



W & Z boson production (LHC)

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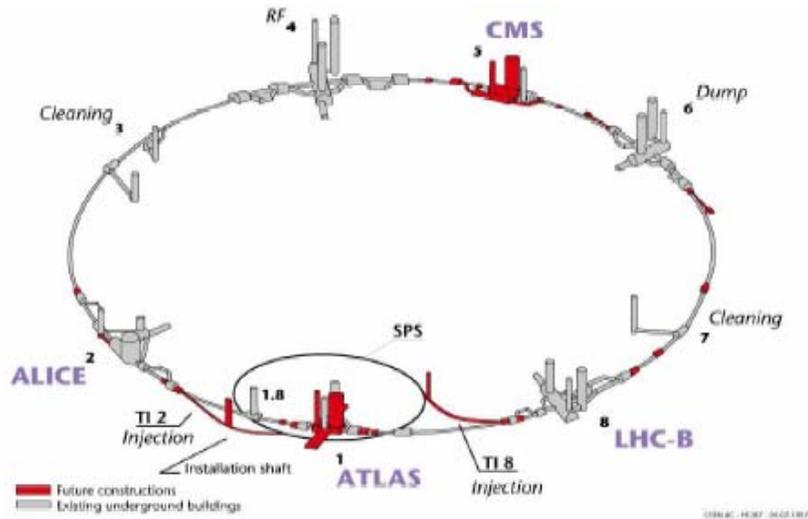
Outline



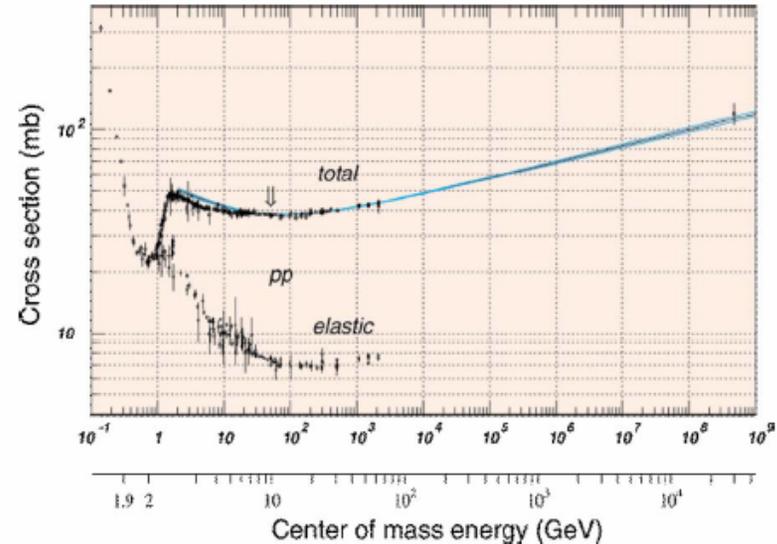
- LHC machine
- ATLAS and CMS detectors
- Inclusive production of $Z/W \rightarrow$ leptons
- Data Driven Techniques
- $W/Z +$ Jets
- W charge asymmetry
- Z FB asymmetry
- Summary



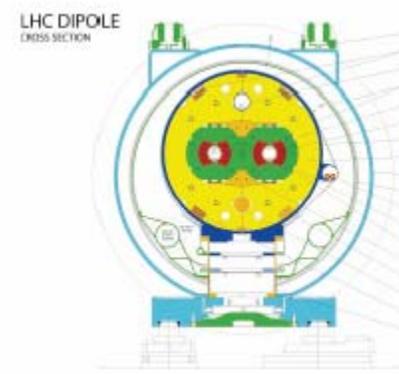
LHC machine



$$\sigma_{inel}(pp) \approx 80 \text{ mb} @ 14 \text{ TeV}$$



LHC Circumference	~27 km
Designed E_{cm}	14 TeV
Designed Luminosity	$10^{34} \text{ cm}^{-2}\text{s}^{-1}$
<i>bunch crossing rate</i>	40 MHz ($t_{bc} = 25 \text{ ns}$)
<i>protons/bunch</i>	$\sim 10^{11}$



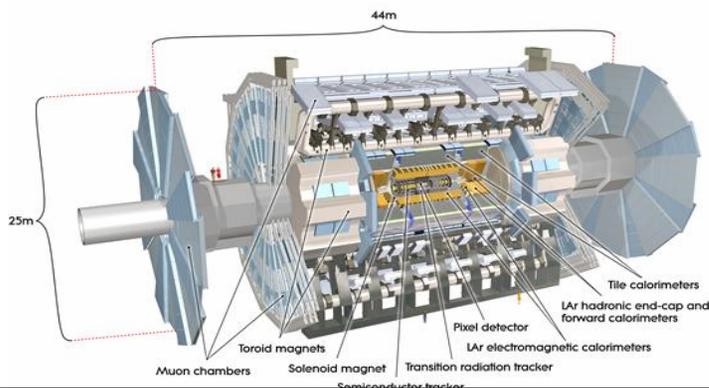
- SC dipoles:**
- Number: 1232**
 - Temp: 1.9K**
 - Length: 15m**
 - Weight: 34tons**
 - Mag. Field: 8.3Tesla**



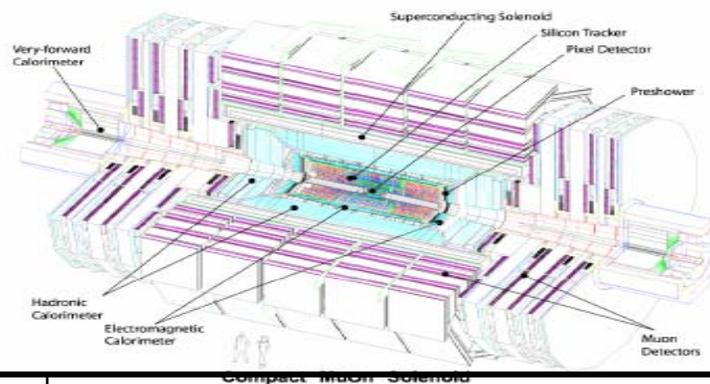
The ATLAS and CMS Detectors



ATLAS



CMS



General	L: 44 m, D: 25 m, W: 7000 tones, B: 2T(sol.) + 0.5T&1T(toroid)	L: 21 m, D: 15 m W: 12500 tones, B: 4Tesla
Tracker	Pixel, Silicon, TRT, $ \eta < 2.5$ $\Delta P_t / P_t = 0.05\% P_t \oplus 1\%$ (P_t in GeV)	Pixel, Silicon μ Strip, $ \eta < 2.5$ $\Delta P_t / P_t \sim 0.01\% P_t$ (P_t in GeV)
E/M Calorimeter	Pb-LAr, $ \eta < 3.2$ $\sigma / E \approx 10\% / \sqrt{E(\text{GeV})} \oplus 0.7\%$	PbWO ₄ Crystals, $ \eta < 3.0$ $\sigma / E \approx (2-5)\% / \sqrt{E(\text{GeV})} \oplus 0.5\%$
Hadron Calorimeter	Steel/Scint, Cu-LAr, W-LAr $ \eta < 4.9$ $\sigma / E = 60\% / \sqrt{E(\text{GeV})} \oplus 3\% \rightarrow$ Barrel, Endcaps $\sigma / E = 100\% / \sqrt{E(\text{GeV})} \oplus 10\% \rightarrow$ Forward	Brass/Scint., Fe/Quartz Fibers, $ \eta < 5.0$ $\sigma / E = 127\% / \sqrt{E(\text{GeV})}$
Muon System	MDT, RPC, CSC, TGC, $ \eta < 2.7$ Pt Resolution: ~10% , pT \approx 1TeV/c < 3% , pT < 250 GeV/c	DT, RPC, CSC, $ \eta < 2.4$ Pt Resolution(Muon+Tracker): ~7% , pT \approx 1TeV/c < 3% , pT < 250 GeV/c



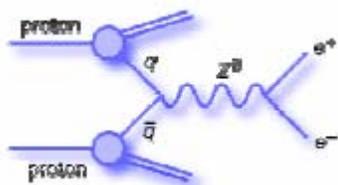
Inclusive Z/W production



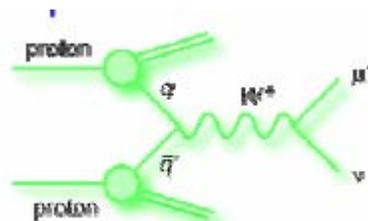
- W,Z properties are well known
- SM rediscovery studying W,Z production at LHC is fundamental
 - Very clean signal through their leptonic decays, large cross section
 - Provide strong constraints on the detector performance-calibration
 - Sufficient statistics for $d\sigma/dp_t$ and $d\sigma/d\eta$ measurements
 - $d\sigma/dp_t$ spectrum provides constraints on QCD while $d\sigma/d\eta$ is a direct probe of the PDFs
 - Building blocks of new physics scenarios e.i. Z', W', Little Higgs T->tZ ...



