

**Measurement of  $F_2^c$  and  $F_2^b$  in DIS  
using vertex reconstruction at H1.  
Combined  $F_2^c$  at H1.**

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# Heavy quark tagging via vertex reconstruction

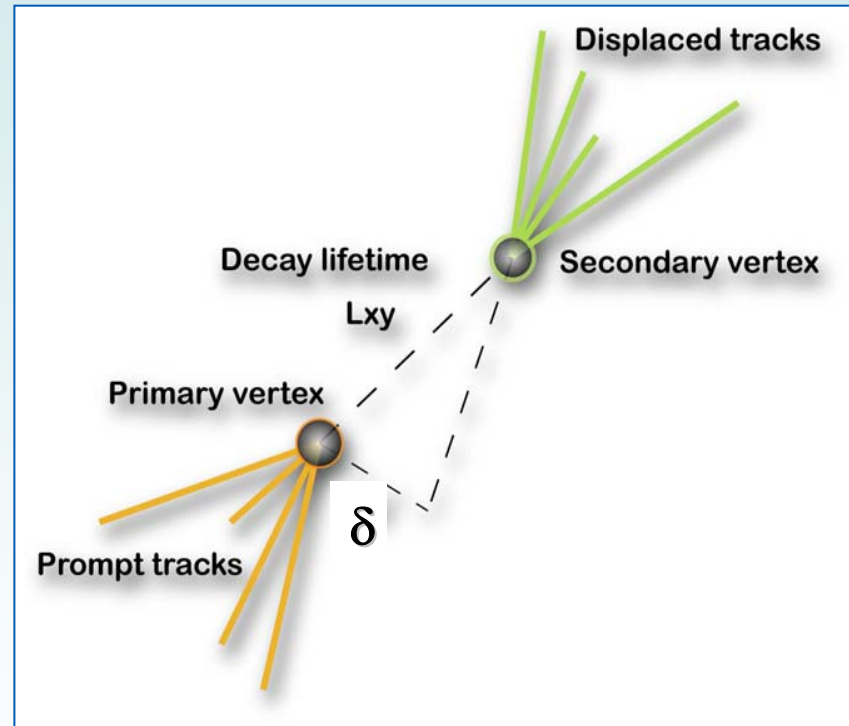
Tagging of  $c, b$  using properties of  $c-, b-$  hadrons:

- track multiplicity
- long lifetime

Experimentally reconstruct:

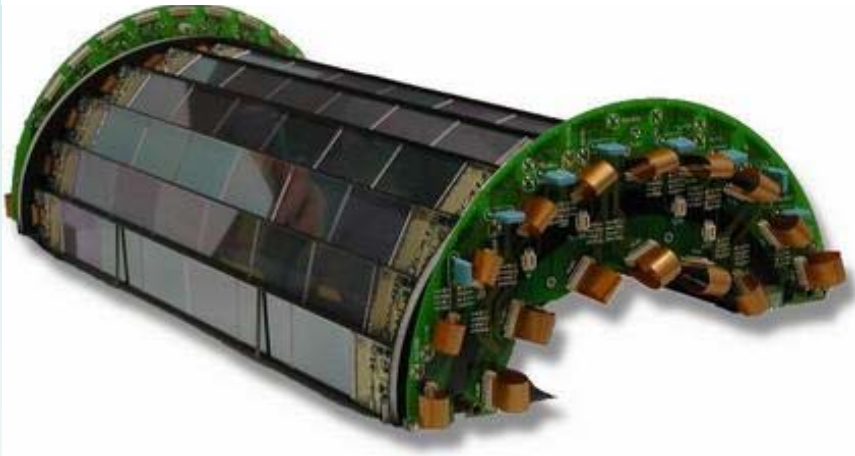
- secondary vertex,
- transverse decay length  $L_{xy}$
- impact parameter  $\delta$
- significance  $S = \delta / \sigma(\delta)$ ,

$$S_L = L_{xy} / \sigma(L_{xy})$$



# Heavy quark tagging using H1 vertex detector

H1 Central Silicon Tracker (CST)



acceptance ( $30^\circ < \theta < 150^\circ$ )

2 layers of double sided strips

$\delta$  resolution for hits in both layers:

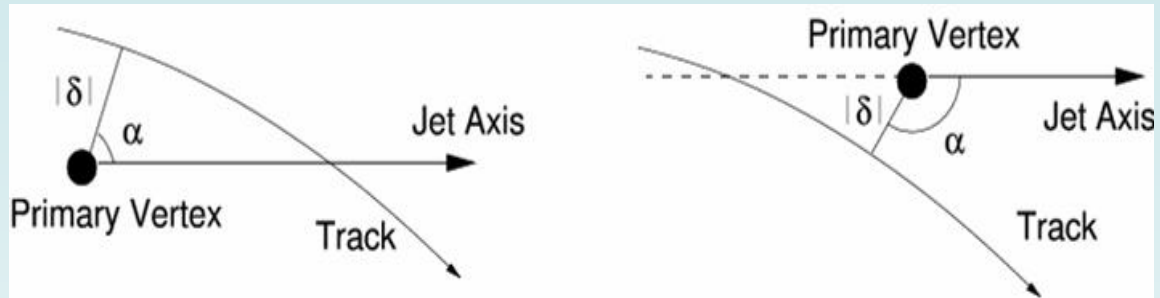
$$33 \mu\text{m} \oplus 90 \mu\text{m}/p_T[\text{GeV}]$$

Presented analysis: *DESY-09-096*, *hep-ex/09072643*

Data 2006-2007,  $L=189 \text{ pb}^{-1}$

Kinematical range:  $5 < Q^2 < 650 \text{ GeV}^2$ ,  $0.0002 < x < 0.032$

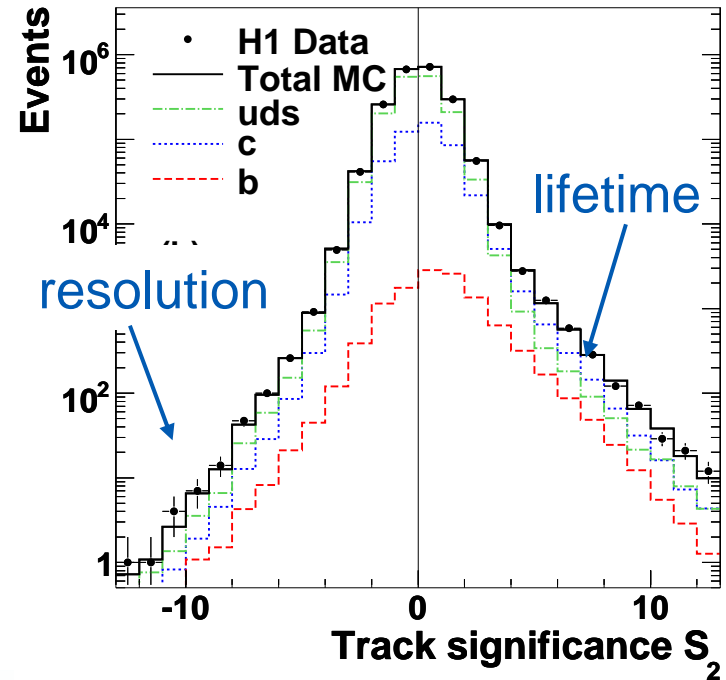
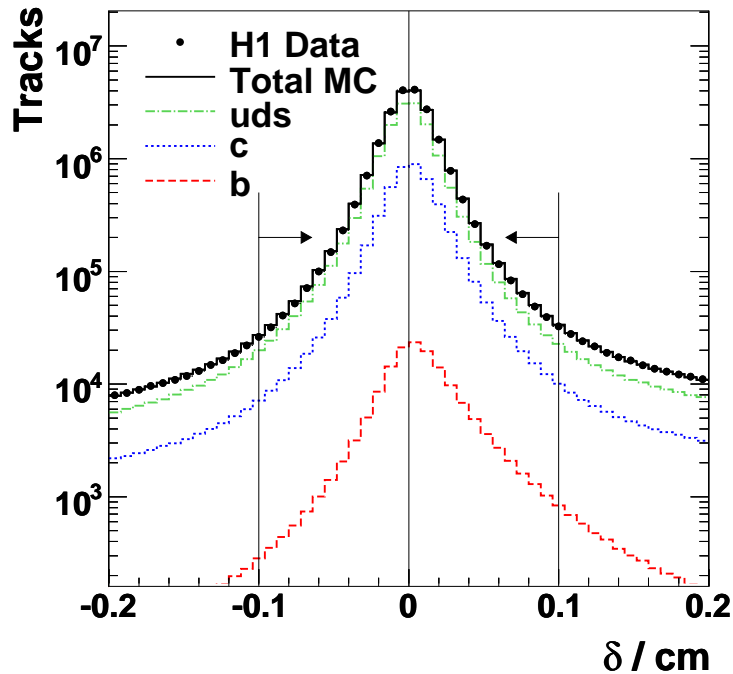
# Impact parameter and Significance



