

NLO QCD prediction for $W+3$ jets

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in Collaboration with

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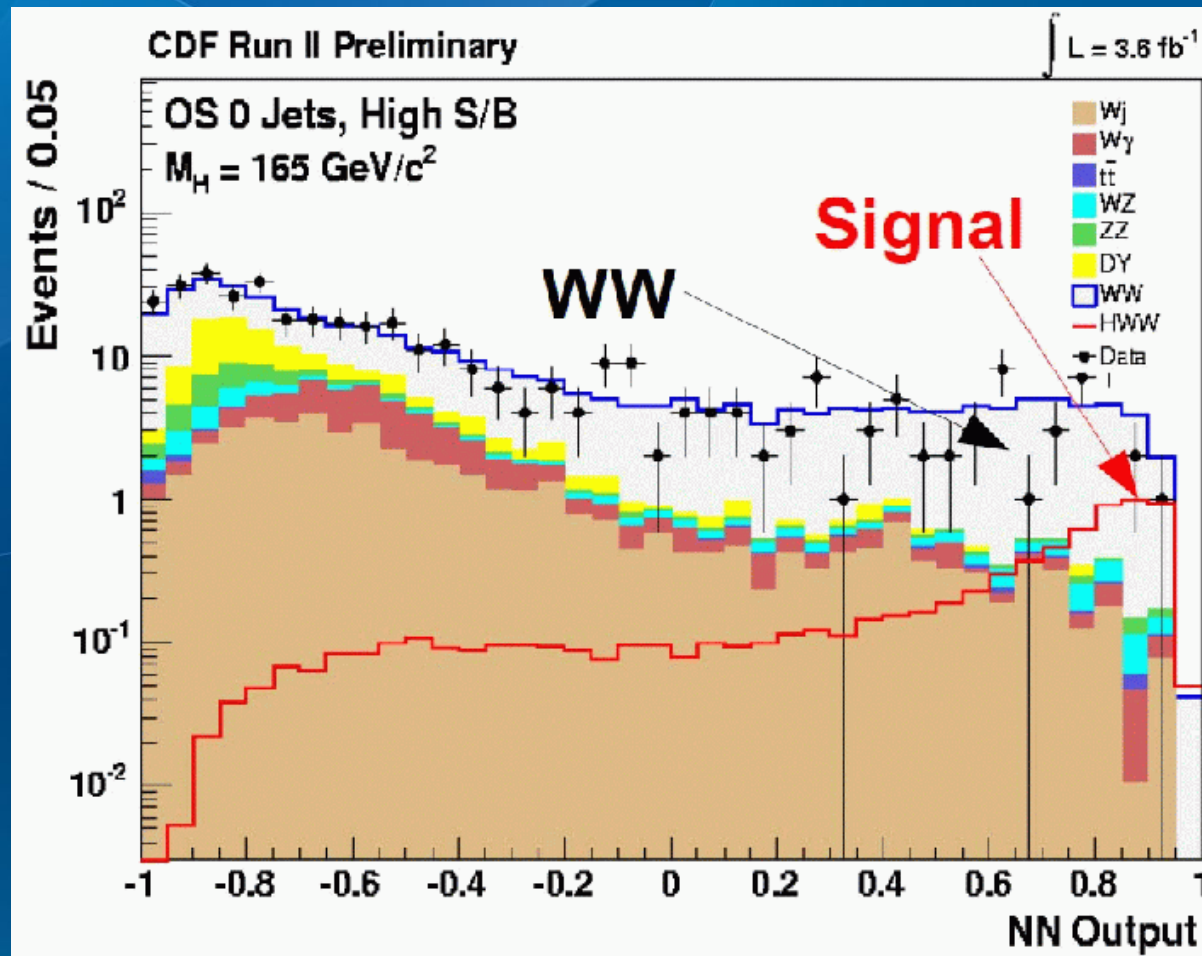
Based on [arXiv:0907.1984](https://arxiv.org/abs/0907.1984)

Motivation

- Theoretical predictions for QCD processes are crucial for the physics program at a hadron collider
 - Signal
 - Background
- Many measurements are limited by uncertainties from theory prediction

