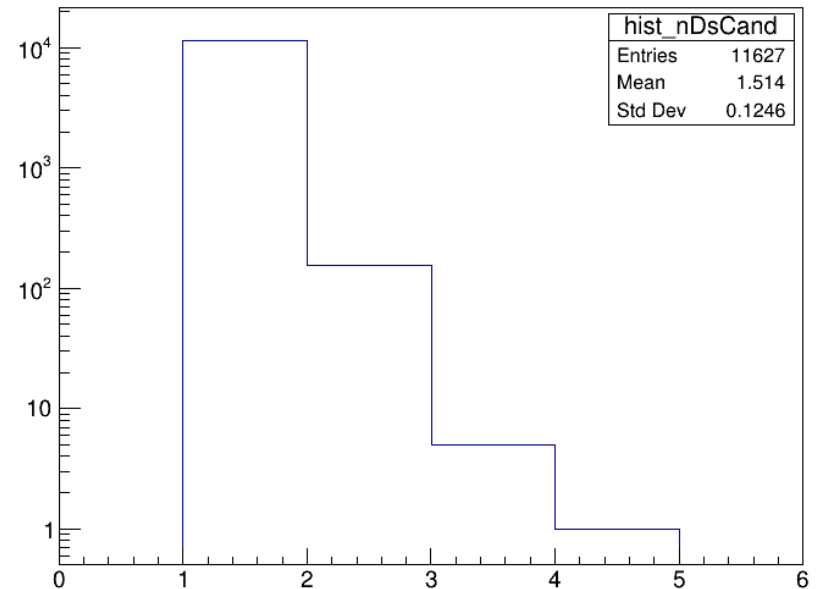
→ applied for  $B_{\text{tag}}$  and  $D_s^{(*)}$  multiple candidates

→ based on 'nbout' and  $(\text{mass diff})^2/\sigma^2$

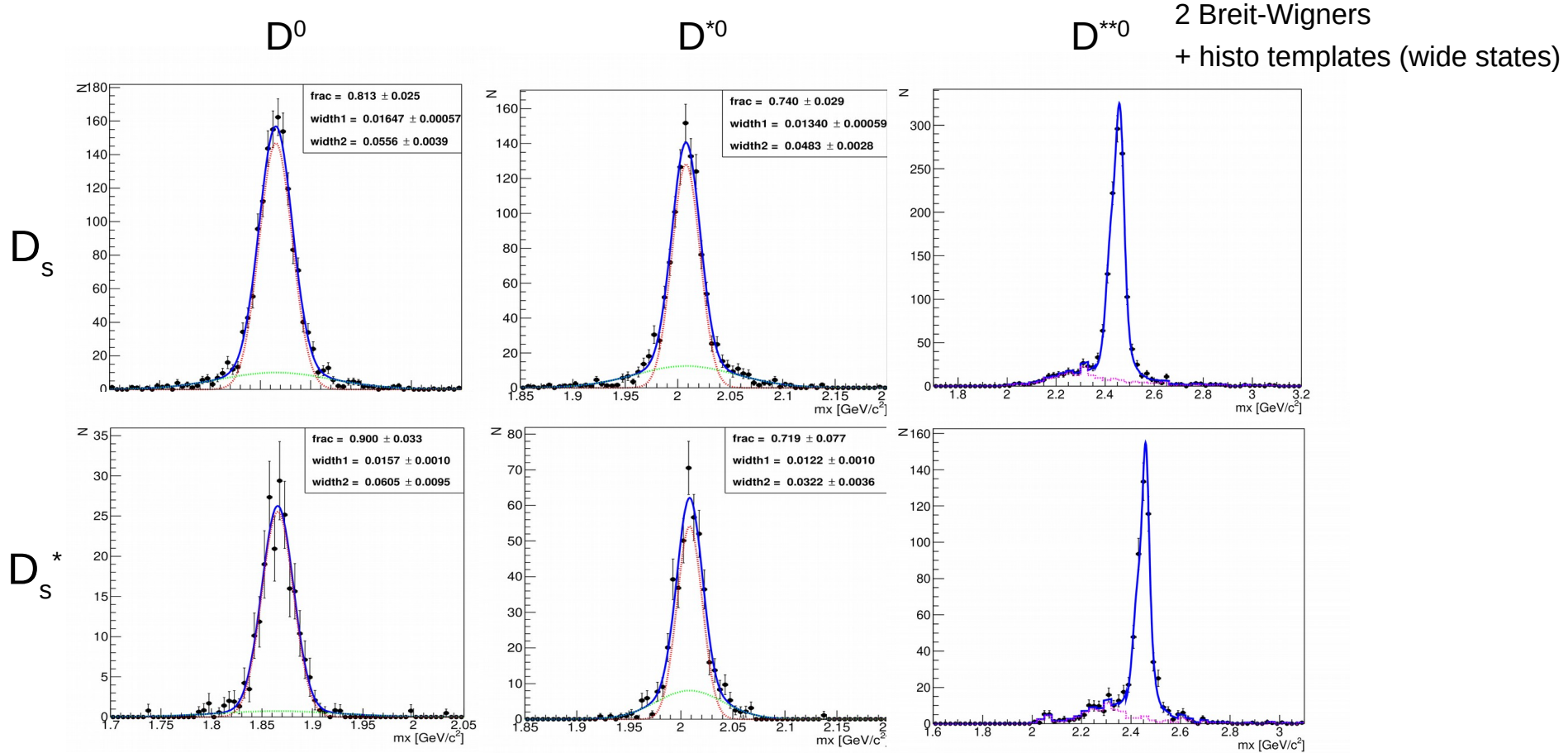
Number of  $D_s$  candidates VS  $D_s$  decay mode



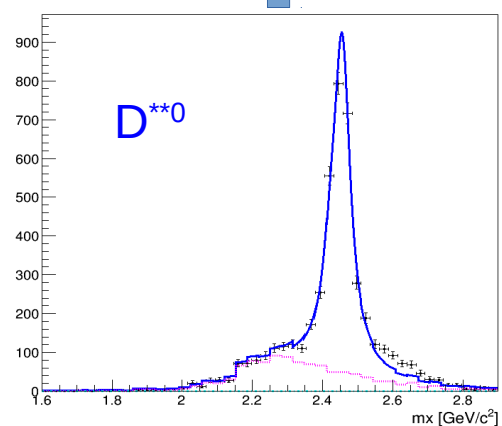
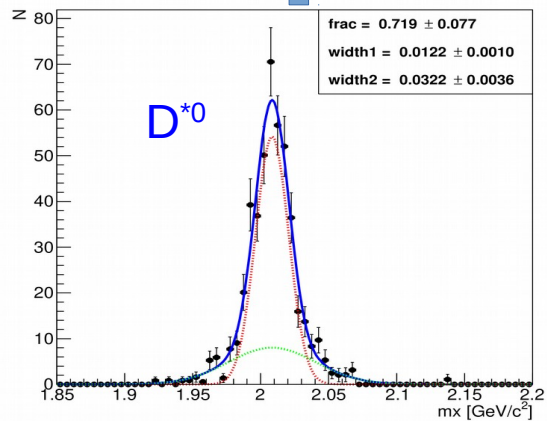
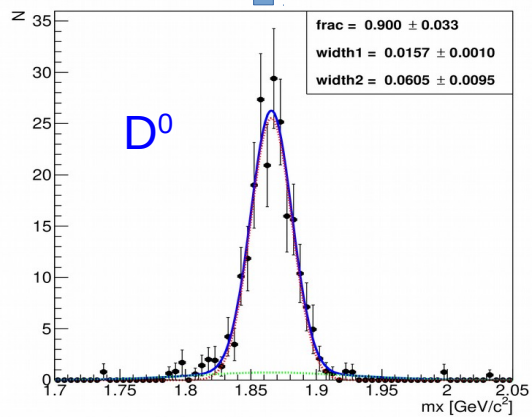
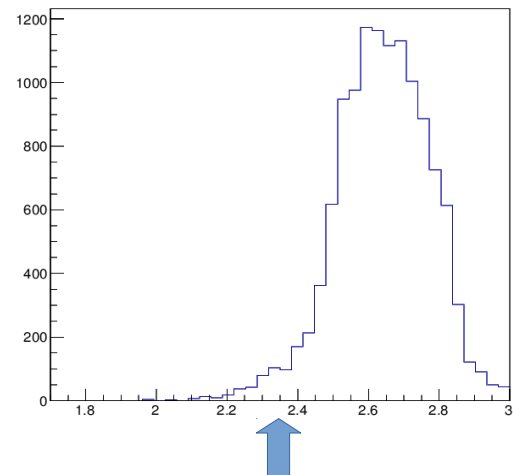
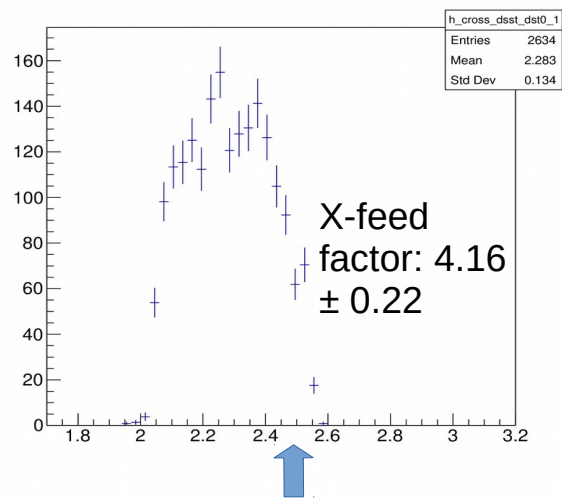
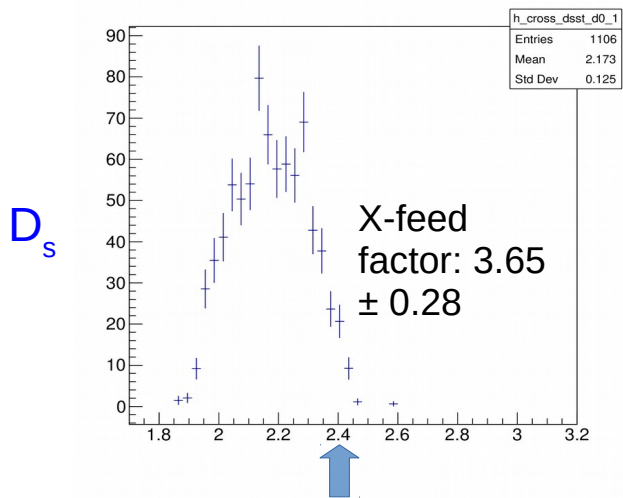
MCgen



# Missing mass analysis (signal MC) - signal components



# Missing mass analysis (signal MC) - Crossfeed components



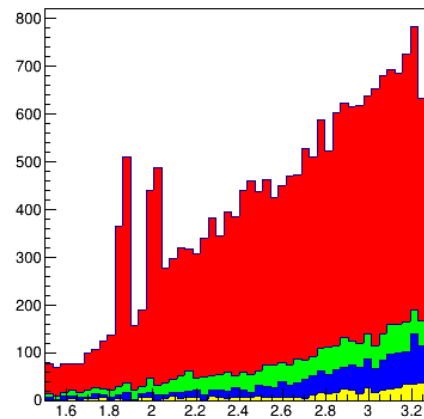
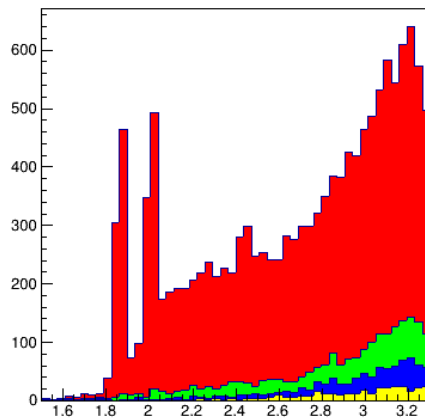
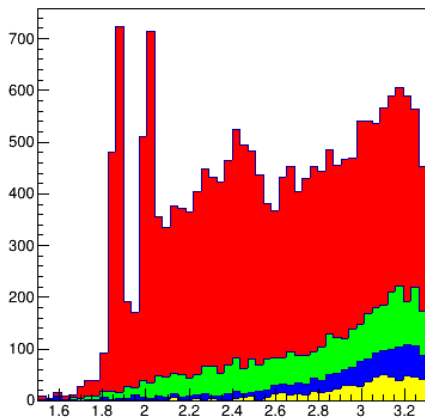
# Mx distributions – contributions from 4 types of generic MC

$D_s \rightarrow \phi\pi$

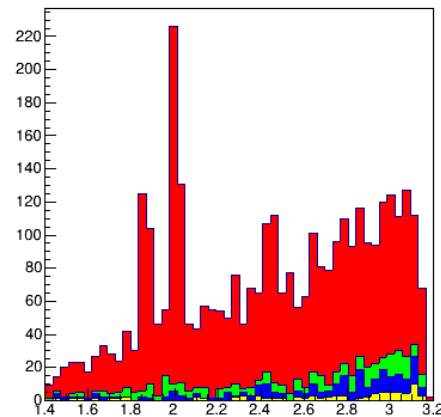
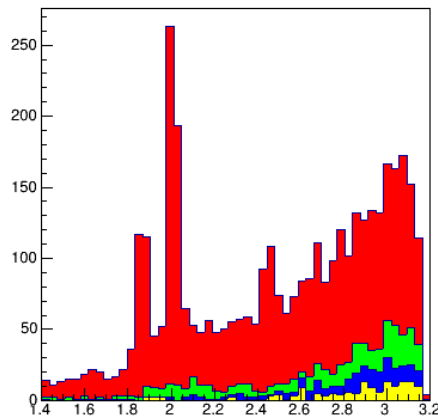
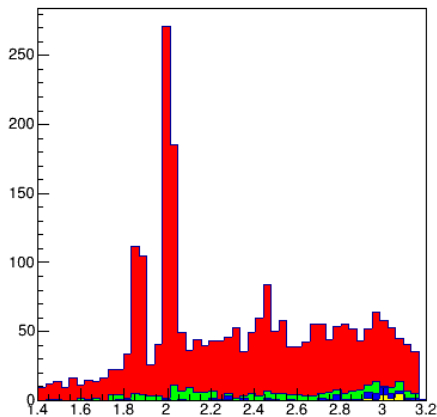
$D_s \rightarrow K^{*0}K$