Total Z/W x-sec measurements



~ 2 nb at 14TeV



~ 20 nb at 14TeV

MAIN FORMULA: $\sigma \times Br(Z / W \rightarrow leptons) = \frac{N - B}{L \times A \times \varepsilon}$

Overall Uncertainty:

$$\frac{\delta\sigma}{\sigma} = \frac{\delta N \oplus \delta B}{N - B} \oplus \frac{\delta L}{L} \oplus \frac{\delta A}{A} \oplus \frac{\delta \varepsilon}{\varepsilon}$$

Where:

$$\delta N / N \approx 1 / \sqrt{L}$$

$N \rightarrow$ # of observed events

$B \rightarrow$ # of background events

$L \rightarrow$ Integrated Luminosity

$A \rightarrow$ Acceptance

$\varepsilon \rightarrow$ efficiency within Acceptance

$$\varepsilon_{total}^{W \rightarrow l\nu} = \varepsilon_{trigger} \times \varepsilon_{offline}, \quad \varepsilon_{total}^{Z \rightarrow ll} = \varepsilon_{offline}^2 \times (1 - (1 - \varepsilon_{trigger})^2)$$

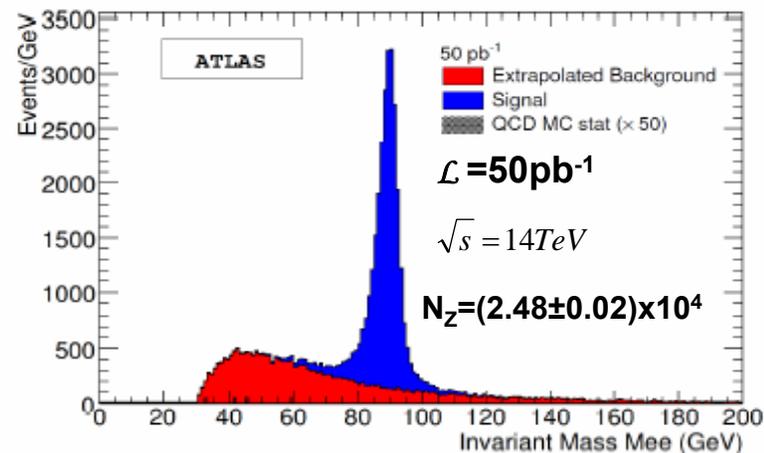


ATLAS Inclusive Z



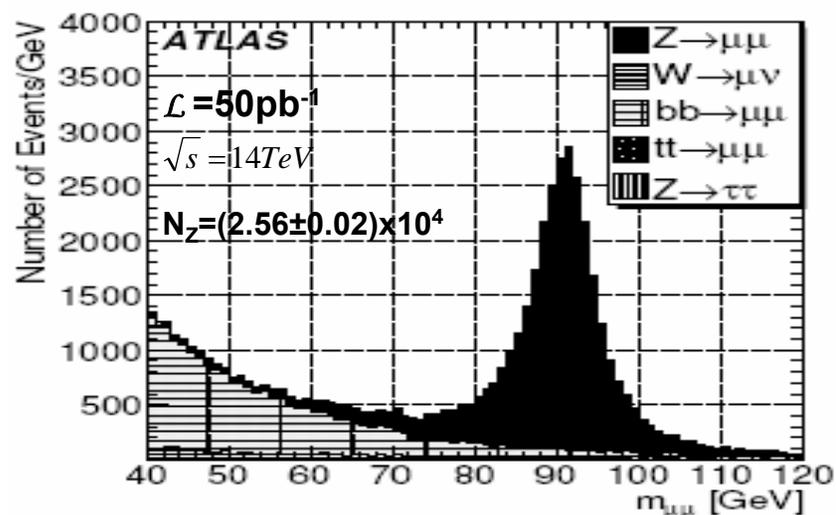
Z → e⁺e⁻

- Single Electron Trigger with $P_t > 10 \text{ GeV}/c$
- Two E/M clusters with $E_t > 15 \text{ GeV}$, $|\eta| < 1.37$ or $1.52 < |\eta| < 2.4$, $80 \text{ GeV}/c^2 < M_{cl,cl} < 100 \text{ GeV}/c^2$
- Electron ID: using tracker information, Hadronic/EM Energy ratio and EM Shower Shapes
- Isolation $\Sigma E_t/E_t^{el} < 0.2$ (in cone $\Delta R < 0.45$)



Z → μ⁺μ⁻

- Single Muon Trigger with $P_t > 10 \text{ GeV}/c$
- Two OS muon tracks with $P_t > 20 \text{ GeV}$, $|\eta| < 2.5$, $|M_{\mu\mu} - 91.2| < 20 \text{ GeV}/c^2$
- Muon Isolation from tracker, both number of tracks and ΣP_t of the tracks (in cone $0.05 < \Delta R < 0.5$)



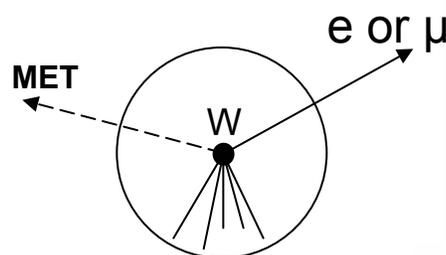


ATLAS Inclusive W

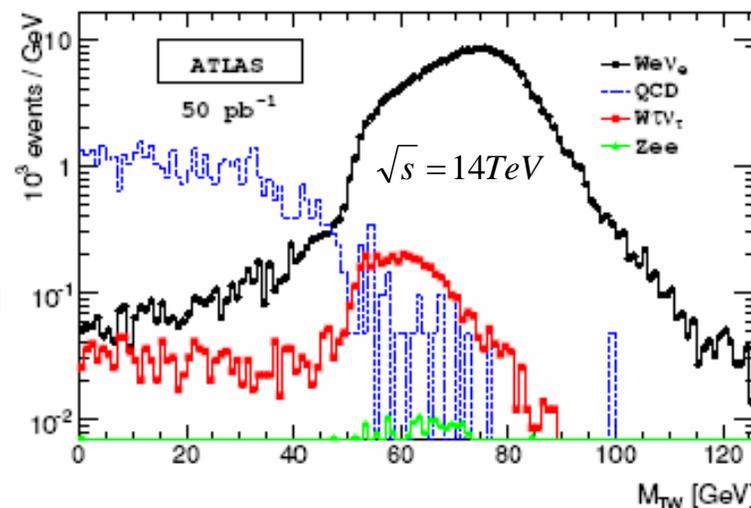


W->ev

- Single Electron Trigger with $P_t > 20 \text{ GeV}/c$
- Exactly one E/M clusters (matched with a track) with $E_t > 25 \text{ GeV}$, $|\eta| < 1.37$ or $1.52 < |\eta| < 2.4$
- Electron ID
- Missing $E_T > 25 \text{ GeV}$
- $M_{WT} > 40 \text{ GeV}/c^2$

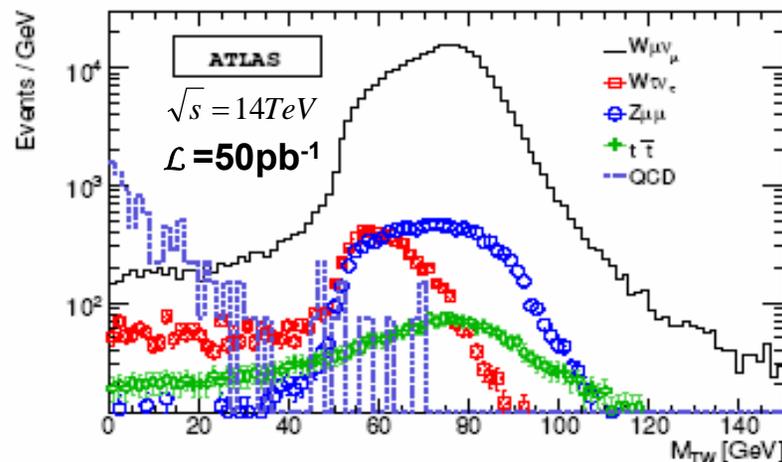


$$M_{WT} = \sqrt{2E_T p_T^l (1 - \cos \Delta\phi)}$$



W->μν

- Single Muon Trigger with $P_t > 20 \text{ GeV}/c$
- Exactly one muon with $p_t > 25 \text{ GeV}$, $|\eta| < 2.5$
- Muon Isolation from Calorimeters
- Missing $E_T > 25 \text{ GeV}$
- $M_{WT} > 40 \text{ GeV}/c^2$



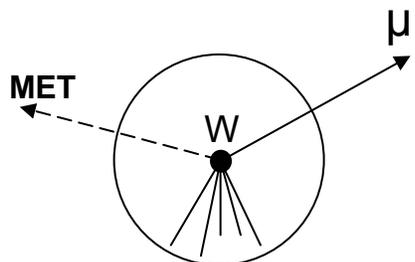


CMS Inclusive Z/W(I)