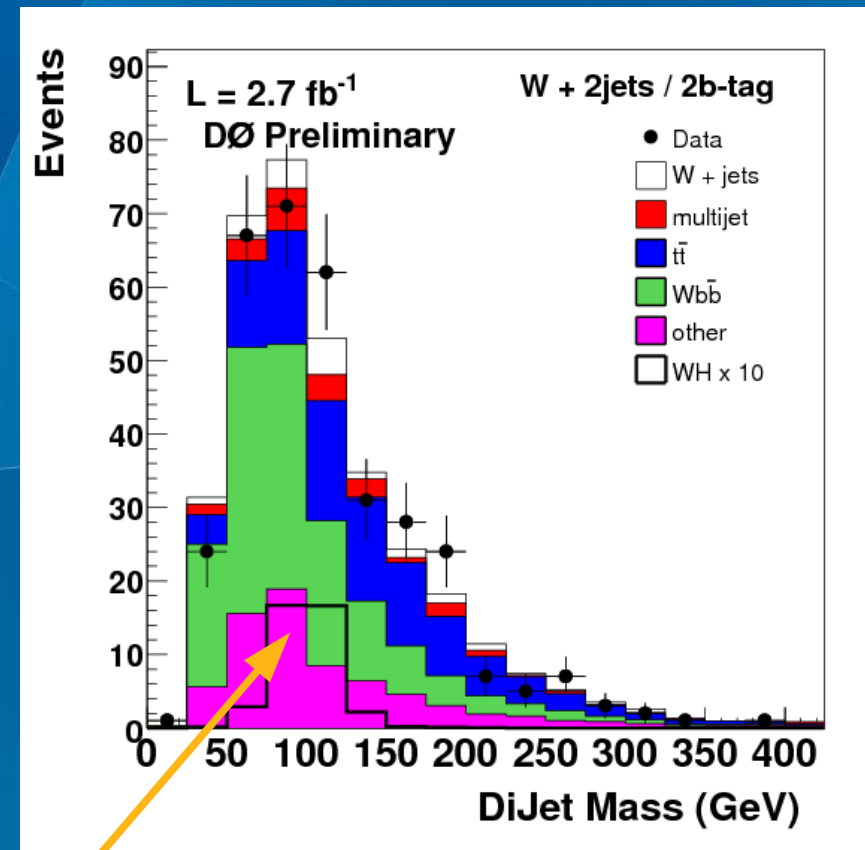
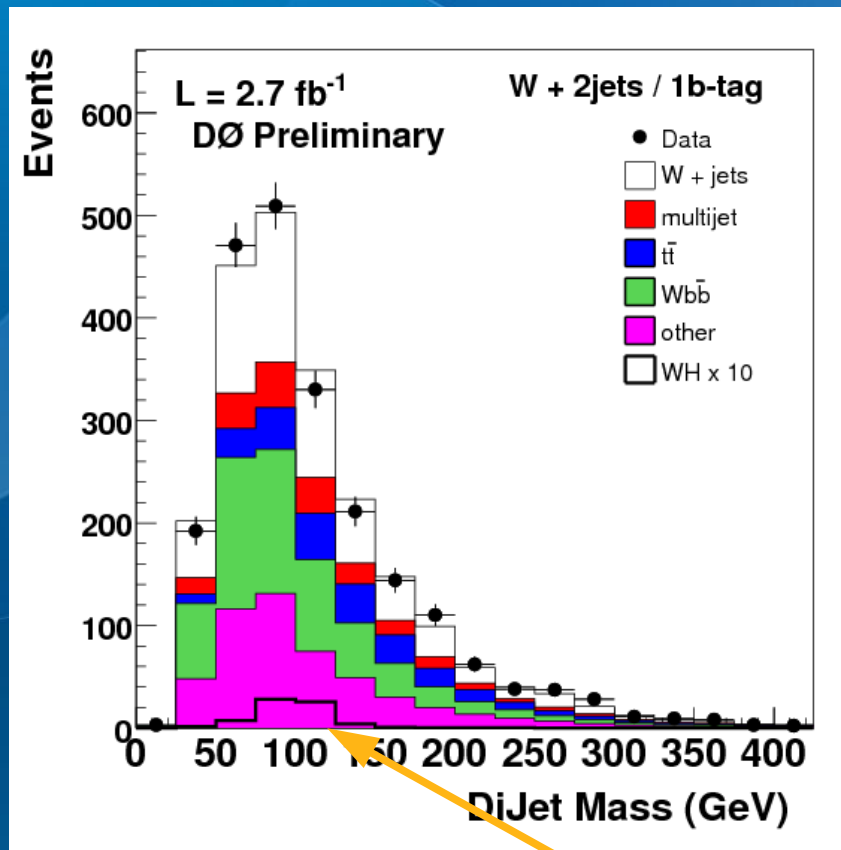
Motivation

- Higgs \rightarrow WW search @ CDF



Motivation

- Higgs associated production WH ($H \rightarrow b\bar{b}$)



Signal x 10

Leading order

- Lots of good general tools for leading order cross sections (Madgraph, Herwig, Sherpa, Alpgen, Whizard, Pythia, ...)
- Large factorisation/renormalisation scale dependence
- Possible improvements
 - Parton shower
 - Resummation (N...LL)
 - More orders in perturbation theory (N...LO)

NLO Corrections

- Consider (infrared safe) observable



- Add contributions that have an higher order in perturbation theory, but yield the same value for an observable

- Virtual



- Real



NLO Corrections

- NLO corrections are needed for a good theoretical understanding of QCD processes
- Improve theory prediction for
 - Absolute normalization
 - Corrections can be very large
 - Reduce renormalization scale dependency
 - Shape of distributions

NLO with BlackHat+Sherpa

- BlackHat



- Virtual part

- Sherpa



- Leading order
- Real part
- Integration of the virtual part

Sherpa

[Gleisberg,Hoeche,Krauss,Schoenherr,Schumann,Siegert,Winter]

Provides

- Efficient phase space integration
- Event generation
- Analysis framework
- Automated dipole subtraction for the real part
- (and much more)
- Is written in C++