$D_s \rightarrow K^0_S K$

$D_s$

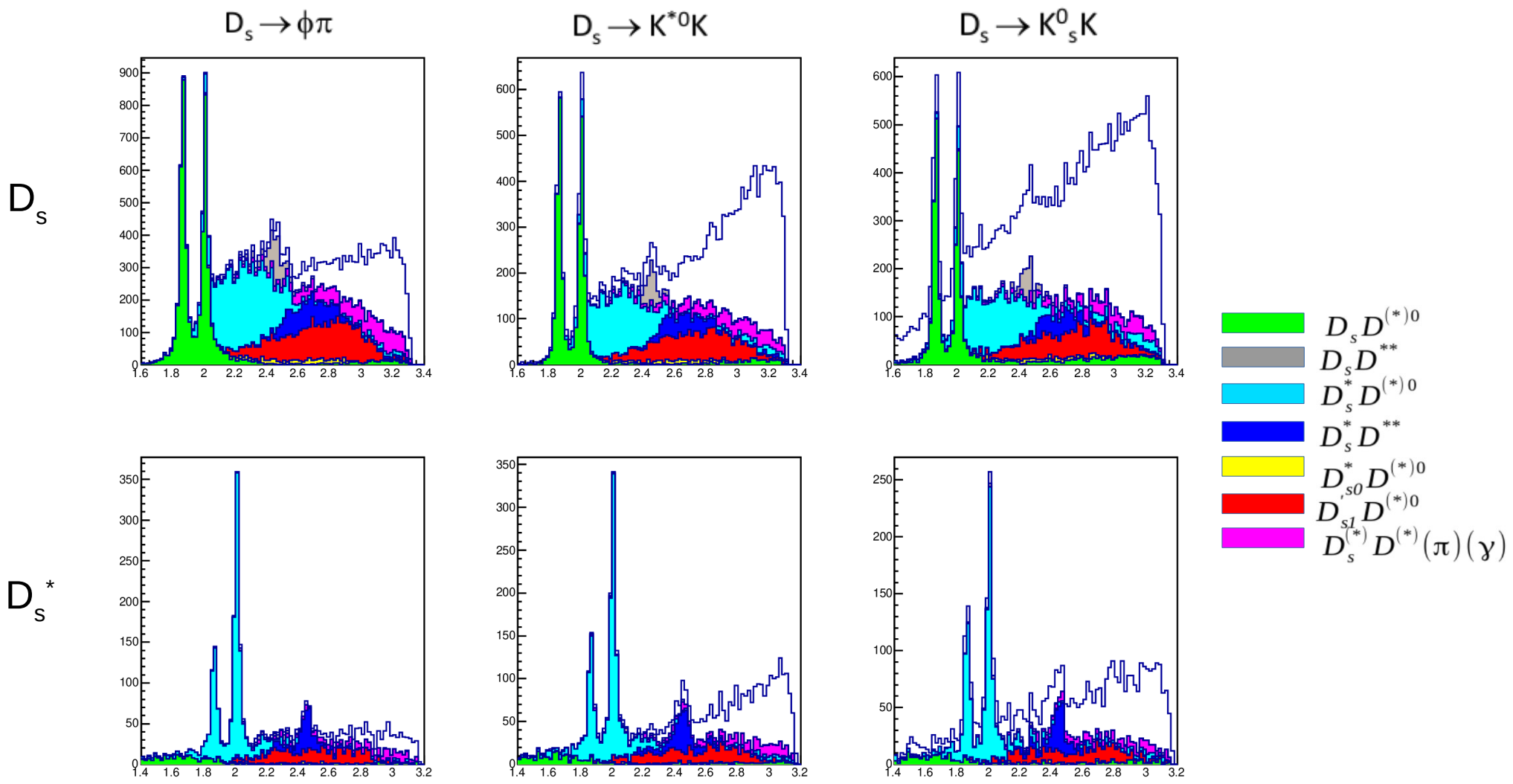


$D_s^*$



charged  
mixed  
charm  
uds

# Mx distributions – specific signal and X-feed contributions from MCgen ‘charged’

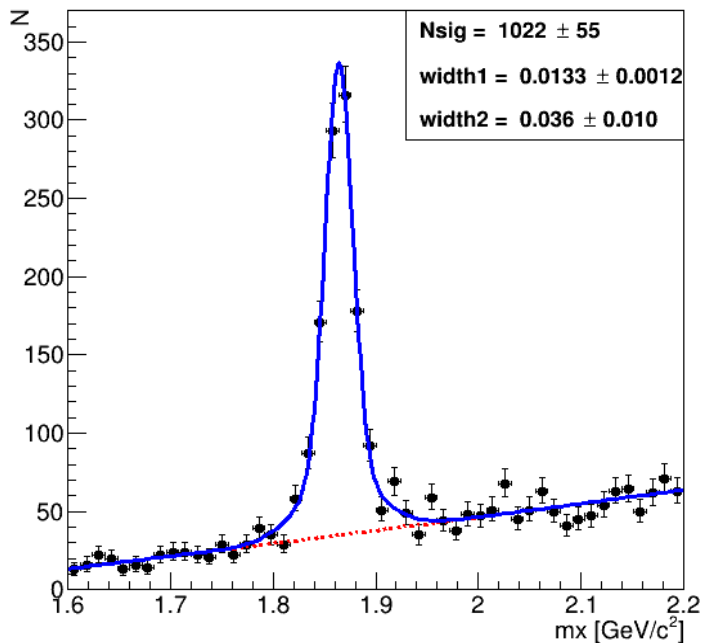


# Correction factors accounting for different efficiency of $B_{\text{tag}}$ reconstruction for data & MC

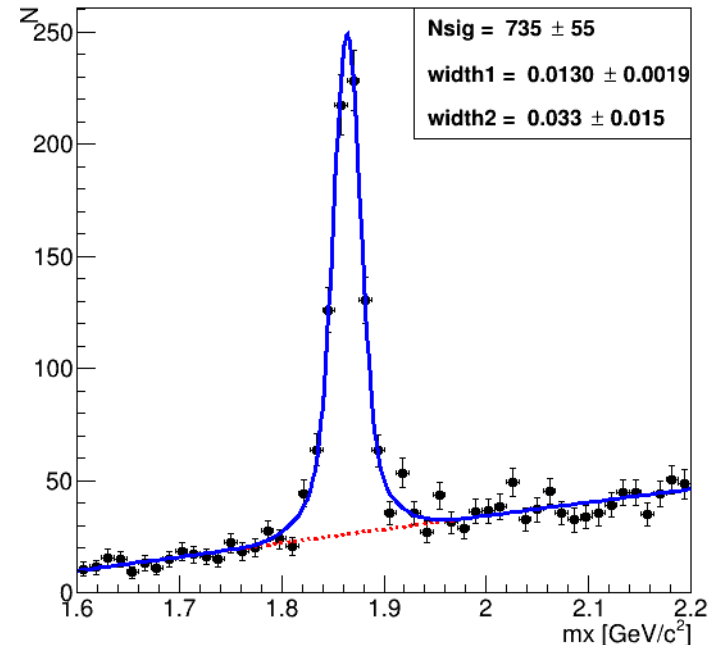
Coefficients (weights) as an additional variable in the ntuple (function of nbout and Btag\_mode):

<i>mx</i>	<i>weight</i>
1.8931195	0.4300126
2.0606427	0.7606688
1.8585503	0.4488383
1.8858218	0.4390727
1.8622628	0.7349409
1.8216735	0.9423299
1.8470438	0.7705660
1.8505309	0.8022359
1.8264402	0.7321117
1.8660372	0.7349409
1.844468	0.7863315
1.8475010	0.9423299
1.9011440	0.5846295
1.8856973	0.4993443
1.8996472	0.6876546
1.8647035	0.4993443
1.8693547	1.1406257
1.8148039	0.8668448
1.8666857	0.8212286
2.552665	0.5518770
1.8735569	0.7349409
3.1571512	0.8596831
1.8591129	0.2374452
1.8742926	0.7913513
1.9223578	0.7606688
1.9909900	1.1005176
2.8411469	0.7747043
1.9634974	0.8699288
1.8587625	0.7705660
1.6779035	0.6632515
1.8605729	0.6876546
3.2150764	0.5291972
1.8897345	0.6874800
1.8635618	0.5846295

No weights



weighted

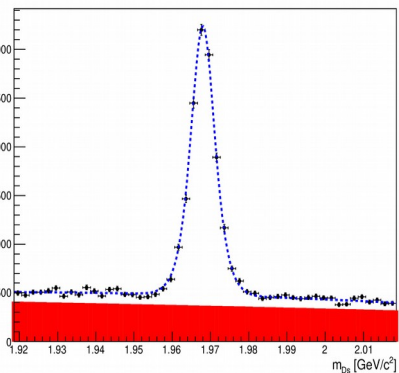
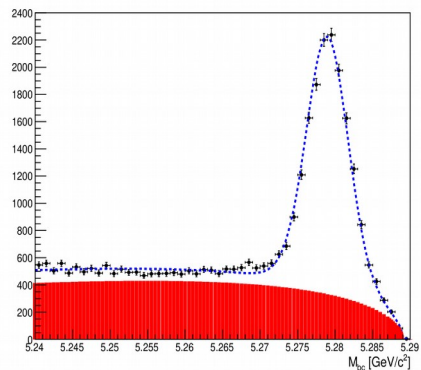


„Weighted fits” can be used for MC samples for better agreement with the data

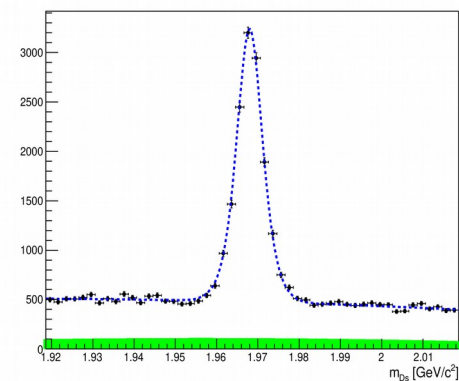
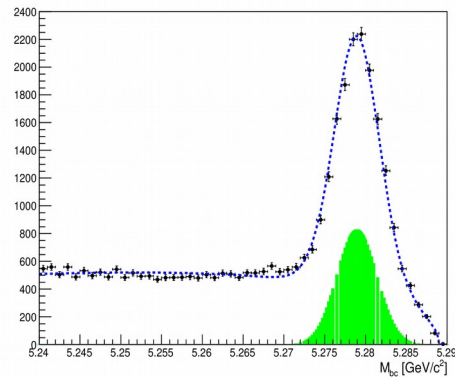


# Background analysis – 4 components based on $M_{bc}$ & $m(D_s)$ distributions

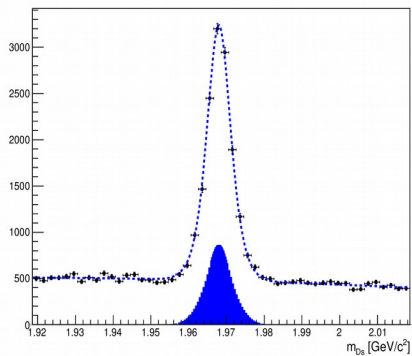
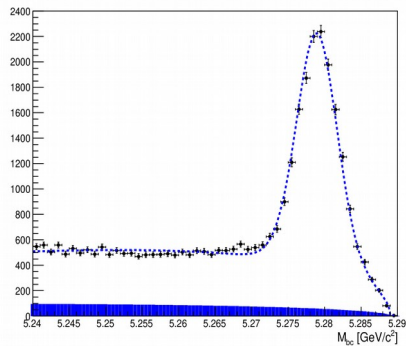
**BCKG** component:



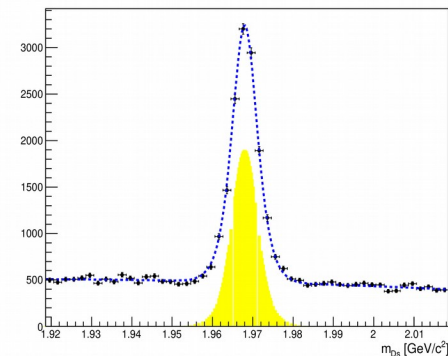
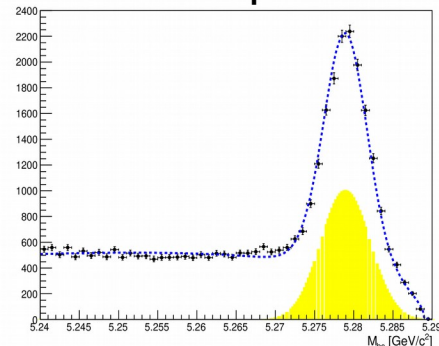
**MBC** component:



**MDS** component:



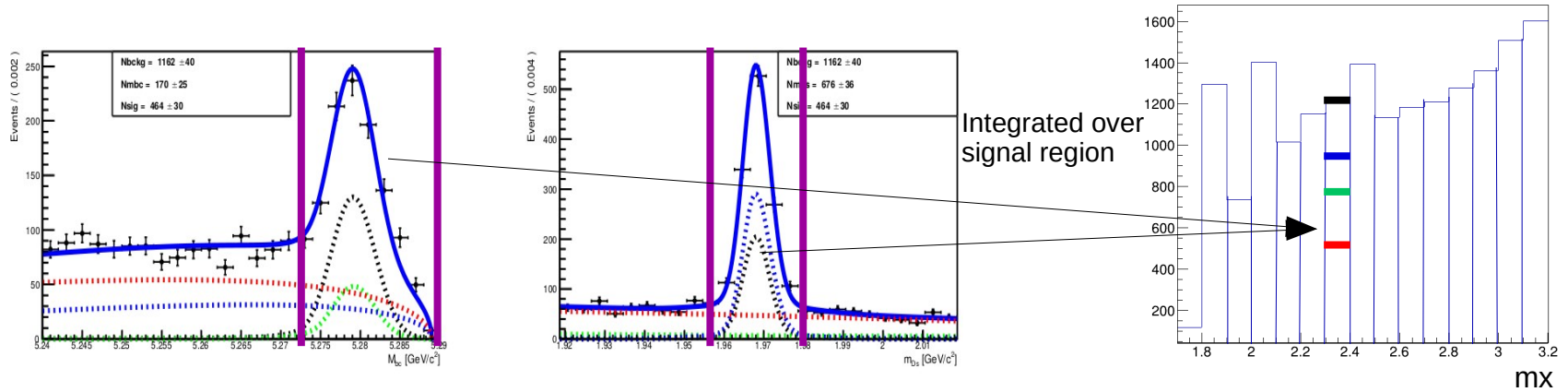
**SIG** component:





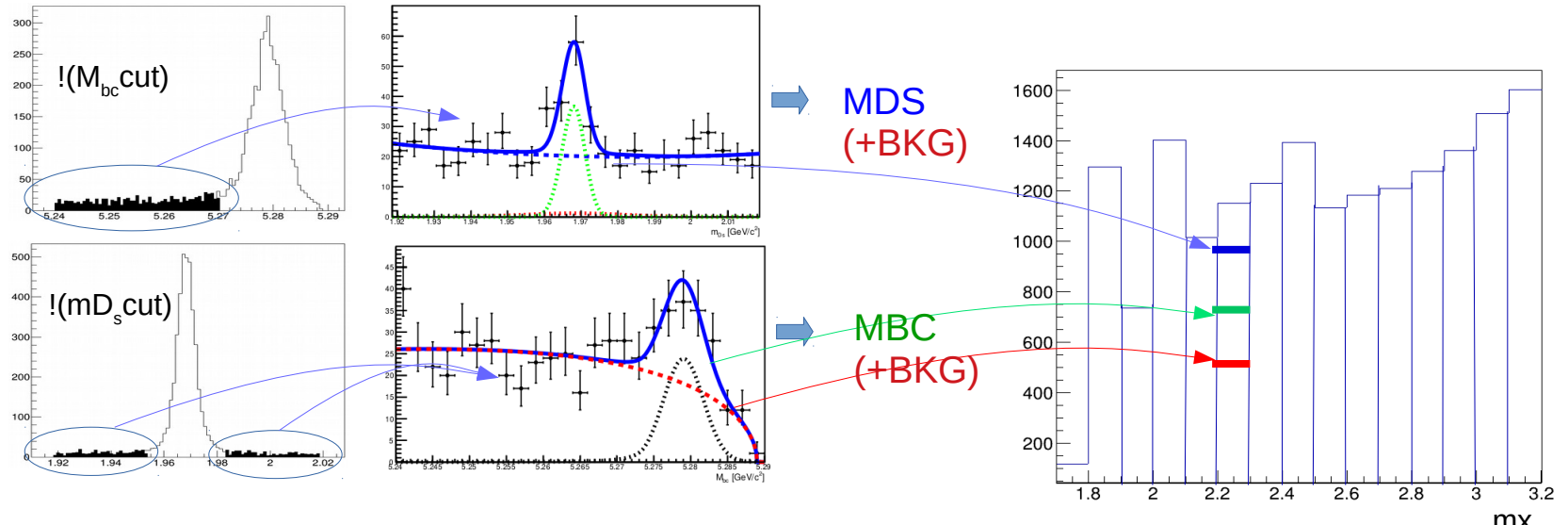
# Background analysis – fits in different bins of missing mass

**FIT 2D**



**2x FIT 1D**

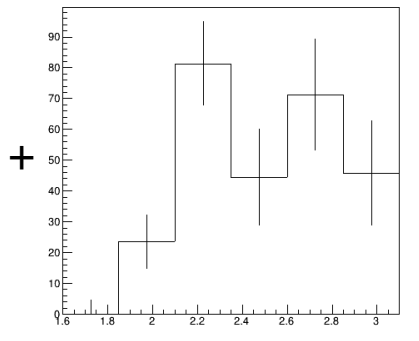
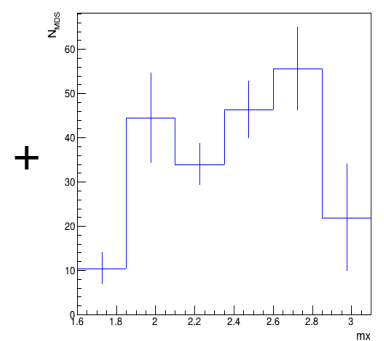
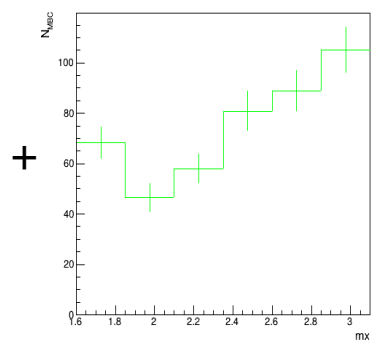
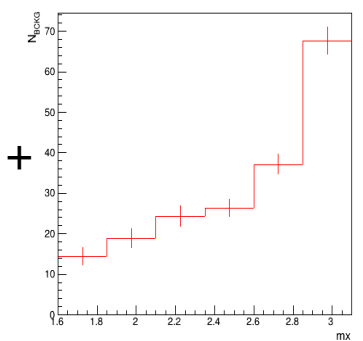
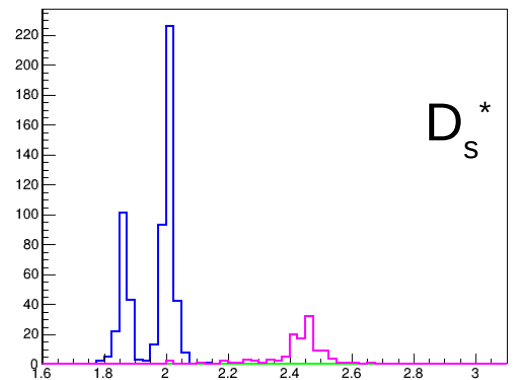
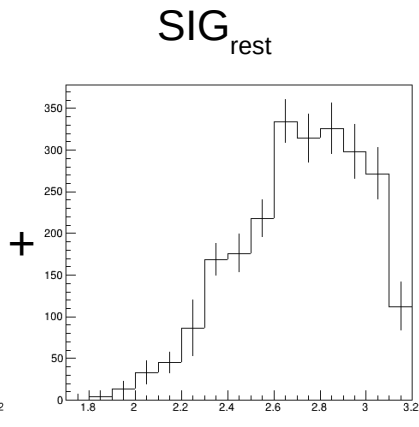
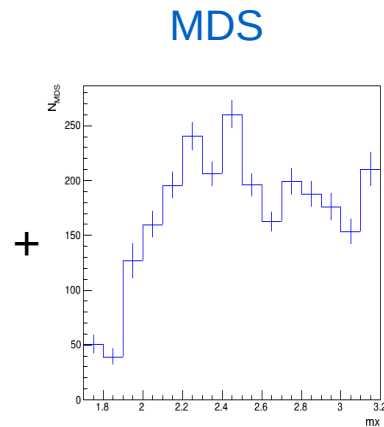
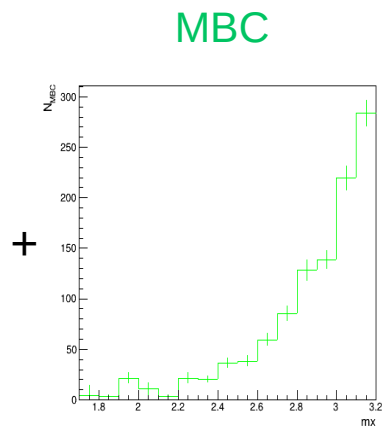
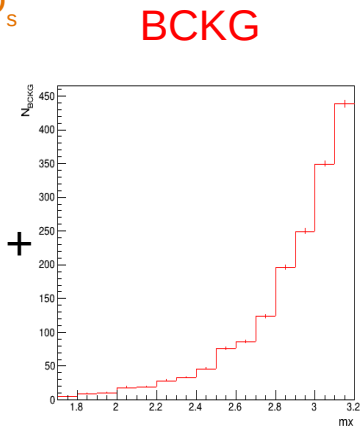
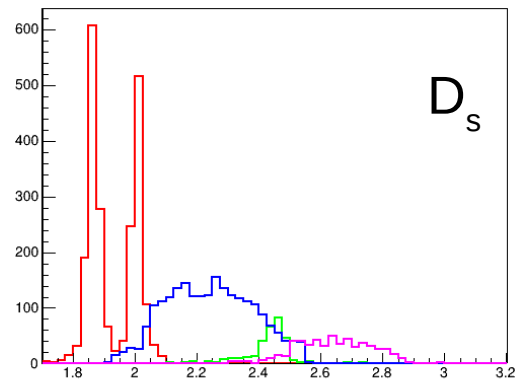
also for  
(blinded)  
data!



