

# Particle and nuclear theory at IFJ PAN

Sebastian Sapeta

IFJ PAN

*11 September 2024*

# Divisions and departments

NO2

## Division of Nuclear Physics and Strong Interactions

- ▶ Department of the Theory of Strong Interactions and Many Body Systems (NZ21)

NO4

## Division of Theoretical Physics

- ▶ Department of Theory of Structure of Matter (NZ41)
- ▶ Department of Particle Theory (NZ42)

## Staff:

- ▶ prof. dr. hab. Antoni Szczurek (Head)
- ▶ dr. hab. Rafał Maciuła
- ▶ dr. hab. Wolfgang Schäfer
- ▶ dr. hab. Mariola Kłusek-Gawenda
- ▶ dr. Izabela Babiarz
- ▶ dr. Piotr Lebiedowicz

# NZ41

## Staff:

- ▶ prof. dr. hab. Krzysztof Golec-Biernat (Head)
- ▶ prof. dr. hab. Wojciech Broniowski
- ▶ prof. dr. hab. Robert Kamiński
- ▶ dr. hab. Radosław Ryblewski

## Students:

- ▶ M.Sc. Asaad Daher

## Staff:

- ▶ prof. dr. hab. Krzysztof Kutak (Head)
- ▶ prof. dr. hab. Zbigniew Wąs
- ▶ prof. dr. hab. Maciej Skrzypek
- ▶ dr. hab. Aleksander Kusina
- ▶ dr. hab. Andreas van Hameren
- ▶ dr. hab. Richard Ruiz
- ▶ dr. hab. Sebastian Sapeta
- ▶ dr. Rene Poncelet
- ▶ prof. dr. hab. Marek Jeżabek (emeritus)

# NZ42

Postdocs:

- ▶ dr. Stéphane Delorme

Students:

- ▶ M. Sc. Peter Baron
- ▶ M. Sc. Nasim Derakhshanian
- ▶ M. Sc. Grzegorz Ziarko

# NZ21

**Department of the Theory of Strong Interactions  
and Many Body Systems**

- ▶ Light-by-light scattering in ultraperipheral heavy ion collisions. Different mechanisms and predictions for different experiments.
- ▶ High-energy Coulomb excitation of nuclei in high-energy UPC. Emission of neutrons, photons, protons, alpha particles from excited nuclei. Multiple photon exchanges and excitations.
- ▶ Production of quarkonia in UPC.
- ▶ Diffractive dijet and  $c\bar{c}$  production in  $ep$  and  $pA$  collisions. Predictions for EIC.
- ▶ Exclusive bremsstrahlung production in  $\pi\pi$ ,  $\pi p$  and  $pp$  scattering. Emission of one and two photons. Limits for soft photons.
- ▶ Diffractive processes in proton-proton scattering.



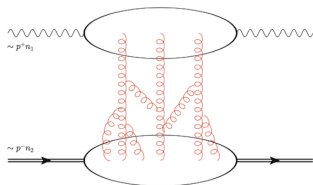
- ▶ Production of heavy quarks in proton-proton collisions, production of heavy mesons, semileptonic decays of the heavy mesons, intrinsic charm, recombination.
- ▶ Production of high-energy neutrinos (IceCube, LHC).
- ▶ Production of exotic mesons, e.g. tetraquarks, in  $pp$  and  $e^+e^-$  collisions.
- ▶ Two-photon couplings to mesons of different spin and corresponding form factors.  
Production of mesons in  $e^+e^- \rightarrow e^+e^-M$  reactions.

# NZ41

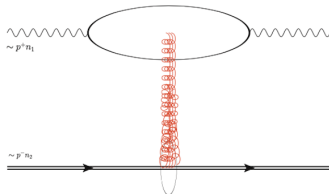
Department of Theory of Structure of Matter

# Krzysztof Golec-Biernat - Gluon saturation in DIS at small $x$

- ▶  $q\bar{q}$  color dipole interacts with the proton  $p$  through **gluon exchanges**:



- ▶ After Lorentz boost of  $p$  - interaction with a classical **shock wave**:



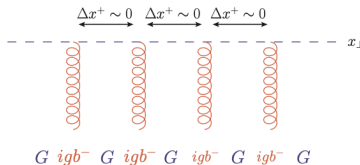
- ▶ Dipole interacts with **classical color fields** ( $b^+$ ,  $b^-$ ,  $\vec{b}_\perp$ ).