Z->μ⁺μ⁻

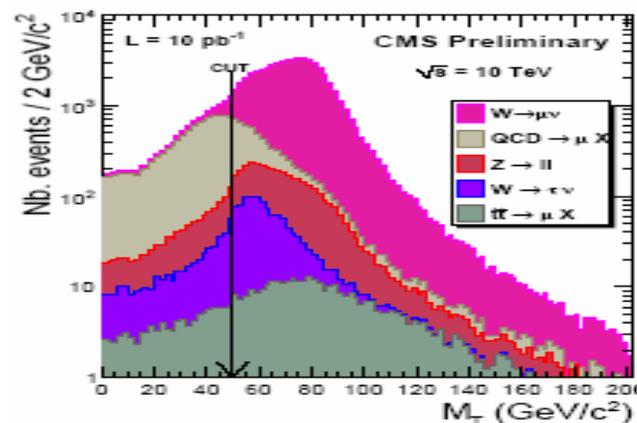
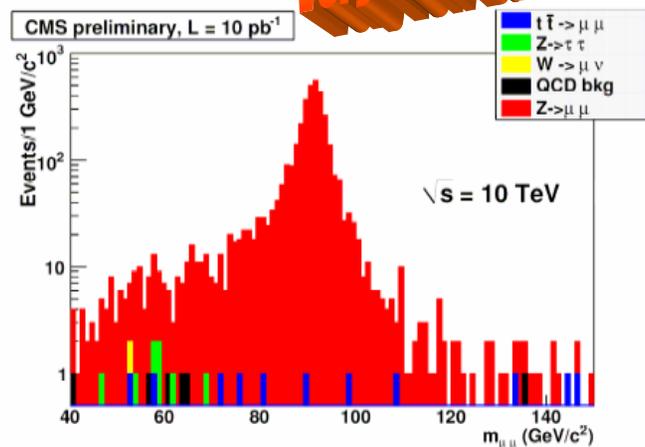
- At least one of the Muons fired the trigger
- Two OS muons (hits from Tracker + Muon Chambers) with $P_t > 20\text{GeV}$, $M_{\mu\mu} > 20\text{ GeV}/c^2$
- Muon Isolation from tracker, ΣP_t of the tracks $< 3\text{GeV}/c$ (in cone $\Delta R < 0.3$)



W->μν

- Muon fired the trigger
- One muon (hits from Tracker + Muon Chambers) with $P_t > 25\text{GeV}$, $|\eta| < 2$
- Muon Isolation from tracker, ΣP_t of the tracks/Muon $P_t < 0.09$ (in cone $\Delta R < 0.3$)
- MET stands for a measurement of the escaped ν
- $M_T > 50\text{ GeV}/c^2$

Very Low Background



$$M_T = \sqrt{2E_T p_T^l (1 - \cos \Delta\phi)}$$



CMS Inclusive Z/W(II)



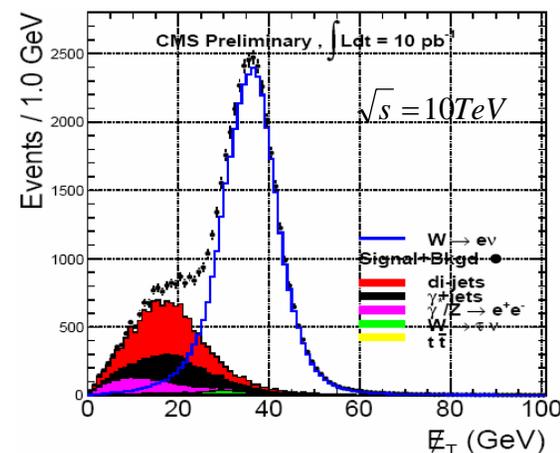
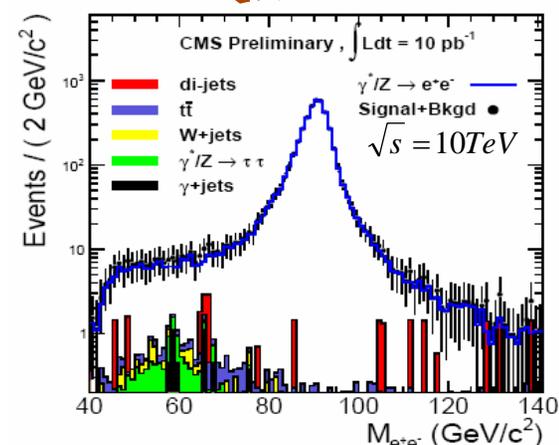
Z → e⁺e⁻

- At least one of the Electrons should fired the trigger
- Two electrons with $E_t > 20\text{GeV}$, $|\eta| < 2.5$
- Electron Isolation from tracker, ECAL and HCAL (in cone $0.02 < \Delta R < 0.4$)
- Electron Id using shower shape variable(cluster width in η direction) and E/M cluster – track matching
- $70\text{GeV}/c^2 < M_{ee} < 110\text{GeV}/c^2$

W → ev

- Electron fired the trigger
- One electron with $E_t > 30\text{GeV}$, $|\eta| < 2.5$
- Veto in second electron with $E_t > 20\text{GeV}$
- Electron Isolation from tracker, ECAL and HCAL
- Same variables as in Z → e⁺e⁻ case but tighter cuts

Very Low Background





Total Z/W inclusive x-sec



ATLAS RESULTS
 $\mathcal{L} = 50 \text{ pb}^{-1}$

$\sqrt{s} = 14 \text{ TeV}$

Process	$N(\times 10^4)$	$B(\times 10^4)$	$A \times \epsilon$	$\delta A/A$	$\delta \epsilon/\epsilon$	σ (pb)
$W \rightarrow e\nu$	22.67 ± 0.04	0.61 ± 0.92	0.215	0.023	0.02	$20520 \pm 40 \pm 1060$
$W \rightarrow \mu\nu$	30.04 ± 0.05	2.01 ± 0.12	0.273	0.023	0.02	$20530 \pm 40 \pm 630$
$Z \rightarrow ee$	2.71 ± 0.02	0.23 ± 0.04	0.246	0.023	0.03	$2016 \pm 16 \pm 83$
$Z \rightarrow \mu\mu$	2.57 ± 0.02	0.010 ± 0.002	0.254	0.023	0.03	$2016 \pm 16 \pm 76$

CMS RESULTS
 $\mathcal{L} = 10 \text{ pb}^{-1}$

$\sqrt{s} = 10 \text{ TeV}$

$N_{\text{selected}} - N_{\text{bkgd}}$	37500 ± 453
Tag&Probe $\epsilon_{\text{offline}}$	$74.4 \pm 0.6 \%$
Tag&Probe $\epsilon_{\text{trigger}}$	$97.2 \pm 0.3 \%$
Tag&Probe $\epsilon_{\text{offline} \times \text{trigger}}$	$72.3 \pm 0.6 \%$
Acceptance	$36.6 \pm 0.1 \%$
Int. Luminosity	10 pb^{-1}
$\sigma_W \times BR(W \rightarrow e\nu)$	$14200 \pm 200 \text{ pb}$
$\sigma_W \times BR(W \rightarrow e\nu)$ (MCtruth)	13865 pb

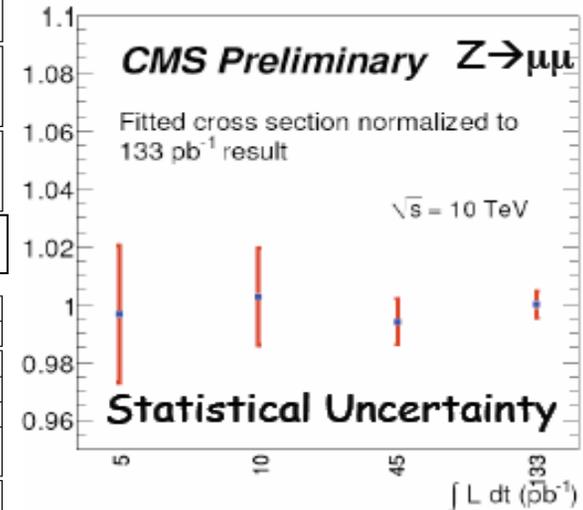
$\Delta\sigma/\sigma(\text{sys}) = 4\%$

N_{selected}	4273 ± 65
N_{bkgd}	assumed 0.0
Tag&Probe $\epsilon_{\text{offline}}$	$90.4 \pm 0.3 \%$
Tag&Probe $\epsilon_{\text{trigger}}$	$99.88 \pm 0.02 \%$
Tag&Probe ϵ_{total}	$81.6 \pm 0.5 \%$
Acceptance	$40.4 \pm 0.2 \%$
Int. Luminosity	10 pb^{-1}

$\sigma_{Z/\gamma^*} \times BR(Z/\gamma^* \rightarrow e^+e^-)$ $1300 \pm 20 \text{ pb}$