[Catani,Seymour]

[Gleisberg,Krauss]

BlackHat

[Berger, Bern, Dixon, Febres Cordero, Forde, Ita, Kosower, DM]

- Goal : automate computation of virtual 1-loop amplitudes for QCD processes
- C++ framework
- Uses new progress in the unitarity techniques, spinor formalism, complex momenta
[Ossola,Papadopoulos,Pittau;Forde]
- Cut containing part: 4 Dim, using Forde's method
- Rational part:
 - 1- loop recursion (reuse of lower point results)
[Berger,Bern,Dixon,Forde,Kosower]
 - Rational extraction using D-dim unitarity
[Ellis,Giele,Kunszt;Badger]



W+jets @ Tevatron and LHC

- W/Z+jets processes are important
 - For SM physics (Higgs, $t\bar{t}$, single top)
 - Background to new physics
 - Luminosity determination

So far

- **MCFM** [John Campbell, Keith Ellis]
 - NLO W+1 jet (Feynman diagrams)
 - NLO W+2 jets (amplitudes from unitarity methods)
- **Amplitudes**
 - Leading color primitive amplitudes (2q3gW) [BlackHat]
 - All primitive amplitudes [Ellis,Giele,Kunszt,Melnikov,Zanderighi; van Hameren,Papadopoulos,Pittau]
- **Cross section**
 - Leading color W+3 jets (2q3gW) [Ellis,Melnikov,Zanderighi]
 - Leading color W+3 jets (all subprocesses) [BlackHat]
 - Leading color W+3 jets (with rescaling to account for subleading color) [Ellis,Melnikov,Zanderighi]
 - Full color W+3 jets (all subprocesses) [BlackHat]

W+jets @ Tevatron

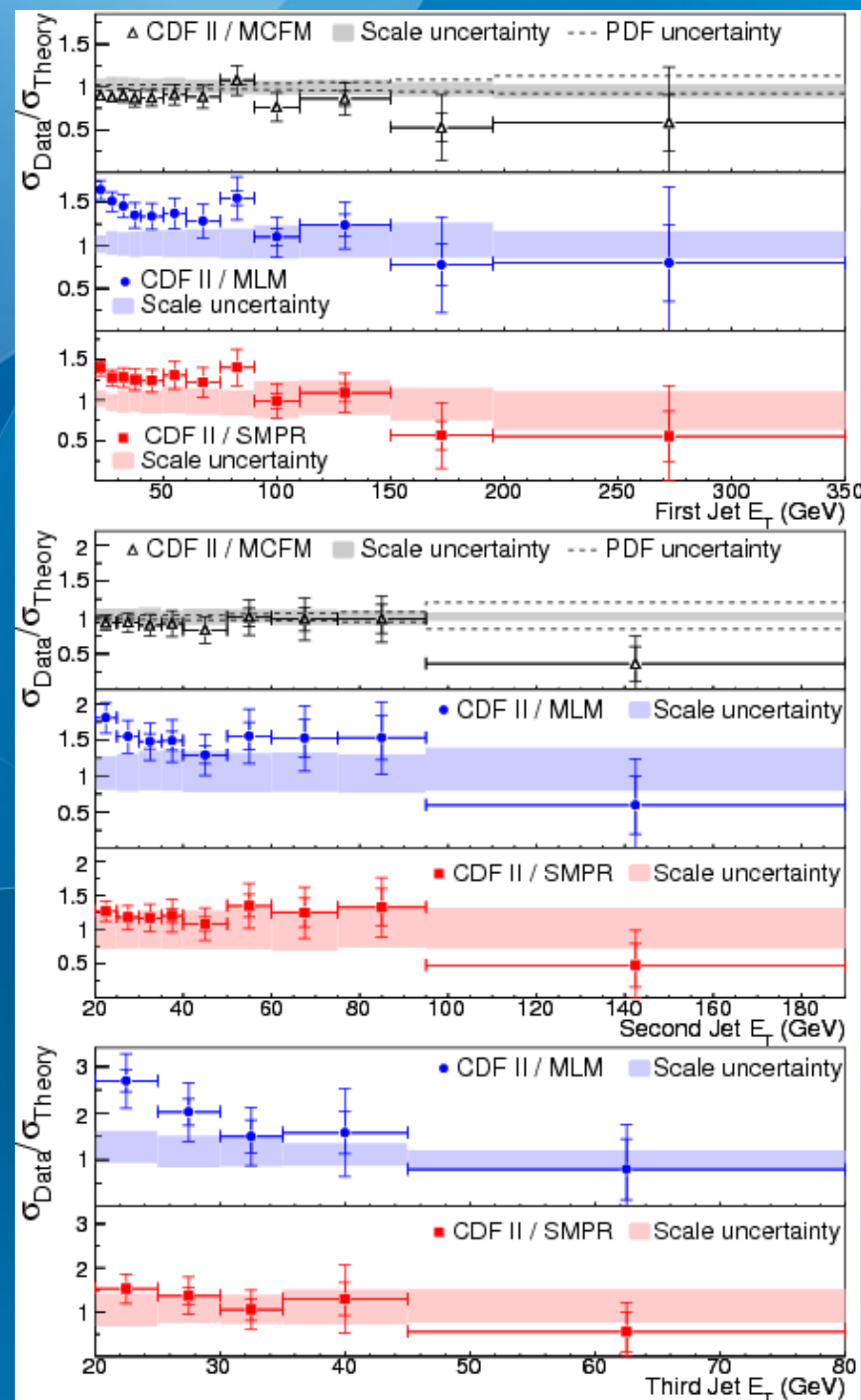
- CDF Collaboration
 - 320pb^{-1}
 - Corrected for comparison with particle level
 - Comparison with
 - NLO: MCFM
 - MLM = Alpgen+Herwig
 - SMPR = Madgraph+Pythia