# Krzysztof Golec-Biernat - Shock wave approach in eikonal limit

- Only  $b^-(x^+, \vec{x}_\perp)$  component matters with no  $x^-$  dependence:

$$\begin{array}{ccc}
 b^+(x^+, x^-, \vec{x}) & & \frac{1}{\Lambda} b^+(\Lambda x^+, \frac{x^-}{\Lambda}, \vec{x}) \\
 b^-(x^+, x^-, \vec{x}) & \longrightarrow & \Lambda b^-(\Lambda x^+, \frac{x^-}{\Lambda}, \vec{x}) \\
 b^k(x^+, x^-, \vec{x}) & \Lambda \sim \sqrt{\frac{s}{m_t^2}} & b^k(\Lambda x^+, \frac{x^-}{\Lambda}, \vec{x})
 \end{array}$$

- Multiple interactions **collaps** at the light-cone time  $x^+ \approx 0$



- Wilson line** operators appear in the shock wave description:

$$U(\vec{x}_\perp) = P_+ \exp \left\{ \int_{-\infty}^{\infty} dx^+ b^-(x^+, \vec{x}_\perp) \right\}$$

# Krzysztof Golec-Biernat - Going beyond the eikonal limit

- ▶ Examination of **beyond the eikonal limit** corrections:
  - ▶ full dependence on color fields:  $b^\mu(x^+, x^-, \vec{x}_\perp)$
  - ▶ finite width  $\Delta x^+ \neq 0$  in multiple interactions
- ▶ Impact on the **Balitsky-JIMWLK evolution equations**
- ▶ Impact on **processes** measured at the planned Electron Ion Collider:
  - ▶ exclusive diffractive dijet production
  - ▶ photon plus jet production
  - ▶ also forward Drell-Yan pair production at LHC

# Wojciech Broniowski - Non-perturbative structure of hadrons

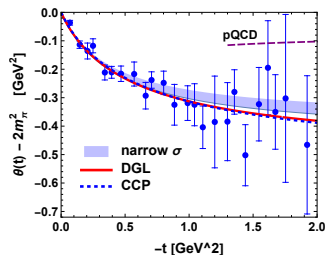
Example: gravitational (energy-momentum) form factors of the pion (see talk on Thursday)

Probing distribution of energy, pressure, and shear,  $\exists$  lattice data,  $e^+e^- \rightarrow \pi^0\pi^0$  experimental data

$$\langle \pi^a(p') | T^{\mu\nu}(0) | \pi^b(p) \rangle = \delta_{ab} \left[ 2P^\mu P^\nu A(t) + \frac{1}{2} (q^\mu q^\nu - g^{\mu\nu} q^2) D(t) \right]$$

$T$  - energy-momentum tensor,  $a, b$  - isospin,  $P = \frac{1}{2}(p' + p)$ ,  $q = p' - p$ ,  $t = q^2 = -Q^2$

spin-0:  $\langle \pi(p') | T_\mu^\mu(0) | \pi(p) \rangle \equiv \Theta(t) = 2 \left( m_\pi^2 - \frac{t}{4} \right) A(t) - \frac{3t}{2} D(t)$ , spin-2:  $A(t)$

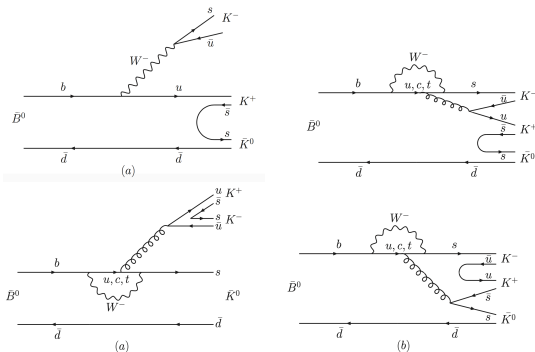


points - MIT lattice data (2023)  
lines - variants of meson dominance (nonperturbative) models  
dashed - pQCD (Tong et al. 2021)

Description of the data within a very natural, parameter-free approach, role of the  $\sigma$  meson in the scalar channel