$\sigma_{Z/\gamma^*} \times BR(Z/\gamma^* \rightarrow e^+e^-)$ (MCtruth) 1296 pb

$\Delta\sigma/\sigma(\text{sys}) = 2.4\%$



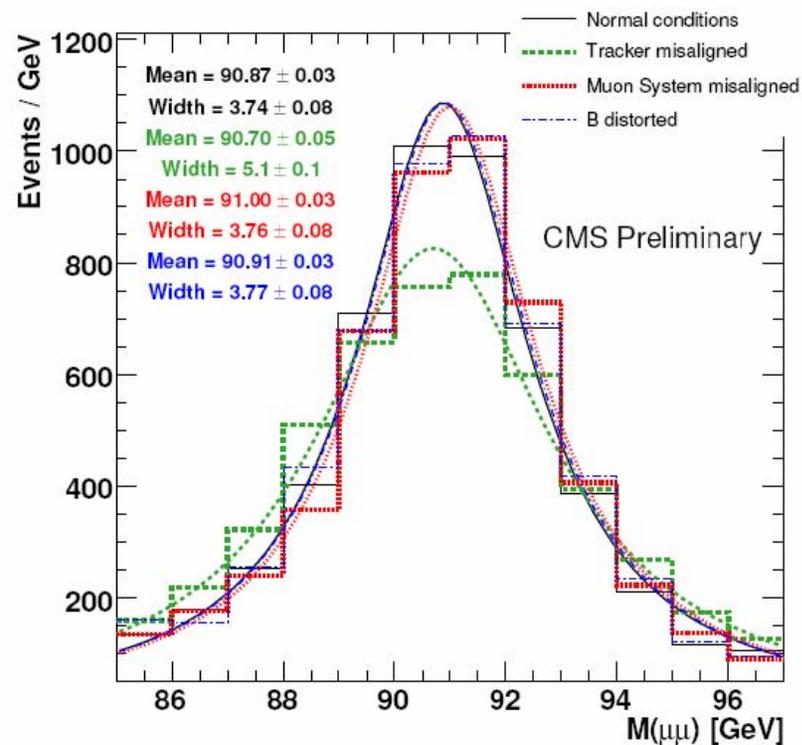
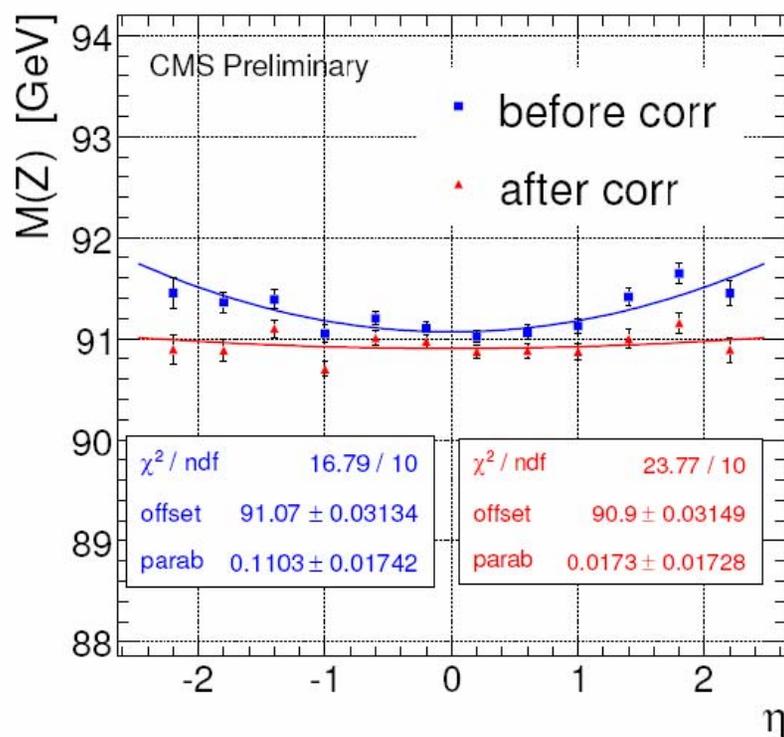
Extra Uncertainty form Luminosity 10%



Muon Momentum scale Correction in $Z \rightarrow \mu^+ \mu^-$



Misalignment and uncertainties on the magnetic field have an impact on the reconstructed Z boson mass due to the muon momentum scale corrections of the order of 2.7%





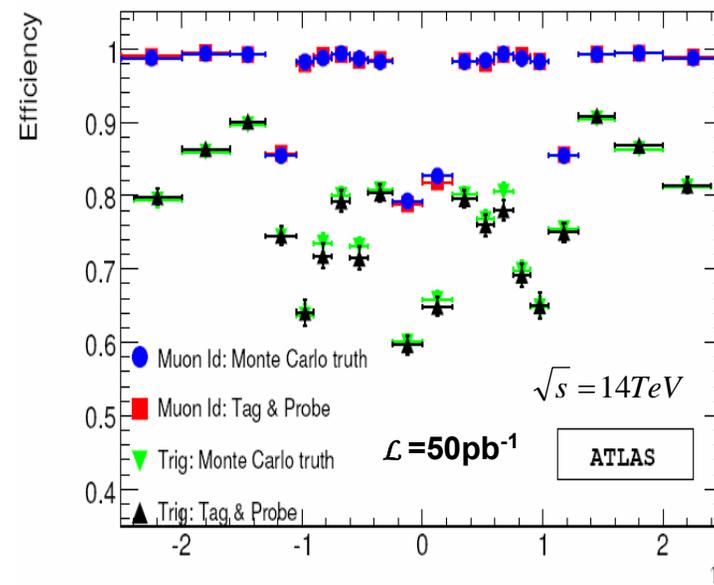
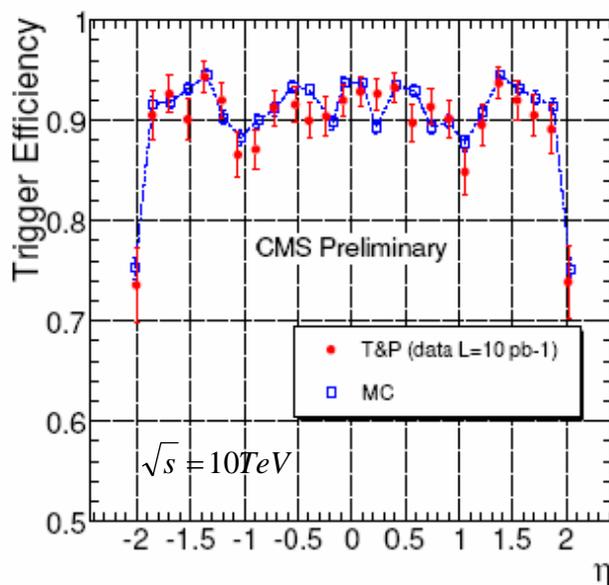
Data Driven Techniques (I)



Tag&Probe Method: Used to measure efficiencies from data

1. Tag Lepton(μ, e): pass stringent Muon or electron Identification criteria
2. Probe(μ, e) : pass a set of id criteria depending on the efficiency under study
3. $M_{\text{lepton-Tag, lepton-Probe}}$ in a window around M_Z

Both 1,3 are sufficient to ensure high lepton (μ, e) purity





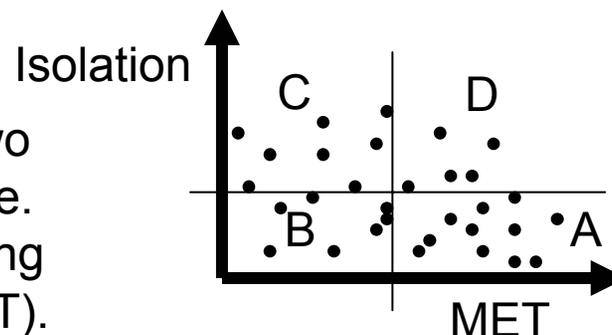
Data Driven Techniques (II)



Matrix or ABCD method:

Used to estimate the QCD background in W leptonic decays from data

Make a scatter plot of two uncorrelated variables i.e. lepton Isolation vs Missing Transverse Energy (MET).



Assume:

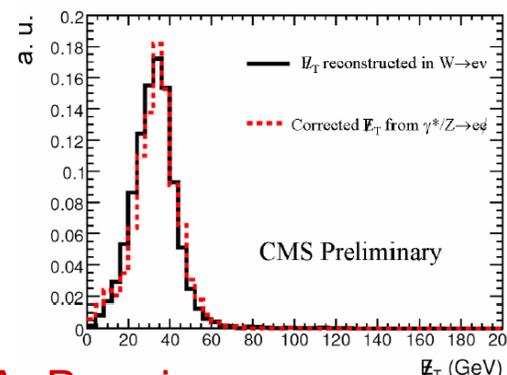
$$F_{QCD} = QCD_A/QCD_B = QCD_D/QCD_C = F'_{QCD}$$

where $QCD_X = N_X - EWK_X - S_X$ and N_X, EWK_X, S_X are the total number of events, the EWK events (small number estimated from MC simulation) and the $W \rightarrow lv$ events in region X(=A,B,C,D) respectively.

➤ Then $F_Z = S_A/S_B, F'_Z = S_D/S_C$ can be estimated from the $\gamma^*/Z \rightarrow ee$ Ersatz (substitute) MET.