$\delta$  signed according to quark azimuthal angle:

$$\alpha < 90^\circ: \delta = +|\delta|$$

$$\alpha > 90^\circ: \delta = -|\delta|$$

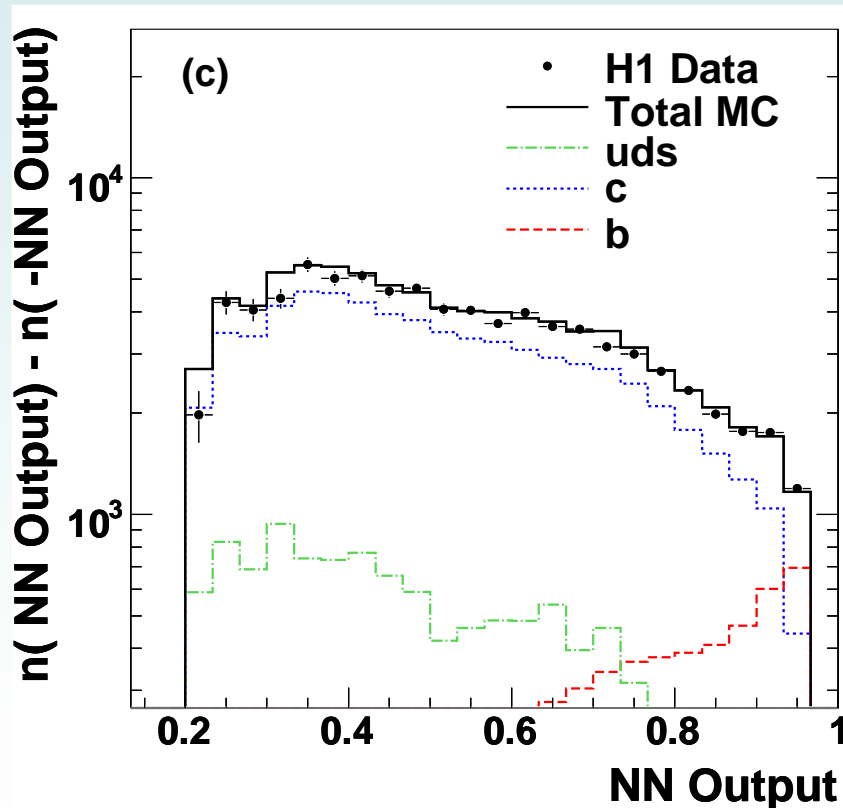


$S_1$  ( $S_2$ ) : highest (2-nd highest)  $|S|$

# Measurement strategy

Inclusive measurement: use all tracks with hits in CST,  $p_T > 0.3 \text{ GeV}$

Improve  $c, b$  separation: use neural network (NN) for  $N_{tracks} \geq 3$



$c$ -,  $b$ - fractions from fit of significances and NN output

# Reduced cross section and $F_2^{\text{HQ}}$

Result of the fit converted to reduced cross section:

$$\sigma_{red}^{c\bar{c}}(x, Q^2) = \frac{d^2 \sigma^{c\bar{c}}}{dx dQ^2} \cdot \frac{xQ^4}{2\pi\alpha^2(1+(1-y)^2)}$$

use:

$$\sigma_{red}^{c\bar{c}}(x, Q^2) = \sigma_{red}(x, Q^2) \cdot \frac{\rho_c \cdot N_c^{MC}}{\rho_c \cdot N_c^{MC} + \rho_b \cdot N_b^{MC} + \rho_{uds} \cdot N_{uds}^{MC}} \cdot \delta_{BCC}$$

Quark fractions  $\rho_c, \rho_b, \rho_{uds}$ :

fit to  $S_1, S_2$ , NN output in  $(x, Q^2)$  bins using Monte Carlo templates

Normalization:

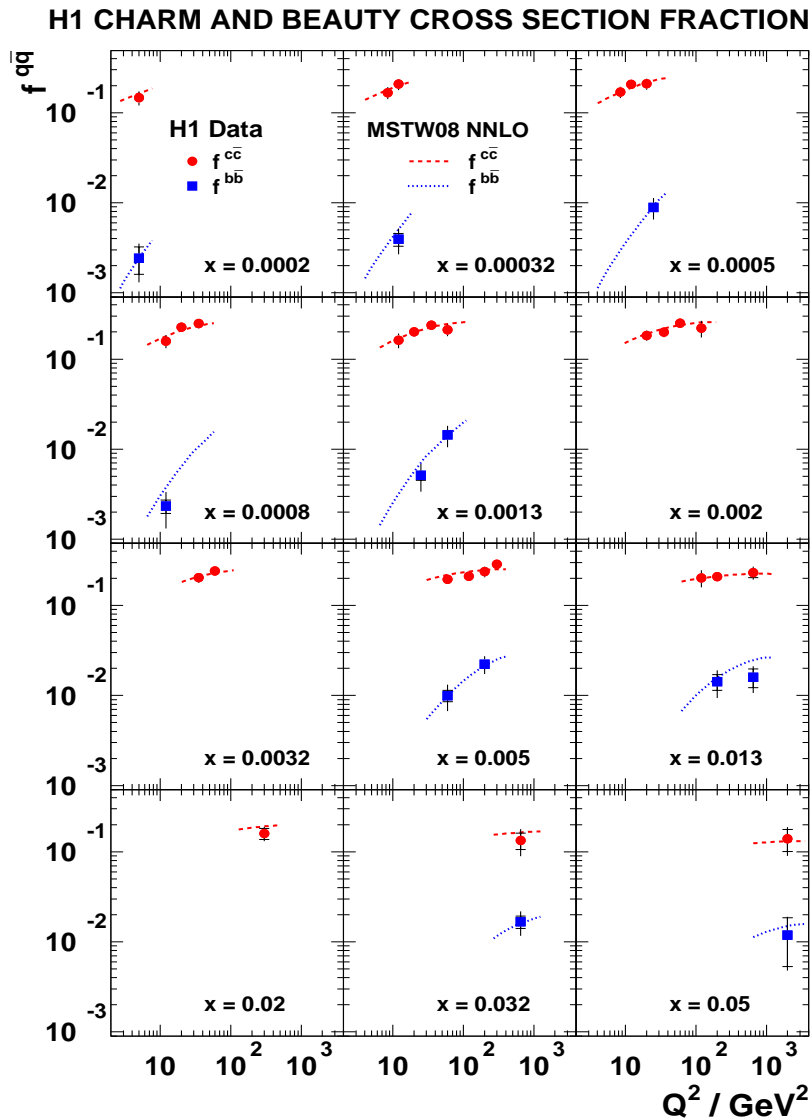
H1 inclusive reduced cross section  $\sigma_{red}(x, Q^2)$  *hep-ex/0012053, 0304003*

Bin center corrections  $\delta_{BCC}$ : via FFNS NLO calculation

Connection to  $F_2^c$ :

$$\sigma_{red}^{c\bar{c}} = F_2^{c\bar{c}} - \frac{y^2}{1+(1-y)^2} F_L^{c\bar{c}}$$