Details: WB, E. Ruiz Arriola, 2405.07815

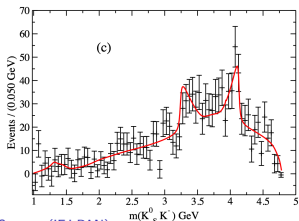
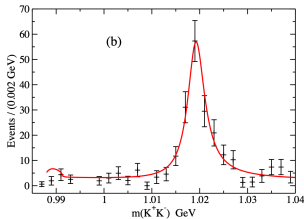
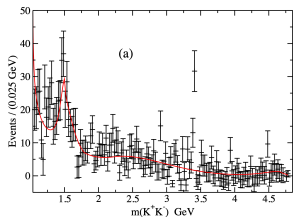
## Quark Feynman tree and penguin diagrams



The  $B^0 \rightarrow K_S^0 K^+ K^-$  decay amplitude in a quasi-two-body QCDF framework has been derived using tree and penguin diagrams. The dominant parts of the decay amplitude are calculated in terms of kaon form factors or  $B^0$  to two kaons transition functions which describe the final state two-body resonances and their interferences. Unitarity constraints are satisfied when two of the three kaons are in a scalar state. The kaon-kaon interactions in the  $S$ ,  $P$ , and  $D$  waves are taken into account.

## Fit to the Belle and *BABAR* data

Our model reproduces well the Belle and *BABAR* Collaborations data. With 13 strong interaction free parameters modifying the five terms of our amplitude, we fit the 422 observables consisting of the total branching fraction together with the Dalitz-plot projections of Belle and *BABAR* with a  $\chi^2$  of 583.6 which leads to a  $\chi^2 / \text{ndf}$  of 1.43.



PHYSICAL REVIEW D 110, 013002 (2024)

*Amplitude analysis of  $B^0 \rightarrow K_S^0 K^+ K^-$  decays in a quasi-two-body QCD factorization approach*

J.-P. Dedonder, R. Kamiński, L. Leśniak, B. Loiseau, and P. Żenczykowski



## Relativistic spin hydrodynamics — NZ41 (R. Ryblewski, A. Daher)

Nowadays, **relativistic hydrodynamics** is a core component of theoretical models used to **describe the collective dynamics of matter created in high-energy nuclear collisions**.

*Ryblewski, In: Understanding the Origin of Matter. Lecture Notes in Physics, vol 999*

The **observation of global spin polarization** of emitted particles sourced by the orbital angular momentum of incident nuclei has **demonstrate the need to extend this framework** to include **spin density as a new hydrodynamic variable**

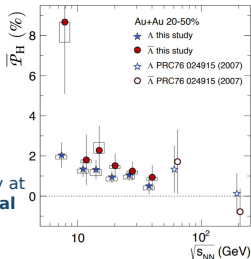
*Florkowski, Kumar, Ryblewski, Prog.Part.Nucl.Phys. 108 (2019) 103*

Formulation of **spin hydrodynamics** is currently at the frontier of heavy-ion research and is **essential for understanding observed signals**

*Singh, Sophys, Ryblewski, Phys.Rev.D 103 (2021) 7, 074024*

*Florkowski, Ryblewski, Singh, Sophys, Phys.Rev.D 105 (2022) 5, 054007*

*Florkowski, Kumar, Ryblewski, Mazeliauskas, Phys.Rev.C 100 (2019) 5, 054907; Phys.Rev.C 105 (2022) 6, 064901*



*Adamczyk et al. (STAR) (2017), Nature 548 (2017) 62-65*

## Relativistic spin hydrodynamics — NZ41 (R. Ryblewski, A. Daher)

The development of spin hydrodynamics requires deep understanding of various aspects:

- role of so-called **pseudogauge transformations and localization of quantum energy, momentum and spin**

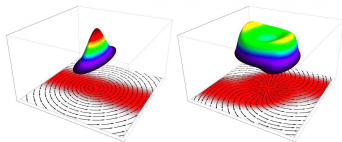
*Daher, Das, Florkowski, Ryblewski, Phys.Rev.C 108 (2023) 2, 024902*

*Dey, Florkowski, Jaiswal, Ryblewski, Phys.Lett.B 843 (2023) 137994*

- the determination of the **energy-momentum and spin currents' mean values and their spacetime evolution**