# PDFs components for simultaneous fit to both $mx_s$ - MCgen

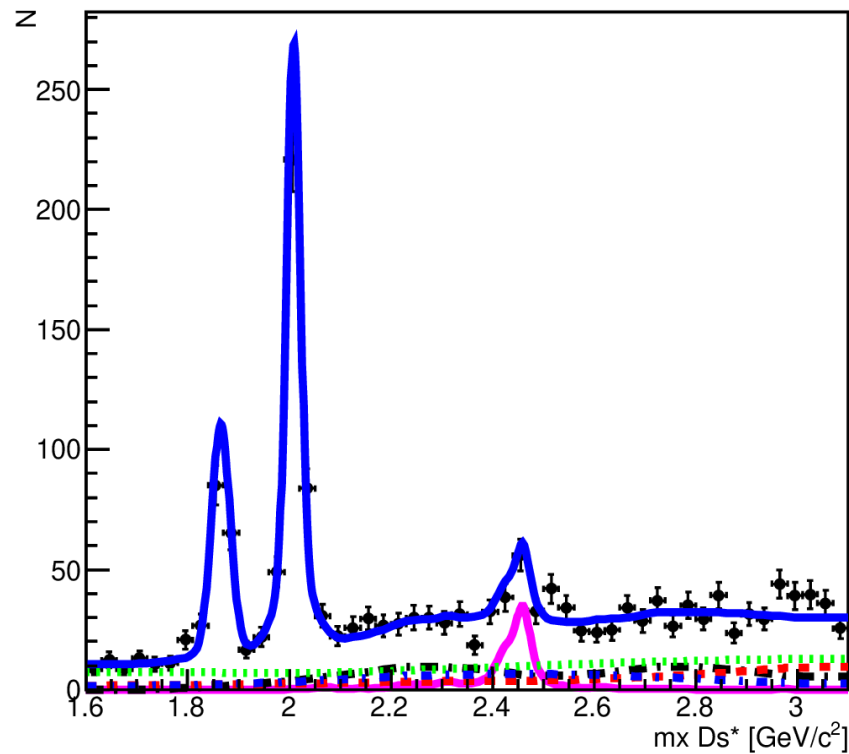
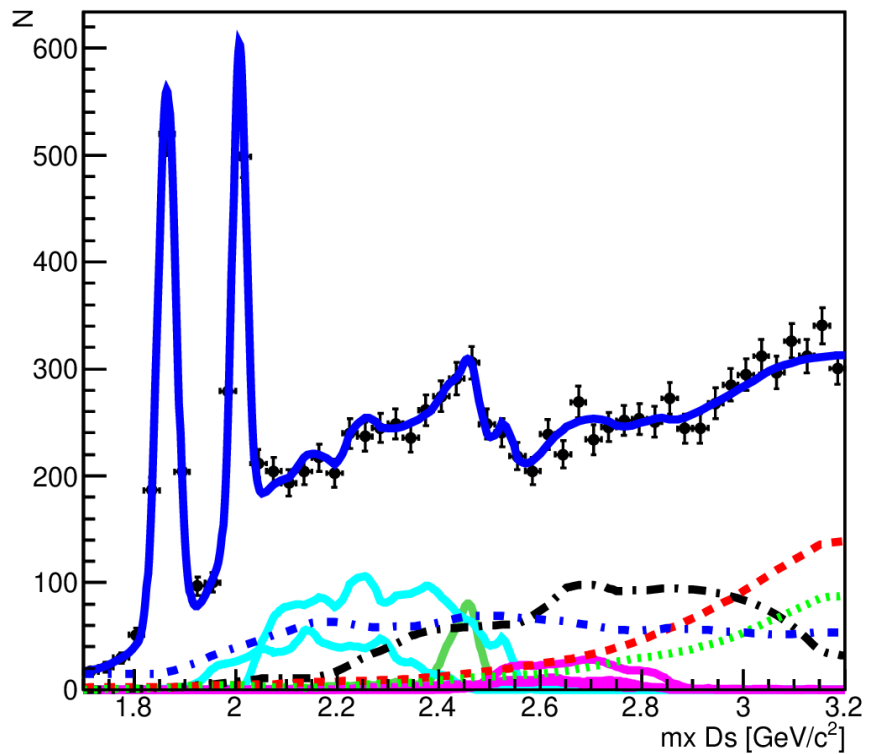
Fixed-shape signal/xfeed components with fixed relative normalization between  $D_s$  and  $D_s^*$

Fixed / bounded normalization



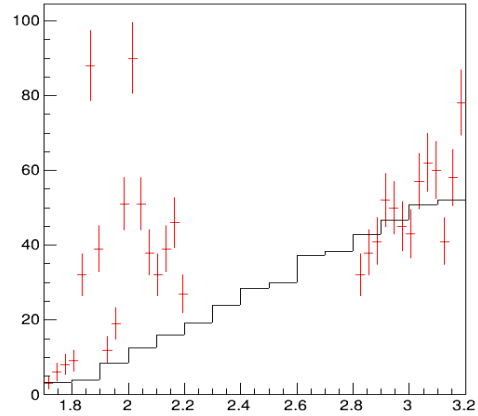
From 2D fits

# Simultaneous Fit to MCgen (signals + x-feeds + 4 background contributions)

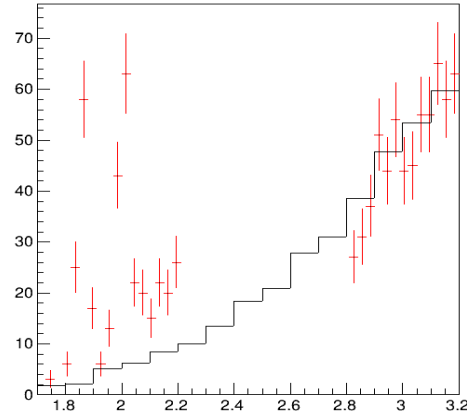


# Comparison of **data (mx in control regions)** and scaled MC

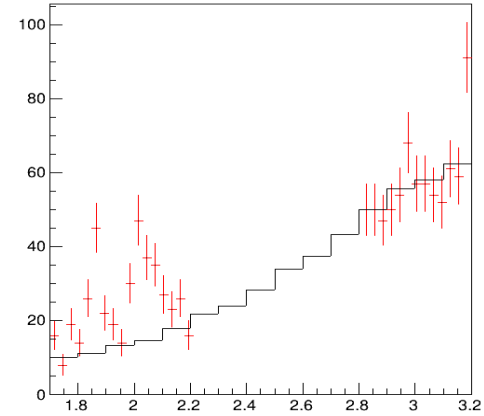
$D_s \rightarrow \phi\pi$



$D_s \rightarrow K^{*0}K$

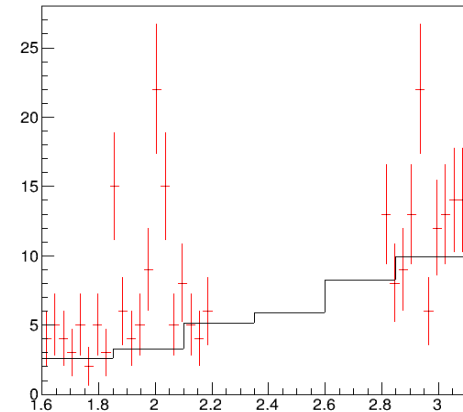
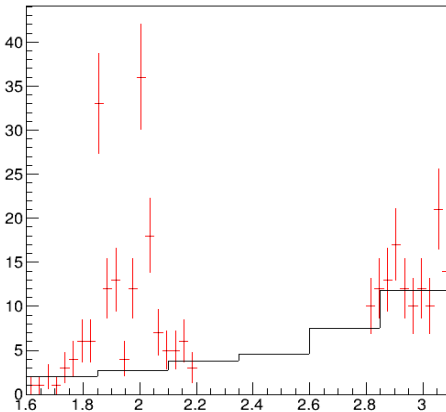
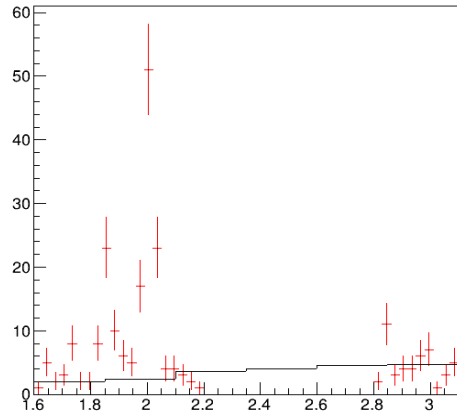


$D_s \rightarrow K_s^0 K$



$D_s$

$D_s^*$



# Initial studies on B2BII

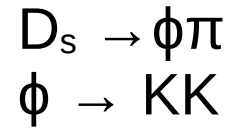


- Dedicated Monte Carlo:



```
Decay B-
0.1063  myD_s- D_0*0
0.1063  D'_10  myD_s-
0.2128  D_10  myD_s-
0.5746  D_2*0  myD_s-
Enddecay
```

```
Decay B-
0.1063  myD_s*- D_0*0
0.1063  D'_10  myD_s*-
0.2128  D_10  myD_s*-
0.5746  D_2*0  myD_s*-
Enddecay
```

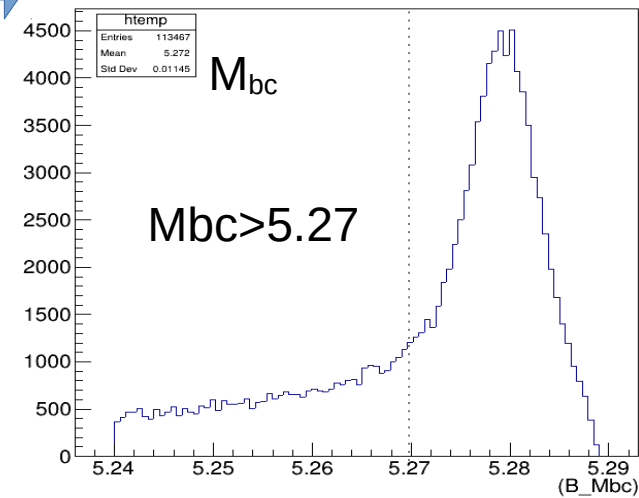
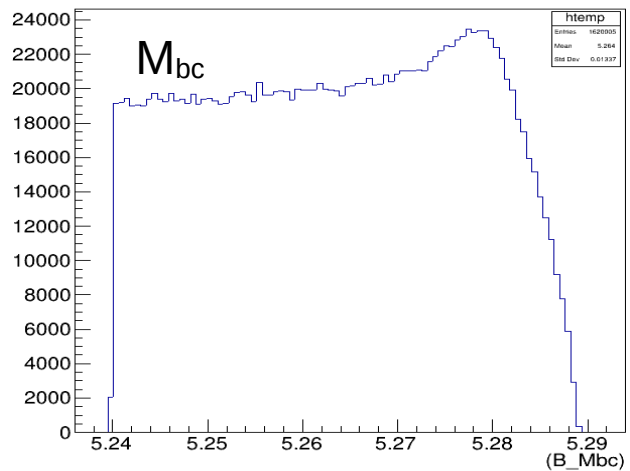
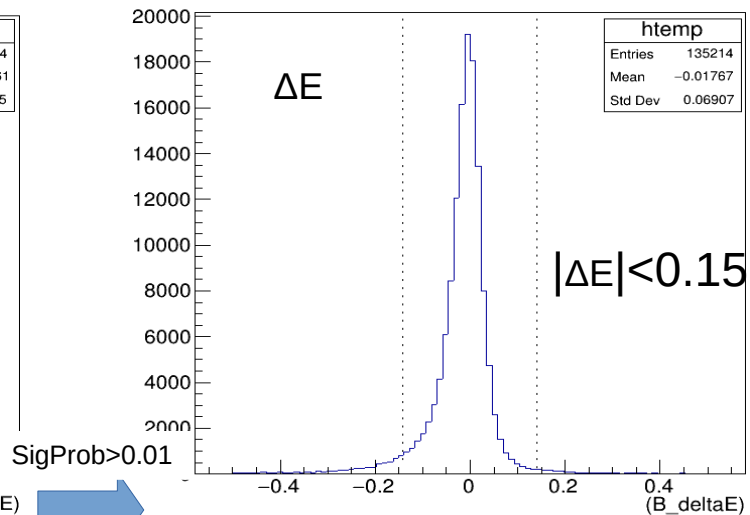
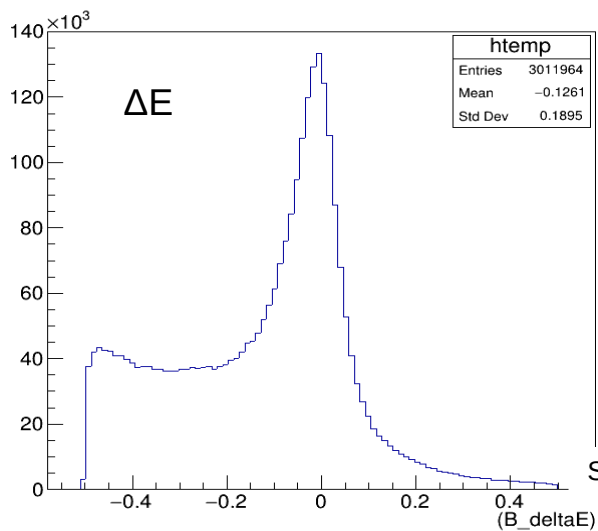
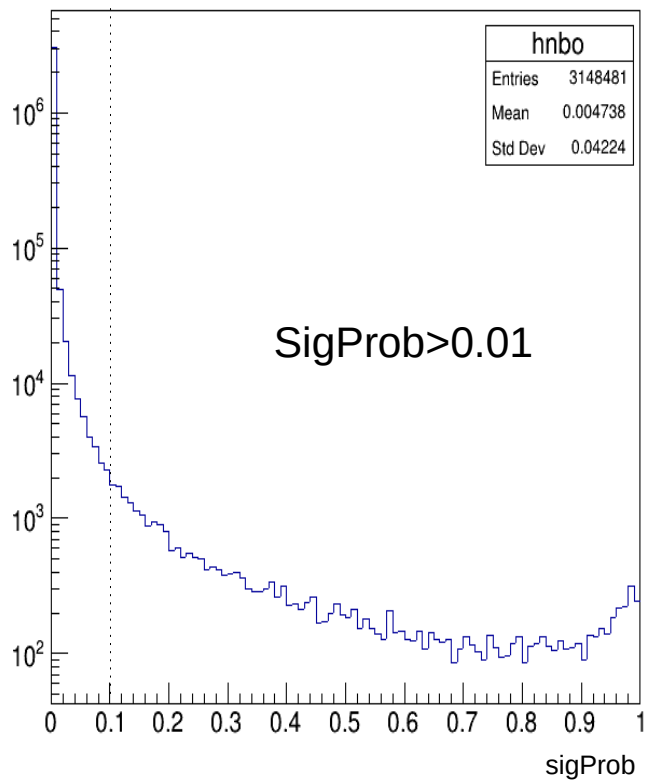