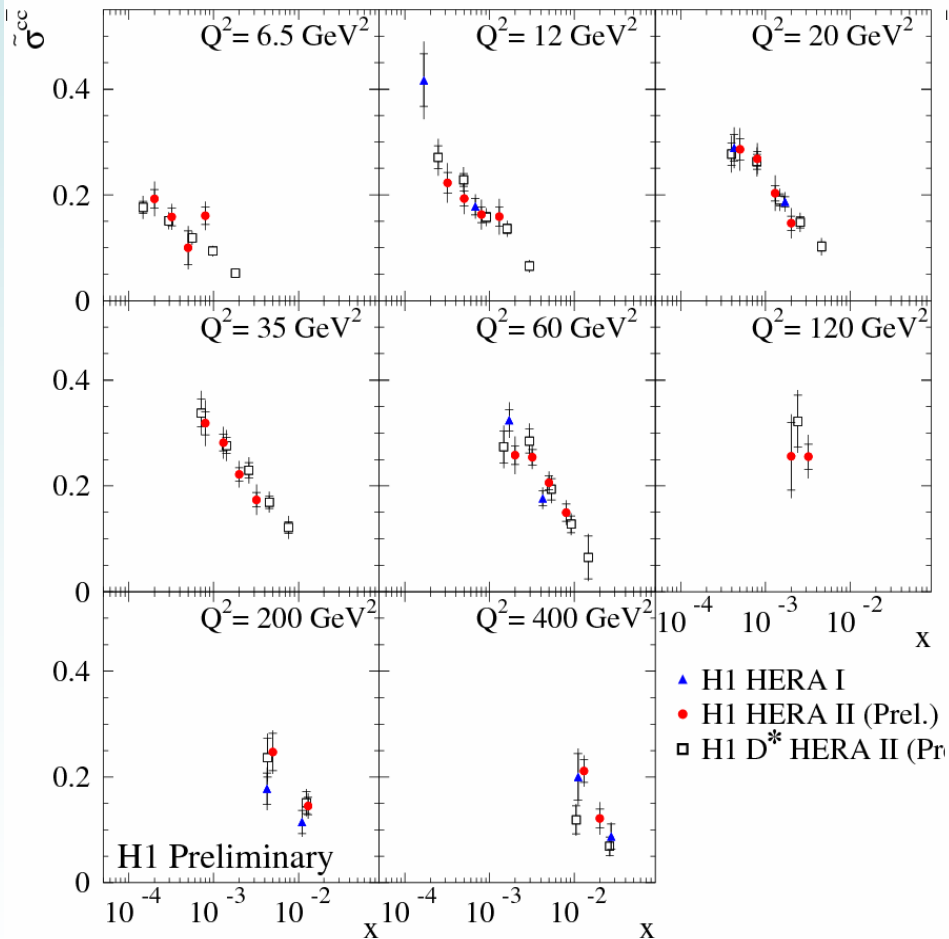
# Charm and beauty fractions



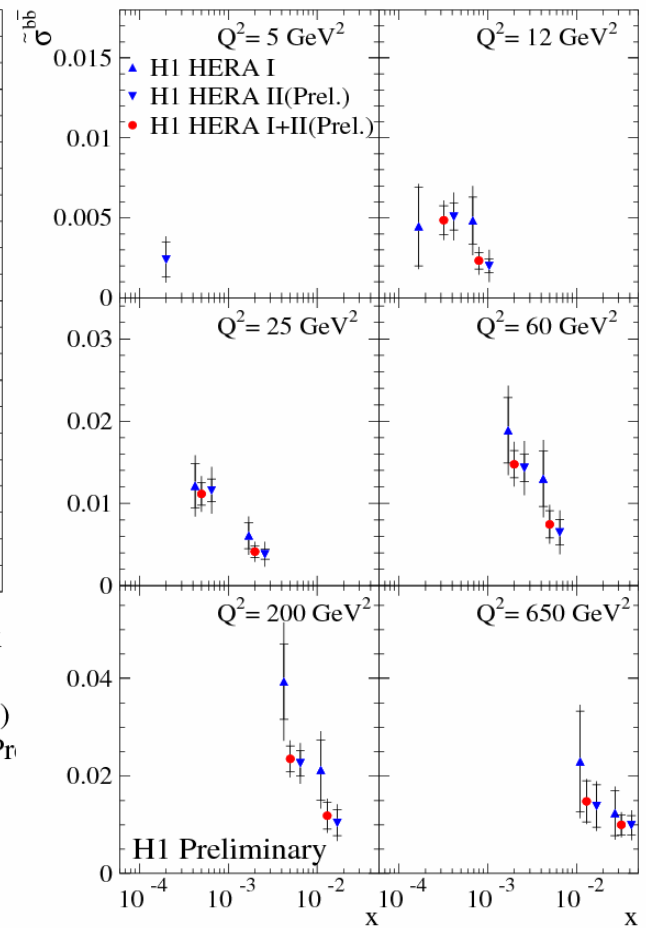
- charm fraction up to 30%
- beauty fraction  $\sim 1\%$  at most
- mass thresholds visible
- reasonable description by QCD

# Charm and Beauty reduced cross sections

H1 CHARM CROSS SECTION IN DIS



H1 BEAUTY CROSS SECTION IN DIS

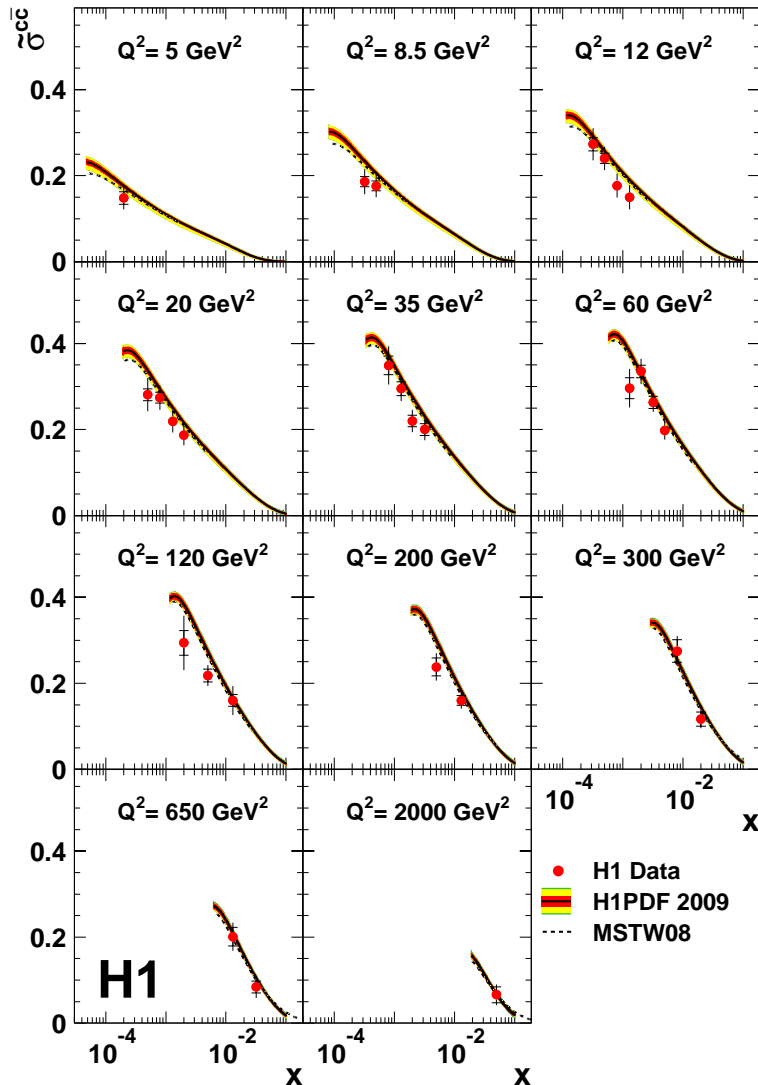


charm & beauty: new data agree with previous measurements  
 charm cross sections agree with D\* reconstruction method