*Biswas, Daher, Das, Florkowski, Ryblewski, Phys.Rev.D 108 (2023) 1, 014024*

*Florkowski, Kumar, Ryblewski, Prog.Part.Nucl.Phys. 108 (2019) 103709*



*Florkowski, EurekAlert, NEWS RELEASE 21-JUN-2018*

*Florkowski, Friman, Jaiswal, Speranza, Phys.Rev.C 97 (2018) 4, 041901*

- **stability and causality of equations of motion**

*Biswas, Daher, Das, Florkowski, Ryblewski, Phys.Rev.D 107 (2023) 9, 094022*

*Daher, Florkowski, Ryblewski, Taghinavas, Phys.Rev.D 109 (2024) 11, 114001*

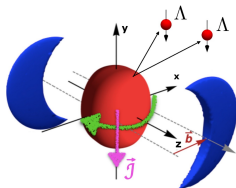
- **inclusion of equations of state for spin-polarized systems**

*Daher, Florkowski, Ryblewski, Phys.Rev.D 110 (2024) 3, 034029*

*Becattini, Daher, Sheng, Phys.Lett.B 850 (2024) 138533*

- **role of electromagnetic fields in mean polarization dynamics**

*Bhadury, Florkowski, Jaiswal, Kumar, Ryblewski, Phys.Rev.Lett. 129 (2022) 19, 192301*



# NZ42

## Department of Particle Theory

## Hybrid $k_T$ -factorization at NLO

supported by grant No. 2019/35/B/ST 2/03531 of the Polish National Science Centre

Andreas van Hameren with Grzegorz Ziarko (PhD student) and Alessandro Giachino (former postdoc) and also in collaboration with Leszek Motyka (UJ), Piotr Kotko (AGH), Etienne Blanco (former PhD student IFJ)

**Born level** (accessible for any process with the automated program KaTie [van Hameren 2016])

$$d\sigma^{\text{HF,B}}(\{p\}_n) = \sum_{\bar{x}} \int_0^1 dx \int \frac{d^2k_{\perp}}{\pi} F(x, k_{\perp}) \int_0^1 d\bar{x} f_{\bar{x}}(\bar{x}) d\Phi(x, k_{\perp}, \bar{x}; \{p\}_n) \frac{|\overline{M}_{*\bar{x}}|^2(x, k_{\perp}, \bar{x}; \{p\}_n)}{2x\bar{x}S} J_B(\{p\}_n)$$

Diagram labels and arrows:

- final-state momenta of particles and jets →  $\{p\}_n$
- $k_T$ -dependent PDF →  $F(x, k_{\perp})$
- collinear PDF →  $f_{\bar{x}}(\bar{x})$
- differential final-state parton-level phase space →  $d\Phi(x, k_{\perp}, \bar{x}; \{p\}_n)$
- #jets equal to #final-state partons →  $J_B(\{p\}_n)$

Tree-level Matrix element with one initial-state space-like gluon, or “reggeon”.  
Uniquely defined for any number of final-state partons.  
Calculable with Lipatov’s effective action or the auxiliary parton method.

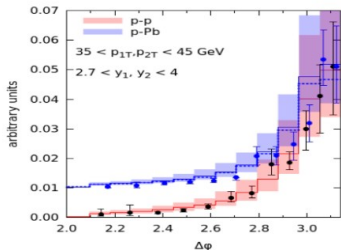
**The tasks at hand are** to generalize the Born formula to NLO, identify the real and virtual contributions, confirm their computability, establish a renormalization procedure to absorb non-cancelling divergences, and eventually to write an automated program.

### Papers:

- JHEP 11 (2022) 103, arxiv:2205.09585 “Hybrid  $k_T$ -factorization and impact factors at NLO”
- Nucl.Phys.B 995 (2023) 116322, arxiv:2212.03572 “One-loop gauge invariant amplitudes with a space-like gluon”
- JHEP 06 (2024) 167, arxiv:2312.02808 “A new subtraction scheme at NLO exploiting the privilege of  $k_T$ -factorization”

## Saturation, jets, quenching

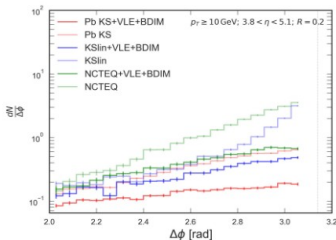
Systems: p+p, p+Pb, Pb+Pb



$$p+p \rightarrow 2j + X,$$

$$p+Pb \rightarrow 2j + X$$

saturation accounted for  
van Hameren, Kotko, Kutak, Sapeta ; ...