So emulate the neutrino by calculating the MET of the Zee sample but exclude one of the electrons and take into account the different kinematics → Provides a reasonable MET representation in $W \rightarrow ev$ events

➤ Also define $I = S_{A+B}/S_{A+B+C+D}$: the efficiency of the Track Isolation cut for the Ws and can be estimated from the T&P method.



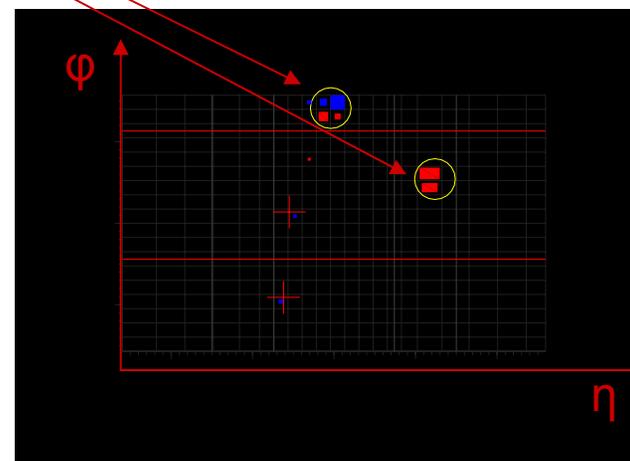
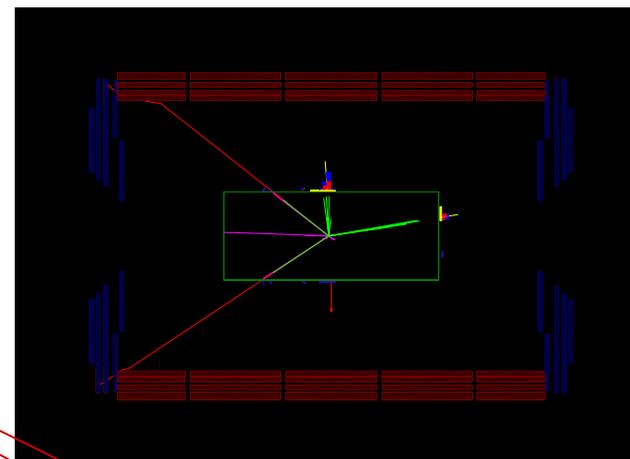
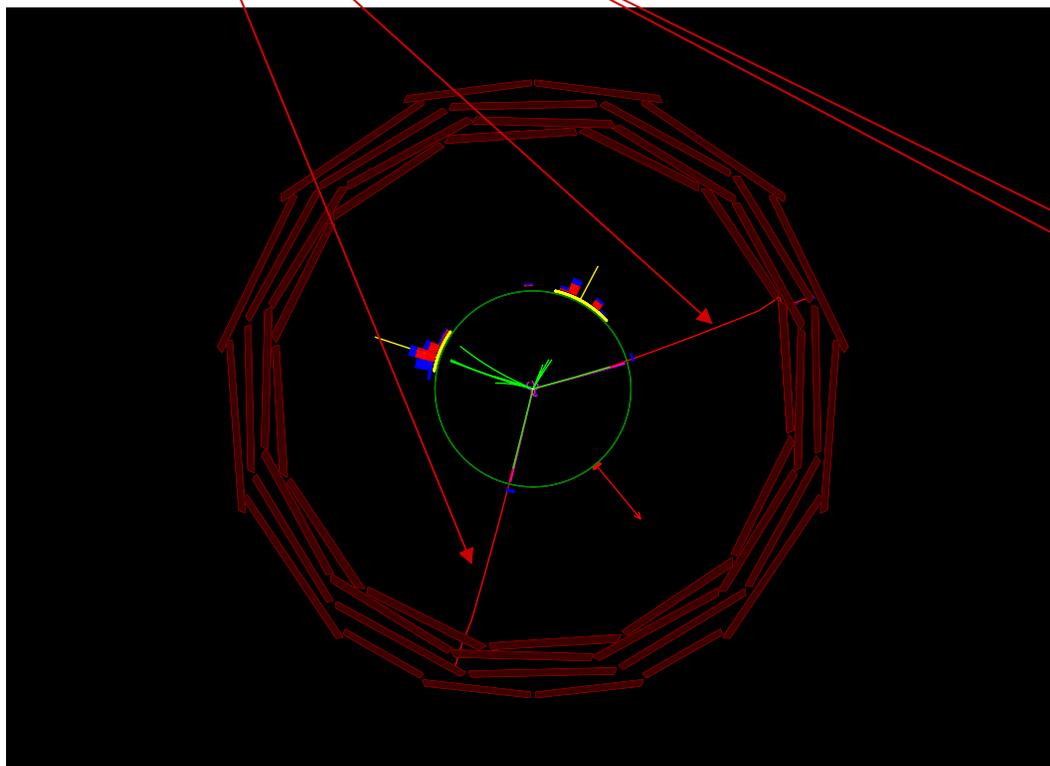
✓ Finally simple algebra gives the Signal (W) in the A+B regions



Z+Jets Cross Sections (I)



Z($\rightarrow\mu^+\mu^-$) + 2Jets event





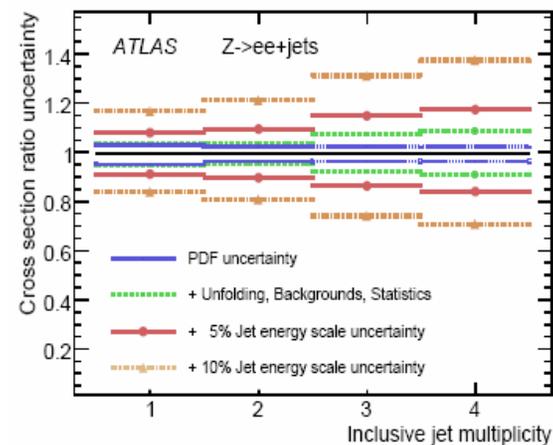
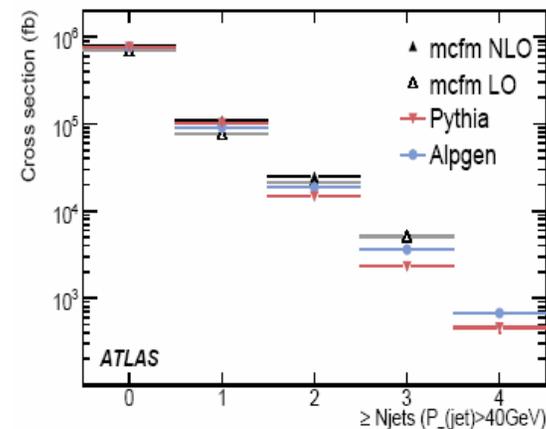
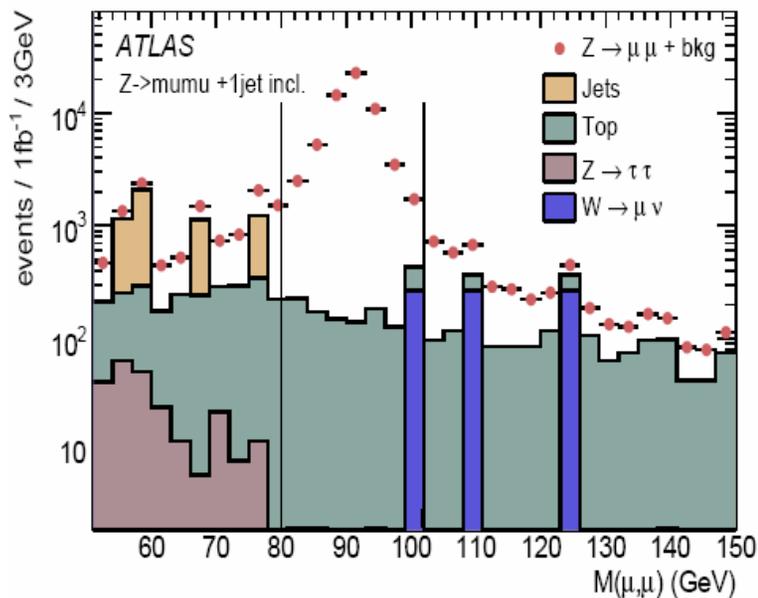
Z+Jets Cross-Sections (II)



$$\sigma(Z + (n+1) \text{ Jets})/\sigma(Z + n \text{ Jets}) \sim \alpha_s$$

Z+Jets production is important:

- ◆ Test of perturbative QCD
- ◆ Important backgrounds for SM and BSM physics
- ◆ Test of performance of MC event generators