(Belle1 decayDec)

- $B_{\text{tag}}$  reconstruction with (default) hadronic FEI
- FastBDT algorithm to distinguish good gammas (from  $D_s^*$ ) from beam bkg & fake photons  
→  $pybdt_{bb} > 0.3$  and  $pybdt_{fp} > 0.3$  (Meihong Liu)

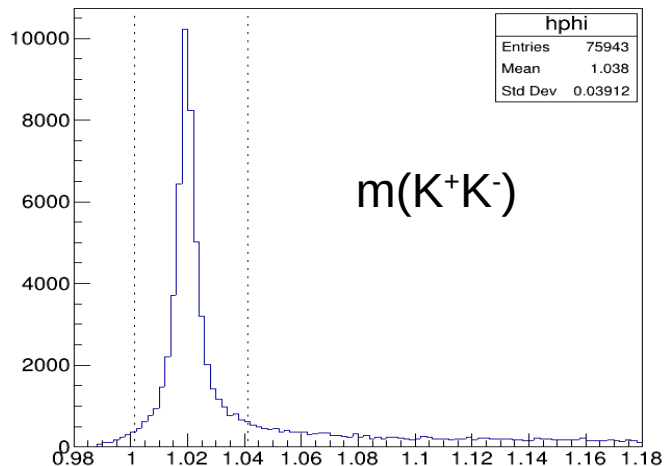
# $B_{\text{tag}}$ variables

(preliminary, arbitrary cuts)

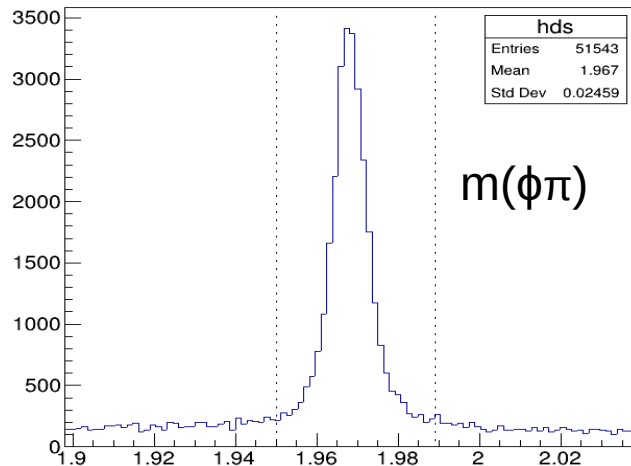


# $D_s^{(*)}$ variables

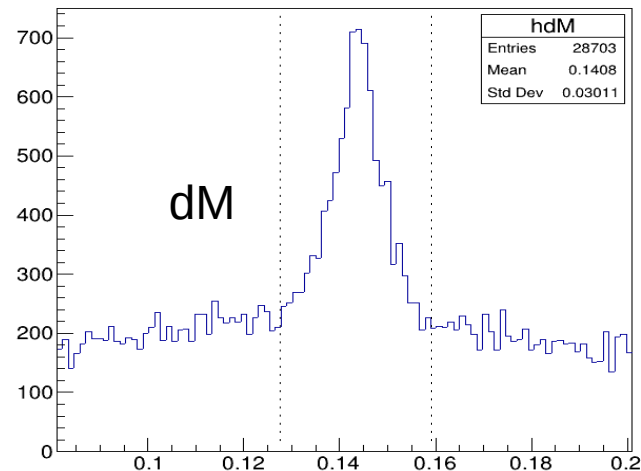
(preliminary, arbitrary cuts)



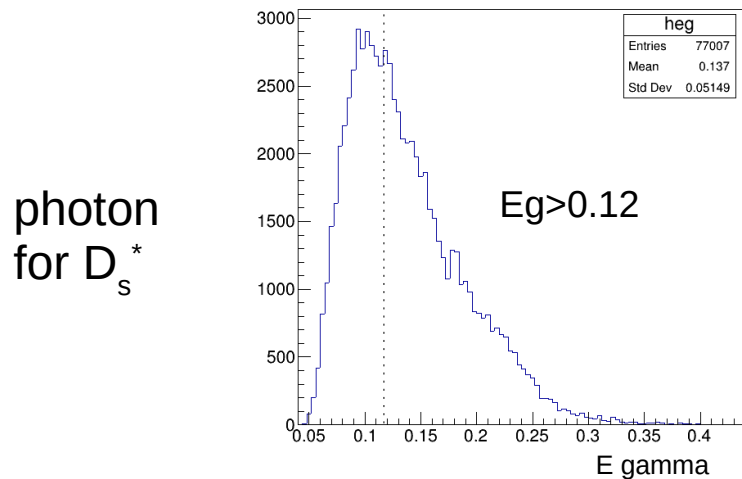
$|\text{mphi}-1.021| < 0.02$



$|\text{mDs}-1.968| < 0.02$



$|\text{dM}-0.1438| < 0.015$



photon  
for  $D_s^*$

$E_\gamma > 0.12$

Best candidate selection:

$B_{\text{tag}}$ : the best **sigProb** value

$D_s$ : the highest  $\chi^2$  **probability** (vx fit)

$D_s^*$ : the lowest  **$|\text{dM}-0.1438|$**  value

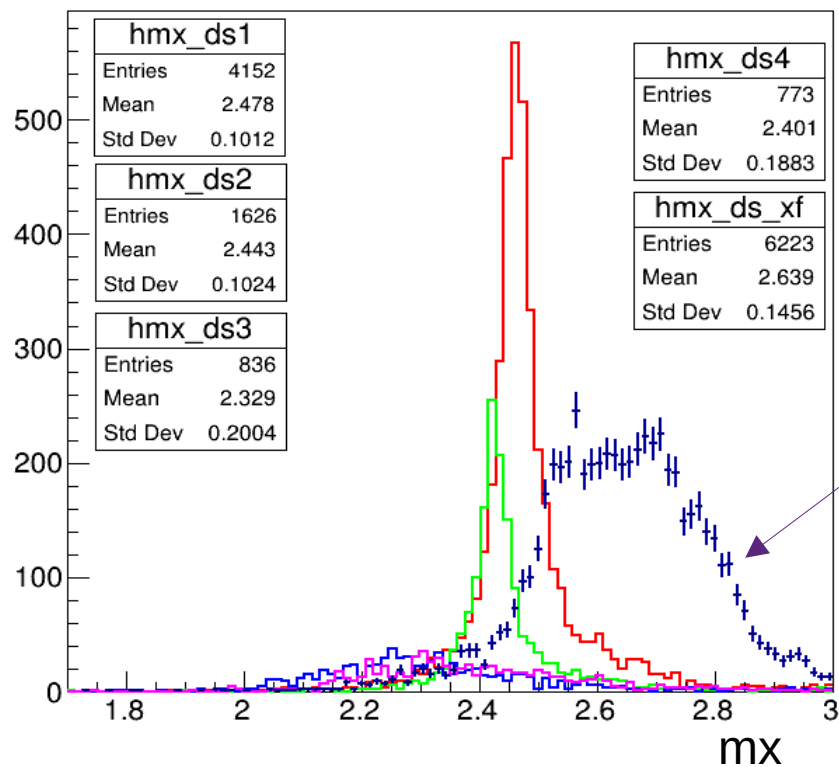
$D_s^*$  is favoured over  $D_s$  if:

$|\text{dM}-0.1438| < 0.015$  and  $E_\gamma > 0.12$  (good photon)

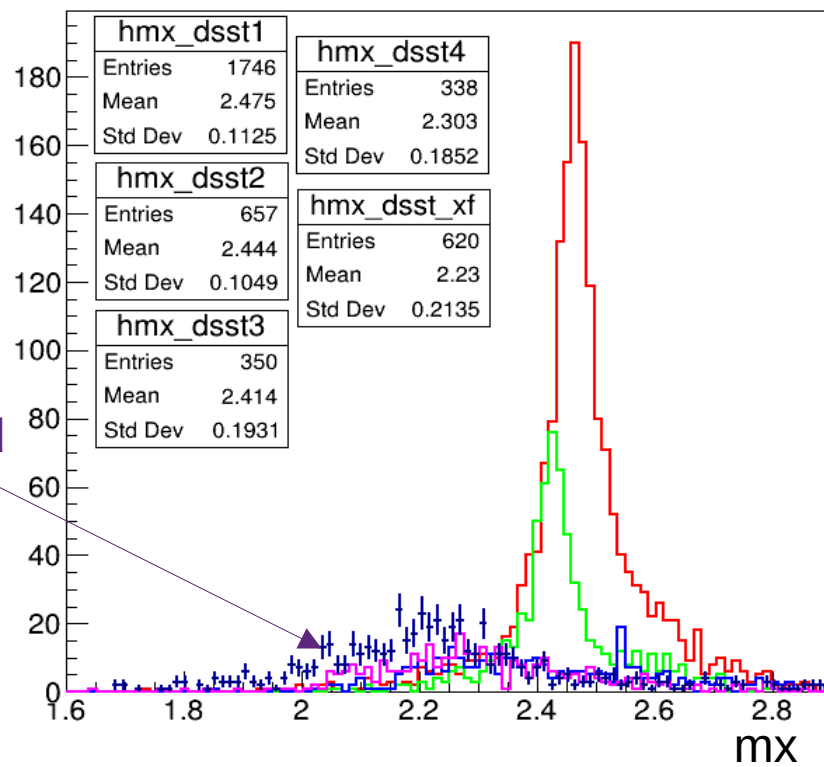
# Missing mass distributions

Signal MC:  $B^- \rightarrow D_s^{(*)} D^{**}$

## $D_s$ reconstruction



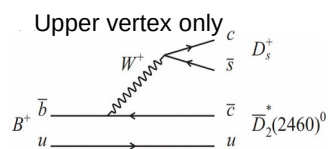
## $D_s^*$ reconstruction





# Study of generic Monte Carlo (Belle 1)

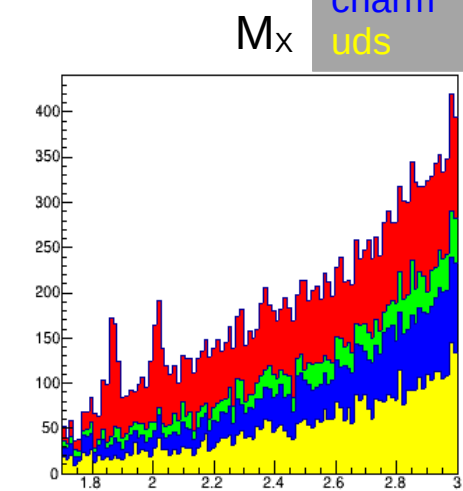
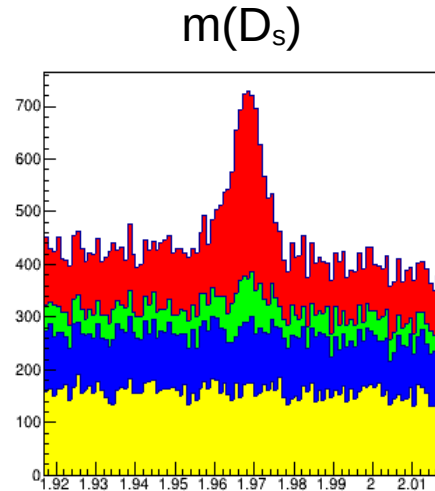
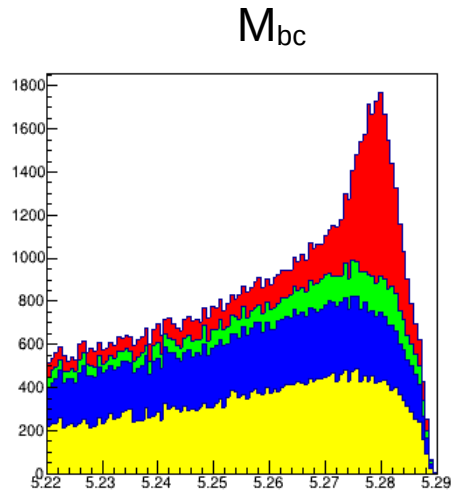
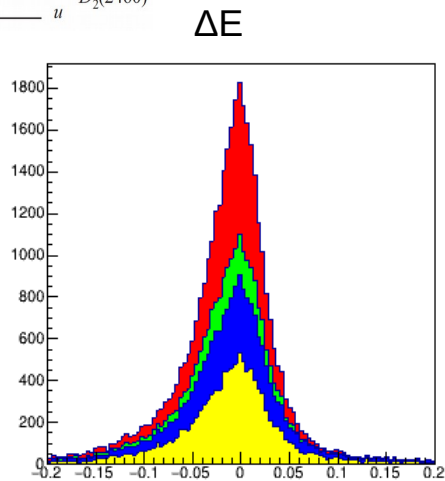
- One stream of MC (uds, charm, mixed, charged)
- Using B2BII
- Comparison between **default FEI** and **custom FEI** (Roman, Murad)
- For both  $D_s$  and  $D_s^*$  reconstruction



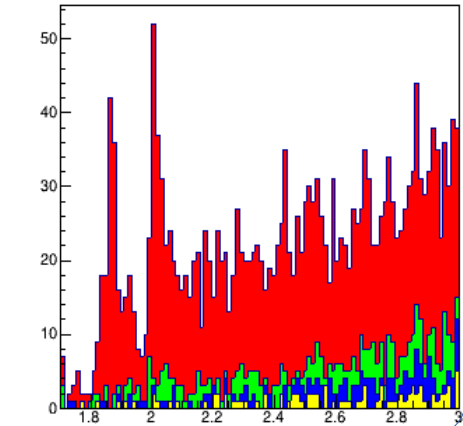
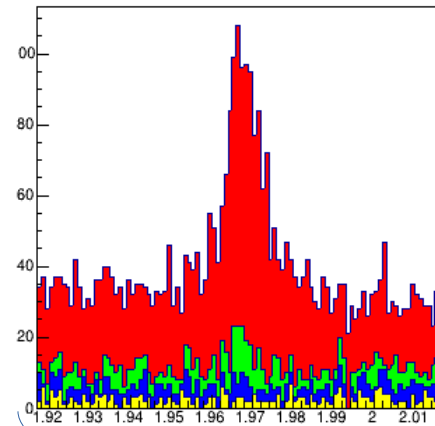
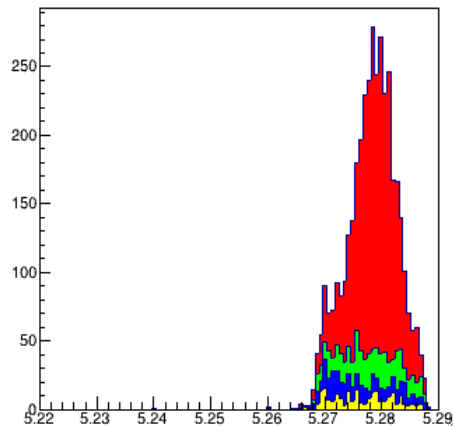
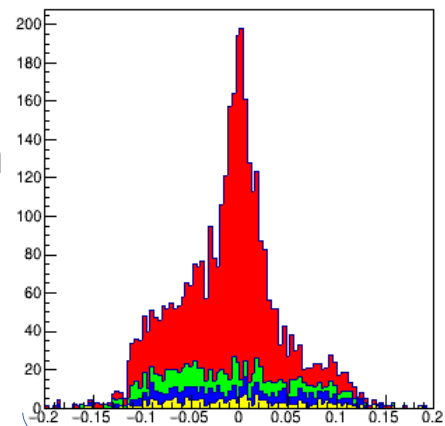
# $B \rightarrow D_s X$ reconstruction on Belle MC generic

charged  
mixed  
charm  
uds

Default  
FEI

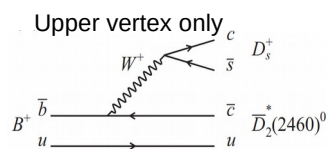


Custom  
FEI



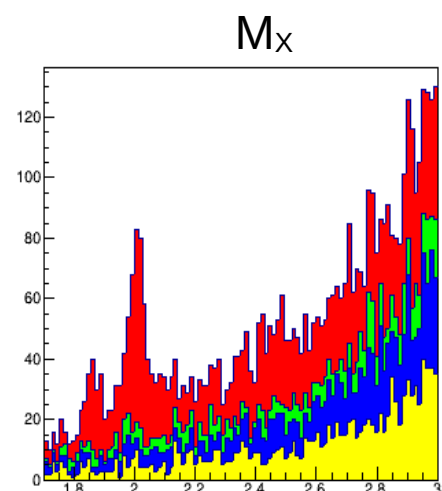
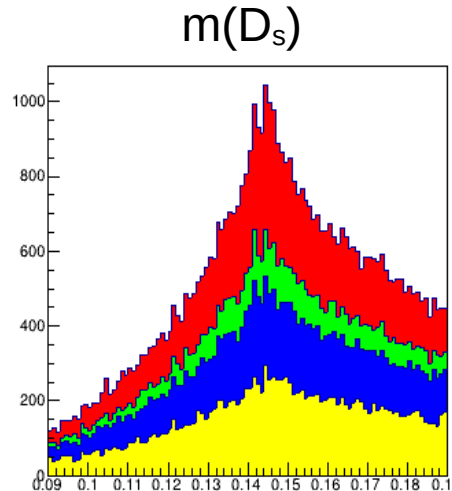
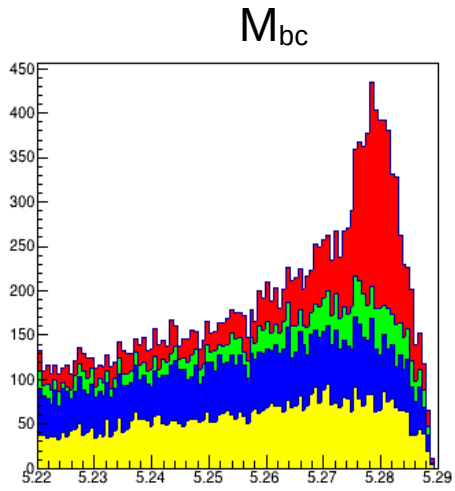
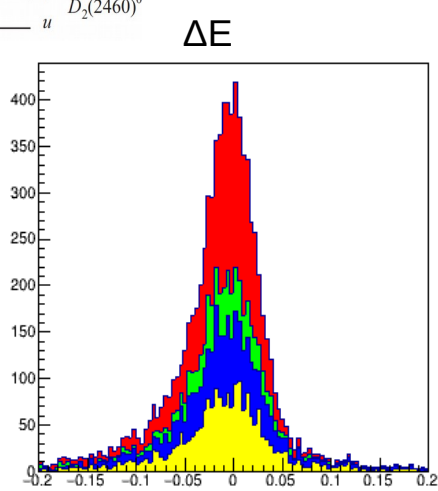
tagging side