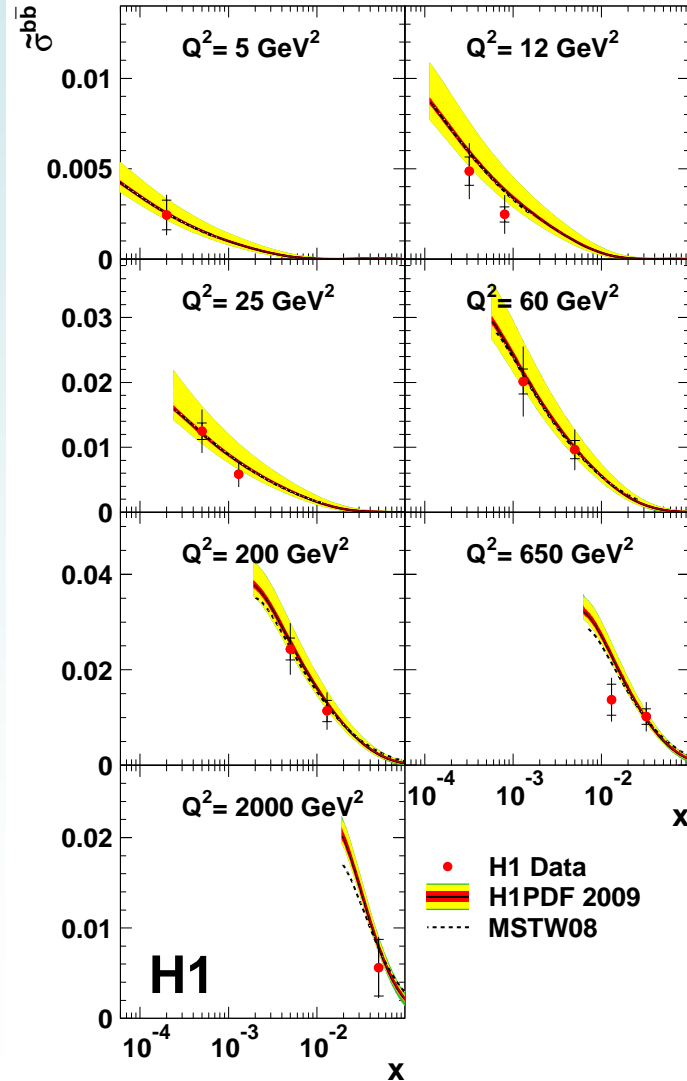


# $F_2^c, F_2^b$ vs predictions from global fits

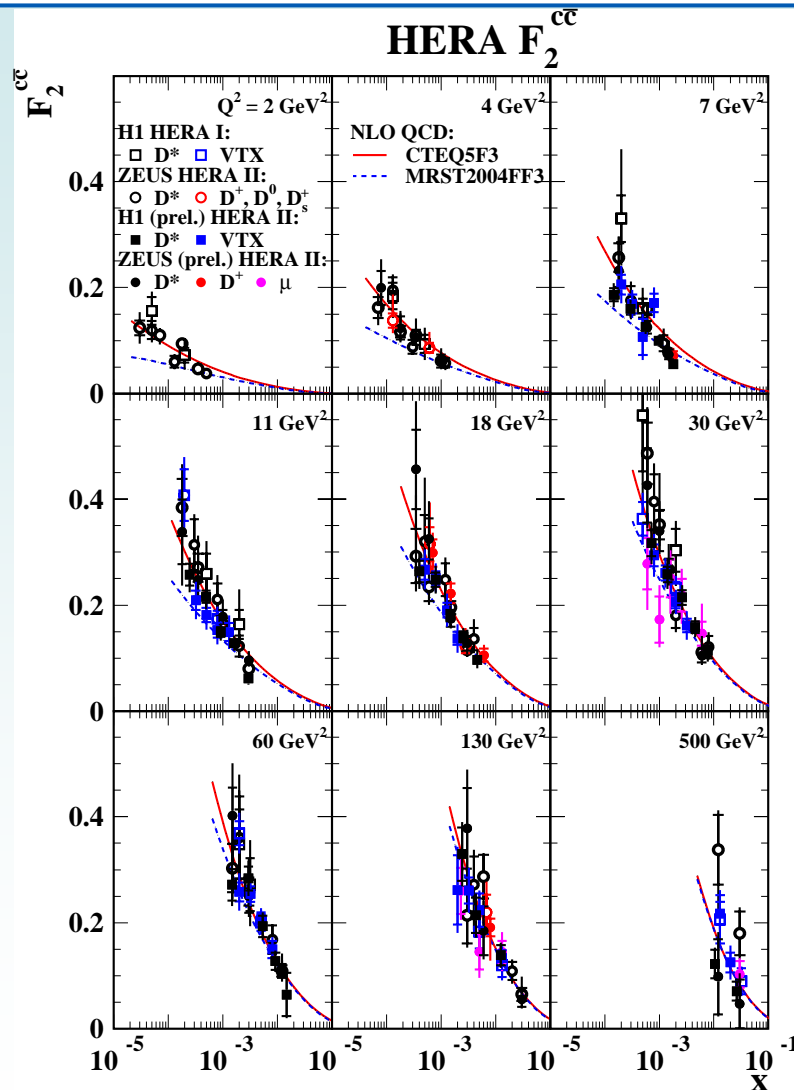
H1 CHARM CROSS SECTION IN DIS



H1 BEAUTY CROSS SECTION IN DIS



# HERA $F_2^{cc}$ measurement: precision



Plenty of measurements:

- different precision
- different systematics
- (partially) different phase space

Make the message more conclusive:

- combine different tag methods

Get more distinction power btw models

Start: recent measurement of H1

**Result:**

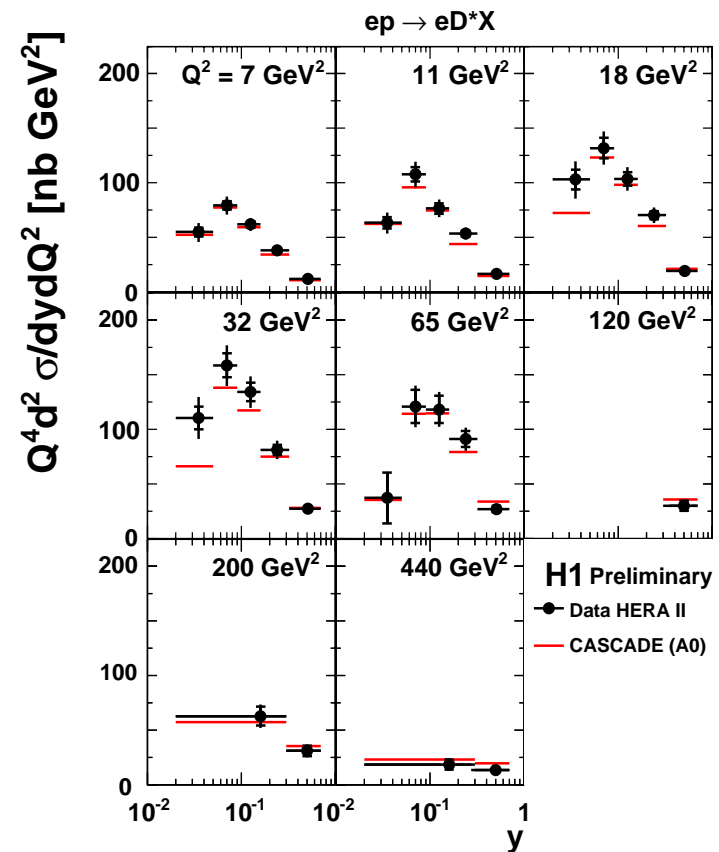
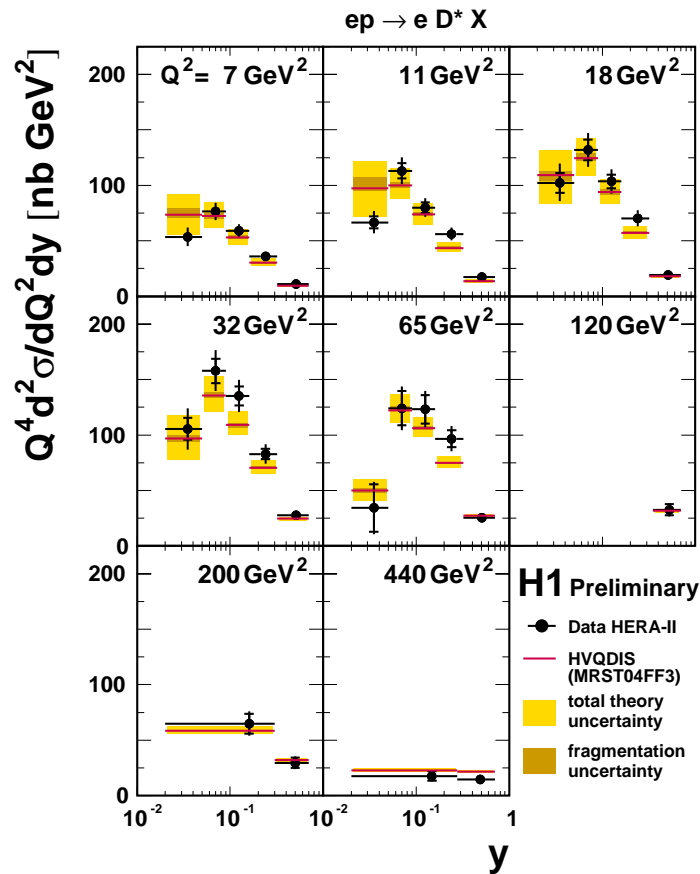
**Currently most precise  $F_2^{cc}$**