$$E_T^e > 20 \text{ GeV} \quad E_T^{\text{jets}} > 20 \text{ GeV}$$

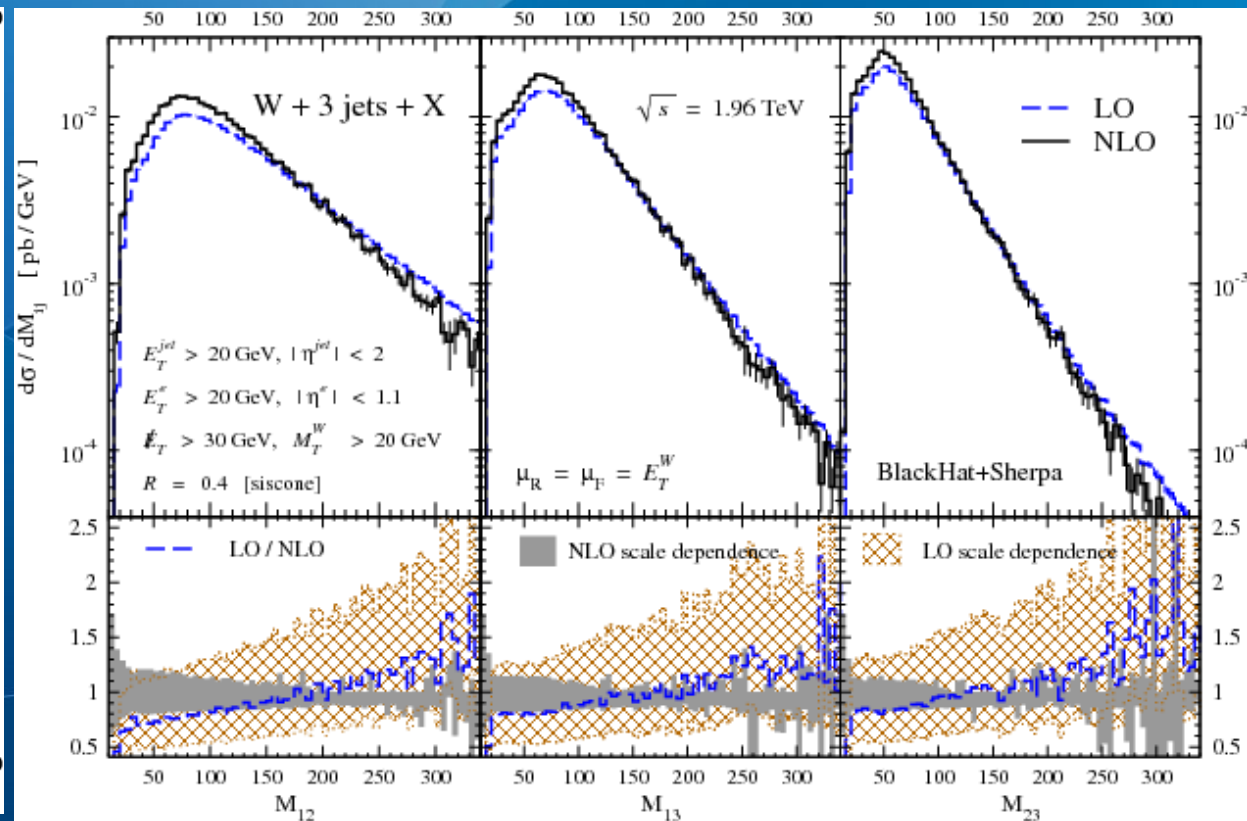
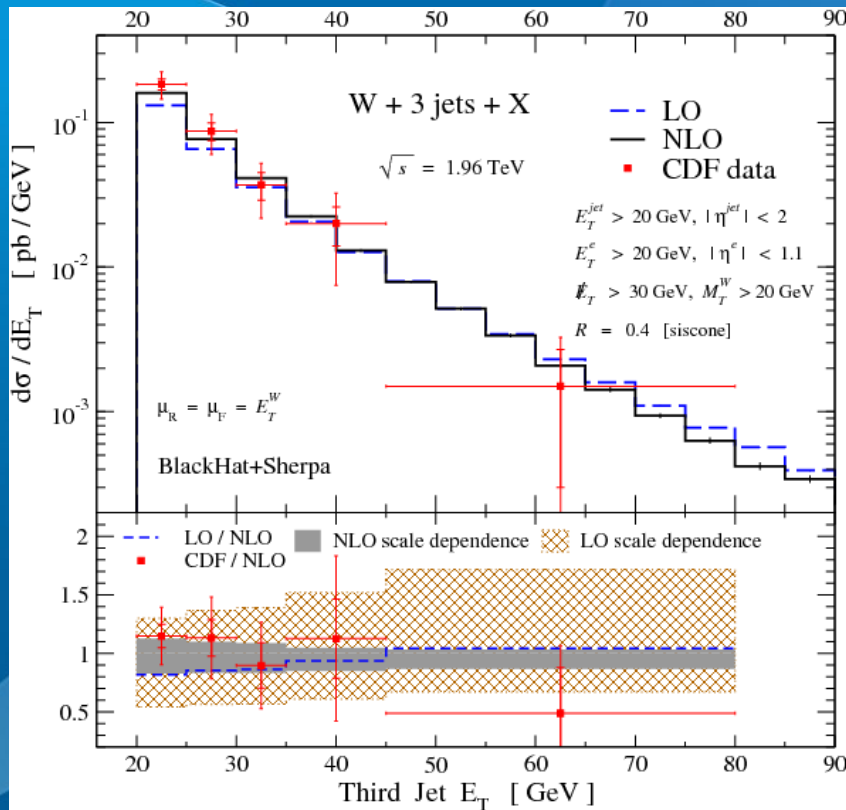
$$|\eta^e| < 1.1 \quad E_T > 30 \text{ GeV}$$