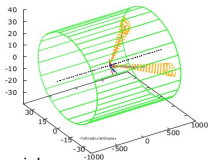


$$Pb+Pb \rightarrow j + \gamma + X$$

saturation and quenching  
accounted for

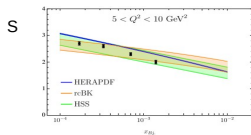
Adhya, Kutak, Placzek, Rohrmoser, Tywniuk  
to appear soon

projects  
supported by  
NCN OPUS grant

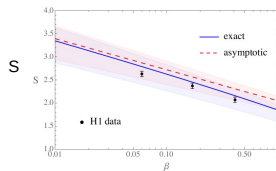
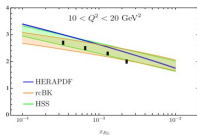


1

## Entanglement entropy of proton

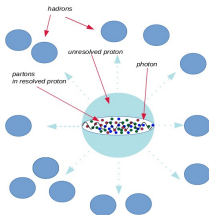


Inclusive DIS



Diffractive DIS

Hentschinski, Kutak'21  
Hentschinski, Kutak, Straka'22  
Hentschinski, Kharzeev, Kutak, Tu '23  
Hentschinski, Kharzeev, Kutak, Tu '24



projects  
supported by  
STRONG 2020 EU grant

# Rene Poncelet

Rene Poncelet – Precision QCD calculations for LHC phenomenology



NNLO QCD for LHC

**STRIPPER**  
NNLO QCD subtraction schemes

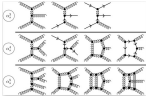
Tools & methods

Gearing up for the precision LHC era

high tea  
Open-access "Theory event" database

LHC Pheno

Flavoured jet observables & jet clustering algorithms



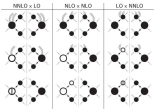
Amplitudes & cross-sections for multi-scale processes

$$pp \rightarrow \gamma jj$$

$$pp \rightarrow \gamma \gamma \gamma$$

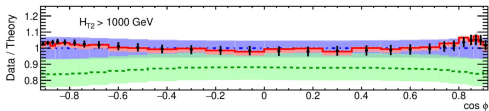
$$pp \rightarrow Wb\bar{b} \quad pp \rightarrow jjj \quad pp \rightarrow \gamma jj$$

Top-quark pair production + decay



# Rene Poncelet

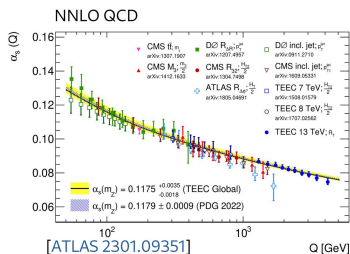
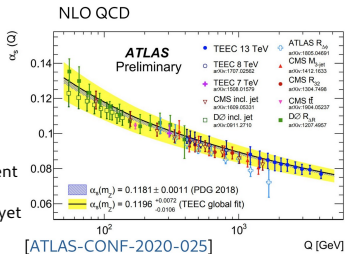
Example: Strong coupling constant measurement at high energies from multi-jet events through event shapes



[ATLAS 2301.09351]



NNLO QCD theory reduces uncertainties!  
→ most precise measurement at high energy  
→ highest energies probed yet





# A. Kusina, S. Delorme, N. Derakhshanian

## Aleksander Kusina

- ▶ Determination of proton and nuclear Parton Distributions Functions (PDFs).
- ▶ Connections between nuclear structure on nucleon and parton level.
- ▶ Member of the nCTEQ collaboration.
- ▶ Exploration of factorization schemes.

## Stephane Delorme

- ▶ Quarkonium dynamics using Quantum Master Equations.
- ▶ Exploration of factorization schemes.

## Nasim Derakhshanian


- ▶ Determination of PDFs using Markov Chain Monte Carlo methods.