*H1prelim-08-174*

# Averaging procedure: input

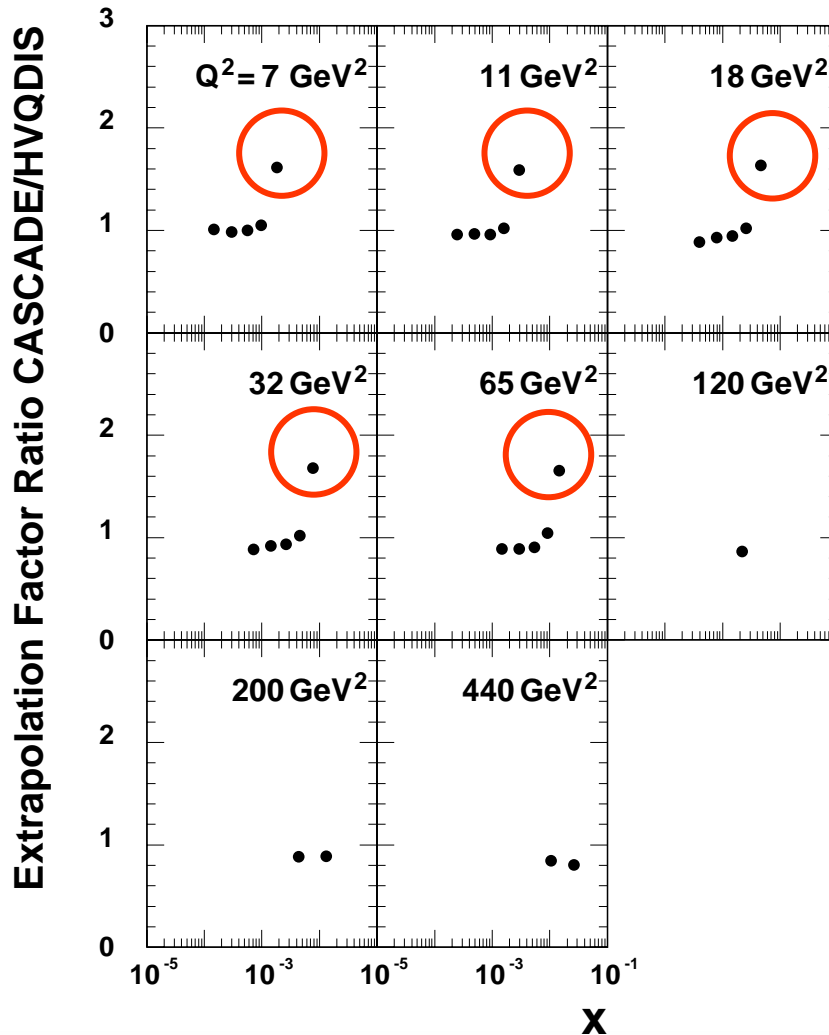
- Data in combination:
  - H1 D\* HERA-II  $F_2^C$  (talk by K. Daum)
  - H1 displaced track HERA-II  $\sigma_{\text{red}}$ ,  
 $F_2^C$  obtained from reduced cross section using NLO FFNs
- Measurements at different  $x$  and  $Q^2$ :
  - point swimming to the common grid using FFNS NLO DGLAP, PDF MRST04FF,  $m_c=1.43$  GeV
- Correlation of experimental uncertainties taken into account
  - 20 sources of point-to-point systematic correlations
  - 3 correlated sources between the methods

# Note on extrapolation in $D^*$ measurement



Lowest  $y$  (highest  $x$ ) overestimated by NLO, underestimated by CASCADE

# Note on extrapolation in $D^*$ measurement



Extrapolation factors ( $\sigma_{\text{tot}}/\sigma_{\text{vis}}$ ) differ in NLO vs CASCADE: 3%-6% (low  $x$ ) -100% (high  $x$ )

Differences in the models:

- LO+PS vs NLO
- Evolution
- Hadronization

More studies have to be done

Highest  $x$  points not included in the combination procedure

Difference accounted for as an additional model uncertainty

# Averaging Procedure: definition

$$\chi^2(M^{i,true}, \Delta\alpha_j) = \sum \frac{\left[ M^{i,true} - \left( M^i + \sum_j \frac{\partial M^i}{\partial \alpha_j} \frac{M^{i,true}}{M_i} \Delta\alpha_j \right) \right]^2}{\left( \sigma_i \frac{M^{i,true}}{M_i} \right)^2} + \sum_j \frac{(\Delta\alpha_j)^2}{\sigma_{\alpha_j}^2}$$

$M^i$  measured central values

$\sigma_i$  statistical + uncorrelated systematic error

$\sigma_{\alpha_j}$  – correlated systematic error

$dM^i/d\alpha_j$  – sensitivity of data  $i$  to systematic uncertainty  $j$

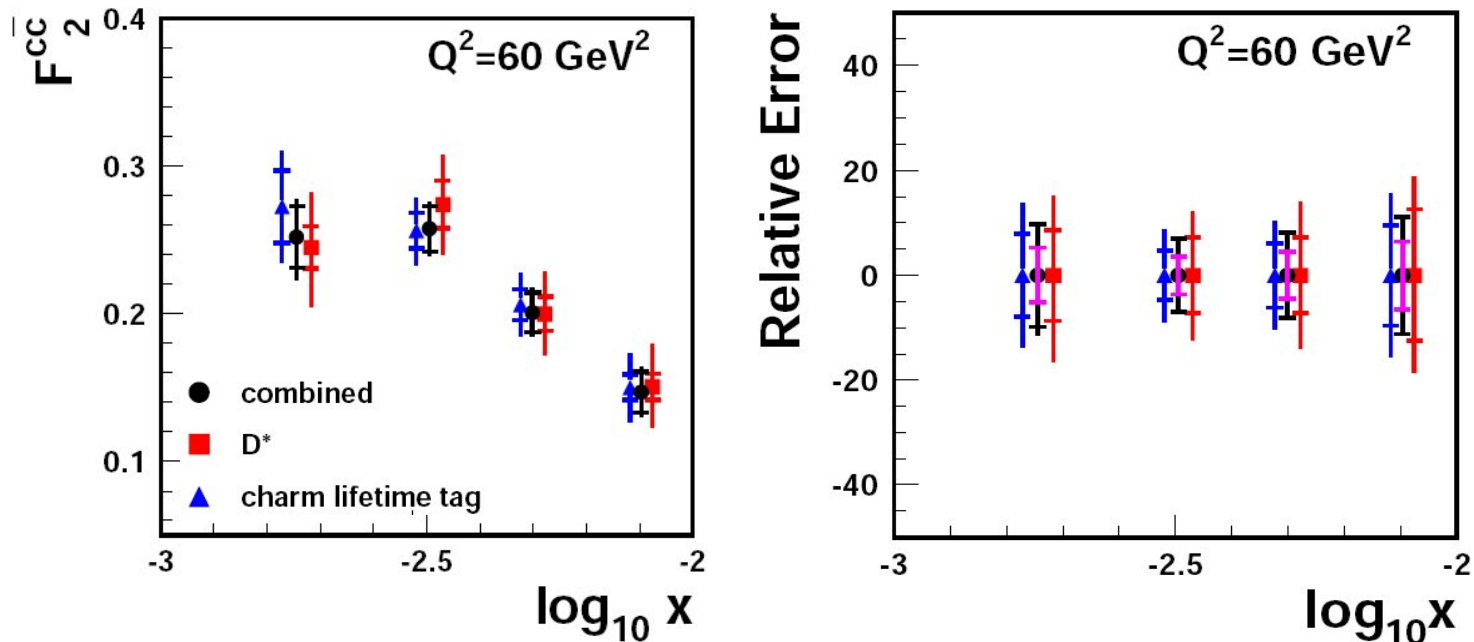
$M^{i,true}$  - fitted combined data  $D^* + LTT$