$$|\eta^{\text{jets}}| < 2 \quad E_T^{\text{jets}} > 20 \text{ GeV}$$

$$M_T^W > 20 \text{ GeV}$$



W+3 jets @ Tevatron



$$\mu = \sqrt{m_W^2 + p_T^2(W)}$$

PDF: CTEQ6M

Jet algorithm: SIScone [Salam,Soyez]

Scale Choice

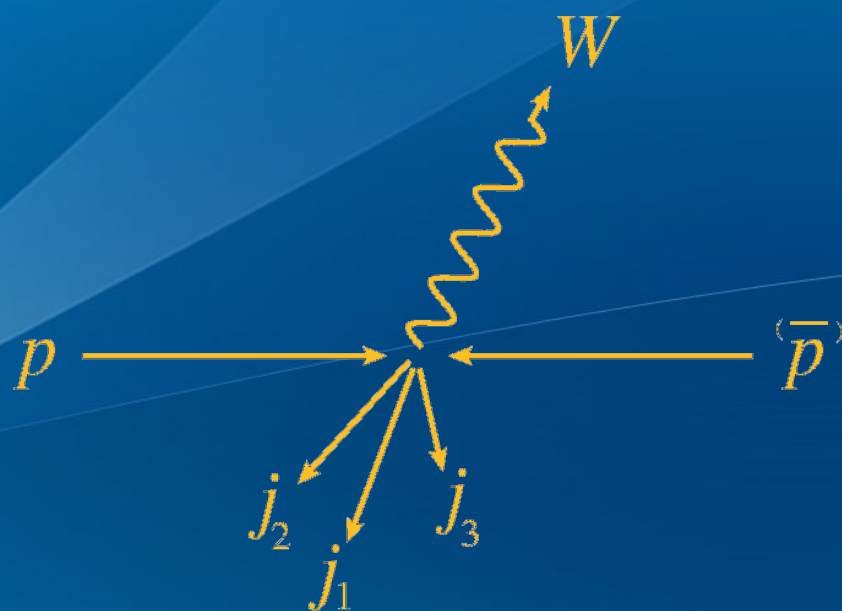
- Theory predictions depend on two unphysical scales
 - Renormalization scale
 - Factorization scale
- Due to the truncation of the perturbation series
- Want to choose a scale “typical” for the process
- Complicated processes have many scales
- Good choice of scale
 - Cross sections and distributions should be positive
 - LO has a shape close to the NLO one

Scale choice

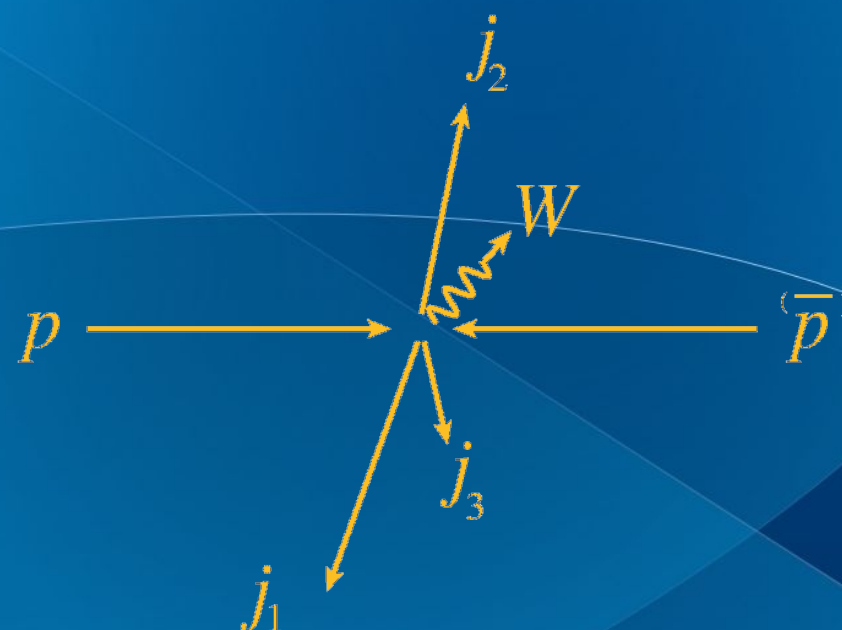
- Possible scale choices:

$$E_T^W = \sqrt{m_W^2 + p_T^2(W)}$$

$$H_T = \sum_{j=1,2,3} E_{T,j}^{\text{jet}} + E_T^e + \cancel{E}_T$$

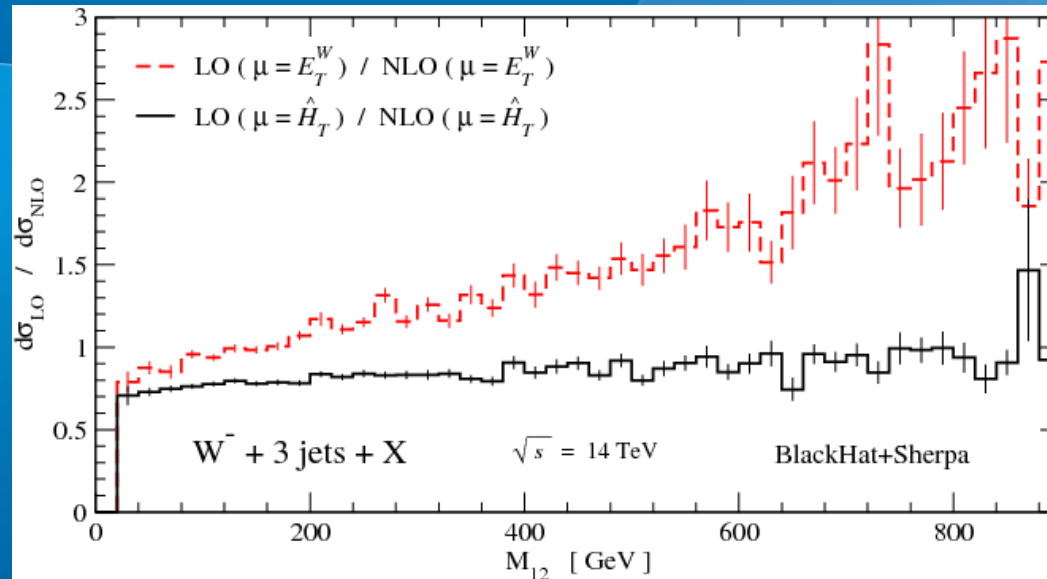


(a)



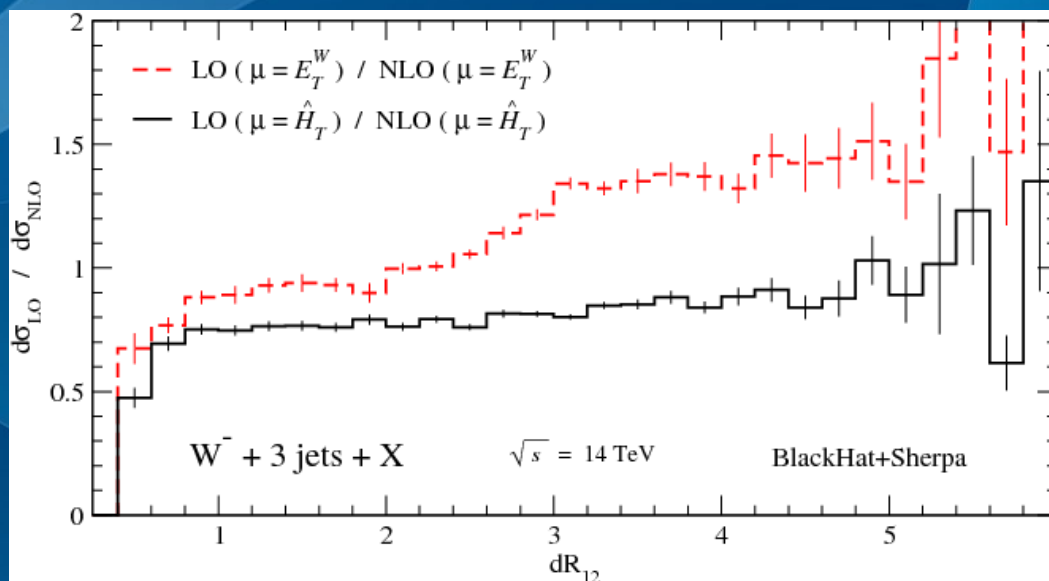
(b)