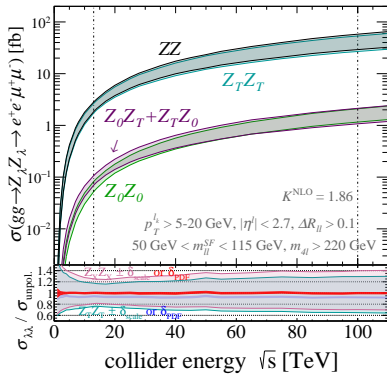
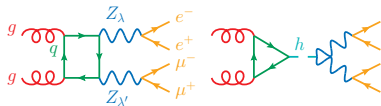
## Helicity-polarized parton scattering

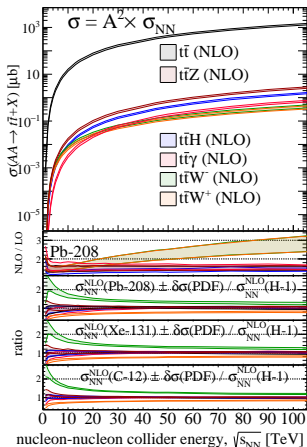
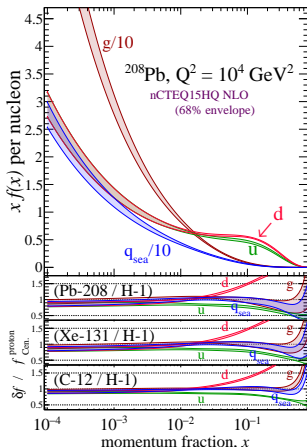
Treating helicity polarization as a Feynman rule provides a new method for computing polarized xsec

Javurkova, Ruiz, et al (PLB'24) [2401.17365]

- loop-induced processes ✓
- interference between different polarizations configurations ✓
- non-resonant diagrams ✓
- off-shell/finite-width effects ✓

$$\frac{-i \varepsilon_\mu(q, \lambda) \varepsilon_\nu^*(q, \lambda)}{q^2 - M_V^2} = V_\lambda(q)$$


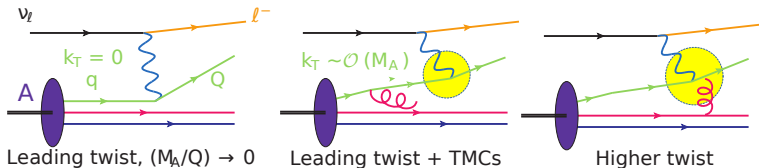


High- $p_T$  predictions for AA collisions at LHC and FCC(L) nuclear PDFs vs energy fraction carried by parton (R)  $t\bar{t}X$  at NLOmany, many more plots in Fuks, Maroukash<sup>†</sup>, Ruiz, Sztandera<sup>†</sup> (PRD'24) [2405.19399]

# Richard Ruiz

$\mathcal{O}\left(\frac{\Lambda_{\text{NP}}^{2+k}}{Q^{2+k}}\right)$  corrections have several origins (kinematical and dynamical)

Georgi, Politzer ('76,'76); Ellis, Furmanski, Petronzio ('82,'82); Dasgupta, Webber ('91); lots more



For DIS on protons, target mass corrections (TMCs) incorporated by replacing  $F_i^A$  (No TMC)  $\rightarrow F_i^A$  (TMC) in cross sections:

Georgi, Politzer ('76,'76); Ellis, Furmanski, Petronzio ('82,'82); lots more; Kretzer, Reno ('02,'03); Schienbein, et al [0709.1775]

$$\frac{d^2\sigma^{\text{NC}}}{dx dy} = x(s - M^2) \frac{d^2\sigma^{\text{NC}}}{dx dQ^2} = \frac{4\pi\alpha^2}{xyQ^2} \left[ \frac{Y_+}{2} \sigma_{\text{Red.}}^{\text{NC}} \right]$$

$$\sigma_{\text{Red.}}^{\text{NC}} = \left( 1 + \frac{2y^2\varepsilon^2}{Y_+} \right) F_2^{\text{NC}} \mp \frac{Y_-}{Y_+} x F_3^{\text{NC}} - \frac{y^2}{Y_+} F_L^{\text{NC}}$$