$\Delta\alpha_j$  – fitted shifts of correlated uncertainties

*More details yesterday by V. Radescu*

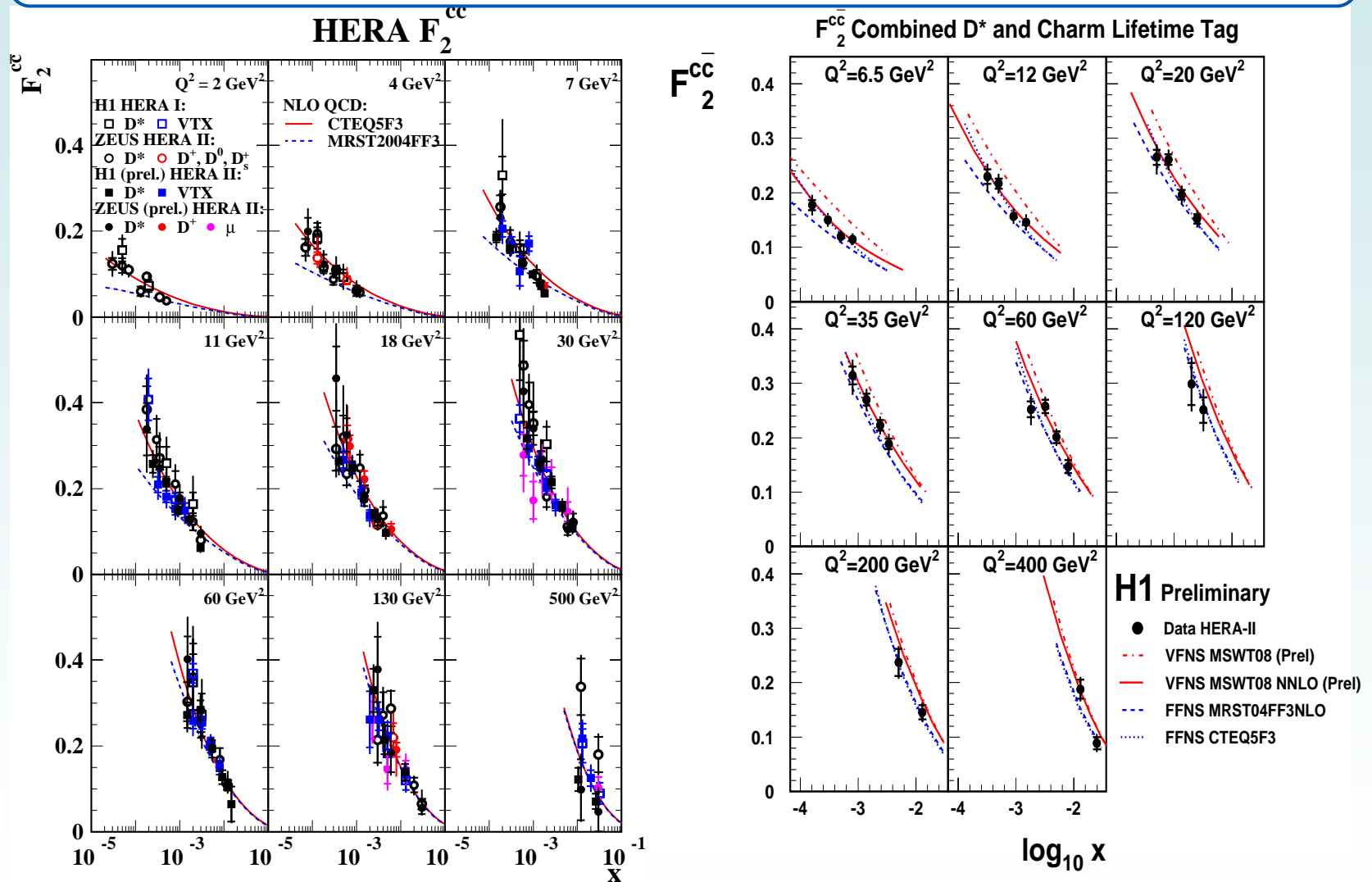
# Results: improvement in precision

H1 Preliminary  $F_2^c$  combined  $D^*$  and Charm Lifetime Tag



- Most gain (50%) where  $D^*$  and vertex measurements similar precise
- Overall improvement in precision (10-50%)
- Results stable wrt. variation of systematics treatment,  $\chi^2 = 26/25$

# Results: test different QCD models



High precision measurement - distinction power wrt. different QCD models



## Conclusion/Outlook

- extraction of  $F_2^c$  allows to compare different measurement techniques
- extra precision can be gained from combination
- data are described by (N)NLO pQCD calculations
- precision of  $D^*$  measurement will further improve
- more improvement possible by H1 + ZEUS combination
- final data will help to constrain theory mass treatments and PDFs

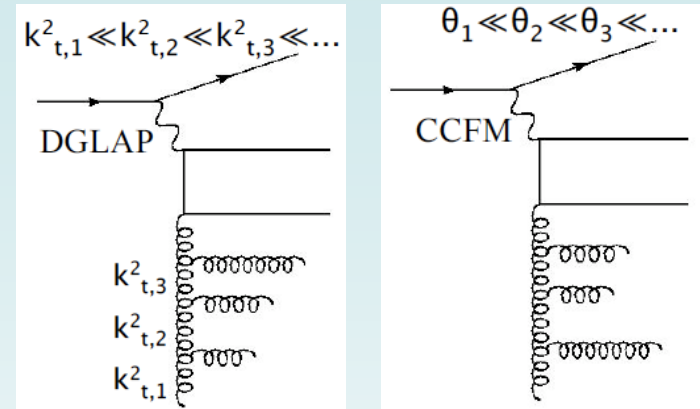
**BACK UP**

# Models of heavy quark production at HERA

## Event Generators: LO ME + Parton Showers

proton structure (parton densities):