signal side

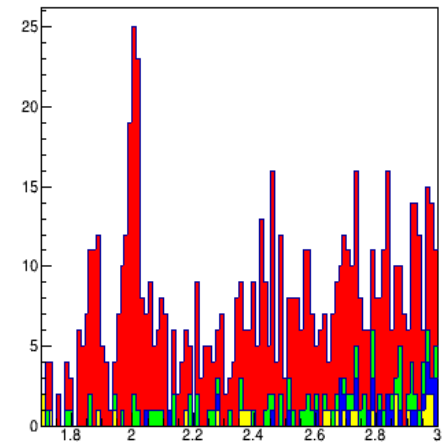
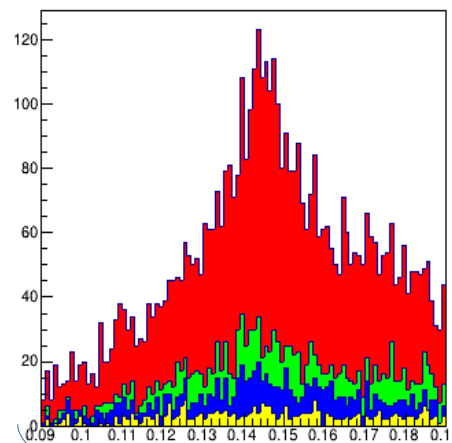
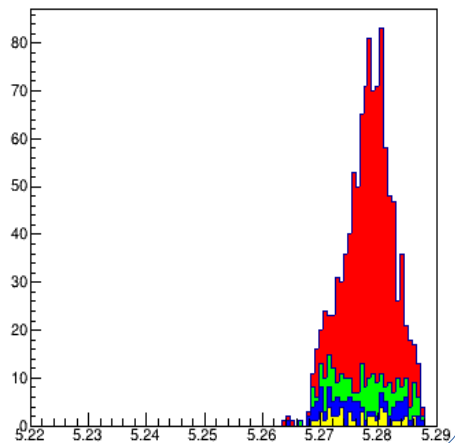
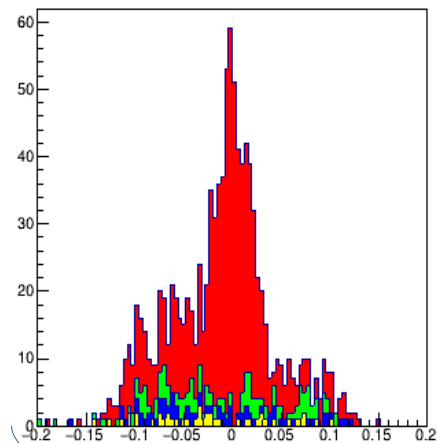


# $B \rightarrow D_s^* X$ reconstruction on Belle MC generic

Default  
FEI



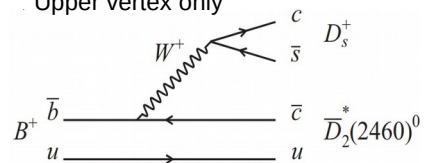
Custom  
FEI



tagging side

signal side

Upper vertex only

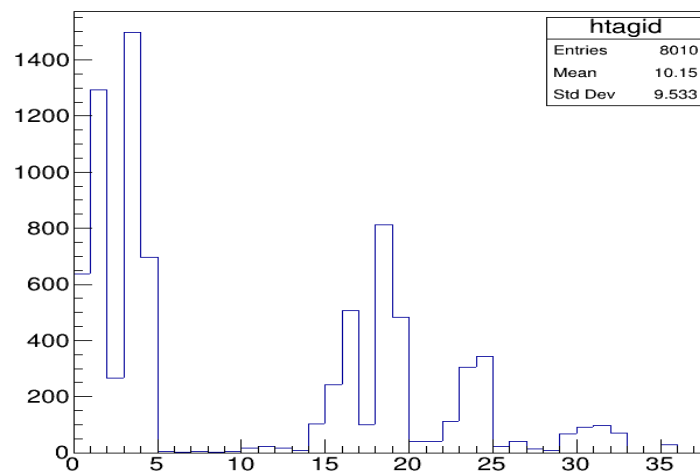
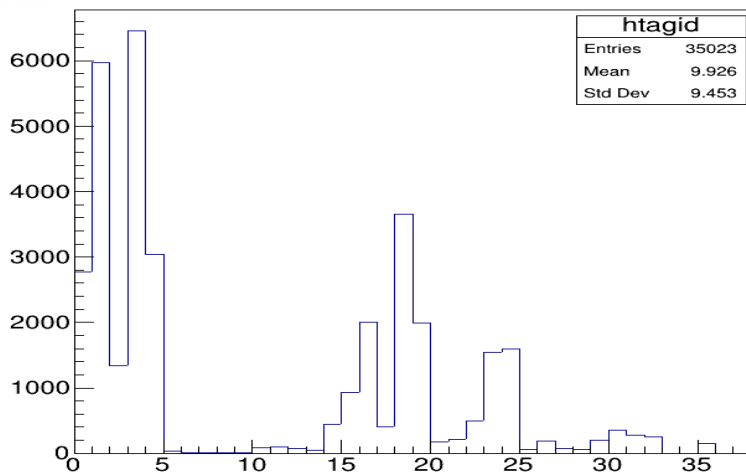


# $B_{\text{tag}}$ decay modes composition

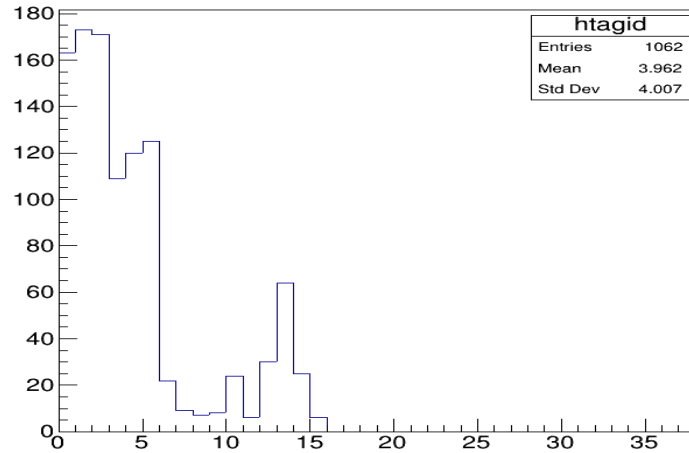
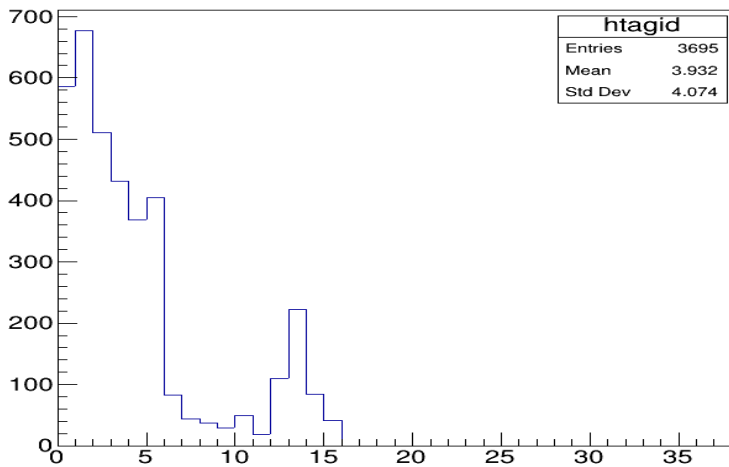
$D_s$  reco

$D_s^*$  reco

Default  
FEI



Custom  
FEI



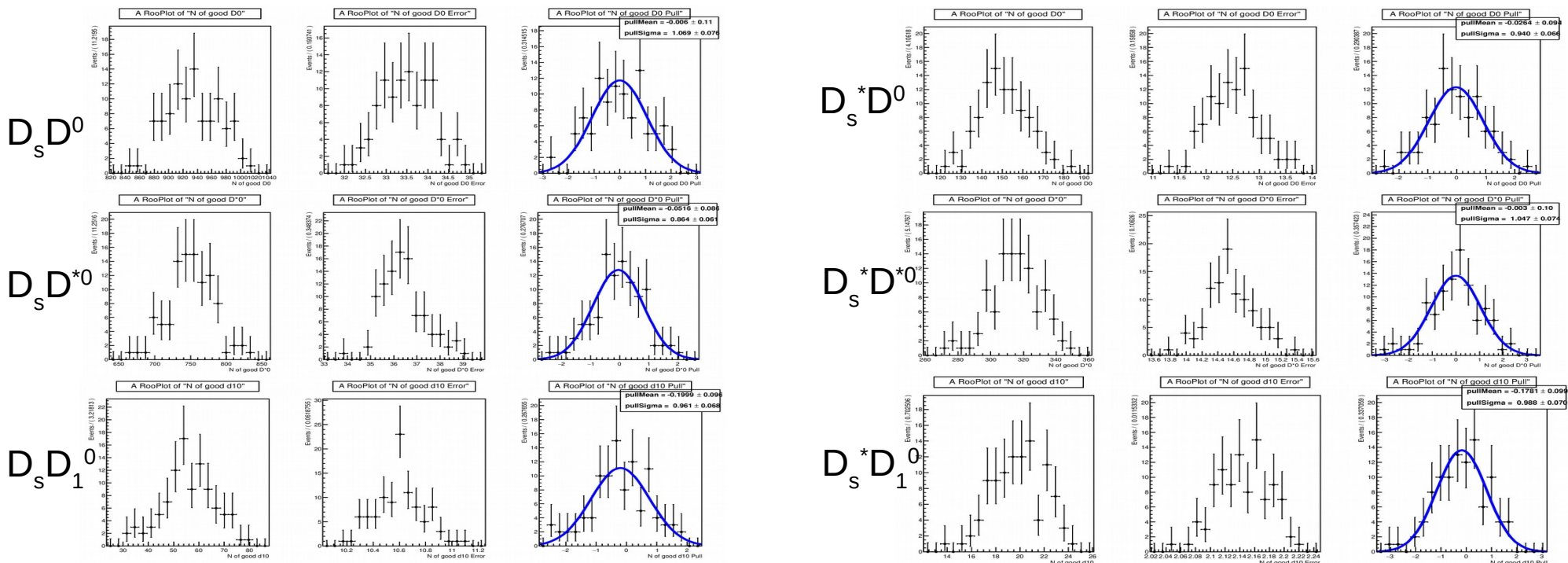
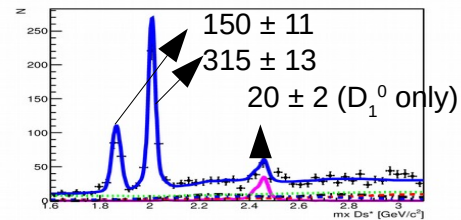
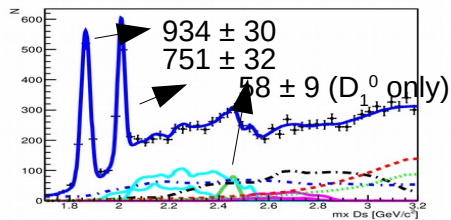
# Status & plans

- Analysis has just been restarted from the beginning using basf2 software
  - collaboration with IITB (and maybe IITM) group
- Full Event Interpretation (hadronic FEI) is used to reconstruct  $B_{\text{tag}}$ 
  - possible utilization of the **custom FEI**
- Both branching fraction (for different charge configurations) and recoil mass ( $M_x$ ) will be studied
- We aim to combine Belle1 (B2BII) + Belle II data sample
- Plan of adding neutral  $B^0 \rightarrow D_s X$

**BACKUP**

# Toy MC for simultaneous fit to MCgen

Nominal fit

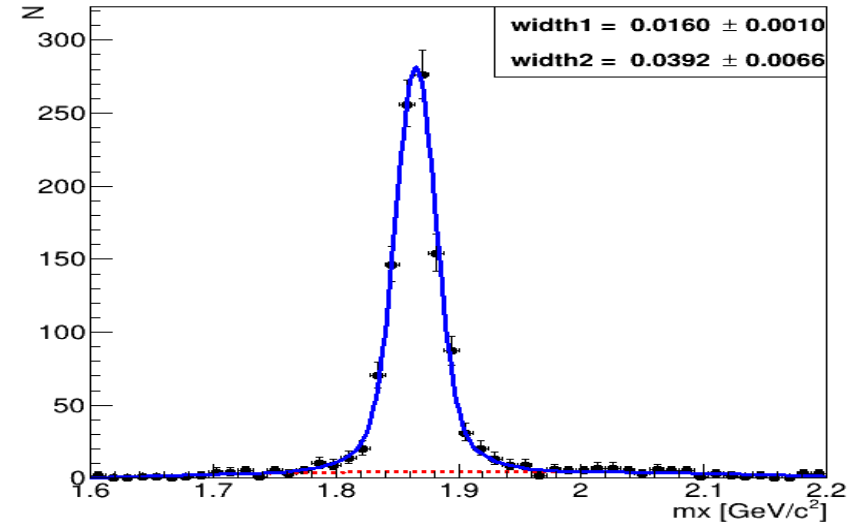


# Attempt to systematics – $D^{(*)0}$ signal shape: two Gaussians + fraction

Fit to missing mass distribution for  $D_s D^0$  signal  
– only shape parameters are floating

→ **Correlation Matrix** for shape parameters:

	frac	width1	width2
frac	1	0.8389	0.851
width1	0.8389	1	0.6947
width2	0.851	0.6947	1



→ **Covariance Matrix**

	frac	width1	width2
frac	0.005505	6.363e-05	0.0004199
width1	6.363e-05	1.045e-06	4.723e-06
width2	0.0004199	4.723e-06	4.423e-05

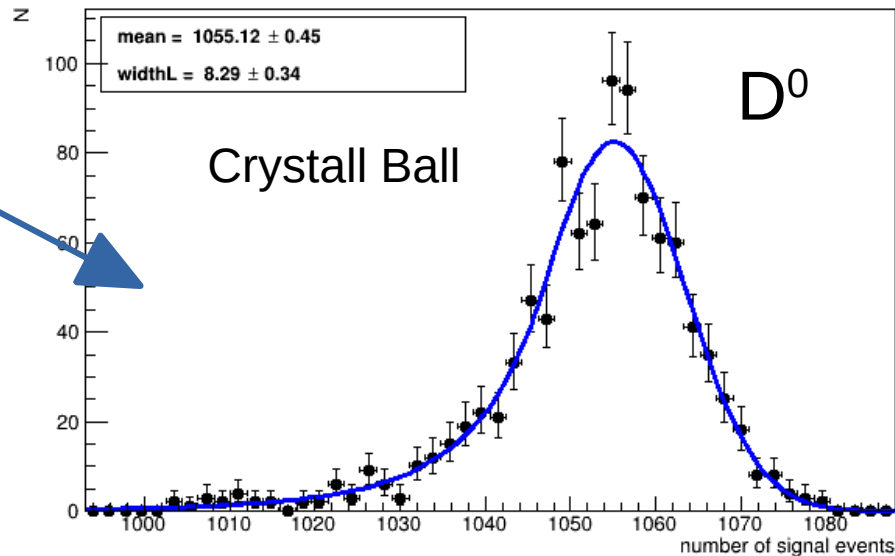
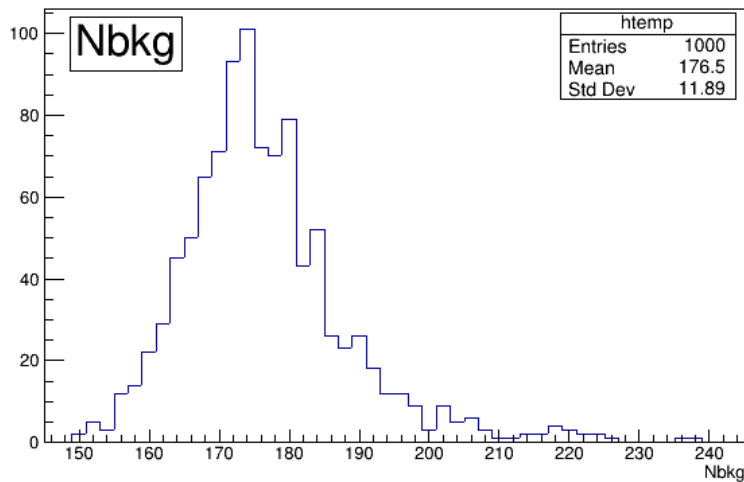
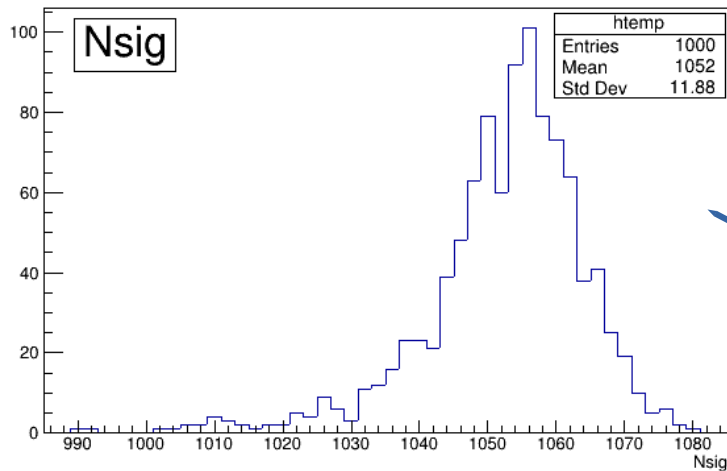
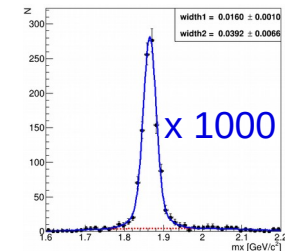