Scale choice



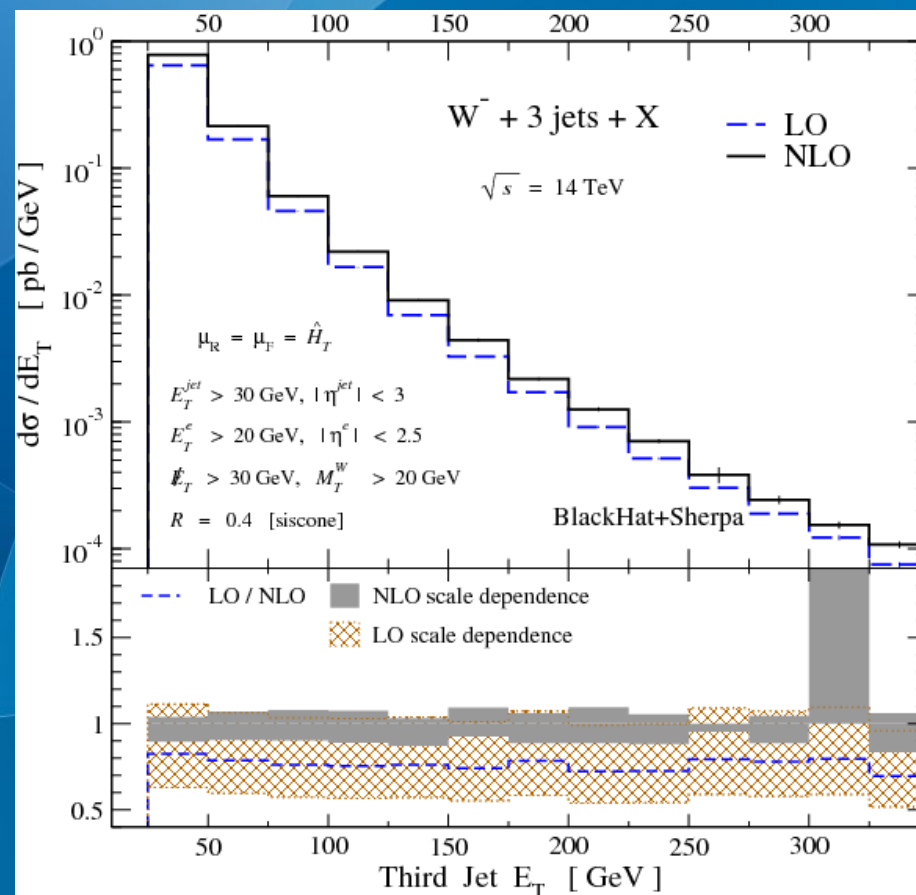
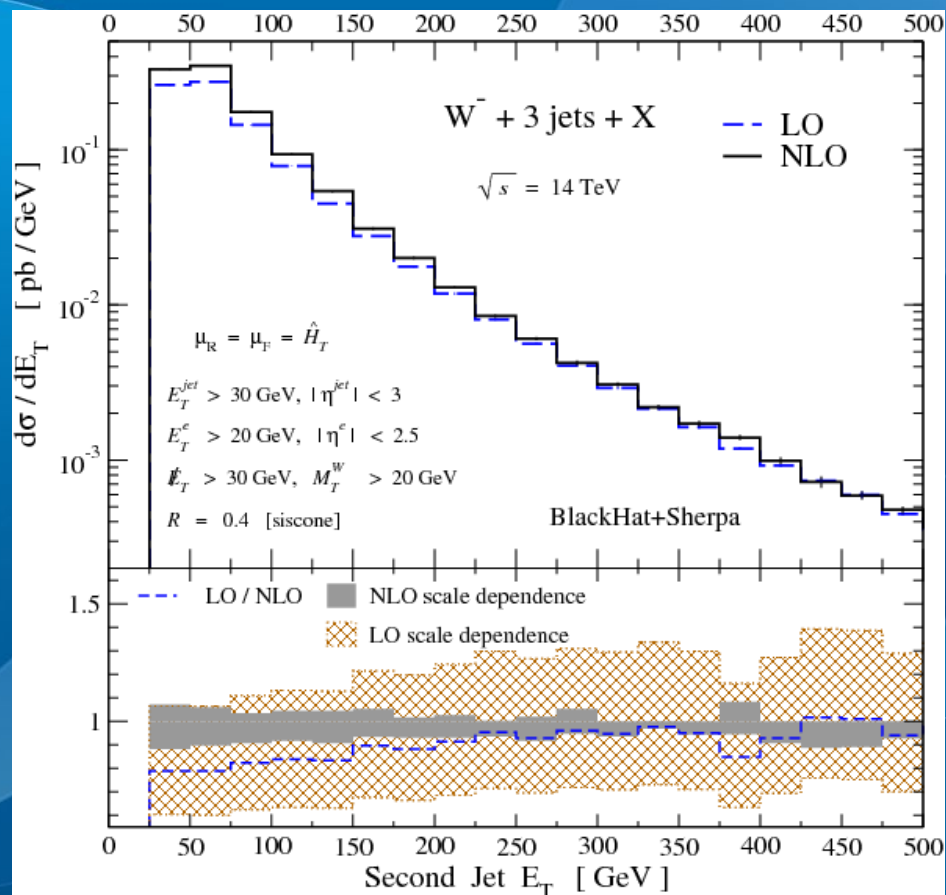
- Does not work for all distributions!
- Distributions that are specifically sensitive to the W
- Choice of scale has more effect at LHC, but visible at Tevatron