- RAPGAP, PYTHIA: DGLAP evolution
- CASCADE: CCFM evolution



**pQCD calculations:** due to multi-scale problem ( $m_{\text{HQ}}$ ,  $p_{\text{T}}$ ,  $Q^2$ ) several approaches:

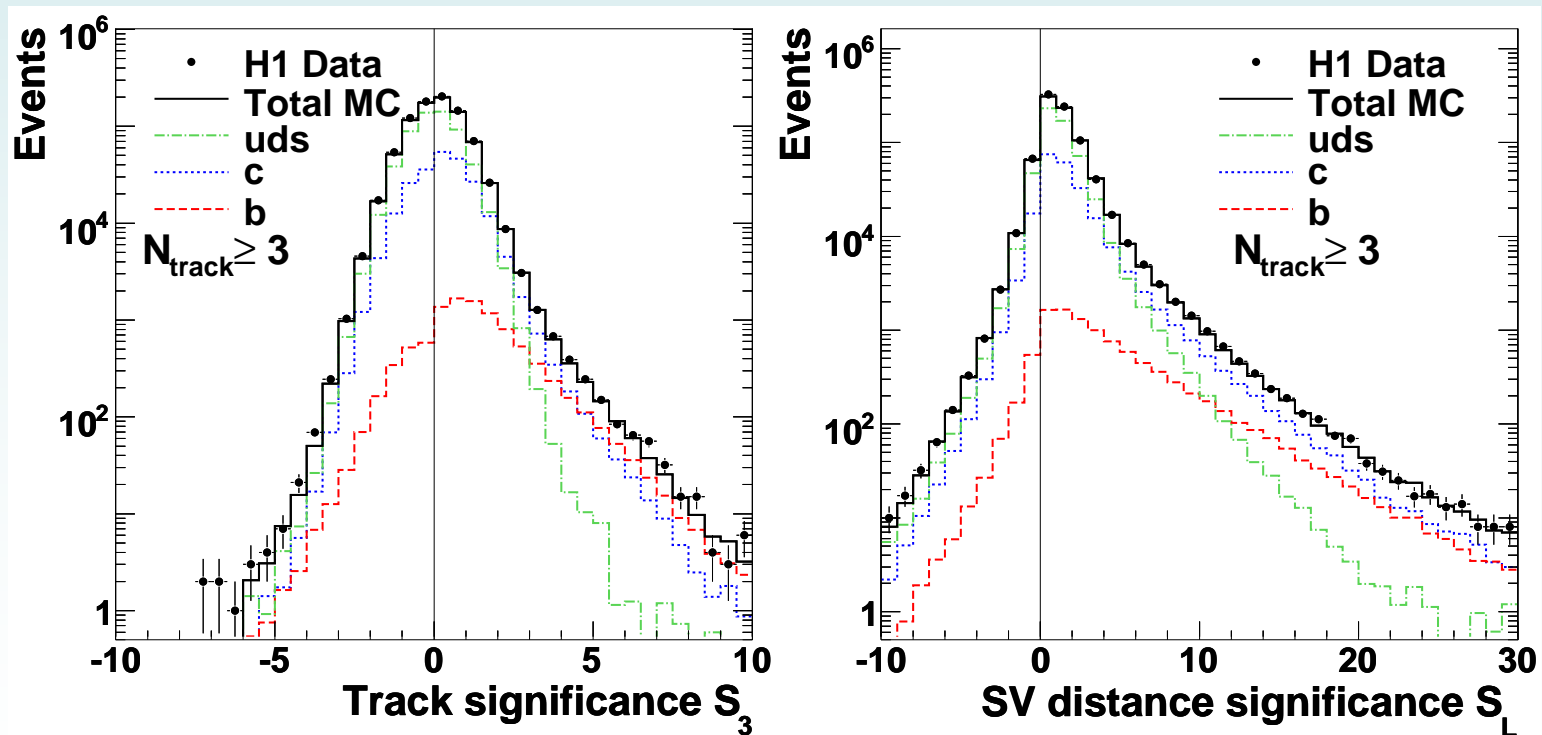
- massless (ZM-VFNS) HQ exist in the proton, reliable for  $Q^2 \gg m_{\text{HQ}}^2$
- massive (FFNS) HQ dynamically produced in BGF, reliable for  $Q^2 \sim m_{\text{HQ}}^2$ 
  - NLO program for DIS ( $Q^2 > 2 \text{ GeV}$ ) HVQDIS
  - NLO program for photoproduction ( $Q^2 \sim 0$ ): FMNR
- GM-VFNS: combination of massless and massive schemes:
  - NLO program for HQ in photoproduction
  - Used in the latest PDF fits by HERA, CTEQ, MSTW

# Measurement strategy

Inclusive measurement: use all tracks with hits in CST,  $p_T > 0.3 \text{ GeV}$

Improve  $c, b$  separation: use neural network (NN) for  $N_{\text{tracks}} \geq 3$

NN Inputs:  $S_1, S_2, S_3, S_L$ , 1<sup>st</sup> (2<sup>nd</sup>) highest track  $p_T$ ,  $N_{\text{tracks}}$ ,  $N_{\text{tracks}}^{\text{SV}}$

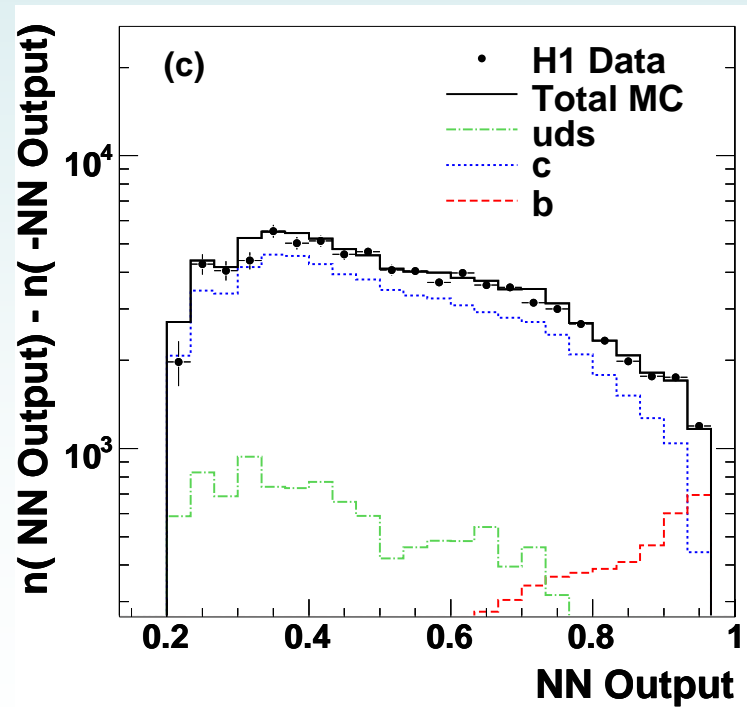
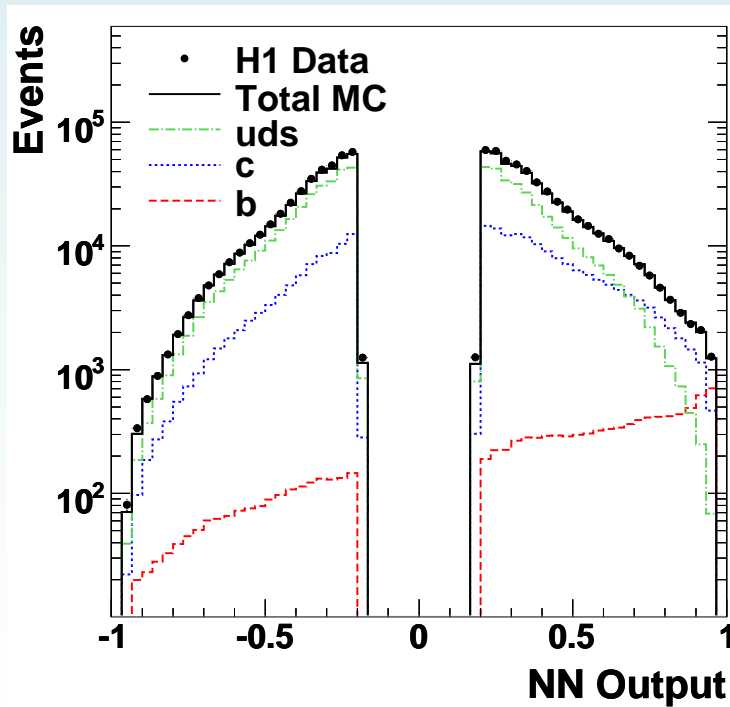