Generation of 1000 sets of shape parameters (**width<sup>1</sup>**, **width<sup>2</sup>**, **frac**) based on Covariance Matrix



Fit for each set of fixed shape parameters ( $\text{width}^1, \text{width}^2, \text{frac}$ )  $\rightarrow$  1000 fits

$\rightarrow$  distribution:  $N_{\text{sig}}$  (and  $N_{\text{bckg}}$ ) - free fit parameters



Floating Parameter	FinalValue +/-	Error
alpha	1.0476e+00 +/-	1.74e-01
mean	1.0551e+03 +/-	4.49e-01
n	6.8388e+00 +/-	4.88e+00
widthL	8.2921e+00 +/-	3.37e-01

$\rightarrow$  syst.  $\sim 0.8\%$  (??)

# Particle Physics Summer Student Programme 2022 (IFJ PAN, Krakow)

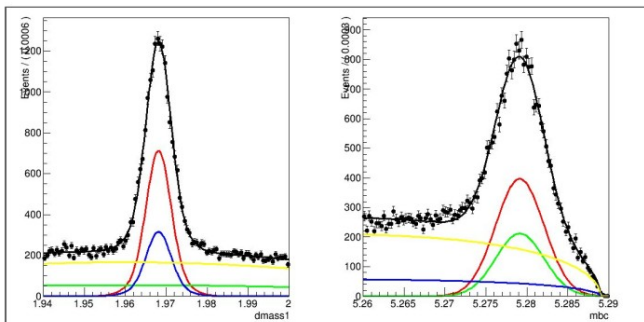
→ inclusive BF

MC

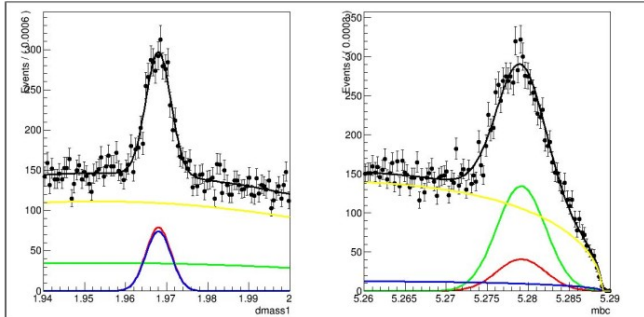
## Signal extraction

Based on 2D unbinned maximum likelihood fit for Mbc and Ds

Ds from upper vertex



Ds from lower vertex



$$N_{sig}^{up} = 9884.9 \pm 219.0$$

total fit

good Btag and good Ds

good Btag and wrong Ds

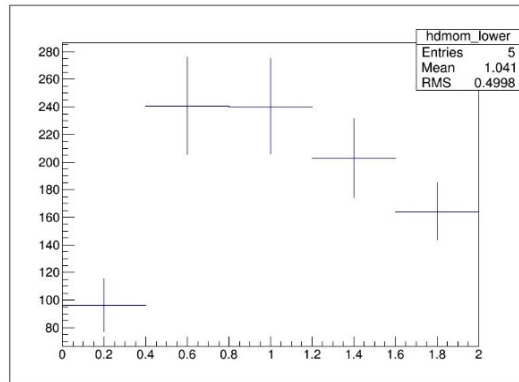
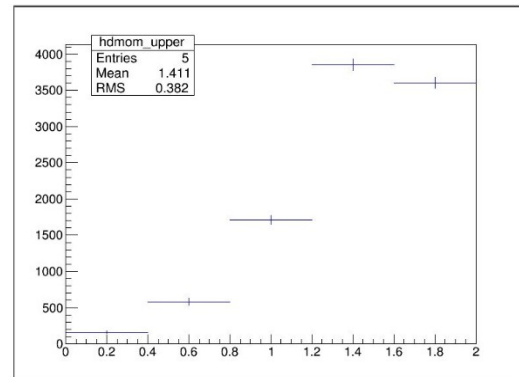
wrong Btag and good Ds

wrong Btag and wrong Ds

$$N_{sig}^{low} = 1010.4 \pm 17.9$$



D<sub>s</sub> momentum distribution



$$\frac{\mathcal{B}(B^- \rightarrow D_s^+ X)}{\mathcal{B}(B^- \rightarrow D_s^+ X) + \mathcal{B}(B^- \rightarrow D_s^- X)} =$$

9.27 ± 0.24 (stat) %

MC

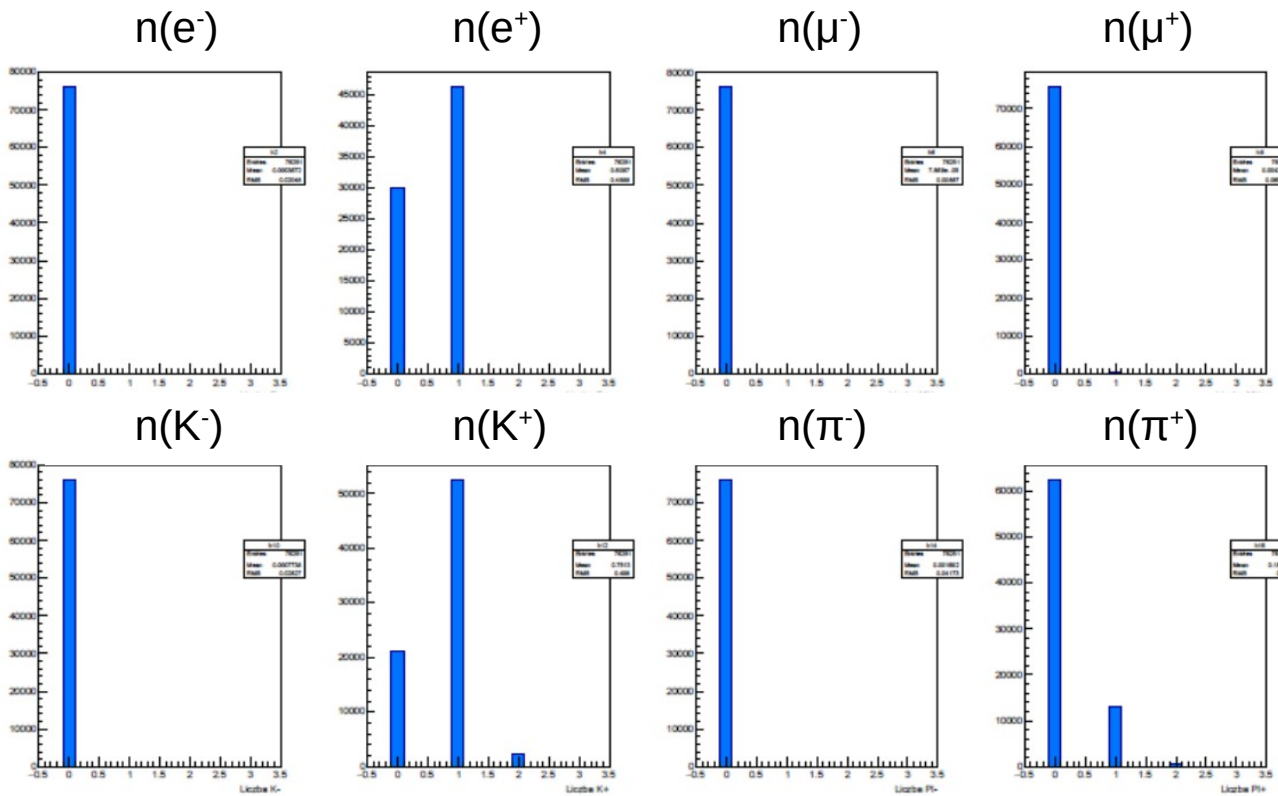
8.96 ± 1.67 (stat) %

data

# Particle Physics Summer Student Programme 2017 (IFJ PAN, Krakow)

→ X analysis for  $B^+ \rightarrow D_s^- X$

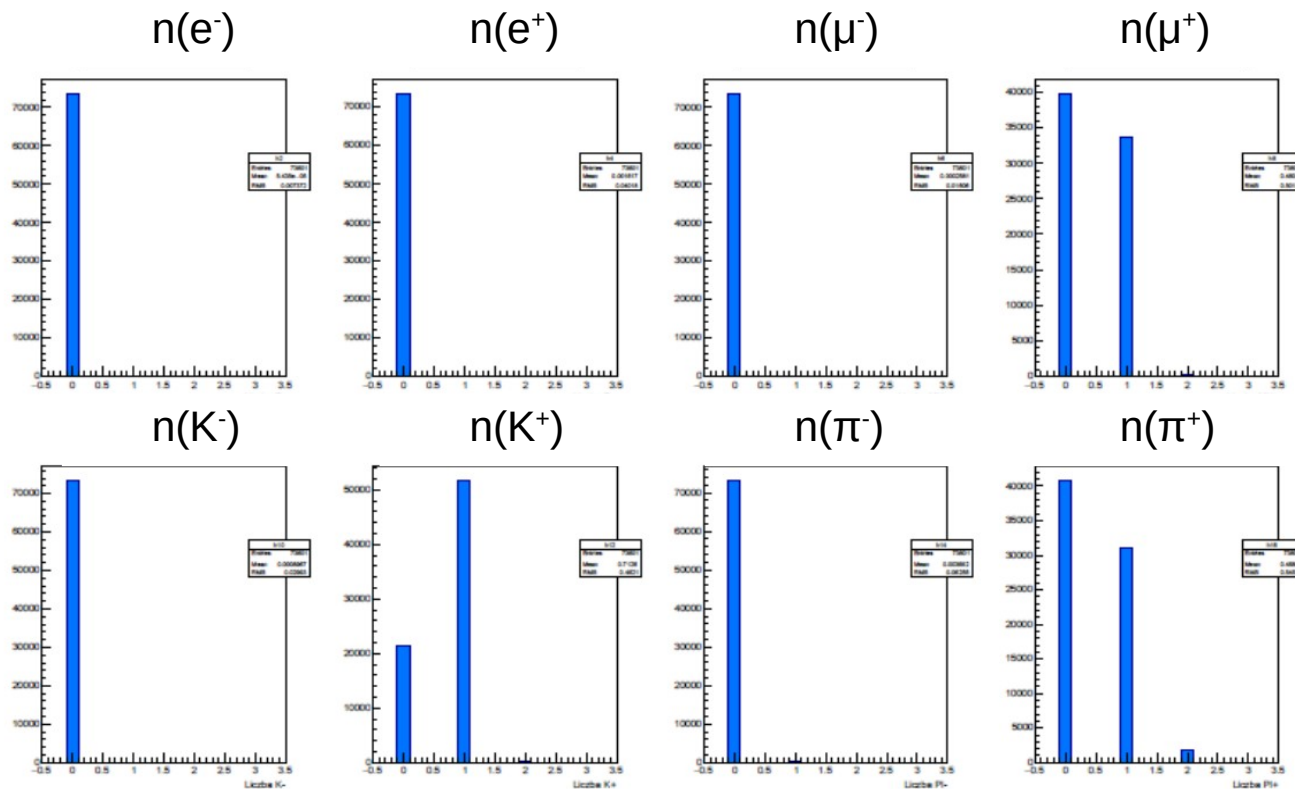
Monte Carlo  $B^+ \rightarrow D_s^- K^+ e^+ \nu$



# Particle Physics Summer Student Programme 2017 (IFJ PAN, Krakow)

→ X analysis for  $B^+ \rightarrow D_s^- X$

Monte Carlo  $B^+ \rightarrow D_s^- K^+ \mu^+ \nu$



# Main cuts

## *B tag:*

$$|\Delta E + 5.8| < 40.0 \text{ MeV}$$

$$M_{bc} > 5.27 \text{ GeV}$$

$$\text{cs-nbout} > 0.01$$

$$B_{\text{tag}} = B^+$$

$$D_s^* \rightarrow D_s \gamma$$

## *Ds\*:*

photons to Ds\* cannot come from  $\pi^0$  which are defined as:

$$- 118 \text{ MeV} < m(\pi^0) < 150 \text{ MeV}$$

$$- E_{\gamma 1,2} > 50 \text{ MeV}$$

$$- \chi^2 < 50$$

## *Signal side:*

$$1.5 \text{ GeV} < mx < 3.2 \text{ GeV}$$

$$|m(D_S) - m(D_S)^{\text{PDG}}| < 3\sigma$$

$$B_{\text{flav}} * d_{\text{flav}} < 0$$

$$L(K/\pi) > 0.4 \text{ (for K)}$$

$$L(\pi/K) > 0.1 \text{ (for } \pi)$$

$$L(\mu, e) < 0.95 \text{ (veto)}$$

## *After applying all cuts:*

## *Best $B_{\text{tag}}$ and $D_S^{(*)}$ selection:*

- $B_{\text{tag}}$  of highest nbout

- best  $D_S$ :

$$\rightarrow \min \frac{(m(D_S) - m(D_S)^{\text{PDG}})^2}{\sigma^2}$$

or  $\rightarrow CL_{DS}$  (from mass constrained fit)

**Ds\*** is preferred over **Ds** if:

$$- E_\gamma > 130 \text{ MeV}$$

$$- |m(D_S^*) - m(D_S) - 0.1438| < 13 \text{ MeV (mass diff.)}$$

# Ey cut optimization

MC generic  
(charged)