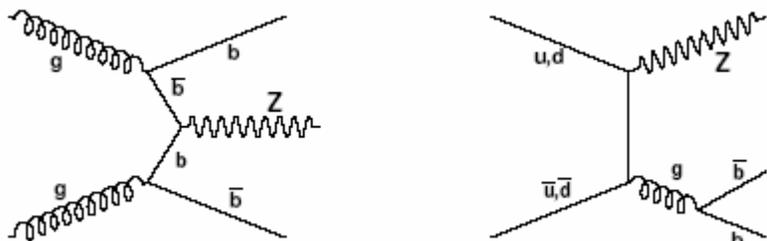




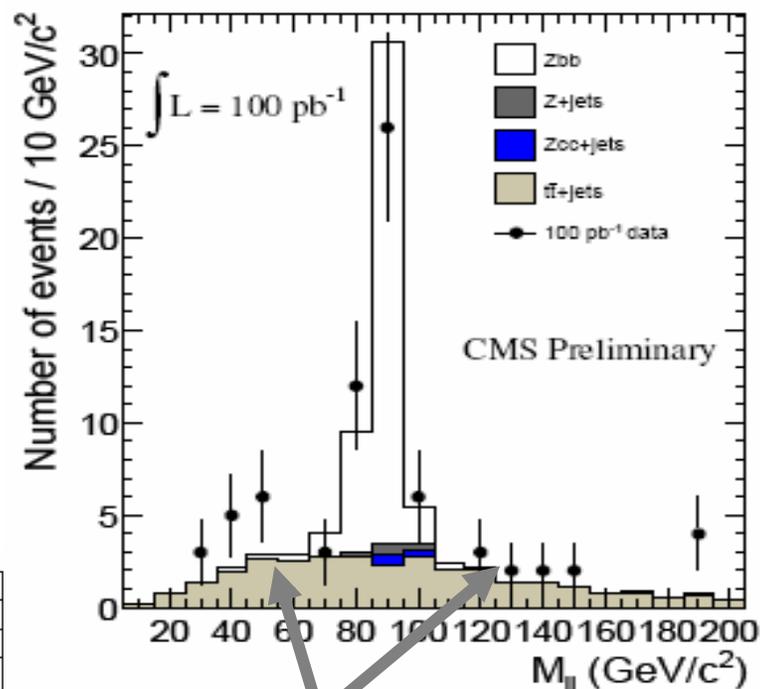
Z+Jets Cross-Sections (III)



$Zb\bar{b}, Z \rightarrow \ell\ell$ at 100pb^{-1} and 14TeV



Source of uncertainty	value used (%)	$\delta(\sigma(Zbb))$ (%)
jet energy scale (JES)	7	7.6
Type 1 missing E_T scale	10 (unclustered E_T^{miss}) + 7 (JES)	7.4
MC p_T^{jet}, η^{jet} dependence	-10,+0	-10,+0
b-tagging of b-jets ($\delta\epsilon_b$)	8	16
mistagging of c-jets ($\delta\epsilon_c$)	8	0.5
mistagging of light jets ($\delta\epsilon_\ell$)	7.6	0.5
$N_Z^{after\ b-tag}$ due to $t\bar{t}$ background subtraction	4	4.6
R	5	0.4
lepton selections	0.5	0.5
luminosity	10	10



Side – bands used to estimate the top background from data

$$\delta\sigma = \pm 15\% (stat) \pm_{25\%}^{21\%} (sys)$$



pp→W(μν)+X charge asymmetry



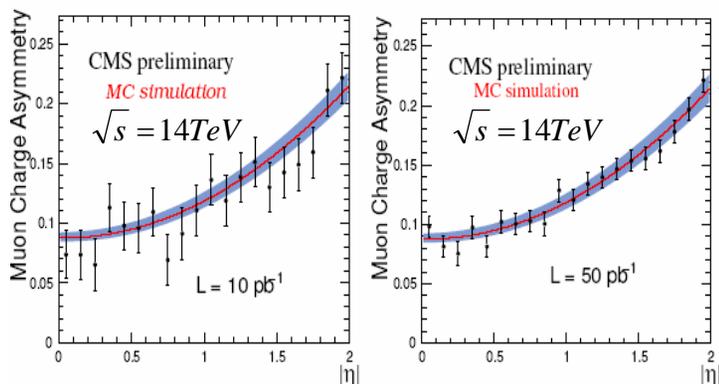
The current PDFs predict an excess of W⁺ over W⁻ production with average charge ratio of 1.5 because protons have two u-type valence quarks

➤ A(η) is rather insensitive to systematics

➤ Can be used to distinguish between different PDFs

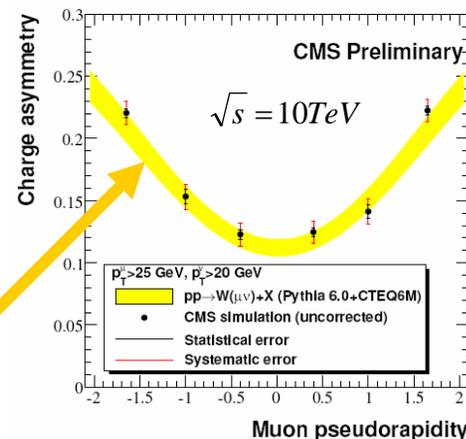
$$A(\eta) = \frac{\frac{d\sigma}{d\eta}(W^+ \rightarrow \mu^+\nu) - \frac{d\sigma}{d\eta}(W^- \rightarrow \mu^-\nu)}{\frac{d\sigma}{d\eta}(W^+ \rightarrow \mu^+\nu) + \frac{d\sigma}{d\eta}(W^- \rightarrow \mu^-\nu)}$$

☐ Selection criteria the same as for the W→μν cross section measurement



Blue Band PDF uncertainties from CTEQ6

Statistical uncertainties only



► Promising since can constrain current PDF sets already with 50pb⁻¹ at 14TeV

Recent Result : A(η) can constrain current PDF sets already with 100pb⁻¹ at 10TeV



Z Boson FB asymmetry (A_{FB})



- ❖ In pp collisions, e^+e^- pairs are predominantly produced via $q\bar{q}$ annihilation
- ❖ In SM there is an asymmetry (A_{FB}) in the polar emission angle (θ) of the electron relative to the quark momentum vector in the e^+e^- rest frame

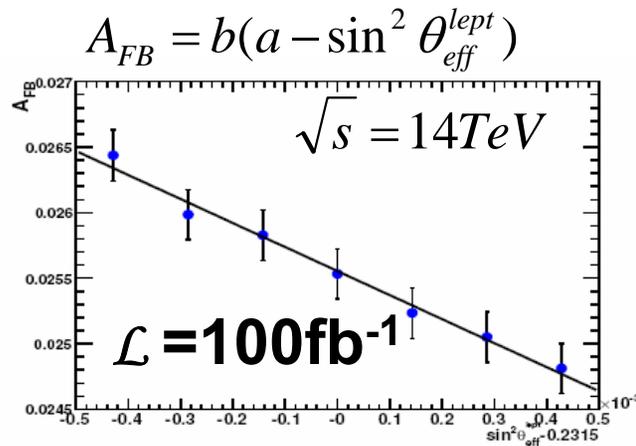
A_{FB} measurement is important:

- improve the knowledge of SM parameters (weak mixing angle - $\sin^2\theta_{eff}^{lept}$). Expect linear dependence between A_{FB} and $\sin^2\theta_{eff}^{lept}$ around Z pole
- test the physics BSM (if performed in higher mass)

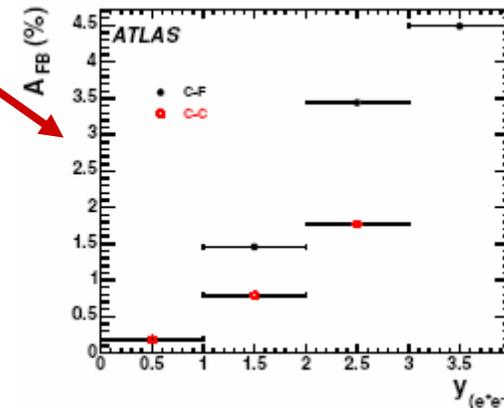
A_{FB} measurement done around Z mass using either both electrons to be in the central region (C-C) or one in the central and the other in the Forward Calorimeters ($2.5 < |\eta| < 4.9$) (C-F)

$$A_{FB} = \frac{N_F - N_B}{N_F + N_B}$$

N_F : Forward produced events ($\cos\theta > 0$)
 N_B : Backward produced events ($\cos\theta < 0$)



Electron ID efficiency in the Forward Region 80% with < 3% QCD background using multivariate analysis



$$\delta \sin^2 \theta_{eff}^{lept} = (1.5(stat) \pm 0.3(exp) \pm 2.4(PDF)) \times 10^{-4}$$

A_{FB} very sensitive to the electron acceptance



Summary



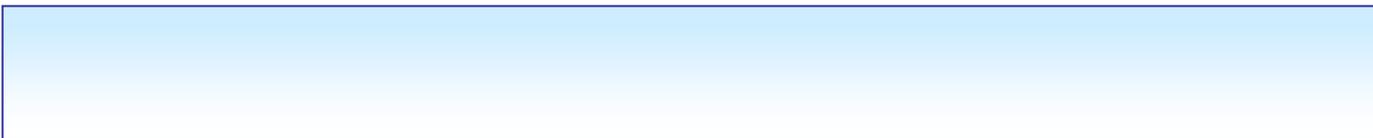
- Inclusive Z/W cross section measurements studies performed in both ATLAS and CMS LHC experiments
- Data Driven methods tested for extracting the efficiencies and QCD background
- Together with Z/W +Jets and W charge asymmetry studies present a robust start-up program
- The control of the SM EWK processes gives a significant confidence for New Physics studies