# Flavor separation

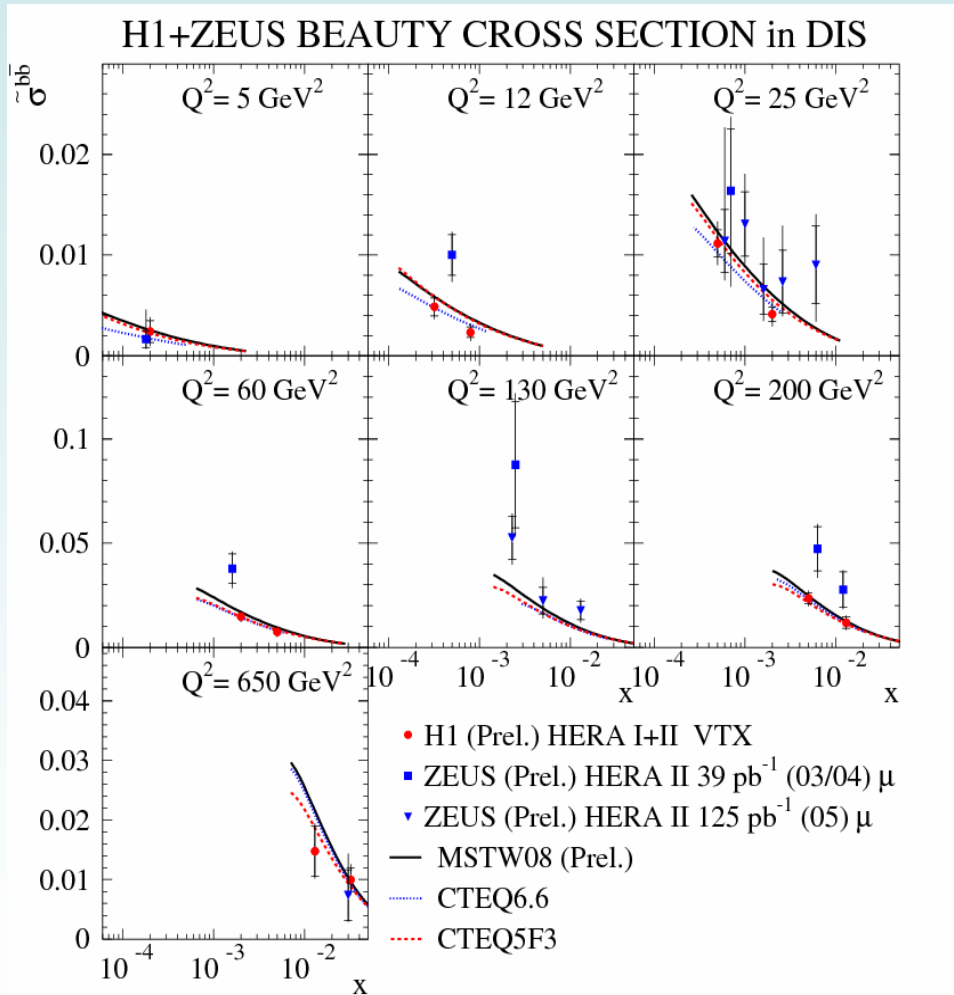
NN output: clear separation of charm and beauty

Sign given by  $S_1$ . Subtract -'ve from +'ve to reduce systematic error

Fit subtracted  $S_1$ ,  $S_2$  and NN output to obtain  $c$ -,  $b$ - fractions



# HERA beauty cross section



different methods [acceptance]

- Inclusive (H1VTX) [ $>90\%$ ]

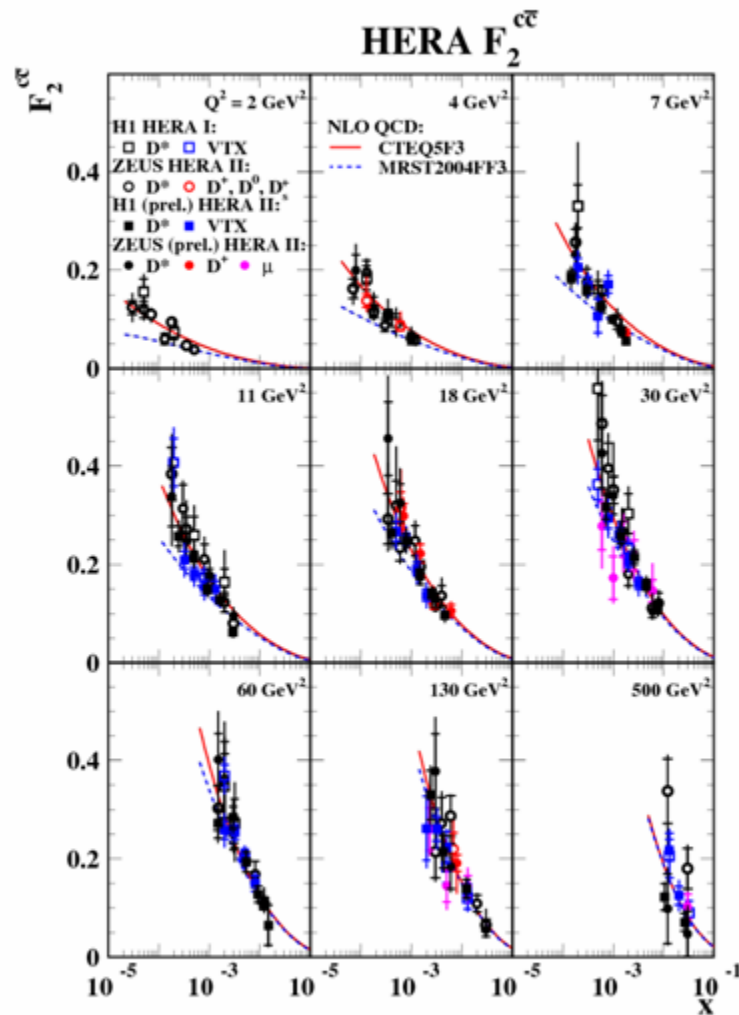
- $\mu p_t^{\text{rel}}$  (ZEUS) [20-35%]

- $\mu p_t^{\text{rel}} + \delta$  (ZEUS) [25-50%]

ZEUS tend to be higher than H1

described by NLO QCD

# HERA charm cross section



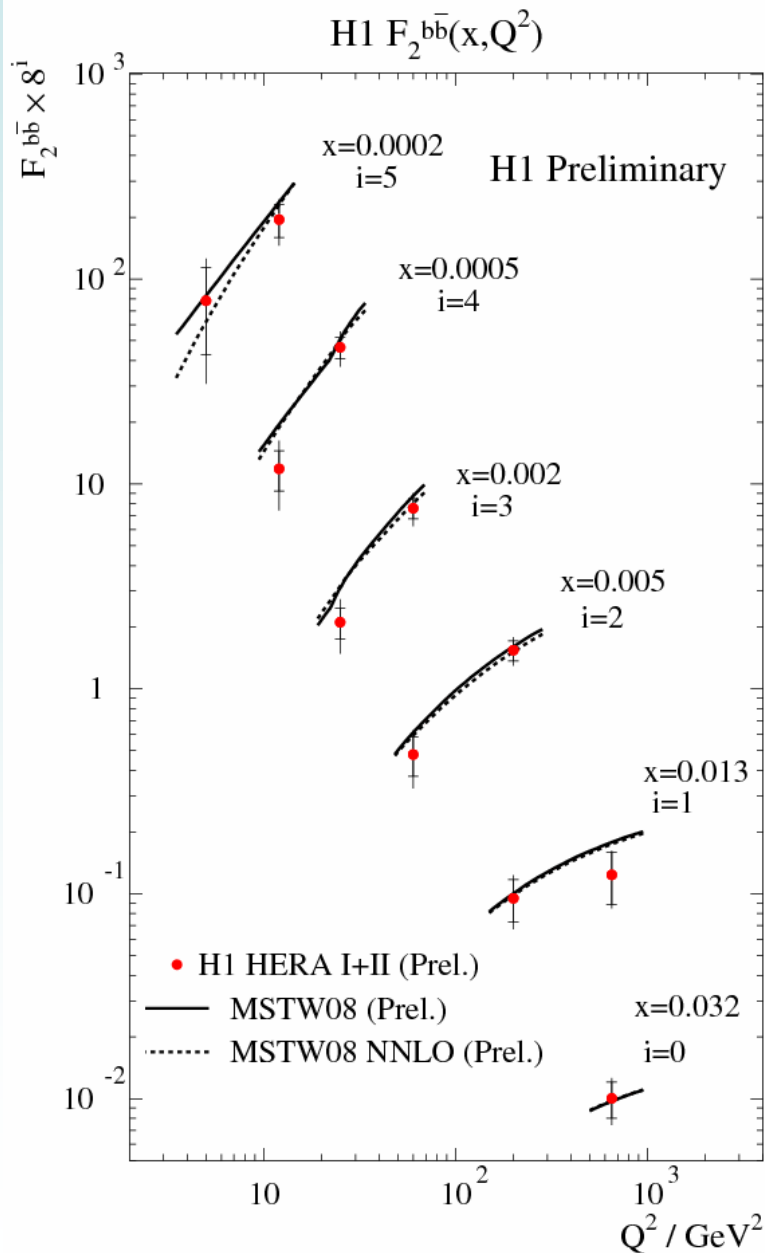
different methods [acceptance]

- inclusive (H1 VTX) [ $>70\%$ ]

-  $\mu$   $p_t^{\text{rel}+\delta}$  (ZEUS) [25-50%]

-  $D^*$  cross sections [20-70%]

different methods agree well



Scaling violations visible

NNLO predictions available

Differences between NLO and NNLO  
small except for  $Q^2 < (m_b)^2$

Data well described