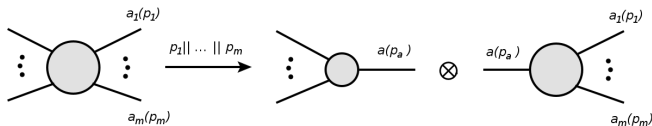
## TMCs for DIS on nuclei

RR, Olness, Schienbein, et al (Prog.Part.Nucl.Phys'24) [2301.07715]

$$\begin{aligned}
\tilde{F}_1^{A,\text{TMC}}(x_A) &= \left(\frac{x_A}{\xi_A r_A}\right) \tilde{F}_1^{A,(0)}(\xi_A) + \left(\frac{M_A^2 x_A^2}{Q^2 r_A^2}\right) \tilde{h}_2^A(\xi_A) + \left(\frac{2M_A^4 x_A^3}{Q^4 r_A^3}\right) \tilde{g}_2^A(\xi_A), \\
\tilde{F}_2^{A,\text{TMC}}(x_A) &= \left(\frac{x_A^2}{\xi_A^2 r_A^3}\right) \tilde{F}_2^{A,(0)}(\xi_A) + \left(\frac{6M_A^2 x_A^3}{Q^2 r_A^4}\right) \tilde{h}_2^A(\xi_A) + \left(\frac{12M_A^4 x_A^4}{Q^4 r_A^5}\right) \tilde{g}_2^A(\xi_A), \\
\tilde{F}_3^{A,\text{TMC}}(x_A) &= \left(\frac{x_A}{\xi_A r_A^2}\right) \tilde{F}_3^{A,(0)}(\xi_A) + \left(\frac{2M_A^2 x_A^2}{Q^2 r_A^3}\right) \tilde{h}_3^A(\xi_A), \\
\tilde{F}_4^{A,\text{TMC}}(x_A) &= \left(\frac{x_A}{\xi_A r_A}\right) \tilde{F}_4^{A,(0)}(\xi_A) - \left(\frac{2M_A^2 x_A^2}{Q^2 r_A^2}\right) \tilde{F}_5^{A,(0)}(\xi_A) + \left(\frac{M_A^4 x_A^3}{Q^4 r_A^3}\right) \tilde{F}_2^{A,(0)}(\xi_A) \\
&\quad + \left(\frac{M_A^2 x_A^2}{Q^2 r_A^3}\right) \tilde{h}_5^A(\xi_A) - \left(\frac{2M_A^4 x_A^4}{Q^4 r_A^4}\right) (2 - \xi_A^2 M_A^2 / Q^2) \tilde{h}_2^A(\xi_A) \\
&\quad + \left(\frac{2M_A^4 x_A^3}{Q^4 r_A^5}\right) (1 - 2x_A^2 M_A^2 / Q^2) \tilde{g}_2^A(\xi_A), \\
\tilde{F}_5^{A,\text{TMC}}(x_A) &= \left(\frac{x_A}{\xi_A r_A^2}\right) \tilde{F}_5^{A,(0)}(\xi_A) - \left(\frac{M_A^2 x_A^2}{Q^2 r_A^3 \xi_A}\right) \tilde{F}_2^{A,(0)}(\xi_A) \\
&\quad + \left(\frac{M_A^2 x_A^2}{Q^2 r_A^3}\right) \tilde{h}_5^A(\xi_A) - \left(\frac{2M_A^2 x_A^2}{Q^2 r_A^4}\right) (1 - x_A \xi_A M_A^2 / Q^2) \tilde{h}_2^A(\xi_A) \\
&\quad + \left(\frac{6M_A^4 x_A^3}{Q^4 r_A^5}\right) \tilde{g}_2^A(\xi_A), \\
\tilde{F}_6^{A,\text{TMC}}(x_A) &= \left(\frac{x_A}{\xi_A r_A^2}\right) \tilde{F}_6^{A,(0)}(\xi_A) + \left(\frac{2M_A^2 x_A^2}{Q^2 r_A^3}\right) \tilde{h}_6^A(\xi_A).
\end{aligned}$$

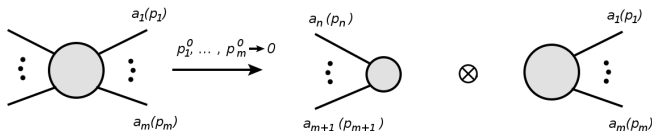
# Sebastian Sapeta - QCD scattering amplitudes at higher orders

## ► Collinear limit



$$\mathcal{A}_{a_1 \dots a_m \dots}(p_1, \dots, p_m, \dots, p_n) \xrightarrow{p_1 || p_2 || \dots || p_m} \mathcal{A}_{a \dots}(p_a, \dots) \text{ Split}_{a \rightarrow a_1 \dots a_m}(p_1, \dots, p_m)$$