References



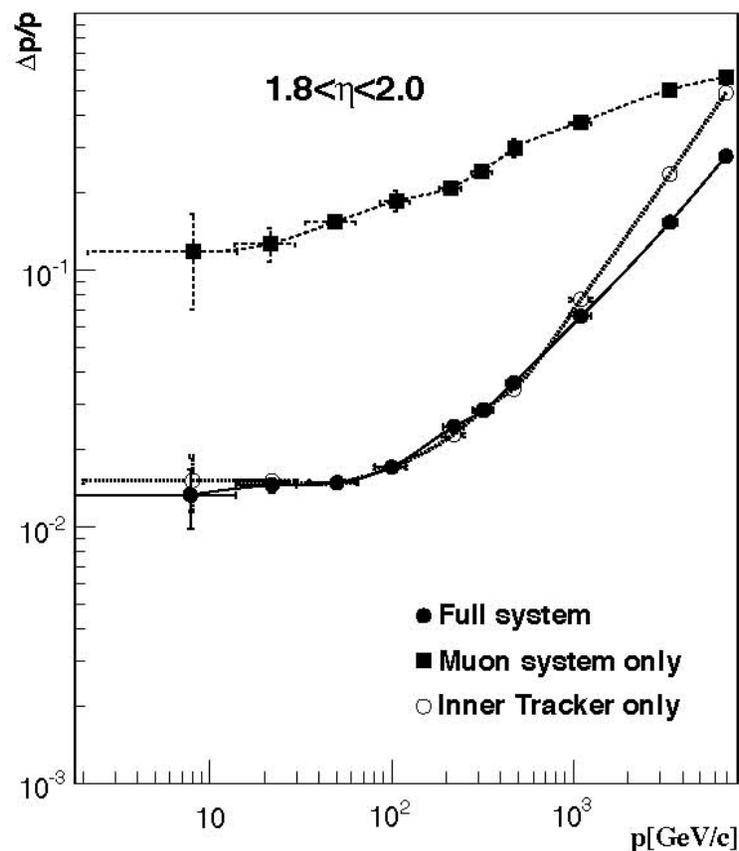
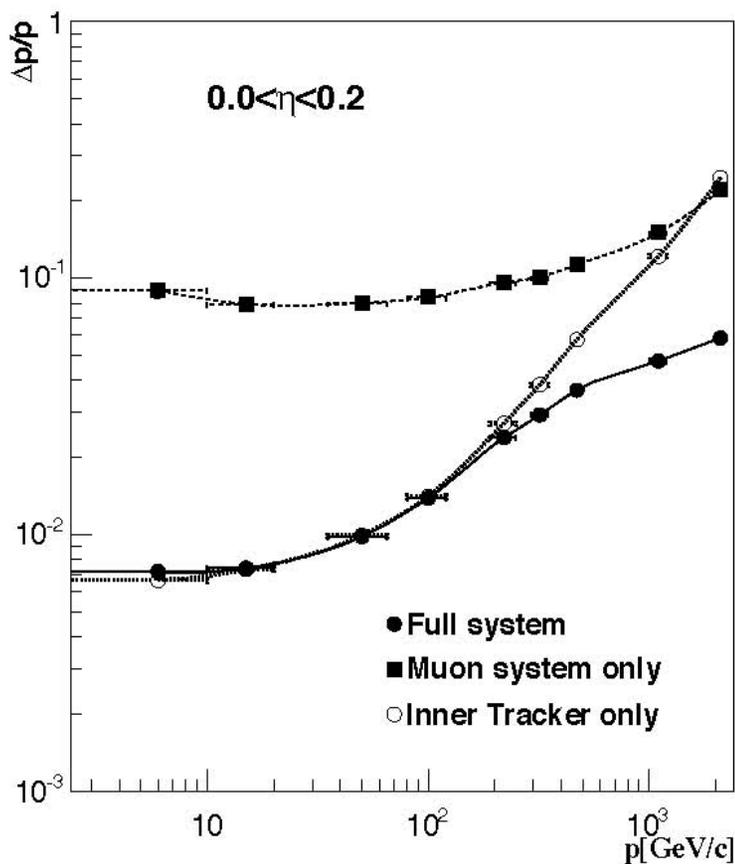
- For CMS:
<https://twiki.cern.ch/twiki/bin/view/CMS/PhysicsResults>
- For ATLAS:
<http://cdsweb.cern.ch/record/1125884/files/CERN-OPEN-2008-020.pdf?version=5>



BACK-UP SLIDES



CMS Muon System P_t resolution



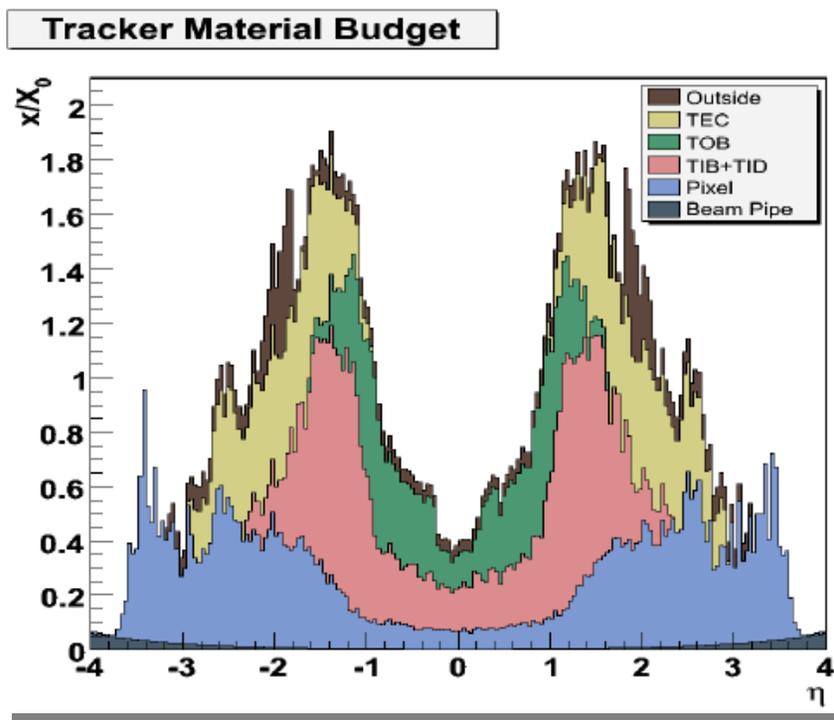
➤ Muon system resolution dominated by multiple scattering in iron for $P_t < 200$ GeV

➤ Tracker alone gives best result, except at high P_t

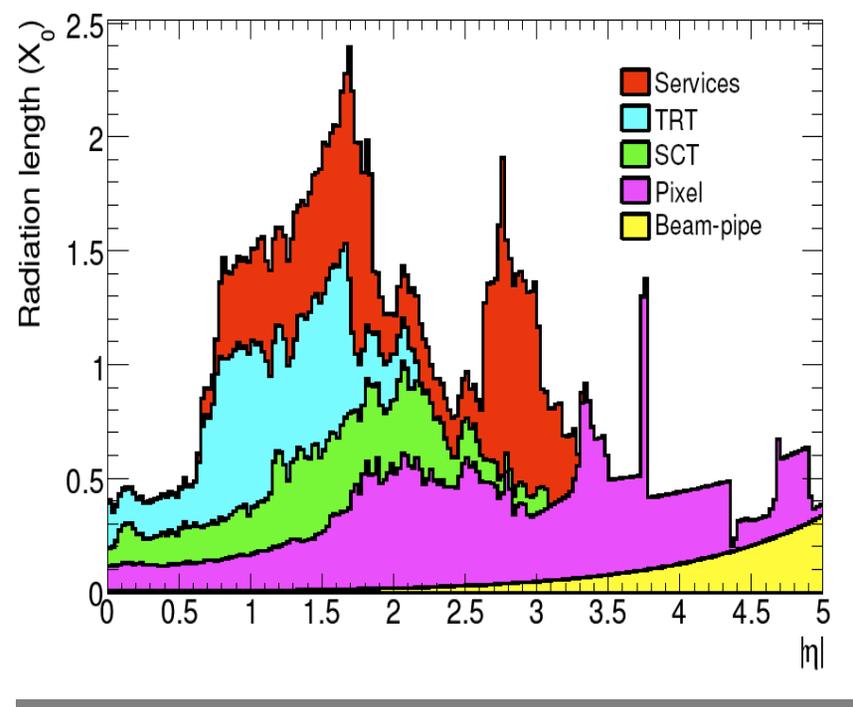
A.Kyriakis, EPS09 16-7-2009



Material Budget



CMS material budget vs η



ATLAS material budget vs η



ATLAS Required Performance



Detector component	Required resolution	η coverage	
		Measurement	Trigger
Tracking	$\sigma_{p_T}/p_T = 0.05\% p_T \oplus 1\%$	± 2.5	
EM calorimetry	$\sigma_E/E = 10\%/\sqrt{E} \oplus 0.7\%$	± 3.2	± 2.5
Hadronic calorimetry (jets)	barrel and end-cap	± 3.2	± 3.2
	forward	$3.1 < \eta < 4.9$	$3.1 < \eta < 4.9$
Muon spectrometer	$\sigma_{p_T}/p_T = 10\%$ at $p_T = 1$ TeV	± 2.7	± 2.4

Table 1. General performance goals of the ATLAS detector. Note that, for high- p_T muons, the muon-spectrometer performance is independent of the inner-detector system. The units for E and p_T are in GeV.