$$M_{ij}^2 = (p_i^{\text{jet}} + p_j^{\text{jet}})^2$$



$$\Delta R_{12} = \sqrt{(\Delta\phi)^2 + (\Delta\eta)^2}$$

LHC



$$\sqrt{s} = 14 \text{ TeV}$$

$$\mu = H_T$$

$$E_T^e > 20 \text{ GeV}$$

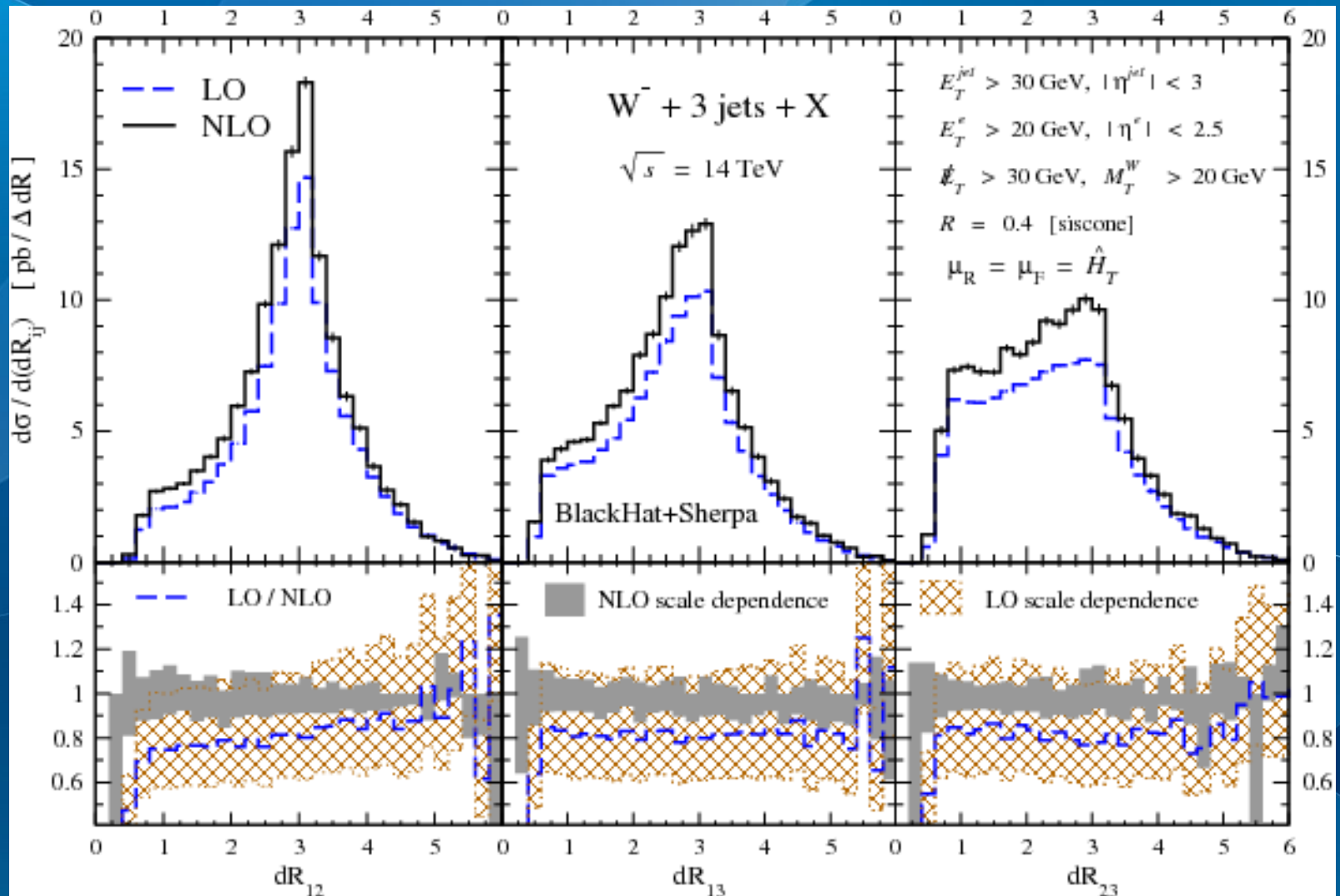
$$E_T^{\text{jet}} > 30 \text{ GeV} \quad |\eta^{\text{jet}}| < 3 \quad |\eta^e| < 2.5$$

$$E_T^\nu > 30 \text{ GeV}$$

$$R = 0.4$$

$$M_T^W > 20 \text{ GeV}$$

W+3 jets @LHC



Conclusions

- Presented first full color NLO results for $W+3\text{jets}$ @ Tevatron and LHC
- Show potential of unitarity techniques for phenomenology