## ► Soft limit

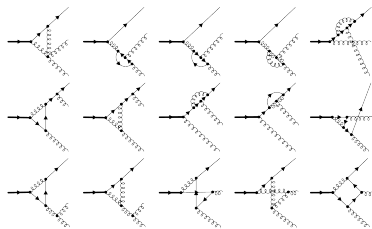


$$\mathcal{A}_{a_1 \dots}(p_1, \dots, p_m, \dots, p_n) \xrightarrow{p_1^0, p_2^0, \dots, p_m^0 \rightarrow 0} \mathcal{A}_{a_{m+1} \dots}(p_{m+1}, \dots, p_n) \mathbf{J}_{a_1, \dots, a_m}(p_1, \dots, p_m)$$

# Sebastian Sapeta - QCD scattering amplitudes at higher orders

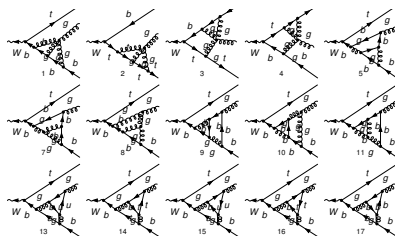
Complete set of one-loop,  
triple-collinear splitting functions,  
[Czakon, Sapeta, JHEP 07 (2022) 052]

Example set:  $q \rightarrow qgg$



Two-loop soft current for massive  
fermions  
[Czakon, Sapeta, in progress]

$W \rightarrow tbg$



- ▶ reduction to master integrals  $\{M_i\}$
- ▶ systems of differential equations  $dM_i = A_{ij} M_j$
- ▶ canonical form  $d\tilde{M}_i = \epsilon S_{ij} \tilde{M}_j$

# Zbigniew Wąs - Precision Monte Carlos for accelerator physics

**(A)** Monte Carlo programs such as `Bh1umi` for luminosity measurements with Bhabha scattering or `KKMC` for lepton pair productions, were demonstrated thanks to associated efforts that the precision for observables with complex cuts of sub permille level (even for 0.043% Opal luminosity measurement) were possible.

**(B)** Main building aspects enabling such precision:

1. Phase space (issues of iterations), unique solutions, last years extensions include exact parametrizations and generation for configuration with additional lepton pairs.
2. Matrix Elements and spin (issues of iterations). Because of required precision and need for compatibility with exclusive exponentiation. Last year contributions include effects of anomalous electric and magnetic dipole moments and effects of dark photons or light scalars on top of precision Standard Model simulations.
3. Tests and design of new observables. Essential part of the work.



# Zbigniew Was

**(C)** KKMC is for  $e^+e^- \rightarrow l^+l^-(n\gamma)$  and PHOTOS for radiative corrections in decays, tauola for  $\tau$  lepton decays.

**(D)** Each of these programs main publications have 1000+ citations in INSPIRE as of 09 Sep 2024; these counts continue to grow. Programs versions in F77 and C++ are public.

- ▶ S. Jadach, B. F. L. Ward and Z. Was, “The Precision Monte Carlo event generator K K for two fermion final states in  $e^+e^-$  collisions,” *Comput. Phys. Commun.* **130** (2000), 260-325, 1200 citations
- ▶ P. Golonka and Z. Was, “PHOTOS Monte Carlo: A Precision tool for QED corrections in  $Z$  and  $W$  decays,” *Eur. Phys. J. C* **45** (2006), 97-107 , 1486 citations
- ▶ S. Jadach, Z. Was, R. Decker and J. H. Kuhn, “The tau decay library TAUOLA: Version 2.4,” *Comput. Phys. Commun.* **76** (1993), 361-380, 1117 citations
- ▶ S. Banerjee, A. Y. Korchin and Z. Was, “Spin correlations in  $\tau$ -lepton pair production due to anomalous magnetic and electric dipole moments,” *Phys. Rev. D* **106** (2022) no.11, 113010
- ▶ S. Antropov, S. Banerjee, Z. Was and J. Zaremba, “TAUOLA update for decay channels with  $e^+e^-$  pairs in the final state,” *Comput. Phys. Commun.* **283** (2023), 108592