Z → e⁺e⁻ inclusive x-sec at CMS



Z → e⁺e⁻

- At least one of the Electrons should fired the trigger
- Two electrons with $P_t > 20\text{GeV}$, $|\eta| < 2.5$
- Electron Isolation from tracker, $(\sum P_t \text{ of the tracks} / P_t^e)^2 < 0.02$ (in cone $0.02 < \Delta R < 0.6$)

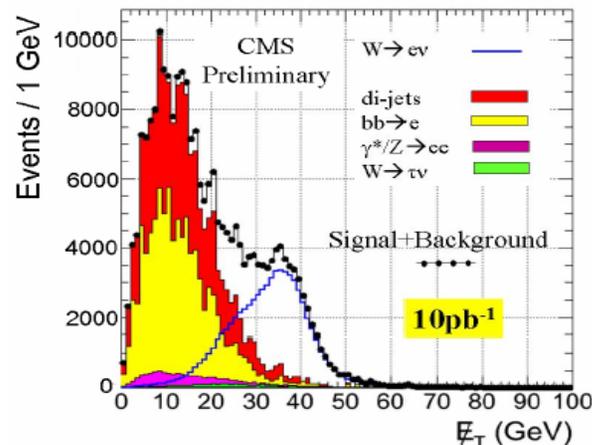
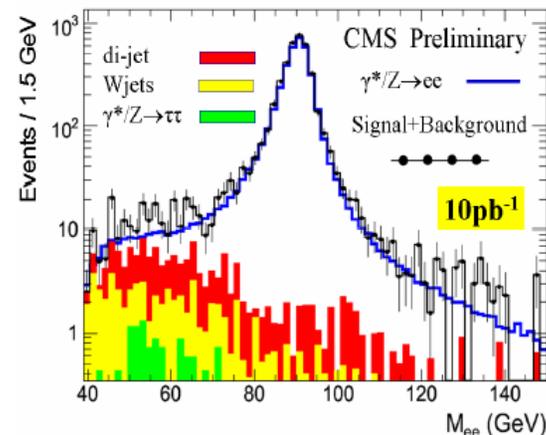
Definition of "robust" electron identification criteria.

	H/E	$\sigma_{\eta\eta}$	$\Delta\phi_{in}$	$\Delta\eta_{in}$
Barrel	0.115	0.0140	0.090	0.0090
Endcap	0.150	0.0275	0.092	0.0105

W → eν

- Electron fired the trigger
- One electron with $P_t > 20\text{GeV}$, $|\eta| < 2.5$
- Electron Isolation from tracker as in the Z → e⁺e⁻ case

$$\sqrt{s} = 14\text{TeV}$$

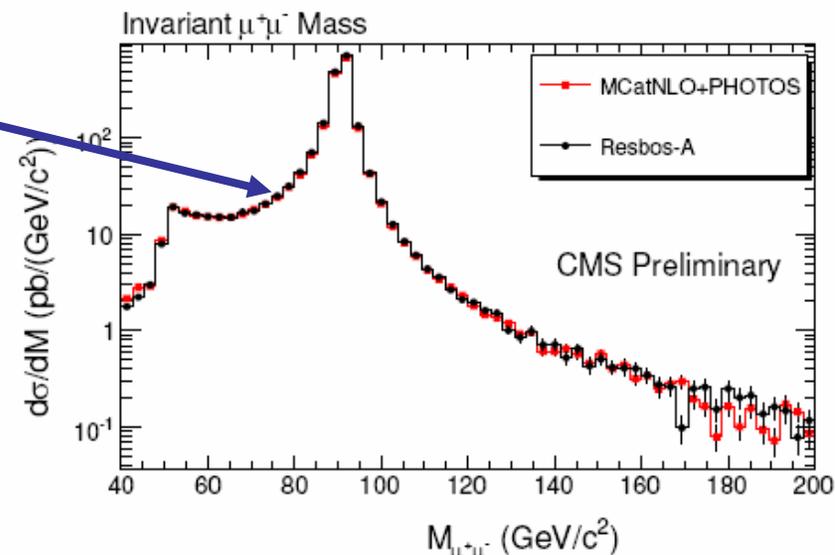




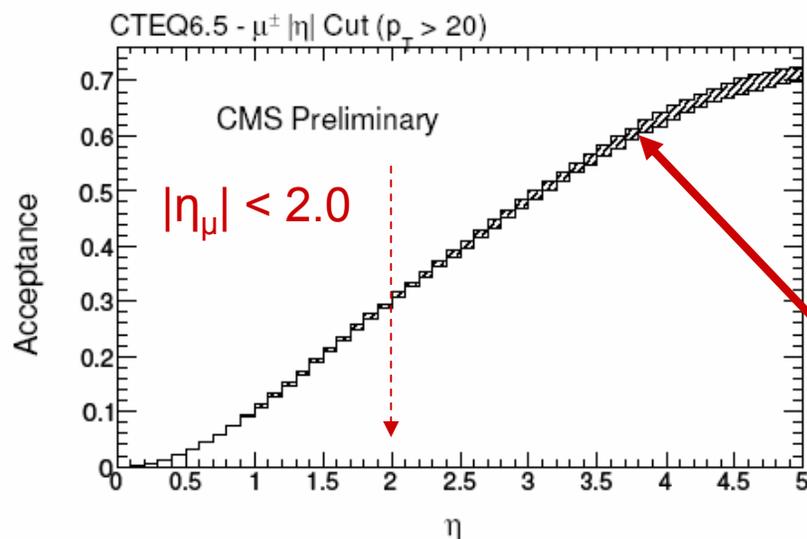
Theoretical Uncertainties



Comparison between MC@NLO+PHOTOS and ResBos-A that includes final state NLO QED corrections to Z/W production and NNLO logarithmic re-summation of soft and collinear QCD radiation



MC@NLO+PHOTOS Generator guaranties an overall theoretical uncertainty on the experimentally measured acceptance at the percent level



Z/γ* → μ+μ- acceptance vs |η| cut

Theoretical uncertainty band due to the limited precision of the used PDF



ABCD Mathematics (I)



$$I = S_{A+B}/S_{A+B+C+D} \rightarrow I/(1.0 - I) = S_{A+B}/S_{C+D} \quad (1)$$

$$S_{A+B} = (F_Z + 1.0)S_B \quad (2)$$

$$S_{C+D} = (F'_Z + 1.0)S_C \quad (3)$$

Each N has three components: W events, QCD and electroweak (EWK) background events.

Assuming that $F'_{QCD} = F_{QCD}$ we get:

$$F_{QCD} = F'_{QCD} = \frac{N_D - EWK_D - S_D}{N_C - EWK_C - S_C} = \frac{N_D - EWK_D - F'_Z S_C}{N_C - EWK_C - S_C} = (1), (3) =$$

$$\frac{(F'_Z + 1.0)I(N_D - EWK_D) - F'_Z(1.0 - I)S_{A+B}}{(F'_Z + 1.0)I(N_C - EWK_C) - (1.0 - I)S_{A+B}} \quad (4)$$



ABCD Mathematics (II)



In a similar manner:

$$F_{QCD} = \frac{N_A - EWK_A - S_A}{N_B - EWK_B - S_B} = \frac{N_A - EWK_A - F_Z S_B}{N_B - EWK_B - S_B} = (2) = \frac{N_A - EWK_A - F_Z(S_{A+B}/(F_Z + 1.0))}{N_B - EWK_B - (S_{A+B}/(F_Z + 1.0))} \rightarrow$$

$$S_{A+B} = \frac{1.0 + F_Z}{F_Z - F_{QCD}} [N_A - EWK_A - F_{QCD}(N_B - EWK_B)] \quad (5)$$

Combining (4),(5) leads to an equation of the type: $aS_{A+B}^2 + bS_{A+B} + c = 0.0$

with

$$a = (1.0 - I)(F'_Z - F_Z)$$

$$b = I(F'_Z + 1.0)[F_Z(N_C - EWK_C) - (N_D - EWK_D)] + (1 + F_Z)(1 - I)[(N_A - EWK_A) - F'_Z(N_B - EWK_B)]$$

$$c = I(1 + F_Z)(1 + F'_Z)[(N_D - EWK_D)(N_B - EWK_B) - (N_A - EWK_A)(N_C - EWK_C)]$$

Then

$$\text{if } F'_Z = / = F_Z \text{ we get } S_{A+B} = (-b \pm \text{SQRT}(b^2 - 4ac))/2a$$

$$\text{if } F'_Z = F_Z \text{ we get } S_{A+B} = -c/b$$