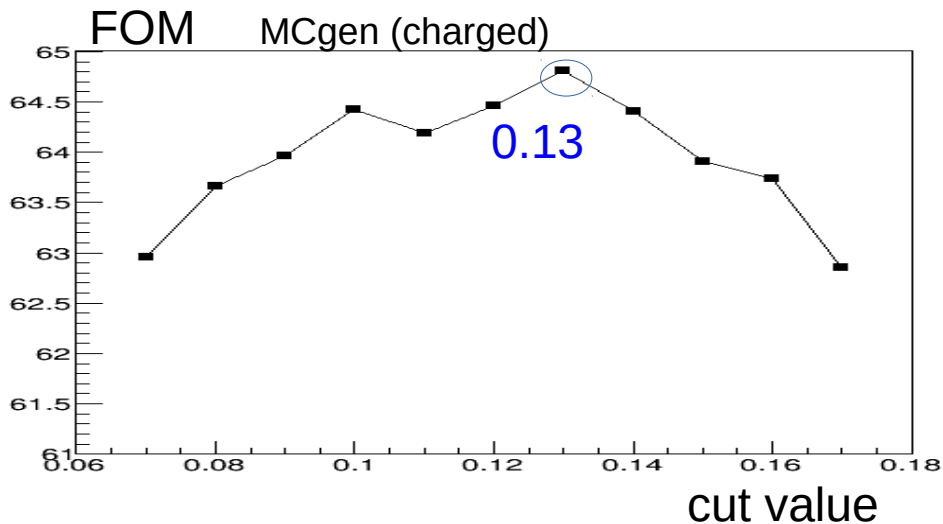
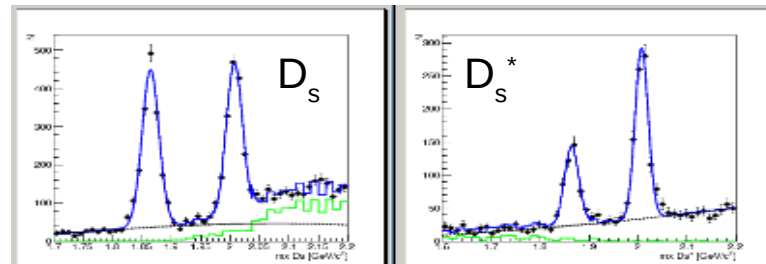
Mx distribution for  $D_s$  and  $D_s^*$  fitted simultaneously for  $m_x < 2.2$  GeV

$$FOM = FOM_{D_s} + FOM_{D_s^*}$$

$$FOM_{D_s^*} = \frac{S}{\sqrt{B+S}}$$

S – sum of the  $D^0$  and  $D^{*0}$  yields

B – sum of the **combinatorial background** and **crossfeed**

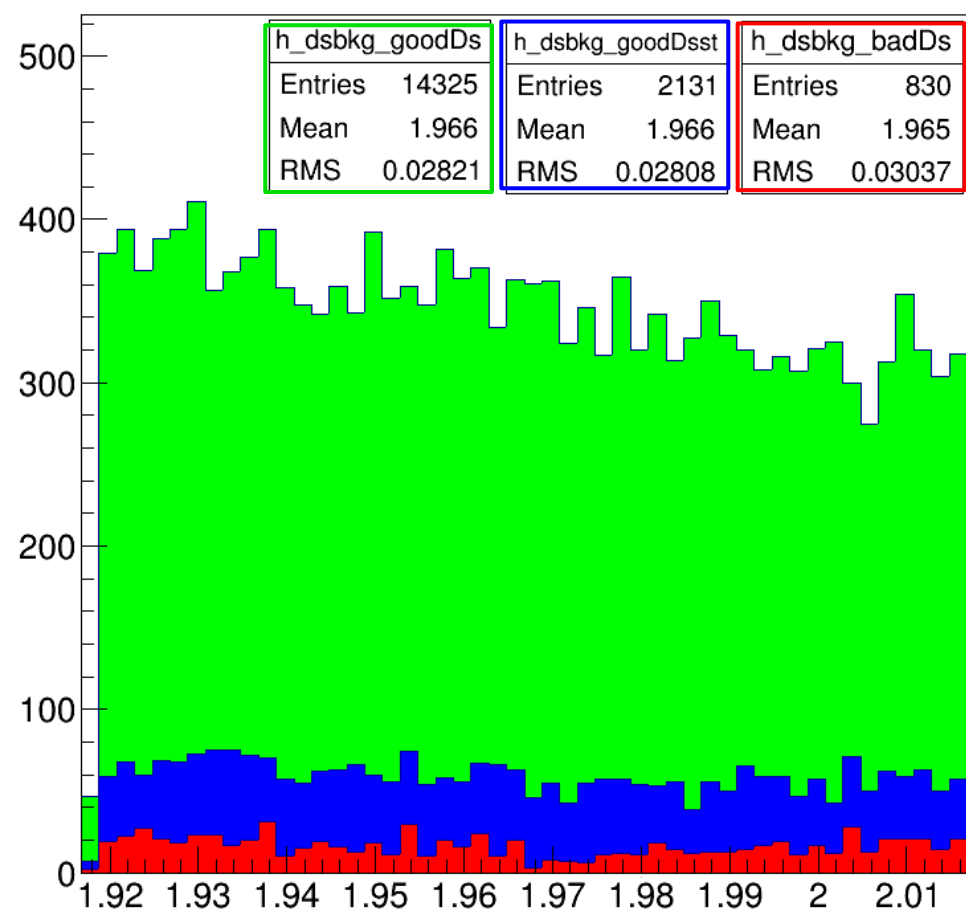
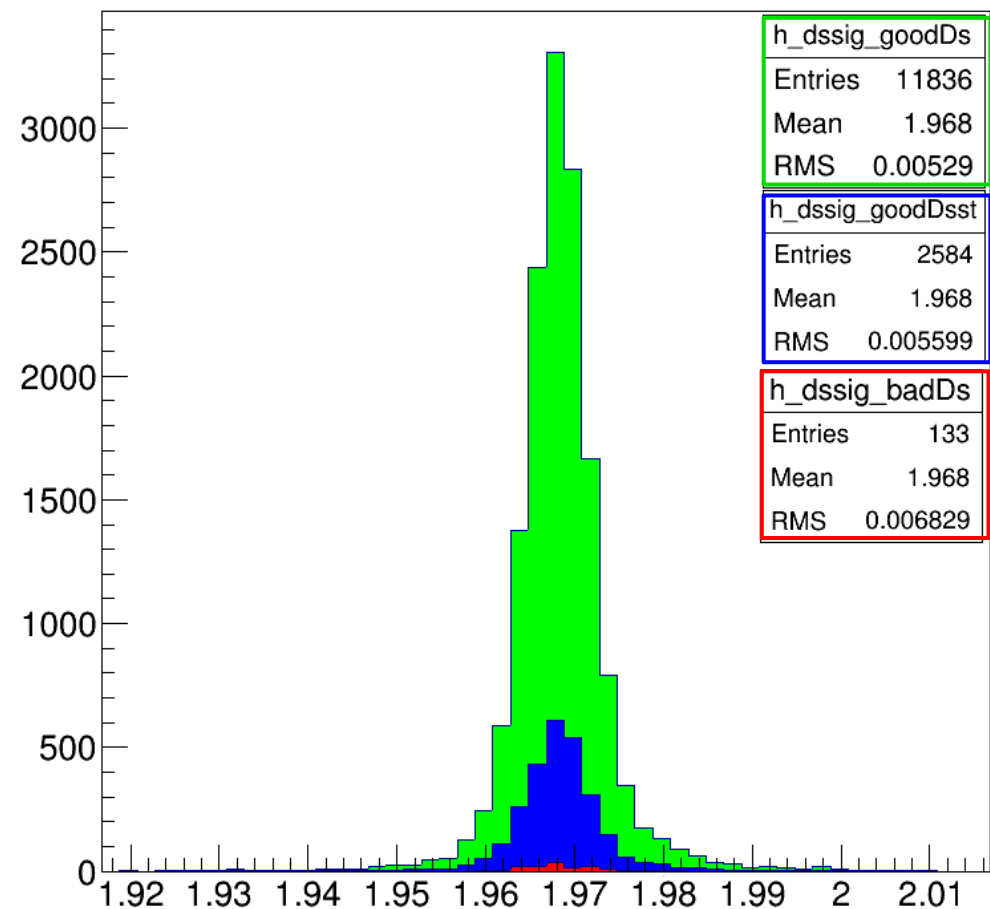


$$D_s^+ \rightarrow \phi \pi^+$$

Ds flag==1

Truth Matching – Ds

Ds flag!=1

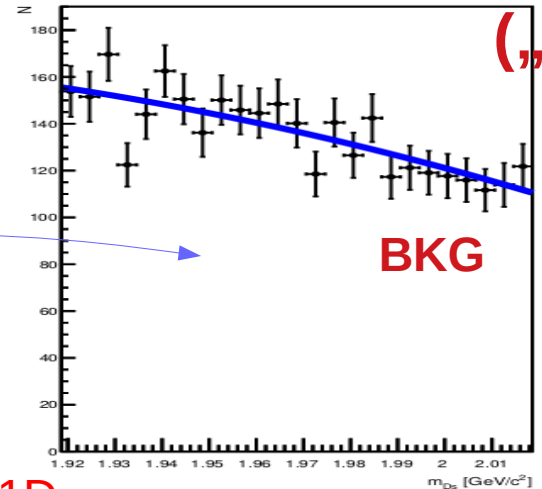
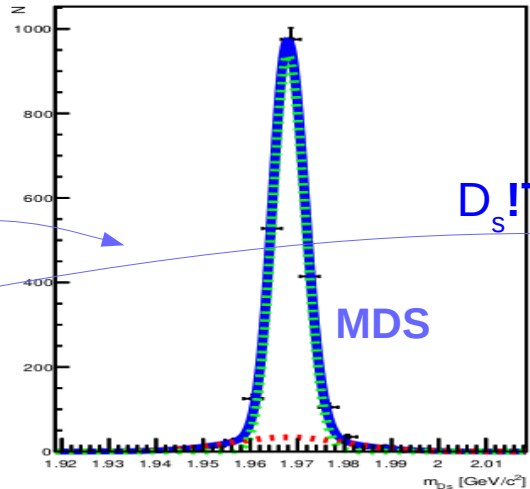
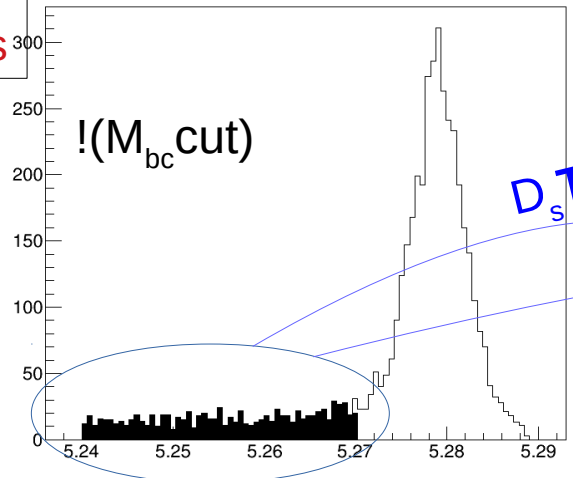
MCgen B $^\pm$ 

BestDs:      Removed in favour of Ds\*  
                 Removed by better Ds candidate  
                 Kept

# Determination of the shape parameters for (BCKG, MBC, MDS, SIG) comp. in a wide regions of $m_x$

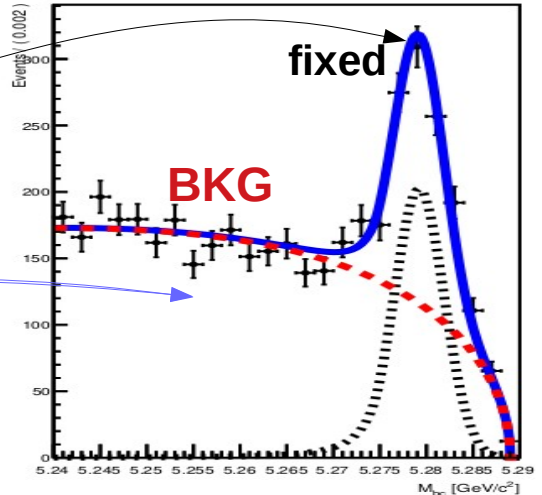
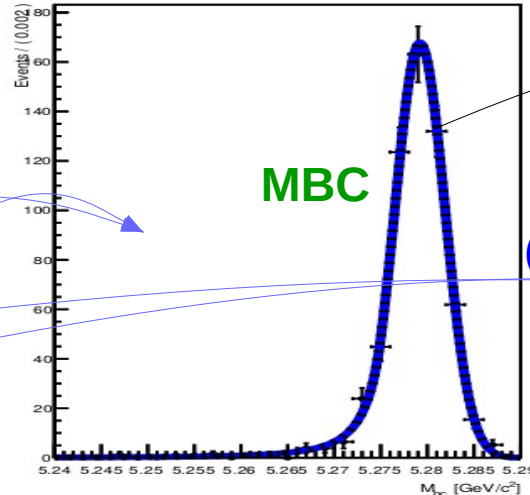
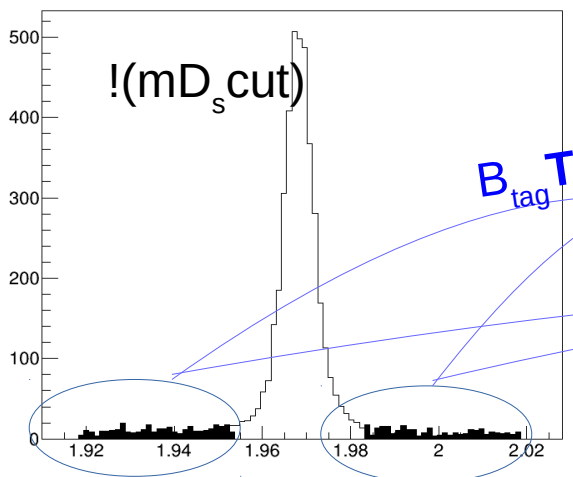
**D<sub>s</sub>**

**1.**



FITS 1D

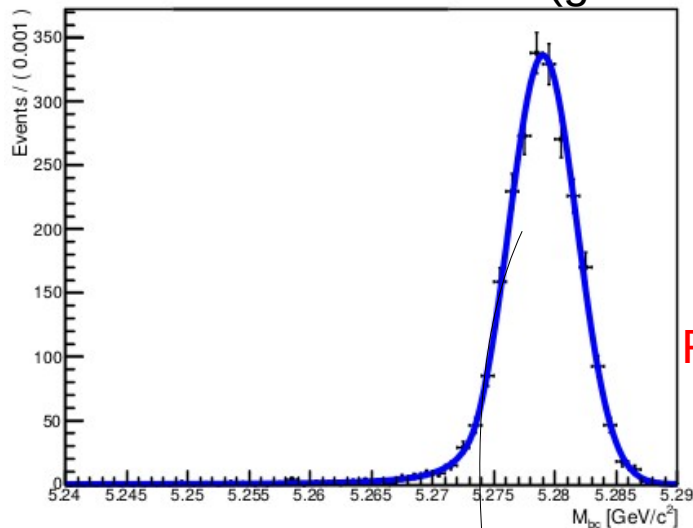
**2.**



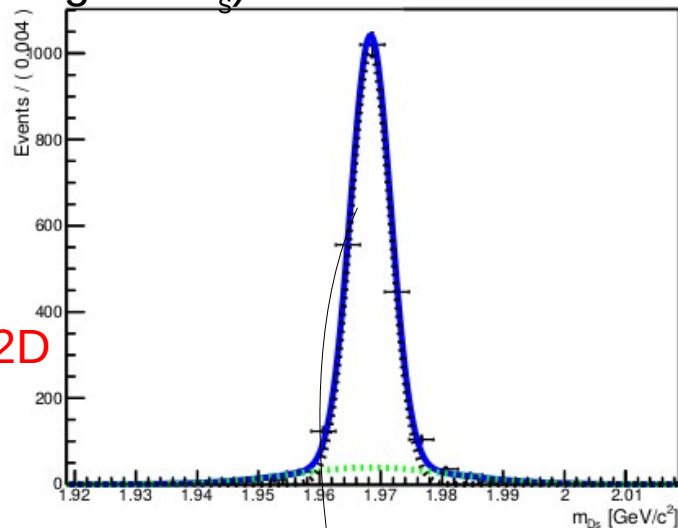


### TM (good $B_{\text{tag}}$ and good $D_s$ )

3.



FITs 2D

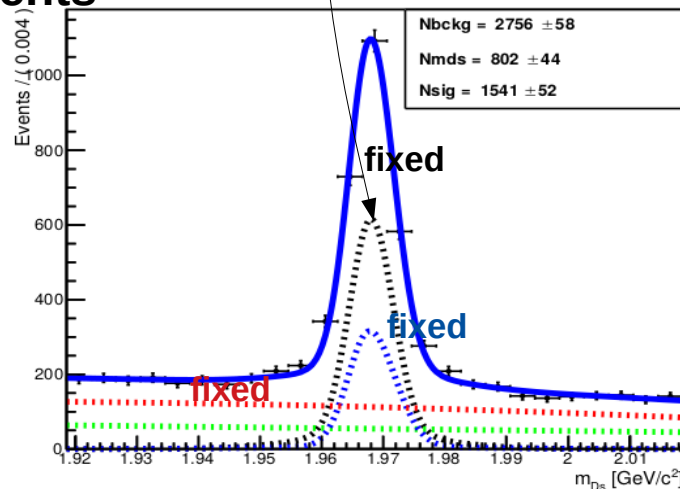
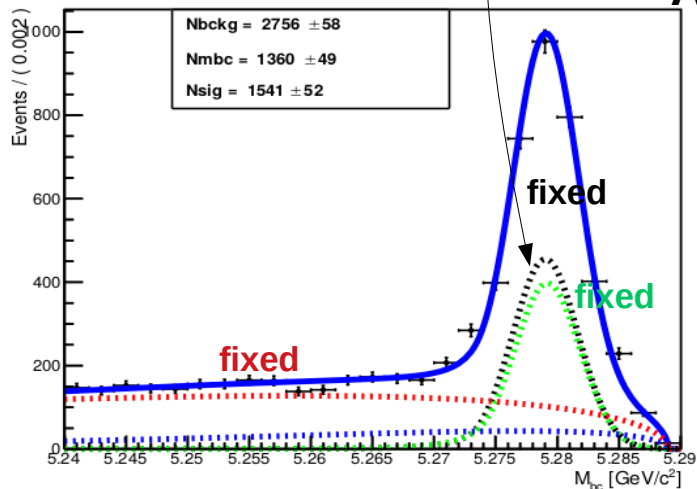


(„NEW“)

Extract:  
**SIG** parameters

### All events

4.

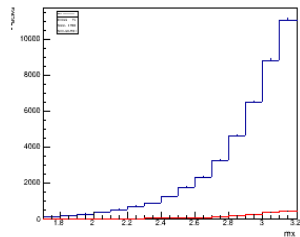


Extract:  
- *argus* for **MDS**  
- polynomial for **MBC**

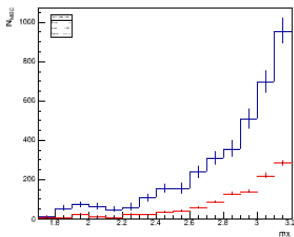
# MCgen: 1D-FITs vs 2D-FITs

$D_s \rightarrow \phi\pi$   
 $D_s \rightarrow K^*0K$   
 $D_s \rightarrow K^0_s K$

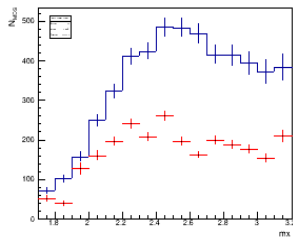
BCKG



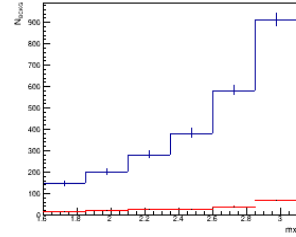
MBC



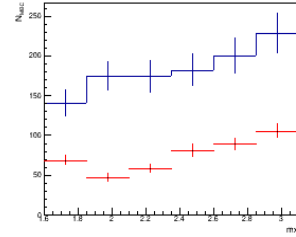
MDS



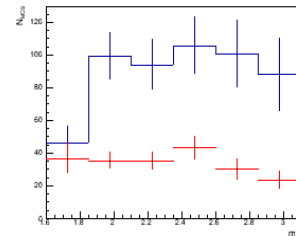
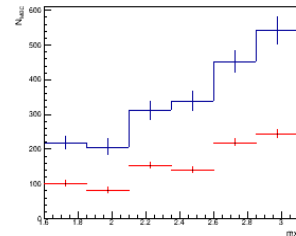
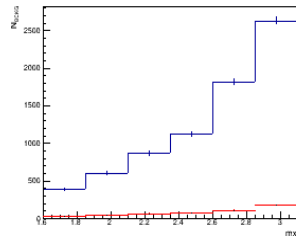
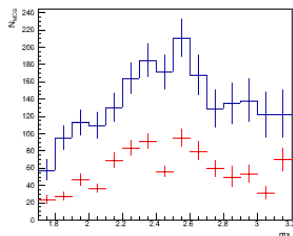
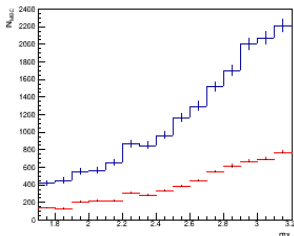
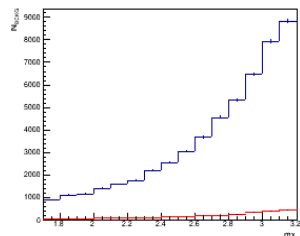
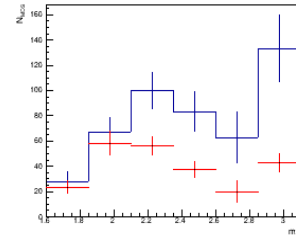
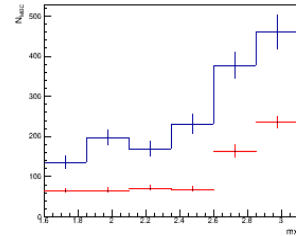
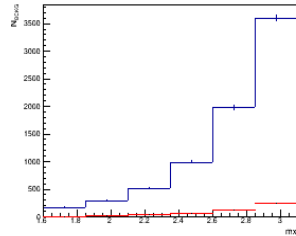
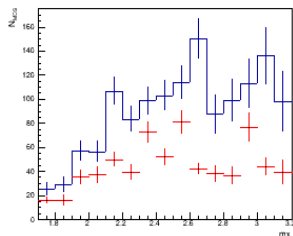
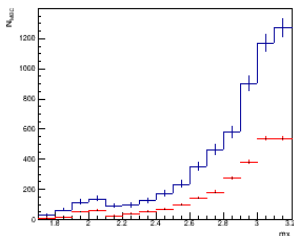
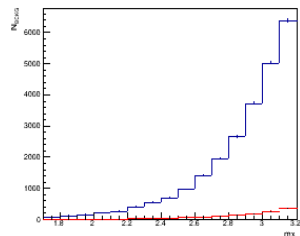
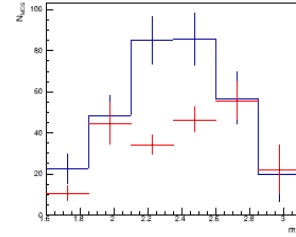
BCKG



MBC



MDS



$D_s$

$D_s^*$



$D_s \rightarrow \phi\pi$   
 $D_s \rightarrow K^*0K$   
 $D_s \rightarrow K_s^0K$

# 1D-Fit results for DATA and MCgen

**SF<sub>data</sub>** - scale factors  
 based on normalizations'  
 comparison

**BCKG**

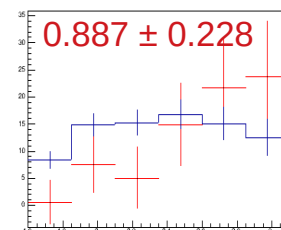
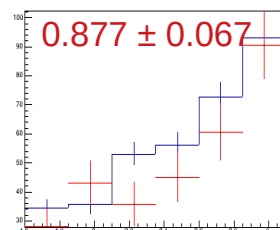
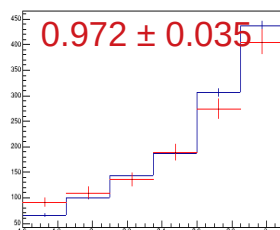
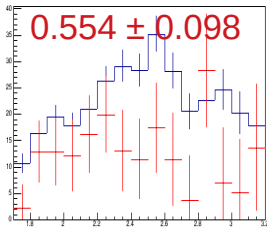
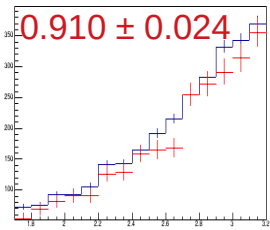
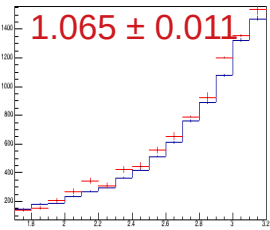
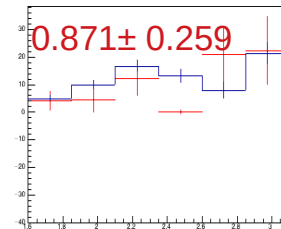
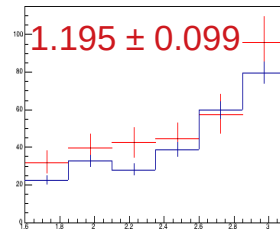
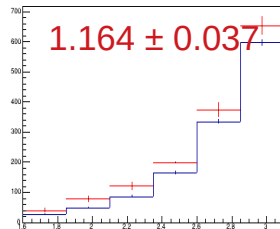
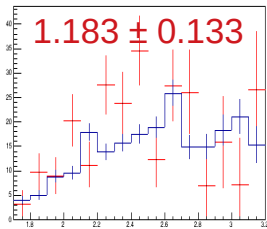
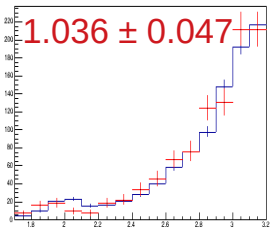
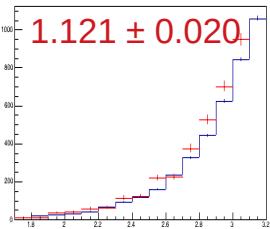
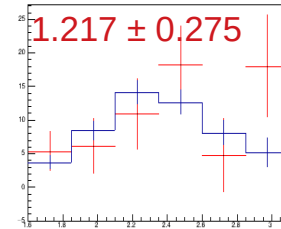
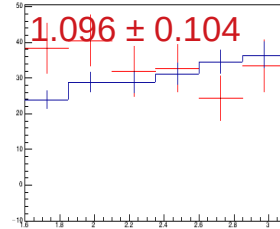
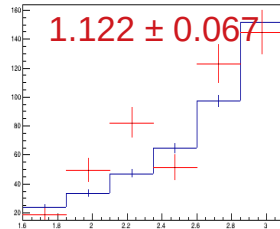
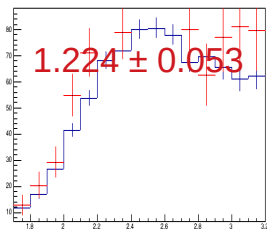
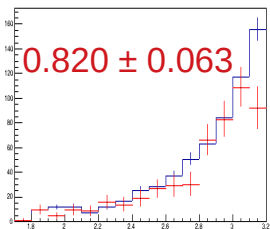
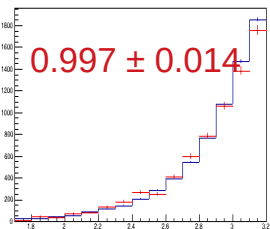
**MBC**

**MDS**

**BCKG**

**MBC**

**MDS**



$D_s \rightarrow \phi\pi$   
 $D_s \rightarrow K^*0K$   
 $D_s \rightarrow K_s^0K$

# 1D-Fit results for DATA and MCgen scaled

BCKG

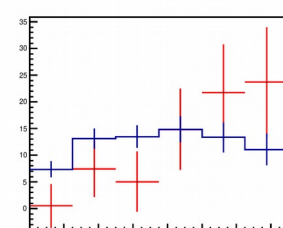
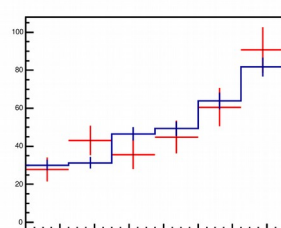
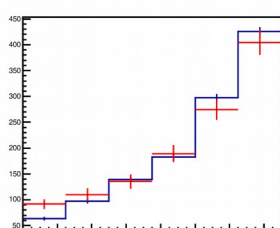
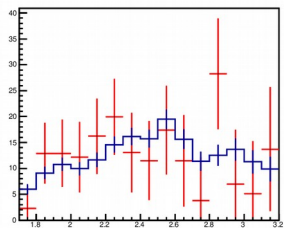
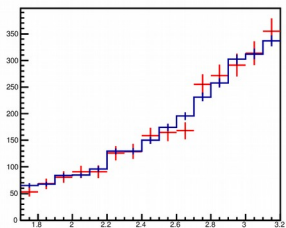
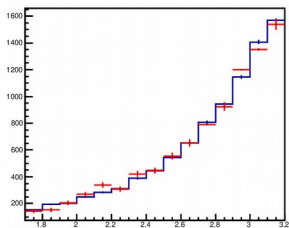
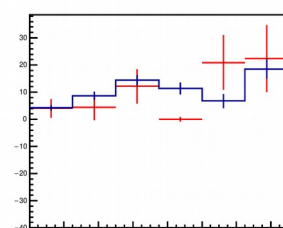
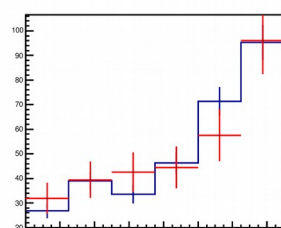
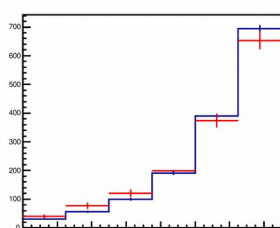
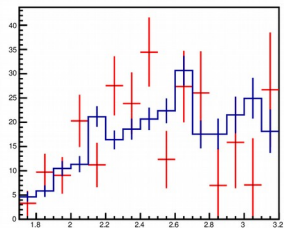
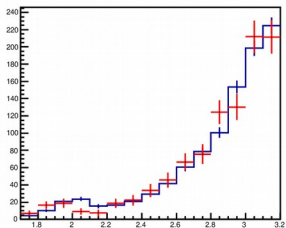
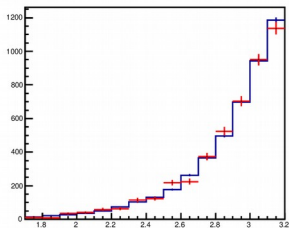
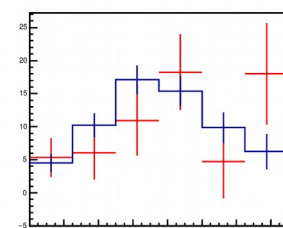
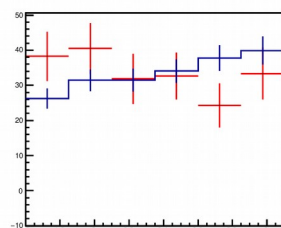
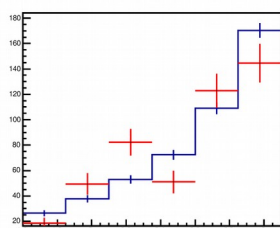
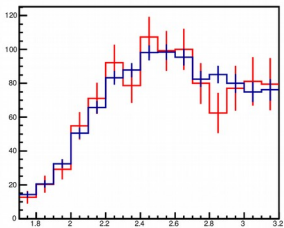
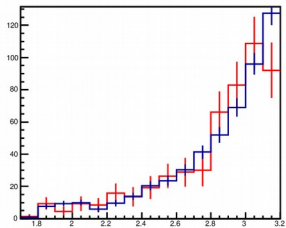
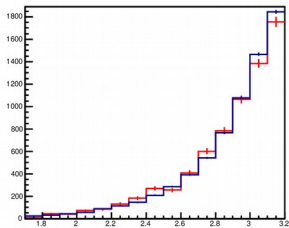
MBC

MDS

BCKG

MBC

MDS

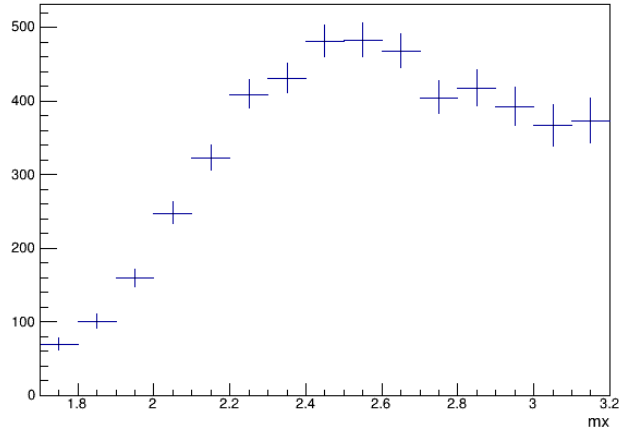


$D_s$

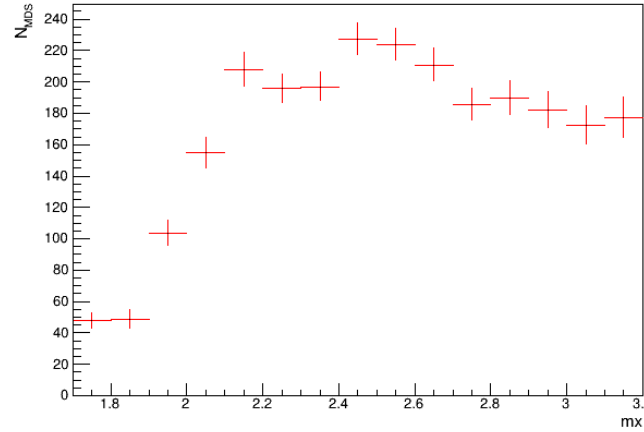
$D_s^*$

# Strategy for DATA

Fit1D

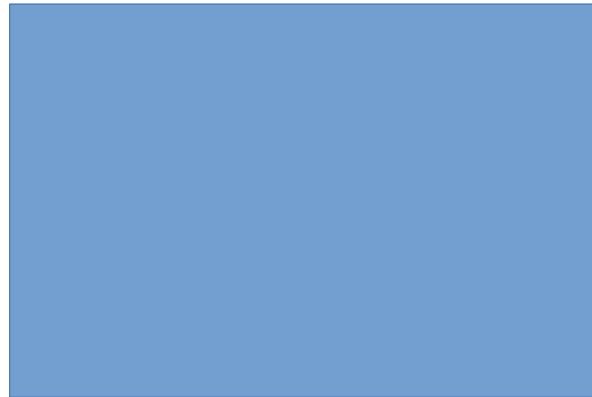
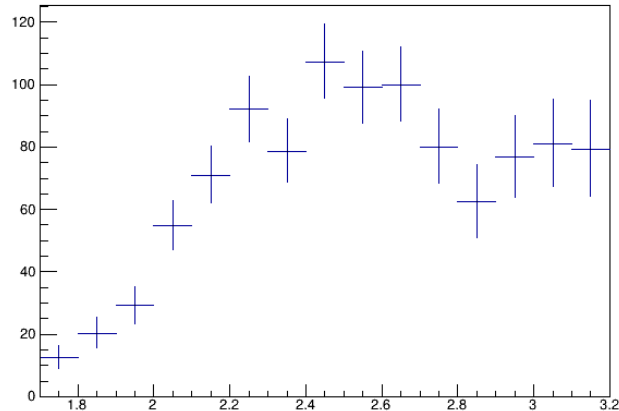


Fit2D



  $SF_{data}$

Data



Possible strategy:

- use background shapes obtained from Fits2D
- Scale them by  $SF_{data}$  coefficients
- Fix them in the fit to data
- ....

# Systematics

1000 fits for the whole MCgen sample  
with shape parameters' variation for  $D^0$  i  $D^{*0}$ :

- width2/width1 (!!)
- frac

(results for  $D_s$  reconstruction only)

